ENTWICKLUNG DER REIHEN

DER

GYLDÉN'SCHEN STÖRUNGSTHEORIE

BIS ZU

GLIEDERN ZWEITER ORDNUNG.

INAUGURAL-DISSERTATION

ZUR

ERLANGUNG DER DOCTORWÜRDE

BEI DER

PHILOSOPHISCHEN FACULTÄT DER UNIVERSITÄT MÜNCHEN

VORGELEGT

VON

HANS MASAL.

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DRUCK DER AKADEMISCHEN BUCHDRUCKEREI VON F. STRAUB

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EINLEITUNG.

Die vorliegende Arbeit, die wie meine beiden früheren Abhandlungen[1]) bei Gelegenheit der Berechnung einer absoluten Bahn entstanden ist, strebt eine Erleichterung der numerischen Anwendung der Gyldén'schen Theorie an, und zwar durch eine explicite Darstellung der Reihen, welche bestimmt sind, die Störungswerthe zu liefern; in dieser Beziehung sind die beiden genannten Tafeln als Einleitung zu diesen Formeln zu betrachten und hauptsächlich der Theorie der kleinen Planeten gewidmet.

Sowie in allen Störungstheorien, die ja nach Potenzen der störenden Masse fortschreiten, entstehen auch bei Gyldén erhebliche rechnerische Schwierigkeiten, wenn man ausser den Gliedern erster Ordnung der Masse Glieder zweiter Ordnung mitnimmt. Das Aufsuchen von Gliedern, die, durch die Integration vergrössert, auch als Glieder zweiter Ordnung merkbar werden, musste von Fall zu Fall vorgenommen werden, und die Arbeit Brendel's[2]), der als Erster diese Genauigkeit angestrebt hat, zeigt die Complizirtheit dieses Verfahrens zur Genüge. Ich bin in meiner Arbeit einen Schritt weiter gegangen und habe versucht, für die Störungsausdrücke Formeln aufzustellen, welche für die verschiedenen Typen von kleinen Planeten in Anwendung gebracht werden müssen. Es treten bekanntlich bei Gyldén 4 Gruppen von Gliedern auf, die für die Theorie des betreffenden Planeten von Wichtigkeit sind, nämlich Glieder mit den resp. Argumenten:

$$\text{A)}\ \varsigma_n v - A_n, \quad \text{B)}\ (1-\varsigma_n)v - B_n,$$
$$\text{C)}\ d_n v - C_n, \quad \text{D)}\ (1-d_n)v - D_n,$$

wo ς_n von der Ordnung der Masse des störenden Körpers ist, und d_n die Form hat $d_n = i - i'\mu$, also im Falle einer nahen Commensurabilität zwischen den mittlerere Bewegungen des störenden und gestörten Körpers auch bis zur Ordnung von ς herabsinken kann; Gyldén nennt Glieder mit den Argumenten A) und B) elementäre Glieder langer resp. kurzer Periode, solche mit den Argumenten C) und D) charakteristische langer resp. kurzer Periode. Diese Glieder nun sind es, bei deren genauen Bestimmung man gezwungen ist, bis zur zweiten Ordnung der Masse zu gehen, und in den folgenden Entwicklungen sind diese Glieder für die beiden Fälle, wo μ nahe $\frac{1}{3}$ und nahe $\frac{1}{2}$ ist, mit aller Schärfe angeführt. Für den $\frac{1}{2}$" Typus haben also die Glieder der Form C) die Argumente: $(1-2\mu)v - C_n$, $(2-4\mu)v - C_n$, $(3-6\mu)v - C_n$, für den $\frac{1}{3}$" Typus: $(1-3\mu)v - C_n$; die Glieder der Form D) haben die Argumente: $2\mu v - D_n$, $(2-2\mu)v - D_n$ für den $\frac{1}{2}$ Typus, $(2-3\mu)v - D_n$ für den $\frac{1}{3}$ Typus.

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1) Hans Masal, Formeln und Tafeln; Stockholm 1889.

Hans Masal, Table de l'intégrale $\int_0^{\frac{\pi}{2}} \frac{\sin^{2n}\varphi \, d\varphi}{\{1-a^2\sin^2\varphi\}^{\frac{s}{2}}}$; Stockholm 1891.

2) Martin Brendel, Om användningen af den absoluta störingsteorien; Stockholm 1889.

Die Ausdrücke für die Coefficienten dieser Glieder bestehen nun ausser dem Gliede erster Ordnung aus mehreren Gruppen von Producten je zweier Glieder, die natürlich nur soweit ausgeschrieben sind, um den weitern Verlauf zweifellos erkennen zu lassen.

Da — wie man aus der Art der Entwicklung der Störungsfunction ersieht — die Argumente die Form: $(\nu+\nu'\mu+n\varsigma+n'\mu\varsigma')v+nI+n'I'+n(\pi-I)+n'(\pi'-I')+\nu' B$ haben, wo $B=A'-\mu A+\mu W-W'$ und $W=n(T+T_1)$, $W'=n'(T'+T_1')$ ist, und der zugehörige Coefficient irgend einer Entwicklung durch die Bezeichnung: $B_{\nu\nu'}(n\,n')_{ss'}$ sofort das Argument erkennen lässt, ist es zu Folge der Relation

$$\begin{cases} \nu+\nu'+n+n'=0; & s=n+2p \quad \text{wo } p=0 \text{ sein kann} \\ & s'=n'+2p' \quad \text{„ } p'=0 \quad \text{„ } \quad \text{„} \end{cases},$$

ein Leichtes, diese innerhalb der Coefficienten auftretenden Producte, die eigentlich bis in's Unendliche fortgesetzt gedacht werden müssen, beliebig weit fortzusetzen. Von diesen Gliedern zweiter Ordnung wird natürlich nur eine ganz geringe Zahl etwas Merkliches liefern — ausser dem durch die Integration vergrössertem Gliede werden etwa noch 2 bis 3 Glieder zu berücksichtigen sein — es wurde aber dieses vollständige Ausschreiben der Glieder zweiter Ordnung für die Coefficienten mit den Argumenten obiger 4 Formen der von H. Brendel durchgeführten Ableitung, bei der nur das eine, im Falle μ nahe $=\frac{1}{3}$ vergrösserte Glied mitgenommen ist, vorgezogen, um eben die Formeln für verschiedene Commensurabilitäten brauchbar zu machen, und um gleichzeitig das Entstehen der Glieder zu erklären; sollte bei irgendwelchen höhern Werthen von i und i' der Ausdruck $i-i'\mu$ sehr klein werden, so wird man an der Hand der hier durchgeführten Entwicklungen das betreffende Glied leicht bilden können.

Die Entwicklungen sind in der vorliegenden Arbeit bis zur zweiten Potenz der Excentricität geführt, indem ich die höhern Glieder einer spätern Publication vorbehalte, nur die elementären Glieder dritten Grades sind noch aufgenommen worden, doch nur bis zur ersten Ordnung der Masse; die einzelnen Coefficienten sind dabei nach Potenzen von η und η' geordnet und in der Reihenfolge angeschrieben, wie sie sich z. B. aus dem Tableau für $\frac{\mu_1}{\mu'}(1-\eta^2)P$ durch Einsetzen der Werthe $n=0,1,2,\ldots$ ergeben. Allerdings können, wie Gyldén in seiner letzten Arbeit[1]) gezeigt hat, die Glieder dritten Grades auf das Resultat in gewissen Fällen bedeutenden Einfluss haben, ihre Mitnahme wird aber die allgemeinen Entwicklungsformeln nicht wesentlich verändern, nur hat man es dann mit der Integration einer Gleichung von der Form:

$$\frac{d^2\varrho}{dv^2}+(1-\beta_1)\varrho-\beta_3\varrho^3=-\gamma_1\cos[(1-\sigma_1)v-B_1]-\gamma_2\cos[(1-\sigma_2)v-B_2]-\ \ldots$$

zu thun, und die für die vereinfachte Gleichung:

$$\frac{d^2\varrho}{dv^2}+(1-\beta_1)\varrho=-\gamma_1\cos[(1-\sigma_1)v-B_1]-\ \ldots$$

giltige Integrationsmethode wird hinfällig.

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1) Hugo Gyldén, Nouvelles recherches sur les séries employées dans les théories des planètes; Stockholm 1891.

Ableitung der Differentialgleichungen.

Führt man in die Bewegungsgleichungen des gestörten Körpers, bezogen auf die momentane Bahnebene

$$\left.\begin{aligned} \frac{d^2x}{dt^2} + \mu_1 \frac{x}{r^3} &= \mu_1 \frac{\partial(\Omega)}{\partial x} \\ \frac{d^2y}{dt^2} + \mu_1 \frac{y}{r^3} &= \mu_1 \frac{\partial(\Omega)}{\partial y} \end{aligned}\right\} \quad \text{wo} \quad (\Omega) = \frac{\mu'}{\mu_1}\left(\frac{1}{\Delta} - \frac{r}{r'^2}\cos H\right)$$

Polarcoordinaten ein, bezeichnet also mit r den wahren Radius vector, mit v die wahre Länge in der Bahn, so ist:

$$r\frac{d^2r}{dt^2} - r^2\left(\frac{dv}{dt}\right)^2 + \frac{\mu_1}{r} = \mu_1 r \frac{\partial(\Omega)}{\partial r} \tag{1}$$

$$\frac{d}{dt}\left(r^2\frac{dv}{dt}\right) = \mu_1 \frac{\partial(\Omega)}{\partial v} \tag{2}$$

Gyldén definirt nun die Grössen ϱ und S durch die Gleichungen:

$$r = \frac{a(1-\eta^2)}{1+\varrho}$$

$$r^2\frac{dv}{dt} = \frac{\sqrt{a\mu_1(1-\eta^2)}}{1+S}$$

wo a eine absolute Constante, η eine langperiodische Function bedeutet. Führt man diese Substitutionen aus, so folgen für ϱ und S die Gleichungen:

$$\begin{aligned} \frac{d^2\varrho}{dv^2} + \varrho = &-\left\{\frac{3}{2}\frac{1}{1-\eta^2}\frac{d\eta^2}{dv} - \frac{1}{1+S}\frac{dS}{dv}\right\}\frac{d\varrho}{dv} - \left\{\frac{1}{1-\eta^2}\frac{d^2\eta^2}{dv^2} + \frac{3}{2}\frac{1}{(1-\eta^2)^2}\left(\frac{d\eta^2}{dv}\right)^2 - \right. \\ &\left. - \frac{1}{1+S}\frac{dS}{dv}\frac{1}{1-\eta^2}\frac{d\eta^2}{dv}\right\}(1+\varrho) + 2S + S^2 - (1+S)^2\frac{(c)}{a}P \end{aligned} \tag{3}$$

$$-\frac{1}{1+S}\frac{dS}{dv} = (1+S)^2 Q + \frac{1}{2}\frac{1}{1-\eta^2}\frac{d\eta^2}{dv} \tag{4}$$

wenn wir bezeichnen:

$$Q = \frac{r^2}{(c)a}\frac{\partial a(\Omega)}{\partial v}, \quad P = \frac{r^2}{(c)}\frac{a\partial(\Omega)}{\partial r} = -\frac{a}{\mu_1}\frac{\partial(\Omega)}{\partial \varrho}$$

und $(c) = \mu_1 a(1-\eta^2)$.

Die Gleichung (2) liefert dann noch die Relation

$$\frac{dt}{dv} = \frac{a^{\frac{3}{2}}}{\sqrt{\mu_1}}\frac{(1-\eta^2)^{\frac{3}{2}}}{(1+\varrho)^2}(1+S). \tag{5}$$

Die Grösse ϱ theilt nun Gyldén ab in einen Theil (ϱ) mit den Gliedern der Form B, und in $(1-\eta^2)\xi$ mit allen übrigen Gliedern, und entwickelt, nachdem also $\varrho = (\varrho) + (1-\eta^2)\xi = (\varrho) + R$ gesetzt wird, die Störungsfunction und ihre Ableitungen in Reihen, fortschreitend nach Potenzen von η, η' und ξ, indem er setzt:

$$\begin{aligned} \frac{\mu_1}{\mu'}(1-\eta^2)P = \Sigma\{&B_{00}(n,-n)\cos[n(1-\mu)v - nB] \\ &+ B_{10}(n+1,-n)\eta\cos[n(1-\mu)v - nB + (1-\varsigma)v - \Gamma - (\pi-\Gamma)] \\ &+ \quad . \quad . \quad . \quad . \quad . \quad \} \end{aligned}$$

Ueber die Art der Entwicklung siehe Masal „Formeln und Tafeln etc.“, wo sich die Formeln für die Coefficienten B, und die der Coefficienten A der Entwicklung:

$$\begin{aligned} \frac{\mu_1}{\mu'}Q = \Sigma\{&A_{00}(n,-n)\sin[n(1-\mu)v - nB] \\ &+ \quad . \quad . \quad . \quad . \quad . \quad \} \end{aligned}$$

als Functionen der $\gamma_s^{1,n}$ finden. Für die Grössen $\beta_n^{(s)}$, aus denen sich die $\gamma_s^{1,n}$ nach der Formel

$$\gamma_s^{1,n} = \frac{1.3.5\,..\,(2s-1)}{2.4.6\,\ldots\,2s}\,\alpha^{n+2s+1}\,\beta_{n+s}^{(2s+1)}$$

zusammensetzen, habe ich eine Tafel gerechnet, welche diese Coefficienten für die Werthe von α, die bei den kleinen Planeten in Betracht kommen, liefert.

Die numerische Rechnung.

Erste Näherung.

Unsere Aufgabe besteht in der Integration der Gleichungen (3), (4) und (5). Wie aus der Form der Differentialgleichungen hervorgeht, die doch die nach Potenzen von ξ entwickelten P und Q enthalten, kann man sich nur succesive den genauen Werthen von (ϱ) und R nähern. Da wir für die spätere Rechnung genäherte Werthe von ς und $\varkappa$ brauchen, wollen wir zuerst (ϱ), und zwar in erster Näherung bestimmen, und es empfiehlt sich, diese Rechnung vor der Bestimmung aller A und B auszuführen, um für diese Coefficienten, die ja auch von $\varphi = \frac{n'}{n}\frac{1-\varsigma'}{1-\varsigma} = \mu\frac{1-\varsigma'}{1-\varsigma}$ abhängen, gleich die strengen Werthe zu erhalten. Bei der Gleichung für (ϱ) in erster Näherung begnügen wir uns mit Gliedern erster Ordnung der Masse und ersten Grades, wodurch (4) übergeht in

$$S = -\int Q\,dv$$

und (3) in:

$$\frac{d^2(\varrho)}{dv^2} + (\varrho) = -\frac{(c)}{a}P + 2S.$$

Erinnern wir uns nun, dass (ϱ) nur Glieder mit den Argumenten $(1-\varsigma)v - \pi$ und $(1-\mu\varsigma')v - \pi'$ enthalten soll, so lautet die Differentialgleichung:

$$\frac{d^2(\varrho)}{dv^2} + (\varrho) = \{-B_{010}(n+1,-n) - B_{010}(n-1,-n)\}\,\eta\cos[(1-\varsigma)v-\pi] -$$
$$+\{-B_{101}(n,-n+1) + \frac{2}{1-\mu\varsigma'}A_{101}(n,-n+1)\}\,\eta'\cos[(1-\mu\varsigma')v-\pi']$$

oder nach einer — später begründeten — abkürzenden Bezeichnung:

$$\frac{d^2(\varrho)}{dv^2} + (\varrho) = H_{10}(-10)_{10}\,\eta\cos[(1-\varsigma)v-\pi] + H_{10}(0-1)_{01}\,\eta'\cos[(1-\mu\varsigma')v-\pi']$$

Schreiben wir nun mit Gyldén

$$(\varrho) = \eta\cos[(1-\varsigma)v-\pi]$$

wo $\eta\cos(\pi-\Gamma) = \varkappa_0 + \varkappa_1\cos[(\varsigma-\mu\varsigma')v+\Gamma-\Gamma'] + \varkappa_2\cos[(\varsigma-\mu\sigma_1')v+\Gamma-\Gamma''] + \varkappa_3\cos[(\varsigma-\mu\sigma_2')v+\Gamma-\Gamma''']$

$\eta\sin(\pi-\Gamma) = -\varkappa_1\sin[(\varsigma-\mu\varsigma')v+\Gamma-\Gamma'] - \varkappa_2\sin[(\varsigma-\mu\sigma_1')v+\Gamma-\Gamma''] - \varkappa_3\sin[(\varsigma-\mu\sigma_2')v+\Gamma-\Gamma''']$

und analog:

$$\eta'\cos(\pi'-\Gamma') = \varkappa' + \varkappa_1'\cos[(\mu\varsigma'-\mu\sigma_1')v+\Gamma'-\Gamma''] + \varkappa_2'\cos[(\mu\varsigma'-\mu\sigma_2')v+\Gamma'-\Gamma''']$$
$$\eta'\sin(\pi'-\Gamma') = -\varkappa_1'\sin[(\mu\varsigma'-\mu\sigma_1')v+\Gamma'-\Gamma''] - \varkappa_2'\sin[(\mu\varsigma'-\mu\sigma_2')v+\Gamma'-\Gamma''']$$

bezeichnen noch mit

$$\beta = H_{10}(-10)_{10}, \quad \gamma = H_{10}(0-1)_{01}$$

so nimmt die Gleichung die Form an:

$$\frac{d^2(\varrho)}{dv^2} + (1-\beta)(\varrho) = \gamma\,\eta'\cos[(1-\mu\varsigma')v-\pi']$$

Was die Integration dieser, und der später aufgestellten vollständigen Gleichung für (ϱ), sowie die Bestimmung der Constanten $\varkappa_0$ und Γ und die Bedeutung der übrigen Constanten anbetrifft, verweise ich auf die diesen Gegenstand

behandelnde Publication von Max Wolf[1]), wo sich auch die numerischen Werthe der $\varkappa'$, Γ' und ς' finden; ς bestimmt sich aus der Gleichung

$$1 - \varsigma = \sqrt{1-\beta}$$

für (ϱ) folgt ein Ausdruck von der Form:

$$(\varrho) = \varkappa_0 \cos[(1-\varsigma)\,v - \Gamma] + a_1 \cos[(1-\mu\varsigma')\,v - \Gamma'] + a_2 \cos[(1-\mu\sigma_1')\,v - \Gamma''] + a_3 \cos[(1-\mu\sigma_2')\,v - \Gamma'''']$$

Wir kommen jetzt, wo mit Hülfe des gefundenen ς die Berechnung aller A und B strenge möglich ist zur Bestimmung von $R = (1-\eta^2)\,\xi$ in erster Näherung, und benutzen dazu von der Gleichung für ϱ nur den Theil:

$$\frac{d^2\varrho}{dv^2} + \varrho = -\frac{(c)}{a} P + 2S + \frac{dS}{dv}\frac{d(\varrho)}{dv},$$

nehmen also nur Glieder erster Ordnung der Masse mit, so dass in den Ausdrücken für P und Q alle mit ξ multiplizirten Glieder natürlich fortzulassen sind; ferner schreiben wir nach R, unserer Annahme gemäss, dass alle Glieder der Form B) nach (ϱ) kommen, nur Glieder anderer Formen. Die Gleichung (4) für S vereinfachen wir in erster Näherung zu

$$S = -\int Q\,dv$$

und da P durch eine cos-Reihe, Q durch eine sin-Reihe dargestellt ist, $\frac{d(\varrho)}{dv} = -\eta \sin[(1-\varsigma)\,v - \pi]$, liefert die ganze rechte Seite nur cos-Glieder. Von den mit ξ multiplizirten Gliedern nehmen wir nur das constante Glied $B_{010}\,(n, -n)\,\xi$ in die Gleichung auf, können sie also, wenn letzteres nach links gebracht wird, in folgender Form schreiben:

$$\left.\begin{aligned}\frac{d^2R}{dv^2} + (1-\beta)\,R = \Sigma H_{\nu\nu'}(nn')_{ss'}\,\eta^s\eta'^{s'}\cos[(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma')\,v + n\Gamma + n'\Gamma' \\ + n(\pi - \Gamma) + n'(\pi' - \Gamma') + \nu' B]\end{aligned}\right\} \quad (I$$

Setzt man für P in die Gleichung seinen Ausdruck ein, bildet S aus Q durch einfache Integration (also mit Vernachlässigung höherer Glieder), indem man nur v als variabel ansieht, also durch den Factor von v im Winkelargument $l_{\nu\nu'}(nn') = \nu + \nu'\mu + n\varsigma + n'\mu\varsigma'$ dividirt, bildet endlich $\frac{dS}{dv}\frac{d(\varrho)}{dv}$ und vereinigt die zusammengehörigen Coefficienten, so kommt man zu den später angegebenen Formeln für die Coefficienten $H_{\nu\nu'}(nn')_{ss'}$ der Differentialgleichung (I), die sich in einfacher Weise aus den A und B zusammensetzen; bei der Bezeichnung der A und B wurde es vorgezogen, den Werth von n, für welchen das betreffende A oder B zu nehmen ist, als ersten Index (links unten) anzuschreiben, und nicht seinen Werth in die Klammer einzusetzen, da diese Bezeichnung öfters den Ursprung nicht sofort erkennen lässt; es bedeutet also z. B.

$$B_{3\,10}(n-1, -n) = [B_{10}(n-1, -n)]_{n=3} = B_{10}(2, -3).$$

In der Columne „Argument" ist in diesen und allen folgenden Formeln der Kürze halber nur der Factor von v im Argument angeschrieben, da man die übrigen Winkelgrössen daraus sofort ableiten kann gemäss der allgemeinen Form der Argumente:

$$(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma')\,v + n\Gamma + n'\Gamma' + n(\pi - \Gamma) + n'(\pi' - \Gamma') + \nu' B$$

wo $$B = \mathcal{A}' - \mu\mathcal{A} + \mu W - W' \text{ und } W = n(T + T_1),\ W' = n'(T' + T_1').$$

Die Coefficienten H sind in den Formeln bis zur zweiten Potenz der Excentricität entwickelt, und entsprechend geordnet. Die Integration der Gleichung (I) geschieht, wie man sich einfach überzeugen kann, dadurch, dass man den Coefficienten jedes Gliedes durch $\lambda_{\nu\nu'}(nn')$ dividirt; ist nämlich $1-\delta$ der Factor von v im Winkelargumente, so ist der entsprechende Divisor $\lambda = 2\delta - \delta^2 - \beta$; für diese Divisoren λ sind im Folgenden die genauen Ausdrücke gegeben; natürlich wird man nur die kritischen Divisoren nach diesen strengen Formeln berechnen. Wir schreiben also die Integralgleichung:

$$R = \Sigma J_{\nu\nu'}(nn')_{ss'}\,\eta^s\eta'^{s'}\cos[(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma')\,v + A] \quad (II$$

und es ist $$J_{\nu\nu'}(nn')_{ss'} = \frac{1}{\lambda_{\nu\nu'}(nn')} H_{\nu\nu'}(nn')_{ss'} \quad (II'$$

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1) Max Wolf, Sur les termes élementaires dans l'expression du rayon-vecteur; Stockholm 1890.

Da die Entwicklungen von P und Q nach Potenzen von ξ fortschreiten, brauchen wir Ausdrücke für die Coefficienten der Entwicklung von ξ; es ist aber

$$\xi = R\frac{1}{1-\eta^2} = R(1+\eta^2+\ldots); \text{ also schreiben wir}$$

$$\xi = \Sigma G_{\nu\nu'}(nn')_{ss'}\,\eta^s\,\eta'^{s'}\cos[(\nu+\nu'\mu+n\varsigma+n'\mu\varsigma')v+A]$$

wo $$G_{\nu\nu'}(nn')_{ss'} = H_{\nu\nu'}(nn')_{ss'} + H_{\nu\nu'}(nn')_{s-2,s'} + \ldots$$

oder ausgeschrieben:

$$G_{\nu\nu'}(nn')_{00} = H_{\nu\nu'}(nn')_{00}$$

$$G_{\nu\nu'}(nn')_{10} = H_{\nu\nu'}(nn')_{10},\quad G_{\nu\nu'}(nn')_{01} = H_{\nu\nu'}(nn')_{01}$$

$$G_{\nu\nu'}(nn')_{20} = H_{\nu\nu'}(nn')_{20} + H_{\nu\nu'}(nn')_{00}$$

$$G_{\nu\nu'}(nn')_{11} = H_{\nu\nu'}(nn')_{11},\quad G_{\nu\nu'}(nn')_{02} = H_{\nu\nu'}(nn')_{02}.$$

Zweite Näherung.

Bevor wir die vollständige Gleichung für ϱ, die in der zweiten Näherung zur Anwendung kommen muss, benützen, brauchen wir strengere Werthe von P und Q, das heisst, wir müssen in den kritischen Coefficienten Glieder zweiter Ordnung der Masse berücksichtigen. Zu diesem Zwecke muss das bereits gefundene ξ in diejenigen Glieder von P resp. Q eingesetzt werden, die darin mit ξ multiplicirt auftreten. Die so in P auftretenden Producte zweier cos werden in cos der Summe und Differenz der Argumente zerlegt — wobei keine neuen Argumente entstehen — so dass das verbesserte P wieder einer cos-Reihe gleich ist. Q hingegen ist durch eine sin-Reihe dargestellt, und durch Ausführung der Substitution von ξ und Zerlegung der entstehenden Producte cos mal sin in sin der Summe und Differenz treten als Verbesserungsglieder — Glieder zweiter Ordnung — auch nur sin auf, so dass Q in zweiter Näherung auch durch eine sin-Reihe gegeben ist. Man kann also schreiben:

$$\frac{\mu_1}{\mu'}(1-\eta^2)P = \Sigma P_{\nu\nu'}(nn')_{ss'}\,\eta^s\,\eta'^{s'}\cos[(\nu+\nu'\mu+n\varsigma+n'\mu\varsigma')v+n\Gamma+n'\Gamma'+n(\pi-\Gamma)+n'(\pi'-\Gamma')+\nu'B] \quad \text{(III}$$

wo die Bedeutung der Indices sofort klar ist. Es ist nun natürlich nicht nothwendig — und nicht möglich — alle Glieder zweiter Ordnung in P zu berücksichtigen, man wird vielmehr nur in den elementären und charakteristischen Gliedern, die bei einer der spätern Integrationen eine Vergrösserung erfahren, Terme zweiter Ordnung, so weit sie überhaupt merklich werden, mitnehmen. Ich habe in den Entwicklungen die Formeln für die Coefficienten $P_{\nu\nu'}(nn')_{ss'}$ als Functionen der B und G aufgestellt, und zwar bis zur zweiten Potenz der Excentricitäten, und der zweiten Ordnung der Masse mit der erwähnten Beschränkung auf die Coefficienten der vier Gruppen von Gliedern. Die einzelnen Gruppen von Gliedern sind in den Formeln, wie schon in der Einleitung erwähnt, meist nur bis $n = 3$ oder 4 ausgeschrieben, da man sich die folgenden Producte leicht weiterbilden kann.

Aus dem oben Angedeuteten geht hervor, dass man dieselben Formeln auch zur Bildung der Coefficienten von Q in zweiter Näherung benützen kann; wir schreiben nämlich:

$$\frac{\mu_1}{\mu'}Q = \Sigma Q_{\nu\nu'}(nn')_{ss'}\,\eta^s\,\eta'^{s'}\sin[(\nu+\nu'\mu+n\varsigma+n'\mu\varsigma')v+n\Gamma+n'\Gamma'+n(\pi-\Gamma)+n'(\pi'-\Gamma')+\nu'B] \qquad \text{(IV}$$

und man findet die Entwicklungscoefficienten $Q_{\nu\nu'}(nn')_{ss'}$ aus den analogen Formeln für die $P_{\nu\nu'}(nn')_{ss'}$, wenn man statt der B die A einsetzt, und überall das untere Zeichen (—) nimmt; der constante Theil von Q verschwindet natürlich.

Die grösste Sorgfalt erfordern die langperiodischen Glieder in Q, und insbesondere das langperiodisch-elementäre Glied $Q_{00}(1-1)_{11}\,\eta\eta'\sin(\varsigma-\mu\varsigma')v$ das durch die zweimalige Integration den Divisor $(\varsigma-\mu\varsigma')^2$ erhält; in diesem Coefficienten sind daher auch Glieder dritter Ordnung der Masse aufgenommen. Wie Gyldén gezeigt hat, hebt sich darin das Glied erster Ordnung: $A_{111}(n-1,-n+1)$ gegen das in Gl. (4) vorkommende $\frac{d\eta^2}{dv}$ fort, es ist also dies $A_{111}(n-1,-n+1)$, wie die Klammer anzeigen soll, wegzulassen; die übrigen aus $\frac{d\eta^2}{dv}$ entstehenden Glieder zweiter Ordnung werden als „Zusatzglieder" später berücksichtigt werden.

So sind also alle elementären und charakteristischen Glieder in P und Q bis zu den zweiten Potenzen der Masse bestimmt, und man kann zur Berechnung des S schreiten; die Gleichung (4), welche S liefert, muss aber vorerst abgekürzt werden zu:

$$S = -\int Q \, dv$$

und behalten wir uns die Berücksichtigung der dadurch vernachlässigten Glieder zweiter Ordnung für später vor; betrachten wir nun in den Winkelargumenten nur v als Variable, so können wir schreiben:

$$S = \Sigma S_{\nu\nu'} (nn')_{ss'} \eta^s \eta'^{s'} \cos [(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma') v + n\Gamma + n'\Gamma' + n(\pi - \Gamma) + n'(\pi' - \Gamma') + \nu' B] \qquad (V$$

und haben für die Entwicklungscoefficienten $S_{\nu\nu'} (nn')_{ss'}$ die Gleichung

$$S = -\int Q \, dv = -\int \Sigma Q_{\nu\nu'} (nn')_{ss'} \eta^s \eta'^{s'} \sin [(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma') v + n\Gamma + n'\Gamma' + n(\pi - \Gamma) + n'(\pi' - \Gamma') + \nu' B]$$

$$= + \Sigma Q_{\nu\nu'} (nn')_{ss'} \frac{1}{\nu + \nu'\mu + n\varsigma + n'\mu\varsigma'} \eta^s \eta'^{s'} \cos [(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma') v + \ldots];$$

man findet also die $S_{\nu\nu'} (nn')_{ss'}$ aus den $Q_{\nu\nu'} (nn')_{ss'}$ — mit Vernachlässigung der später zu berücksichtigenden Ergänzungsglieder — nach der Formel:

$$S_{\nu\nu'} (nn')_{ss'} = \frac{1}{l_{\nu\nu'} (nn')} Q_{\nu\nu'} (nn')_{ss'} \qquad (V'$$

wo wie früher $l_{\nu\nu'} (nn') = \nu + \nu'\mu + n\varsigma + n'\mu\varsigma'$ ist. Ueber die willkürliche Integrationsconstante, die wir nach unserer Bezeichnung $S_{00} (00)_{00}$ schreiben, soll später passend verfügt werden.

Die so gefundenen Ausdrücke von P und S sind nun in die Gleichung (3) für ϱ einzutragen. Da P und S durch cos-Reihen dargestellt sind, werden PS und S^2, nachdem man die Producte zweier cos zerlegt, auch nur cos-Glieder liefern. Da ferner

$$\varrho = (\varrho) + R = \eta \cos [(1 - \varsigma) v - \pi] + \Sigma J_{\nu\nu'} (nn')_{ss'} \eta^s \eta'^{s'} \cos [(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma') v + A],$$

wird $\frac{1}{1+S} \frac{dS}{dv} \frac{d\varrho}{dv}$ auch nur zu cos Veranlassung geben; zur Abkürzung wurde in den folgenden Formeln

$$K_{\nu\nu'} (nn')_{ss'} = J_{\nu\nu'} (nn')_{ss'} \cdot l_{\nu\nu'} (nn')$$

gesetzt, so dass:

$$\frac{d\varrho}{dv} = -(1 - \varsigma) \eta \sin [(1 - \varsigma) v - \pi] - \Sigma K_{\nu\nu'} (nn')_{ss'} \eta^s \eta'^{s'} \sin [(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma') v + A]$$

ist. Unterdrücken wir vorläufig das Glied $-\frac{s}{2} \frac{1}{1-\eta^2} \frac{d\eta^2}{dv} \frac{d\varrho}{dv}$, bringen wie früher das nur mit ξ multiplicirte Glied aus P: $B_{010} (n, -n) \xi$ nach links, so kann die Differentialgleichung für ϱ in der Form geschrieben werden:

$$\frac{d^2\varrho}{dv^2} + \varrho (1 - \beta) = \Sigma C_{\nu\nu'} (nn')_{ss'} \eta^s \eta'^{s'} \cos [(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma') v + n\Gamma + n'\Gamma' + n(\pi - \Gamma) + n'(\pi' - \Gamma') + \nu' B] \qquad (VI$$

In den später gegebenen Formeln für die Coefficienten $C_{\nu\nu'} (nn')_{ss'}$, die man erhält, wenn man die in Gleichung (3) vorgeschriebenen Operationen ausführt, die auftretenden Producte zerlegt, und die Coefficienten der betreffenden Argumente zusammenfasst, bin ich, wie schon bei P — für die Coefficienten der vier genannten Gruppen von Gliedern bis zur zweiten Potenz der Masse gegangen; in diesen Gliedern sind die Gruppen von Producten bis $n = 3$ oder 4 ausgeschrieben, können also leicht, falls man es für nothwendig hält, fortgesetzt werden. Es ist dies — bis auf das oben erwähnte Glied — die Gleichung für das vollständige ϱ, d. h. $\varrho = (\varrho) + R$, enthält also Glieder aller Formen, und wir müssen die elementären Glieder abtrennen, um die Gleichung für R zu erhalten. Die Integration dieser Gleichung für R geschieht, wie bei der ersten Näherung, durch Division mit den $\lambda_{\nu\nu'} (nn')$; wir schreiben also

$$R = \Sigma D_{\nu\nu'} (nn')_{ss'} \eta^s \eta'^{s'} \cos [(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma') v + n\Gamma + n'\Gamma' + n(\pi - \Gamma) + n'(\pi' - \Gamma') + \nu' B] \qquad (VII$$

und man findet die $D_{\nu\nu'} (nn')_{ss'}$ nach

$$D_{\nu\nu'} (nn')_{ss'} = \frac{1}{\lambda_{\nu\nu'} (nn')} \cdot C_{\nu\nu'} (nn')_{ss'} \qquad (VII'$$

Es sei wiederholt, dass R keine Glieder von der Form $(1 - \varsigma) v - \pi$ enthalten darf, die Coefficienten $C_{10} (-10)_{10}$, $C_{10} (0-1)_{01}$ etc. sind also zu unterdrücken, und werden erst bei der Bestimmung von (ϱ) benützt.

Die Zeitreduction.

Die Gleichung (5) liefert uns die Relation zwischen t und v; wir setzen nun die Länge des Planeten in seiner absoluten Bahn gleich der wahren Länge, also (v) = v, dürfen aber dann v nicht mit der wirklichen Zeit t berechnen, sondern führen die „reducirte Zeit“ ζ ein durch die Relation:[1])

$$\frac{\sqrt{\mu_1}}{a^{\frac{3}{2}}}\frac{d\zeta}{dv} = \frac{(1-\eta^2)^{\frac{3}{2}}}{[1+(\varrho)]^2};$$

wenn wir die Differenz zwischen der wahren und der reducirten Zeit mit:

$$t - \zeta = T + T_1$$

bezeichnen, und die mittlere Bewegung $n = \frac{\sqrt{\mu_1}}{a^{\frac{3}{2}}}$ setzen, erhalten wir für die „Zeitreduction“ $T + T_1$ die Gleichung:

$$n\frac{d(T+T_1)}{dv} = \left\{\frac{\left[1+\frac{R}{1+(\varrho)}\right]^2}{1+S} - 1\right\}\frac{(1-\eta^2)^{\frac{3}{2}}}{[1+(\varrho)]^2}.$$

Entwickelt man diesen Ausdruck, und geht bis zu Grössen dritter Ordnung, so folgt:

$$\begin{aligned} n\frac{d(T+T_1)}{dv} = {} & S - 2R - 2RS + 3R^2 - 4R^3 \\ & + \left\{6R - 2S - 12R^2 + 6RS\right\}\eta\cos\left\{(1-\varsigma)v - \pi\right\} \\ & - 3\eta^2 R + \left\{\tfrac{3}{2}S - 6R\right\}\eta^2\cos 2\left\{(1-\varsigma)v - \pi\right\} + \ldots \end{aligned}$$

Hier sind nun wieder die gefundenen Werthe von S und R einzuführen und die auftretenden Producte zu zerlegen; es wird in der Zeitreduction genügen, nur in den Gliedern, die durch die Integration vergrössert werden, Ausdrücke zweiter Ordnung mitzunehmen, es ist daher in den Formeln, in denen die Coefficienten obiger Entwicklung wieder in analoger Bezeichnung zusammengeschrieben sind, den langperiodischen Gliedern für beide Typen besondere Sorgfalt gewidmet. Man kann die rechte Seite also schreiben:

$$n\frac{d(T+T_1)}{dv} = \Sigma T_{\nu\nu'}(nn')_{ss'}\eta^s\eta'^{s'}\cos[(\nu+\nu'\mu+n\varsigma+n'\mu\varsigma')v + n\Gamma + n'\Gamma' + n(\pi-\Gamma) + n'(\pi'-\Gamma') + \nu' B] \quad \text{(VIII}$$

und findet die Ausdrücke für die $T_{\nu\nu'}(nn')_{ss'}$, wenn man alle in obiger Gleichung vorgeschriebenen Substitutionen ausführt, und die Coefficienten gleicher Argumente vereinigt.

Ergänzungsglieder.

Wir haben uns bei den bisherigen Integrationen Vernachlässigungen erlaubt, durch die eine Reihe von Gliedern zweiter Ordnung unberücksichtigt blieb, die wir — sofern sie von einer der vier Gruppen sind — in zweiter Näherung unbedingt in Rechnung ziehen müssen. Wir haben vorerst S aus Q einfach durch Integration: $S = -\int Q\,dv$ gebildet, während doch Gleichung (4) die strenge Relation liefert. Entwickelt man, mit den bereits gefundenen $Q_{\nu\nu'}(nn')_{ss'}$ und $S_{\nu\nu'}(nn')_{ss'}$ die rechte Seite der Gleichung (4) und vereinigt wie früher die Coefficienten der zusammengehörigen Glieder, so findet man für $-\frac{dS}{dv} = Q$ eine Reihe von Ergänzungsgliedern, die ich $\Sigma\Delta Q_{\nu\nu'}(nn')_{ss'}$ sin [Argum.] schreibe und die zu den Q zu addiren sind. Der Ausdruck $\frac{1}{2}\frac{1}{1-\eta^2}\frac{d\eta^2}{dv}$ giebt hiebei zu einer Anzahl von langperiodisch-elementären Gliedern Veranlassung, die ja in S von grösster Wichtigkeit sind. Die Ausdrücke für die $\Delta Q_{\nu\nu'}(nn')_{ss'}$ sind später

1) Die nähere Entwicklung findet sich bei M. Brendel, Om användningen etc. Seite 14 u. f.

entwickelt. Ferner steht in den Winkelargumenten überall noch $+\nu' B = \nu' \{A' - \mu A + n\mu(T + T_1) - n'(T' + T_1')\}$ welches wir bisher als constant betrachteten; führt man für $n\mu(T + T_1)$ die gefundene Reihe ein, so treten noch Glieder zweiter Ordnung auf, die ich mit $\delta Q_{\nu\nu'}(nn')_{ss'}$ bezeichnete, und die sich im Folgenden entwickelt finden. Schreibe ich also:

$$\delta S = -\int \delta Q \, dv, \quad \Delta S = -\int \Delta Q \, dv, \text{ oder in der angewandten Bezeichnung}$$

$$\delta S_{\nu\nu'}(nn')_{ss'} = \frac{1}{l_{\nu\nu'}(nn')} \cdot \delta Q_{\nu\nu'}(nn')_{ss'}; \quad \Delta S_{\nu\nu'}(nn')_{ss'} = \frac{1}{l_{\nu\nu'}(nn')} \cdot \Delta Q_{\nu\nu'}(nn')_{ss'}$$

so lautet die Gleichung für S:

$$S = \Sigma (S_{\nu\nu'}(nn')_{ss'} + \delta S_{\nu\nu'}(nn')_{ss'} + \Delta S_{\nu\nu'}(nn')_{ss'}) \eta^s \eta'^{s'} \cos[(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma')v + A]$$

Aus demselben Grund — dass im Winkelargument das variable $\nu' B$ steht — treten aber auch bei der Integration der Differentialgleichung für ϱ Ergänzungsglieder auf, die ich $\delta C_{\nu\nu'}(nn')_{ss'}$ bezeichne, und später aufgeführt habe; es lautet jetzt die Gleichung für ϱ, die durch Division mit den $\lambda_{\nu\nu'}(nn')$ zu integriren ist:

$$\frac{d^2\varrho}{dv^2} + \varrho(1-\beta) = \Sigma (C_{\nu\nu'}(nn')_{ss'} + \delta C_{\nu\nu'}(nn')_{ss'} + 2\delta S_{\nu\nu'}(nn')_{ss'} + 2\Delta S_{\nu\nu'}(nn')_{ss'}) \eta^s \eta'^{s'} \cos[(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma')v + A] \quad (VI'$$

Für R bekommen wir also die Gleichung:

$$R = \Sigma \frac{1}{\lambda_{\nu\nu'}(nn')} (C_{\nu\nu'}(nn')_{ss'} + \delta C_{\nu\nu'}(nn')_{ss'} + 2\delta S_{\nu\nu'}(nn')_{ss'} + 2\Delta S_{\nu\nu'}(nn')_{ss'}) \eta^s \eta'^{s'} \cos[(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma')v + A]$$

wo alle Glieder der Form B wegzulassen sind.

Die Gleichung für (ϱ) in zweiter Näherung.

Wir haben auf Seite 6 eine erste Näherung von (ϱ) gemacht, und kommen nun dazu, die vollständige Gleichung für (ϱ), also mit Gliedern dritten Grades und zweiter Ordnung der Masse aufzustellen. Da wir in den Formeln jedoch die Coefficienten der Gleichung für ϱ gegeben haben, so besteht unsere Arbeit nur darin, die Glieder der Form B nach (ϱ) zu schreiben; dann haben wir noch die ebenfalls bereits entwickelten Ergänzungsglieder der Form B hinzuzufügen, sowie das früher vernachlässigte Glied $-\frac{3}{2}\frac{1}{1-\eta^2}\frac{d\eta^2}{dv}\frac{d\varrho}{dv}$, und erhalten die vollständige Gleichung für (ϱ), die ich abgekürzt folgendermassen schreibe:

$$\begin{aligned}
\frac{d^2(\varrho)}{dv^2} + (\varrho)(1-\beta) = {} & a_1 \eta' \cos[(1-\mu\varsigma')v - \pi'] \\
& + a_2 \eta^2 \eta' \cos[(1-\mu\varsigma')v - \pi'] \\
& + a_3 \eta'^3 \cos[(1-\mu\varsigma')v - \pi'] \\
& + a_4 \eta^3 \cos[(1-\varsigma)v - \pi] \\
& + a_5 \eta \eta'^2 \cos[(1-\varsigma)v - \pi] \\
& + a_6 \eta^2 \eta' \cos[(1-2\varsigma+\mu\varsigma')v - 2\pi + \pi'] \\
& + a_7 \eta \eta'^2 \cos[(1+\varsigma-2\mu\varsigma')v + \pi - 2\pi'] \\
& - \tfrac{3}{2}\frac{1}{1-\eta^2}\frac{d\eta^2}{dv}\frac{d\varrho}{dv}
\end{aligned}$$

wobei

$$\begin{aligned}
\beta &= C_{10}(-10)_{10} + \delta C_{10}(-10)_{10} + 2\delta S_{10}(-10)_{10} + 2\Delta S_{10}(-10)_{10} \\
a_1 &= C_{10}(0-1)_{01} + \delta C_{10}(0-1)_{01} + 2\delta S_{10}(0-1)_{01} + 2\Delta S_{10}(0-1)_{01} \\
a_2 &= C_{10}(0-1)_{21} \\
a_3 &= C_{10}(0-1)_{03}
\end{aligned}$$

$$a_4 = C_{10}\,(-10)_{30}$$

$$a_5 = C_{10}\,(-10)_{12}$$

$$a_6 = C_{10}\,(-21)_{21}$$

$$a_7 = C_{10}\,(1-2)_{12}$$

Bei der Integration darf man nicht wie bei der Integration der Gleichung für R die η und η' als constant ansehen, sondern man muss berücksichtigen, dass η und η' langperiodische Funktionen sind, die wir auf Seite 6 definirten. Die obigen cos sind also zu zerlegen, und die $\varkappa_0$, $\varkappa_1$, . . ., $\varkappa'$, $\varkappa_1'$ . . . einzuführen. Für die $\varkappa_0$, $\varkappa_1$, . . . haben wir durch die erste Integration von (ϱ) Näherungswerthe, die $\varkappa'$, $\varkappa_1'$ . . . sind aus der Theorie der grossen Planeten bekannt. Setzt man zur Abkürzung:

$$\beta_1 = \varkappa_0^2 + \varkappa_1^2 + \varkappa_2^2 + \varkappa_3^2 \qquad \beta_1' = \varkappa'^2 + \varkappa_1'^2 + \varkappa_2'^2$$

$$\beta_2 = \varkappa_0\varkappa_1 \quad \beta_5 = \varkappa_1\varkappa_2 \quad \gamma_1 = \tfrac{1}{2}\varkappa_1^2 \qquad \beta_2' = \varkappa'\varkappa_1'$$

$$\beta_3 = \varkappa_0\varkappa_2 \quad \beta_6 = \varkappa_1\varkappa_3 \quad \gamma_2 = \tfrac{1}{2}\varkappa_2^2 \qquad \beta_3' = \varkappa'\varkappa_2' \qquad \gamma_1' = \tfrac{1}{2}\varkappa_1'^2$$

$$\beta_4 = \varkappa_0\varkappa_3 \quad \beta_7 = \varkappa_2\varkappa_3 \quad \gamma_3 = \tfrac{1}{2}\varkappa_3^2 \qquad \beta_4' = \varkappa_1'\varkappa_2' \qquad \gamma_2' = \tfrac{1}{2}\varkappa_2'^2$$

führt in die Ausdrücke rechts die $\eta\cos(\pi - \Gamma) = \varkappa_0 + \varkappa_1\cos[(\varsigma - \mu\varsigma')\,\mathrm{v} + \Gamma - \Gamma'] + \ldots$ etc. ein, entwickelt $-\frac{3}{2}\frac{1}{1-\eta^2}\frac{\mathrm{d}\eta^2}{\mathrm{d}\,\mathrm{v}}\frac{\mathrm{d}\varrho}{\mathrm{d}\,\mathrm{v}}$ in derselben Weise und vereinigt die Coefficienten, so lautet die Gleichung für (ϱ) folgendermassen:

$$\frac{\mathrm{d}^2(\varrho)}{\mathrm{d}\,\mathrm{v}^2} + (\varrho)\,(1-\beta) = \cos[(1-\varsigma)\,\mathrm{v} - \Gamma]\,\{a_2\,(\beta_2\,\varkappa' + \beta_3\,\varkappa_1' + \beta_4\,\varkappa_2') + a_4\,(\beta_1\,\varkappa_0 + \beta_2\,\varkappa_1 + \beta_3\,\varkappa_2 + \beta_4\,\varkappa_3) + a_5\,\beta_1'\,\varkappa_0$$
$$+ 2\,a_6\,(\beta_2\,\varkappa' + \beta_3\,\varkappa_1' + \beta_4\,\varkappa_2') - \tfrac{3}{2}\varkappa_0\,[\varkappa_1^2\,(\varsigma - \mu\varsigma') + \varkappa_2^2\,(\varsigma - \mu\sigma_1') + \varkappa_3^2\,(\varsigma - \mu\sigma_2')]\}$$

$$+ \cos[(1-\mu\varsigma')\,\mathrm{v} - \Gamma']\,\{a_1\,\varkappa' + a_2\,(\beta_1\,\varkappa' + \beta_5\,\varkappa_1' + \beta_6\,\varkappa_2') + a_3\,(\beta_1'\varkappa' + \beta_2'\varkappa_1' + \beta_3'\varkappa_2') + a_4\,(\beta_1\varkappa_1 + \beta_2\varkappa_0 + \beta_5\varkappa_2 + \beta_6\varkappa_3)$$
$$+ a_5\,(\beta_1'\,\varkappa_1 + \beta_2'\,\varkappa_2 + \beta_3'\,\varkappa_3) + 2\,a_6\,(\beta_5\,\varkappa_1' + \beta_6\,\varkappa_2' + \tfrac{1}{2}\,\gamma_1\,\varkappa') + 2\,a_7\,(\beta_2'\,\varkappa_2 + \beta_3'\,\varkappa_3 + \tfrac{1}{2}\,\beta_1'\,\varkappa_1)$$
$$+ \tfrac{3}{2}\,\varkappa_1\,[\varkappa_0^2\,(\varsigma - \mu\varsigma') - \varkappa_2^2\,(\mu\varsigma' - \mu\sigma_1') - \varkappa_3^2\,(\mu\varsigma' - \mu\sigma_2')]\}$$

$$+ \cos[(1-\mu\sigma_1')\,\mathrm{v} - \Gamma'']\,\{a_1\varkappa_1' + a_2\,(\beta_1\varkappa_1' + \beta_5\varkappa' + \beta_7\varkappa_2') + a_3\,(\beta_1'\varkappa_1' + \beta_2'\varkappa' + \beta_4'\varkappa_2') + a_4\,(\beta_1\varkappa_2 + \beta_3\varkappa_0 + \beta_5\varkappa_1 + \beta_7\varkappa_3)$$
$$+ a_5\,(\beta_1'\,\varkappa_2 + \beta_2'\,\varkappa_1 + \beta_4'\,\varkappa_3) + 2\,a_6\,(\beta_5\,\varkappa' + \beta_7\,\varkappa_2' + \tfrac{1}{2}\,\gamma_2\,\varkappa_1') + 2\,a_7\,(\beta_2'\,\varkappa_1 + \beta_4'\,\varkappa_3 + \tfrac{1}{2}\,\gamma_1'\,\varkappa_2)$$
$$+ \tfrac{3}{2}\,\varkappa_2\,[\varkappa_0^2\,(\varsigma - \mu\sigma_1') + \varkappa_1^2\,(\mu\varsigma' - \mu\sigma_1') - \varkappa_3^2\,(\mu\sigma_1' - \mu\sigma_2')]\}$$

$$+ \cos[(1-\mu\sigma_2')\,\mathrm{v} - \Gamma''']\,\{a_1\varkappa_2' + a_2\,(\beta_1\varkappa_2' + \beta_6\varkappa' + \beta_7\varkappa_1') + a_3\,(\beta_1'\varkappa_2' + \beta_3'\varkappa' + \beta_4'\varkappa_1') + a_4\,(\beta_1\varkappa_3 + \beta_4\varkappa_0 + \beta_6\varkappa_1 + \beta_7\varkappa_2)$$
$$+ a_5\,(\beta_1'\,\varkappa_3 + \beta_3'\,\varkappa_1 + \beta_4'\,\varkappa_2) + 2\,a_6\,(\beta_6\,\varkappa' + \beta_7\,\varkappa_1' + \tfrac{1}{2}\,\gamma_3\,\varkappa_2') + 2\,a_7\,(\beta_3'\,\varkappa_1 + \beta_4'\,\varkappa_2 + \tfrac{1}{2}\,\gamma_2'\,\varkappa_3)$$
$$+ \tfrac{3}{2}\,\varkappa_3\,[\varkappa_0^2\,(\varsigma - \mu\sigma_2') + \varkappa_1^2\,(\mu\varsigma' - \mu\sigma_2') + \varkappa_2^2\,(\mu\sigma_1' - \mu\sigma_2')]\}$$

$$+ \cos[(1-2\,\varsigma + \mu\varsigma')\,\mathrm{v} - 2\,\Gamma + \Gamma']\,\{a_4\,\beta_2\,\varkappa_0 + a_6\,\beta_1\,\varkappa' - \tfrac{3}{2}\,\varkappa_0^2\,\varkappa_1\,(\varsigma - \mu\varsigma')\}$$
$$+ \cos[(1-2\,\varsigma + \mu\sigma_1')\,\mathrm{v} - 2\,\Gamma + \Gamma'']\,\{a_4\,\beta_3\,\varkappa_0 + a_6\,\beta_1\,\varkappa_1' - \tfrac{3}{2}\,\varkappa_0^2\,\varkappa_2\,(\varsigma - \mu\sigma_1')\}$$
$$+ \cos[(1-2\,\varsigma + \mu\sigma_2')\,\mathrm{v} - 2\,\Gamma + \Gamma''']\,\{a_4\,\beta_4\,\varkappa_0 + a_6\,\beta_1\,\varkappa_2' - \tfrac{3}{2}\,\varkappa_0^2\,\varkappa_3\,(\varsigma - \mu\sigma_2')\}$$
$$+ \cos[(1-\varsigma + \mu\varsigma' - \mu\sigma_1')\,\mathrm{v} - \Gamma + \Gamma' - \Gamma'']\,\{a_2\,\beta_2\,\varkappa_1' + a_4\,(\beta_5\,\varkappa_0 + \beta_2\,\varkappa_2) + a_5\,\beta_2'\,\varkappa_0 + 2\,a_6\,\beta_3\,\varkappa' - \tfrac{3}{2}\,\varkappa_0\,\varkappa_1\,\varkappa_2\,(\varsigma - 2\,\mu\varsigma' + \mu\sigma_1')\}$$
$$+ \cos[(1-\varsigma - \mu\varsigma' + \mu\sigma_1')\,\mathrm{v} - \Gamma - \Gamma' + \Gamma'']\,\{a_2\,\beta_3\,\varkappa' + a_4\,(\beta_5\,\varkappa_0 + \beta_3\,\varkappa_1) + a_5\,\beta_2'\,\varkappa_0 + 2\,a_6\,\beta_2\,\varkappa_1' - \tfrac{3}{2}\,\varkappa_0\,\varkappa_1\,\varkappa_2\,(\varsigma + \mu\varsigma' - 2\,\mu\sigma_1')\}$$
$$+ \cos[(1-\varsigma + \mu\varsigma' - \mu\sigma_2')\,\mathrm{v} - \Gamma + \Gamma' - \Gamma''']\,\{a_2\,\beta_2\,\varkappa_2' + a_4\,(\beta_2\,\varkappa_3 + \beta_6\,\varkappa_0) + a_5\,\beta_3'\,\varkappa_0 + 2\,a_6\,\beta_4\,\varkappa' - \tfrac{3}{2}\,\varkappa_0\,\varkappa_1\,\varkappa_3\,(\varsigma - 2\,\mu\varsigma' + \mu\sigma_2')\}$$
$$+ \cos[(1-\varsigma - \mu\varsigma' + \mu\sigma_2')\,\mathrm{v} - \Gamma - \Gamma' + \Gamma''']\,\{a_2\,\beta_4\,\varkappa' + a_4\,(\beta_4\,\varkappa_1 + \beta_6\,\varkappa_0) + a_5\,\beta_3'\,\varkappa_0 + 2\,a_6\,\beta_2\,\varkappa_2' - \tfrac{3}{2}\,\varkappa_0\,\varkappa_1\,\varkappa_3\,(\varsigma + \mu\varsigma' - 2\,\mu\sigma_2')\}$$
$$+ \cos[(1-\varsigma + \mu\sigma_1' - \mu\sigma_2')\,\mathrm{v} - \Gamma + \Gamma'' - \Gamma''']\,\{a_2\beta_3\varkappa_2' + a_4(\beta_3\varkappa_3 + \beta_7\varkappa_0) + a_5\beta_4'\varkappa_0 + 2\,a_6\beta_4\varkappa_1' - \tfrac{3}{2}\varkappa_0\varkappa_2\varkappa_3\,(\varsigma - 2\,\mu\sigma_1' + \mu\sigma_2')\}$$
$$+ \cos[(1-\varsigma - \mu\sigma_1' + \mu\sigma_2')\,\mathrm{v} - \Gamma - \Gamma'' + \Gamma''']\,\{a_2\beta_4\varkappa_1' + a_4(\beta_4\varkappa_2 + \beta_7\varkappa_0) + a_5\beta_4'\varkappa_0 + 2\,a_6\beta_3\varkappa_2' - \tfrac{3}{2}\varkappa_0\varkappa_2\varkappa_3\,(\varsigma + \mu\sigma_1' - 2\,\mu\sigma_2')\}$$
$$+ \cos[(1+\varsigma - 2\,\mu\varsigma')\,\mathrm{v} + \Gamma - 2\,\Gamma']\,\{a_2\beta_2\varkappa' + a_4\beta_2\varkappa_1 + a_7\beta_1'\varkappa_0 + \tfrac{3}{2}\varkappa_0\,\varkappa_1^2\,(\varsigma - \mu\varsigma')\}$$
$$+ \cos[(1+\varsigma - \mu\varsigma' - \mu\sigma_1')\,\mathrm{v} + \Gamma - \Gamma' - \Gamma'']\,\{a_2\,(\beta_2\,\varkappa_1' + \beta_3\,\varkappa') + 2\,a_4\,\beta_2\,\varkappa_2 + 2\,a_7\,\beta_2'\,\varkappa_0 + \tfrac{3}{2}\,\varkappa_0\,\varkappa_1\,\varkappa_2\,(2\,\varsigma - \mu\varsigma' - \mu\sigma_1')\}$$
$$+ \cos[(1+\varsigma - \mu\varsigma' - \mu\sigma_2')\,\mathrm{v} + \Gamma - \Gamma' - \Gamma''']\,\{a_2\,(\beta_2\,\varkappa_2' + \beta_4\,\varkappa') + 2\,a_4\,\beta_2\,\varkappa_3 + 2\,a_7\,\beta_3'\,\varkappa_0 + \tfrac{3}{2}\,\varkappa_0\,\varkappa_1\,\varkappa_3\,(2\,\varsigma - \mu\varsigma' - \mu\sigma_2')\}$$
$$+ \cos[(1+\varsigma - 2\,\mu\sigma_1')\,\mathrm{v} + \Gamma - 2\,\Gamma'']\,\{a_2\beta_3\varkappa_1' + a_4\beta_3\varkappa_2 + a_7\gamma_1'\varkappa_0 + \tfrac{3}{2}\,\varkappa_0\,\varkappa_2^2\,(\varsigma - \mu\sigma_1')\}$$
$$+ \cos[(1+\varsigma - \mu\sigma_1' - \mu\sigma_2')\,\mathrm{v} + \Gamma - \Gamma'' - \Gamma''']\,\{a_2\,(\beta_3\,\varkappa_2' + \beta_4\,\varkappa_1') + 2\,a_4\,\beta_3\,\varkappa_3 + 2\,a_7\,\beta_4'\,\varkappa_0 + \tfrac{3}{2}\,\varkappa_0\,\varkappa_2\,\varkappa_3\,(2\,\varsigma - \mu\sigma_1' - \mu\sigma_2')\}$$
$$+ \cos[(1+\varsigma - 2\,\mu\sigma_2')\,\mathrm{v} + \Gamma - 2\,\Gamma''']\,\{a_2\beta_4\varkappa_2' + a_4\beta_4\varkappa_3 + a_7\gamma_2'\varkappa_0 + \tfrac{3}{2}\,\varkappa_0\,\varkappa_3^2\,(\varsigma - \mu\sigma_2')\}$$

$$+\cos[(1-2\mu\varsigma'+\mu\sigma_1')\,v-2\Gamma+\Gamma'']\{a_2\beta_5\varkappa'+a_3\beta_2'\varkappa'+a_4\beta_5\varkappa_1+a_5\beta_2'\varkappa_1+a_6\gamma_1\varkappa_1'+a_7\beta_1'\varkappa_2-\tfrac{3}{2}\varkappa_1^2\varkappa_2(\mu\varsigma'-\mu\sigma_1')\}$$
$$+\cos[(1-2\mu\varsigma'+\mu\sigma_2')\,v-2\Gamma+\Gamma'''']\{a_2\beta_6\varkappa'+a_3\beta_3'\varkappa'+a_4\beta_6\varkappa_1+a_5\beta_3'\varkappa_1+a_6\gamma_1\varkappa_2'+a_7\beta_1'\varkappa_3-\tfrac{3}{2}\varkappa_1^2\varkappa_3(\mu\varsigma'-\mu\sigma_2')\}$$
$$+\cos[(1-\mu\varsigma'+\mu\sigma_1'-\mu\sigma_2')\,v-\Gamma+\Gamma''-\Gamma'''']\{a_2(\beta_5\varkappa_2'+\beta_7\varkappa')+2a_3\beta_4'\varkappa'+2a_4\beta_5\varkappa_3+a_5(\beta_4'\varkappa_1+\beta_2'\varkappa_3)$$
$$+2a_6\beta_6\varkappa_1'+2a_7\beta_3'\varkappa_2-\tfrac{3}{2}\varkappa_1\varkappa_2\varkappa_3(\mu\varsigma'-2\mu\sigma_1'+\mu\sigma_2')\}$$
$$+\cos[(1-\mu\varsigma'-\mu\sigma_1'+\mu\sigma_2')\,v-\Gamma'-\Gamma''+\Gamma''']\{a_2(\beta_6\varkappa_1'+\beta_7\varkappa')+2a_3\beta_4'\varkappa'+2a_4\beta_6\varkappa_2+a_5(\beta_4'\varkappa_1+\beta_3'\varkappa_2)$$
$$+2a_6\beta_5\varkappa_2'+2a_7\beta_2'\varkappa_3-\tfrac{3}{2}\varkappa_1\varkappa_2\varkappa_3(\mu\varsigma'+\mu\sigma_1'-2\mu\sigma_2')\}$$
$$+\cos[(1+\mu\varsigma'-2\mu\sigma_1')\,v+\Gamma'-2\Gamma'']\{a_2\beta_5\varkappa_1'+a_3\beta_2'\varkappa_1'+a_4\beta_5\varkappa_2+a_5\beta_2'\varkappa_2+a_6\gamma_2\varkappa'+a_7\gamma_1'\varkappa_1+\tfrac{3}{2}\varkappa_1\varkappa_2^2(\mu\varsigma'-\mu\sigma_1')\}$$
$$+\cos[(1+\mu\varsigma'-\mu\sigma_1'-\mu\sigma_2')\,v+\Gamma'-\Gamma''-\Gamma''']\{a_2(\beta_5\varkappa_2'+\beta_6\varkappa_1')+2a_3\beta_2'\varkappa_2'+2a_4\beta_5\varkappa_3+a_5(\beta_2'\varkappa_3+\beta_3'\varkappa_2)$$
$$+2a_6\beta_7\varkappa'+2a_7\beta_4'\varkappa_1+\tfrac{3}{2}(2\mu\varsigma'-\mu\sigma_1'-\mu\sigma_2')\}$$
$$+\cos[(1+\mu\varsigma'-2\mu\sigma_2')\,v+\Gamma'-2\Gamma''']\{a_2\beta_6\varkappa_2'+a_3\beta_3'\varkappa_2'+a_4\beta_6\varkappa_3+a_5\beta_3'\varkappa_3+a_6\gamma_3\varkappa'+a_7\gamma_2'\varkappa_1+\tfrac{3}{2}\varkappa_1\varkappa_3^2(\mu\varsigma'-\mu\sigma_2')\}$$
$$+\cos[(1+\mu\sigma_1'-2\mu\sigma_2')\,v+\Gamma''-2\Gamma''']\{a_2\beta_7\varkappa_2'+a_3\beta_4'\varkappa_2'+a_4\beta_7\varkappa_3+a_5\beta_4'\varkappa_3+a_6\gamma_3\varkappa_1'+a_7\gamma_2'\varkappa_2+\tfrac{3}{2}\varkappa_2\varkappa_3^2(\mu\sigma_1'-\mu\sigma_2')\}$$
$$+\cos[(1-2\mu\sigma_1'+\mu\sigma_2')\,v-2\Gamma''+\Gamma''']\{a_2\beta_7\varkappa_1'+a_3\beta_4'\varkappa_1'+a_4\beta_7\varkappa_2+a_5\beta_4'\varkappa_2+a_6\gamma_2\varkappa_2'+a_7\gamma_1'\varkappa_3-\tfrac{3}{2}\varkappa_2^2\varkappa_3(\mu\sigma_1'-\mu\sigma_2')\}$$

$$+\cos[(1-4\varsigma+3\mu\varsigma')\,v-4\Gamma+3\Gamma']\{-a_6\gamma_1\varkappa'\}$$
$$+\cos[(1-4\varsigma+2\mu\varsigma'+\mu\sigma_1')\,v-4\Gamma+2\Gamma'+\Gamma'']\{-a_6\gamma_1\varkappa_1'\}$$
$$+\cos[(1-4\varsigma+2\mu\varsigma'+\mu\sigma_2')\,v-4\Gamma+2\Gamma'+\Gamma''']\{-a_6\gamma_1\varkappa_2'\}$$
$$+\cos[(1-4\varsigma+\mu\varsigma'+2\mu\sigma_1')\,v-4\Gamma+\Gamma'+2\Gamma'']\{-a_6\gamma_2\varkappa'\}$$
$$+\cos[(1-4\varsigma+\mu\varsigma'+2\mu\sigma_2')\,v-4\Gamma+\Gamma'+2\Gamma''']\{-a_6\gamma_3\varkappa'\}$$
$$+\cos[(1-4\varsigma+3\mu\sigma_1')\,v-4\Gamma+3\Gamma'']\{-a_6\gamma_2\varkappa_1'\}$$
$$+\cos[(1-4\varsigma+2\mu\sigma_1'+\mu\sigma_2')\,v-4\Gamma+2\Gamma''+\Gamma''']\{-a_6\gamma_2\varkappa_2'\}$$
$$+\cos[(1-4\varsigma+\mu\sigma_1'+2\mu\sigma_2')\,v-4\Gamma+\Gamma''+2\Gamma''']\{-a_6\gamma_3\varkappa_1'\}$$
$$+\cos[(1-4\varsigma+3\mu\sigma_2')\,v-4\Gamma+3\Gamma''']\{-a_6\gamma_3\varkappa_2'\}$$

$$+\cos[(1+\varsigma-4\mu\varsigma'+2\mu\sigma_1')\,v+\Gamma-4\Gamma'+2\Gamma'']\{-a_7\gamma_1'\varkappa_0\}$$
$$+\cos[(1+\varsigma-4\mu\varsigma'+2\mu\sigma_2')\,v+\Gamma-4\Gamma'+2\Gamma''']\{-a_7\gamma_2'\varkappa_0\}$$
$$+\cos[(1-3\mu\varsigma'+2\mu\sigma_1')\,v-3\Gamma'+2\Gamma'']\{-a_7\gamma_1'\varkappa_1\}$$
$$+\cos[(1-3\mu\varsigma'+2\mu\sigma_2')\,v-3\Gamma'+2\Gamma''']\{-a_7\gamma_2'\varkappa_1\}$$
$$+\cos[(1-4\mu\varsigma'+3\mu\sigma_1')\,v-4\Gamma'+3\Gamma'']\{-a_7\gamma_1'\varkappa_2\}$$
$$+\cos[(1-4\mu\varsigma'+2\mu\sigma_1'+\mu\sigma_2')\,v-4\Gamma'+2\Gamma''+\Gamma''']\{-a_7\gamma_1'\varkappa_3\}$$
$$+\cos[(1-4\mu\varsigma'+\mu\sigma_1'+2\mu\sigma_2')\,v-4\Gamma'+\Gamma''+2\Gamma''']\{-a_7\gamma_2'\varkappa_2\}$$
$$+\cos[(1-4\mu\varsigma'+3\mu\sigma_2')\,v-4\Gamma'+3\Gamma''']\{-a_7\gamma_2'\varkappa_3\}$$

Zur Controlle kann man die Summe aller Coefficienten, ohne Rücksicht auf die cos, bilden, und es muss sein:

$$\Sigma\{-\}=a_1(\varkappa'+\varkappa_1'+\varkappa_2')+a_2(\varkappa_0+\varkappa_1+\varkappa_2+\varkappa_3)^2(\varkappa'+\varkappa_1'+\varkappa_2')+a_3(\varkappa'+\varkappa_1'+\varkappa_2')^3+a_4(\varkappa_0+\varkappa_1+\varkappa_2+\varkappa_3)^3$$
$$+a_5(\varkappa_0+\varkappa_1+\varkappa_2+\varkappa_3)(\varkappa'+\varkappa_1'+\varkappa_2')^2+a_6(\varkappa_0+\varkappa_1+\varkappa_2+\varkappa_3)^2(\varkappa'+\varkappa_1'+\varkappa_2')+a_7(\varkappa_0+\varkappa_1+\varkappa_2+\varkappa_3)(\varkappa'+\varkappa_1'+\varkappa_2')^2$$

Wir hatten für Q eine sinus-Reihe (IV) gefunden, und dann nach Gleichung (V') S gebildet; diese Integrationsmethode, die η und η' als constant ansieht, ist bei dem langperiodisch-elementären Glied $Q_{00}(1-1)_{11}\,\eta\eta'\sin[(\varsigma-\mu\varsigma')\,v+\pi-\pi']$ nicht statthaft, vielmehr muss der Werth von η und η' als langperiodische Funktion hierin eingesetzt werden, und eine Zerlegung der Producte ähnlich wie bei (ϱ) vorgenommen werden; schreiben wir also zur Abkürzung:

$$Q_{00}(1-1)_{11}+\delta Q_{00}(1-1)_{11}+\Delta Q_{00}(1-1)_{11}=b$$

so lautet dies Glied nach seiner Zerlegung:

$$\begin{aligned}b\,\eta\eta'\sin[(\varsigma-\mu\varsigma')\,v+\pi-\pi'] &= b\varkappa_0\varkappa'\sin[(\varsigma-\mu\varsigma')\,v+\Gamma-\Gamma']\\ &+b\varkappa_0\varkappa_1'\sin[(\varsigma-\mu\sigma_1')\,v+\Gamma-\Gamma'']\\ &+b\varkappa_0\varkappa_2'\sin[(\varsigma-\mu\sigma_2')\,v+\Gamma-\Gamma''']\\ &+b(\varkappa_1\varkappa_1'-\varkappa_2\varkappa')\sin[(\mu\varsigma'-\mu\sigma_1')\,v+\Gamma'-\Gamma'']\\ &+b(\varkappa_1\varkappa_2'-\varkappa_3\varkappa')\sin[(\mu\varsigma'-\mu\sigma_2')\,v+\Gamma'-\Gamma''']\\ &+b(\varkappa_2\varkappa_2'-\varkappa_3\varkappa_1')\sin[(\mu\sigma_1'-\mu\sigma_2')\,v+\Gamma''-\Gamma''']\end{aligned}$$

schreiben wir also den Coefficienten von $\sin[(n\varsigma+n'\mu\varsigma'+m\mu\sigma_1'+m'\mu\sigma_2')\,v+n\Gamma+n'\Gamma'+m\Gamma''+m'\Gamma''']$ symbolisch $Q_{00}(nn'\,mm')$, so lautet die Gleichung (V) für S nach der Zerlegung:

$$S=\Sigma(S_{\nu\nu'}(nn')_{ss'}+\ldots)\,\eta^s\eta'^{s'}\cos[(\nu+\nu'\mu+n\varsigma+n'\mu\varsigma')\,v+A]+\Sigma S_{00}(nn'\,mm')\cos[(n\varsigma+n'\mu\varsigma'+m\mu\sigma_1'+m'\mu\sigma_2')\,v+n\Gamma+n'\Gamma'+m\Gamma''+m'\Gamma''']$$

wo

$$S_{00}(nn'\,mm')=\frac{Q_{00}(nn'\,mm')}{n\varsigma+n'\mu\varsigma'+m\mu\sigma_1'+m\mu\sigma_2'}$$

und die Gleichung (VI') für R:

$$\frac{d^2R}{dv^2} + R(1-\beta) = \Sigma(C_{\nu\nu'}(nn')_{ss'} + \ldots)\,\eta^s\eta'^{s'}\cos[(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma')\,v + A] + \Sigma\,2\,S_{00}(nn'\,mm')\cos[(n\varsigma + n'\mu\varsigma' + \\ + m\mu\sigma_1' + m'\mu\sigma_2')\,v + n\Gamma + n'\Gamma' + m\Gamma'' + m'\Gamma''']$$

Dieselbe Operation muss mit dem langperiodischen Glied in der Zeitreduction vor deren Integration vorgenommen werden; in den Formeln für die T, die ja nach Potenzen von η und η' geordnet sind, ist also das langperiodische Glied $S_{00}(1—1)_{11}$, das wir soeben zerlegt haben, nicht aufgenommen — es wird also jetzt erst angebracht; das Glied

$$T_{00}(1—1)_{11}\,\eta\eta'\cos[(\varsigma—\mu\varsigma')\,v + \pi—\pi']$$

zerlegen wir analog, ebenso die nur η^2 und η'^2 enthaltenden Glieder, und schreiben abkürzend:

$$T_{00}(00)_{20} = c_0 \qquad T_{00}(00)_{02} = c' \qquad T_{00}(1—1)_{11} = c_1$$

dann lautet das Resultat der Zerlegung:

$$c\eta^2 + c'\eta'^2 + c_1\eta\eta'\cos[(\varsigma—\mu\varsigma')\,v + \pi—\pi'] = c\beta_1 + c'\beta_1' + c_1(\varkappa_1\varkappa' + \varkappa_2\varkappa_1' + \varkappa_3\varkappa_2') \\ + \{2c\beta_2 + c_1\varkappa_0\varkappa'\}\cos[(\varsigma—\mu\varsigma')\,v + \Gamma—\Gamma'] \\ + \{2c\beta_3 + c_1\varkappa_0\varkappa_1'\}\cos[(\varsigma—\mu\sigma_1')\,v + \Gamma—\Gamma''] \\ + \{2c\beta_4 + c_1\varkappa_0\varkappa_2'\}\cos[(\varsigma—\mu\sigma_2')\,v + \Gamma—\Gamma'''] \\ + \{2c\beta_5 + 2c'\beta_2' + c_1(\varkappa_1\varkappa_1' + \varkappa_2\varkappa')\}\cos[(\mu\varsigma'—\mu\sigma_1')\,v + \Gamma'—\Gamma''] \\ + \{2c\beta_6 + 2c'\beta_3' + c_1(\varkappa_1\varkappa_2' + \varkappa_3\varkappa')\}\cos[(\mu\varsigma'—\mu\sigma_2')\,v + \Gamma'—\Gamma'''] \\ + \{2c\beta_7 + 2c'\beta_4' + c_1(\varkappa_2\varkappa_2' + \varkappa_3\varkappa_1')\}\cos[(\mu\sigma_1'—\mu\sigma_2')\,v + \Gamma''—\Gamma''']$$

Bezeichnen wir wieder hierin den Coefficienten von $\cos[(n\varsigma+n'\mu\varsigma'+m\mu\sigma_1'+m'\mu\sigma_2')v+n\Gamma+n'\Gamma'+m\Gamma''+m'\Gamma''']$ mit $T_{00}(nn'\,mm')$, so lautet die Gleichung für die Zeitreduction, wenn wir das zerlegte Glied $S_{00}(1—1)_{11}$ aufnehmen und alles vereinigen:

$$\frac{d(T+T_1)}{dv} = T_{00}(00)_{00} + c\beta_1 + c'\beta_1' + c_1(\varkappa_1\varkappa' + \varkappa_2\varkappa_1' + \varkappa_3\varkappa_2') \\ + \Sigma\,T_{\nu\nu'}(nn')_{ss'}\,\eta^s\eta'^{s'}\cos[(\nu + \nu'\mu + n\varsigma + n'\mu\varsigma')\,v + A] \\ + \Sigma\left\{T_{00}(nn'mm') + S_{00}(nn'mm') - 2\,S_{00}(nn'mm')\,\frac{1}{\lambda_{00}(nn'\,mm')}\right\}\cdot \\ \cdot\cos[(n\varsigma + n'\mu\varsigma' + m\mu\sigma_1' + m'\mu\sigma_2')\,v + n\Gamma + n'\Gamma' + m\Gamma'' + m'\Gamma''']$$

Die willkürliche Integrationsconstante $S_{00}(00)_{00}$ bestimmen wir jetzt so, dass der constante Theil in $\frac{d(T+T_1)}{dv}$ null wird.

Argument	Exc.	Coefficient
—	—	$H_{00}(00)_{00} = -B_{000}(n, -n)$
$1—\mu$	—	$H_{1-1}(00)_{00} = -B_{100}(n, -n) + \frac{2}{l_{1-1}(00)}A_{100}(n, -n)$
$2—2\mu$	—	$H_{2-2}(00)_{00} = -B_{200}(n, -n) + \frac{2}{l_{2-2}(00)}A_{200}(n, -n)$
$3—3\mu$	—	$H_{3-3}(00)_{00} = -B_{300}(n, -n) + \frac{2}{l_{3-3}(00)}A_{300}(n, -n)$
$4—4\mu$	—	$H_{4-4}(00)_{00} = -B_{400}(n, -n) + \frac{2}{l_{4-4}(00)}A_{400}(n, -n)$
$5—5\mu$	—	$H_{5-5}(00)_{00} = -B_{500}(n, -n) + \frac{2}{l_{5-5}(00)}A_{500}(n, -n)$
		u. s. w.

Argument	Exc.	Coefficient
$1-\varsigma$	η	$H_{10}(-10)_{10} = -B_{010}(n+1,-n) - B_{010}(n-1,-n)$
$2-\mu-\varsigma$	η	$H_{2-1}(-10)_{10} = -B_{110}(n+1,-n) + \frac{2}{l_{2-1}(-10)} A_{110}(n+1,-n) - \frac{1}{2} A_{100}(n,-n)$
$3-2\mu-\varsigma$	η	$H_{3-2}(-10)_{10} = -B_{210}(n+1,-n) + \frac{2}{l_{3-2}(-10)} A_{210}(n+1,-n) - \frac{1}{2} A_{200}(n,-n)$
$4-3\mu-\varsigma$	η	$H_{4-3}(-10)_{10} = -B_{310}(n+1,-n) + \frac{2}{l_{4-3}(-10)} A_{310}(n+1,-n) - \frac{1}{2} A_{300}(n,-n)$
$5-4\mu-\varsigma$	η	$H_{5-4}(-10)_{10} = -B_{410}(n+1,-n) + \frac{2}{l_{5-4}(-10)} A_{410}(n+1,-n) - \frac{1}{2} A_{400}(n,-n)$
		u. s. w.
$\mu-\varsigma$	η	$H_{01}(-10)_{10} = -B_{110}(n-1,-n) - \frac{2}{l_{01}(-10)} A_{110}(n-1,-n) + \frac{1}{2} A_{100}(n,-n)$
$1-2\mu+\varsigma$	η	$H_{1-2}(10)_{10} = -B_{210}(n-1,-n) + \frac{2}{l_{1-2}(10)} A_{210}(n-1,-n) + \frac{1}{2} A_{200}(n,-n)$
$2-3\mu+\varsigma$	η	$H_{2-3}(10)_{10} = -B_{310}(n-1,-n) + \frac{2}{l_{2-3}(10)} A_{310}(n-1,-n) + \frac{1}{2} A_{300}(n,-n)$
$3-4\mu+\varsigma$	η	$H_{3-4}(10)_{10} = -B_{410}(n-1,-n) + \frac{2}{l_{3-4}(10)} A_{410}(n-1,-n) + \frac{1}{2} A_{400}(n,-n)$
$4-5\mu+\varsigma$	η	$H_{4-5}(10)_{10} = -B_{510}(n-1,-n) + \frac{2}{l_{4-5}(10)} A_{510}(n-1,-n) + \frac{1}{2} A_{500}(n,-n)$
		u. s. w.
$1-\mu\varsigma'$	η'	$H_{10}(0-1)_{01} = -B_{101}(n,-n+1) + \frac{2}{l_{10}(0-1)} A_{101}(n,-n+1)$
$2-\mu-\mu\varsigma'$	η'	$H_{2-1}(0-1)_{01} = -B_{201}(n,-n+1) + \frac{2}{l_{2-1}(0-1)} A_{201}(n,-n+1)$
$3-2\mu-\mu\varsigma'$	η'	$H_{3-2}(0-1)_{01} = -B_{301}(n,-n+1) + \frac{2}{l_{3-2}(0-1)} A_{301}(n,-n+1)$
$4-3\mu-\mu\varsigma'$	η'	$H_{4-3}(0-1)_{01} = -B_{401}(n,-n+1) + \frac{2}{l_{4-3}(0-1)} A_{401}(n,-n+1)$
$5-4\mu-\mu\varsigma'$	η'	$H_{5-4}(0-1)_{01} = -B_{501}(n,-n+1) + \frac{2}{l_{5-4}(0-1)} A_{501}(n,-n+1)$
		u. s. w.
$\mu-\mu\varsigma'$	η'	$H_{01}(0-1)_{01} = -B_{001}(n,-n-1) - B_{001}(n,-n+1)$
$1-2\mu+\mu\varsigma'$	η'	$H_{1-2}(01)_{01} = -B_{101}(n,-n-1) + \frac{2}{l_{1-2}(01)} A_{101}(n,-n-1)$
$2-3\mu+\mu\varsigma'$	η'	$H_{2-3}(01)_{01} = -B_{201}(n,-n-1) + \frac{2}{l_{2-3}(01)} A_{201}(n,-n-1)$
$3-4\mu+\mu\varsigma'$	η'	$H_{3-4}(01)_{01} = -B_{301}(n,-n-1) + \frac{2}{l_{3-4}(01)} A_{301}(n,-n-1)$
$4-5\mu+\mu\varsigma'$	η'	$H_{4-5}(01)_{01} = -B_{401}(n,-n-1) + \frac{2}{l_{4-5}(01)} A_{401}(n,-n-1)$
		u. s. w.
—	η^2	$H_{00}(00)_{20} = -B_{020}(n,-n) - B_{000}(n,-n)_{10}$
$1-\mu$	η^2	$H_{1-1}(00)_{20} = -B_{120}(n,-n) - B_{100}(n,-n)_{10} + \frac{2}{l_{1-1}(00)} [A_{120}(n,-n) + A_{100}(n,-n)_{10}]$ $+ \frac{1}{2} A_{110}(n+1,-n) - \frac{1}{2} A_{110}(n-1,-n)$

Argument	Exc.	Coefficient
$2-2\mu$	η^2	$H_{2-2}(00)_{20} = -B_{220}(n,-n) - B_{200}(n,-n)_{10} + \frac{2}{l_{2-2}(00)}[A_{220}(n,-n) + A_{200}(n,-n)_{10}] + \frac{1}{2}A_{210}(n+1,-n) - \frac{1}{2}A_{210}(n-1,-n)$
$3-3\mu$	η^2	$H_{3-3}(00)_{20} = -B_{320}(n,-n) - B_{300}(n,-n)_{10} + \frac{2}{l_{3-3}(00)}[A_{320}(n,-n) + A_{300}(n,-n)_{10}] + \frac{1}{2}A_{310}(n+1,-n) - \frac{1}{2}A_{310}(n-1,-n)$
$4-4\mu$	η^2	$H_{4-4}(00)_{20} = -B_{420}(n,-n) - B_{400}(n,-n)_{10} + \frac{2}{l_{4-4}(00)}[A_{420}(n,-n) + A_{400}(n,-n)_{10}] + \frac{1}{2}A_{410}(n+1,-n) - \frac{1}{2}A_{410}(n-1,-n)$
		u. s. w.
$2-2\varsigma$	η^2	$H_{20}(-20)_{20} = -B_{020}(n+2,-n) - B_{020}(n-2,-n)$
$3-\mu-2\varsigma$	η^2	$H_{3-1}(-20)_{20} = -B_{120}(n+2,-n) + \frac{2}{l_{3-1}(-20)}A_{120}(n+2,-n) - \frac{1}{2}A_{110}(n+1,-n)$
$4-2\mu-2\varsigma$	η^2	$H_{4-2}(-20)_{20} = -B_{220}(n+2,-n) + \frac{2}{l_{4-2}(-20)}A_{220}(n+2,-n) - \frac{1}{2}A_{210}(n+1,-n)$
$5-3\mu-2\varsigma$	η^2	$H_{5-3}(-20)_{20} = -B_{320}(n+2,-n) + \frac{2}{l_{5-3}(-20)}A_{320}(n+2,-n) - \frac{1}{2}A_{310}(n+1,-n)$
$6-4\mu-2\varsigma$	η^2	$H_{6-4}(-20)_{20} = -B_{420}(n+2,-n) + \frac{2}{l_{6-4}(-20)}A_{420}(n+2,-n) - \frac{1}{2}A_{410}(n+1,-n)$
		u. s. w.
$1+\mu-2\varsigma$	η^2	$H_{11}(-20)_{20} = -B_{120}(n-2,-n) - \frac{2}{l_{11}(-20)}A_{120}(n-2,-n) + \frac{1}{2}A_{110}(n-1,-n)$
$2\mu-2\varsigma$	η^2	$H_{02}(-20)_{20} = -B_{220}(n-2,-n) - \frac{2}{l_{02}(-20)}A_{220}(n-2,-n) + \frac{1}{2}A_{210}(n-1,-n)$
$1-3\mu+2\varsigma$	η^2	$H_{1-3}(20)_{20} = -B_{320}(n-2,-n) + \frac{2}{l_{1-3}(20)}A_{320}(n-2,-n) + \frac{1}{2}A_{310}(n-1,-n)$
$2-4\mu+2\varsigma$	η^2	$H_{2-4}(20)_{20} = -B_{420}(n-2,-n) + \frac{2}{l_{2-4}(20)}A_{420}(n-2,-n) + \frac{1}{2}A_{410}(n-1,-n)$
$3-5\mu+2\varsigma$	η^2	$H_{3-5}(20)_{20} = -B_{520}(n-2,-n) + \frac{2}{l_{3-5}(20)}A_{520}(n-2,-n) + \frac{1}{2}A_{510}(n-1,-n)$
		u. s. w.
$1+\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$H_{11}(-1-1)_{11} = -B_{011}(n+1,-n+1) - B_{011}(n-1,-n-1)$
$2-\varsigma-\mu\varsigma'$	$\eta\eta'$	$H_{20}(-1-1)_{11} = -B_{111}(n+1,-n+1) + \frac{2}{l_{20}(-1-1)}A_{111}(n+1,-n+1) - \frac{1}{2}A_{101}(n,-n+1)$
$3-\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$H_{3-1}(-1-1)_{11} = -B_{211}(n+1,-n+1) + \frac{2}{l_{3-1}(-1-1)}A_{211}(n+1,-n+1) - \frac{1}{2}A_{201}(n,-n+1)$
$4-2\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$H_{4-2}(-1-1)_{11} = -B_{311}(n+1,-n+1) + \frac{2}{l_{4-2}(-1-1)}A_{311}(n+1,-n+1) - \frac{1}{2}A_{301}(n,-n+1)$
$5-3\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$H_{5-3}(-1-1)_{11} = -B_{411}(n+1,-n+1) + \frac{2}{l_{5-3}(-1-1)}A_{411}(n+1,-n+1) - \frac{1}{2}A_{401}(n,-n+1)$
		u. s. w.
$2\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$H_{02}(-1-1)_{11} = -B_{111}(n-1,-n-1) - \frac{2}{l_{02}(-1-1)}A_{111}(n-1,-n-1) + \frac{1}{2}A_{101}(n,-n-1)$
$1-3\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$H_{1-3}(11)_{11} = -B_{211}(n-1,-n-1) + \frac{2}{l_{1-3}(11)}A_{211}(n-1,-n-1) + \frac{1}{2}A_{201}(n,-n-1)$

Argument	Exc.	Coefficient
$2-4\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$H_{2-4}(11)_{11} = -B_{311}(n-1,-n-1) + \frac{2}{l_{2-4}(11)} A_{311}(n-1,-n-1) + \frac{1}{2} A_{301}(n,-n-1)$
$3-5\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$H_{3-5}(11)_{11} = -B_{411}(n-1,-n-1) + \frac{2}{l_{3-5}(11)} A_{411}(n-1,-n-1) + \frac{1}{2} A_{401}(n,-n-1)$
		u. s. w.
$1-\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$H_{1-1}(-11)_{11} = -B_{011}(n+1,-n-1) - B_{011}(n-1,-n+1)$
$2-2\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$H_{2-2}(-11)_{11} = -B_{111}(n+1,-n-1) + \frac{2}{l_{2-2}(-11)} A_{111}(n+1,-n-1) - \frac{1}{2} A_{101}(n,-n-1)$
$3-3\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$H_{3-3}(-11)_{11} = -B_{211}(n+1,-n-1) + \frac{2}{l_{3-3}(-11)} A_{211}(n+1,-n-1) - \frac{1}{2} A_{201}(n,-n-1)$
$4-4\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$H_{4-4}(-11)_{11} = -B_{311}(n+1,-n-1) + \frac{2}{l_{4-4}(-11)} A_{311}(n+1,-n-1) - \frac{1}{2} A_{301}(n,-n-1)$
$5-5\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$H_{5-5}(-11)_{11} = -B_{411}(n+1,-n-1) + \frac{2}{l_{5-5}(-11)} A_{411}(n+1,-n-1) - \frac{1}{2} A_{401}(n,-n-1)$
		u. s. w.
$\varsigma-\mu\varsigma'$	$\eta\eta'$	$H_{00}(1-1)_{11} = -B_{111}(n-1,-n+1) + \frac{1}{2} A_{101}(n,-n+1)$
$1-\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$H_{1-1}(1-1)_{11} = -B_{211}(n-1,-n+1) + \frac{2}{l_{1-1}(1-1)} A_{211}(n-1,-n+1) + \frac{1}{2} A_{201}(n,-n+1)$
$2-2\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$H_{2-2}(1-1)_{11} = -B_{311}(n-1,-n+1) + \frac{2}{l_{2-2}(1-1)} A_{311}(n-1,-n+1) + \frac{1}{2} A_{301}(n,-n+1)$
$3-3\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$H_{3-3}(1-1)_{11} = -B_{411}(n-1,-n+1) + \frac{2}{l_{3-3}(1-1)} A_{411}(n-1,-n+1) + \frac{1}{2} A_{401}(n,-n+1)$
$4-4\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$H_{4-4}(1-1)_{11} = -B_{511}(n-1,-n+1) + \frac{2}{l_{4-4}(1-1)} A_{511}(n-1,-n+1) + \frac{1}{2} A_{501}(n,-n+1)$
		u. s. w.
—	η'^2	$H_{00}(00)_{02} = -B_{002}(n,-n) - B_{000}(n,-n)_{01}$
$1-\mu$	η'^2	$H_{1-1}(00)_{02} = -B_{102}(n,-n) - B_{100}(n,-n)_{01} + \frac{2}{l_{1-1}(00)} [A_{102}(n,-n) + A_{100}(n,-n)_{01}]$
$2-2\mu$	η'^2	$H_{2-2}(00)_{02} = -B_{202}(n,-n) - B_{200}(n,-n)_{01} + \frac{2}{l_{2-2}(00)} [A_{202}(n,-n) + A_{200}(n,-n)_{01}]$
$3-3\mu$	η'^2	$H_{3-3}(00)_{02} = -B_{302}(n,-n) - B_{300}(n,-n)_{01} + \frac{2}{l_{3-3}(00)} [A_{302}(n,-n) + A_{300}(n,-n)_{01}]$
$4-4\mu$	η'^2	$H_{4-4}(00)_{02} = -B_{402}(n,-n) - B_{400}(n,-n)_{01} + \frac{2}{l_{4-4}(00)} [A_{402}(n,-n) + A_{400}(n,-n)_{01}]$
		u. s. w.
$2\mu-2\mu\varsigma'$	η'^2	$H_{02}(0-2)_{02} = -B_{002}(n,-n+2) - B_{002}(n,-n-2)$
$1+\mu-2\mu\varsigma'$	η'^2	$H_{11}(0-2)_{02} = -B_{102}(n,-n+2) + \frac{2}{l_{11}(0-2)} A_{102}(n,-n+2)$
$2-2\mu\varsigma'$	η'^2	$H_{20}(0-2)_{02} = -B_{202}(n,-n+2) + \frac{2}{l_{20}(0-2)} A_{202}(n,-n+2)$
$3-\mu-2\mu\varsigma'$	η'^2	$H_{3-1}(0-2)_{02} = -B_{302}(n,-n+2) + \frac{2}{l_{3-1}(0-2)} A_{302}(n,-n+2)$
$4-2\mu-2\mu\varsigma'$	η'^2	$H_{4-2}(0-2)_{02} = -B_{402}(n,-n+2) + \frac{2}{l_{4-2}(0-2)} A_{402}(n,-n+2)$
		u. s. w.

Argument	Exc.	Coefficient
$1-3\mu+2\mu\varsigma'$	η'^2	$H_{1-3}(02)_{02} = -B_{102}(n,-n-2) + \frac{2}{l_{1-3}(02)} A_{102}(n,-n-2)$
$2-4\mu+2\mu\varsigma'$	η'^2	$H_{2-4}(02)_{02} = -B_{202}(n,-n-2) + \frac{2}{l_{2-4}(02)} A_{202}(n,-n-2)$
$3-5\mu+2\mu\varsigma'$	η'^2	$H_{3-5}(02)_{02} = -B_{302}(n,-n-2) + \frac{2}{l_{3-5}(02)} A_{302}(n,-n-2)$
$4-6\mu+2\mu\varsigma'$	η'^2	$H_{4-6}(02)_{02} = -B_{402}(n,-n-2) + \frac{2}{l_{4-6}(02)} A_{402}(n,-n-2)$

u. s. w.

Formeln für die Integrationsdivisoren λ.

Die Divisoren $\lambda_{\gamma\gamma'}(01)$ sind ganz analog zu bilden, nur ist $\mu\varsigma'$ statt ς zu setzen.

$$\begin{aligned}
\lambda_{1-1}(00) &= 2\mu - \mu^2 - \beta \\
\lambda_{2-2}(00) &= -3 + 8\mu - 4\mu^2 - \beta \\
\lambda_{3-3}(00) &= -8 + 18\mu - 9\mu^2 - \beta \\
\lambda_{4-4}(00) &= -15 + 32\mu - 16\mu^2 - \beta \\
\lambda_{5-5}(00) &= -24 + 50\mu - 25\mu^2 - \beta \\
\lambda_{6-6}(00) &= -35 + 72\mu - 36\mu^2 - \beta
\end{aligned}$$

u. s. w.

$$\begin{aligned}
\lambda_{2-1}(-10) &= -3 + 4\mu - \mu^2 + 4\varsigma - 2\mu\varsigma - \varsigma^2 - \beta \\
\lambda_{3-2}(-10) &= -8 + 12\mu - 4\mu^2 + 6\varsigma - 4\mu\varsigma - \varsigma^2 - \beta \\
\lambda_{4-3}(-10) &= -15 + 24\mu - 9\mu^2 + 8\varsigma - 6\mu\varsigma - \varsigma^2 - \beta \\
\lambda_{5-4}(-10) &= -24 + 40\mu - 16\mu^2 + 10\varsigma - 8\mu\varsigma - \varsigma^2 - \beta \\
\lambda_{6-5}(-10) &= -35 + 60\mu - 25\mu^2 + 12\varsigma - 10\mu\varsigma - \varsigma^2 - \beta
\end{aligned}$$

u. s. w.

$$\begin{aligned}
\lambda_{01}(-10) &= 1 - \mu^2 + 2\mu\varsigma - \varsigma^2 - \beta \\
\lambda_{1-2}(10) &= 4\mu - 4\mu^2 - 2\varsigma + 4\mu\varsigma - \varsigma^2 - \beta \\
\lambda_{2-3}(10) &= -3 + 12\mu - 9\mu^2 - 4\varsigma + 6\mu\varsigma - \varsigma^2 - \beta \\
\lambda_{3-4}(10) &= -8 + 24\mu - 16\mu^2 - 6\varsigma + 8\mu\varsigma - \varsigma^2 - \beta \\
\lambda_{4-5}(10) &= -15 + 40\mu - 25\mu^2 - 8\varsigma + 10\mu\varsigma - \varsigma^2 - \beta \\
\lambda_{5-6}(10) &= -24 + 60\mu - 36\mu^2 - 10\varsigma + 12\mu\varsigma - \varsigma^2 - \beta
\end{aligned}$$

u. s. w.

$$\begin{aligned}
\lambda_{20}(-20) &= -3 + 8\varsigma - 4\varsigma^2 - \beta \\
\lambda_{3-1}(-20) &= -8 + 6\mu - \mu^2 + 12\varsigma - 4\mu\varsigma - 4\varsigma^2 - \beta \\
\lambda_{4-2}(-20) &= -15 + 16\mu - 4\mu^2 + 16\varsigma - 8\mu\varsigma - 4\varsigma^2 - \beta \\
\lambda_{5-3}(-20) &= -24 + 30\mu - 9\mu^2 + 20\varsigma - 12\mu\varsigma - 4\varsigma^2 - \beta \\
\lambda_{6-4}(-20) &= -35 + 48\mu - 16\mu^2 + 24\varsigma - 16\mu\varsigma - 4\varsigma^2 - \beta \\
\lambda_{7-5}(-20) &= -48 + 70\mu - 25\mu^2 + 28\varsigma - 20\mu\varsigma - 4\varsigma^2 - \beta
\end{aligned}$$

u. s. w.

$$\lambda_{11}(-20) = -2\mu - \mu^2 + 4\varsigma + 4\mu\varsigma - 4\varsigma^2 - \beta$$
$$\lambda_{02}(-20) = 1 - 4\mu^2 + 8\mu\varsigma - 4\varsigma^2 - \beta$$
$$\lambda_{1-3}(20) = 6\mu - 9\mu^2 - 4\varsigma + 12\mu\varsigma - 4\varsigma^2 - \beta$$
$$\lambda_{2-4}(20) = -3 + 16\mu - 16\mu^2 - 8\varsigma + 16\mu\varsigma - 4\varsigma^2 - \beta$$
$$\lambda_{3-5}(20) = -8 + 30\mu - 25\mu^2 - 12\varsigma + 20\mu\varsigma - 4\varsigma^2 - \beta$$
$$\lambda_{4-6}(20) = -15 + 48\mu - 36\mu^2 - 16\varsigma + 24\mu\varsigma - 4\varsigma^2 - \beta$$
u. s. w.

$$\lambda_{11}(-1-1) = -2\mu - \mu^2 + 2\varsigma + 2\mu\varsigma - \varsigma^2 + 2\mu\varsigma' + 2\mu\mu\varsigma' - \overline{\mu\varsigma'^2} - 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{20}(-1-1) = -3 + 4\varsigma - \varsigma^2 + 4\mu\varsigma' - \overline{\mu\varsigma'^2} - 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{3-1}(-1-1) = -8 + 6\mu - \mu^2 + 6\varsigma - 2\mu\varsigma - \varsigma^2 + 6\mu\varsigma' - \overline{\mu\varsigma'^2} - 2\mu\mu\varsigma' - 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{4-2}(-1-1) = -15 + 16\mu - 4\mu^2 + 8\varsigma - 4\mu\varsigma - \varsigma^2 + 8\mu\varsigma' - \overline{\mu\varsigma'^2} - 4\mu\mu\varsigma' - 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{5-3}(-1-1) = -24 + 30\mu - 9\mu^2 + 10\varsigma - 6\mu\varsigma - \varsigma^2 + 10\mu\varsigma' - \overline{\mu\varsigma'^2} - 6\mu\mu\varsigma' - 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{6-4}(-1-1) = -35 + 40\mu - 16\mu^2 + 12\varsigma - 8\mu\varsigma - \varsigma^2 + 12\mu\varsigma' - \overline{\mu\varsigma'^2} - 8\mu\mu\varsigma' - 2\varsigma\mu\varsigma' - \beta$$
u. s. w.

$$\lambda_{02}(-1-1) = 1 - 4\mu^2 + 4\mu\varsigma - \varsigma^2 - \overline{\mu\varsigma'^2} + 4\mu\mu\varsigma' - 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{1-3}(11) = 6\mu - 9\mu^2 - 2\varsigma + 6\mu\varsigma - \varsigma^2 - 2\mu\varsigma' - \overline{\mu\varsigma'^2} + 6\mu\mu\varsigma' - 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{2-4}(11) = -3 + 16\mu - 16\mu^2 - 4\varsigma + 8\mu\varsigma - \varsigma^2 - 4\mu\varsigma' - \overline{\mu\varsigma'^2} + 8\mu\mu\varsigma' - 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{3-5}(11) = -8 + 30\mu - 25\mu^2 - 6\varsigma + 10\mu\varsigma - \varsigma^2 - 6\mu\varsigma' - \overline{\mu\varsigma'^2} + 10\mu\mu\varsigma' - 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{4-6}(11) = -15 + 48\mu - 36\mu^2 - 8\varsigma + 12\mu\varsigma - \varsigma^2 - 8\mu\varsigma' - \overline{\mu\varsigma'^2} + 12\mu\mu\varsigma' - 2\varsigma\mu\varsigma' - \beta$$
u. s. w.

$$\lambda_{1-1}(-11) = 2\mu - \mu^2 + 2\varsigma - 2\mu\varsigma - \varsigma^2 - 2\mu\varsigma' - \overline{\mu\varsigma'^2} + 2\mu\mu\varsigma' + 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{2-2}(-11) = -3 + 8\mu - 4\mu^2 + 4\varsigma - 4\mu\varsigma - \varsigma^2 - 4\mu\varsigma' - \overline{\mu\varsigma'^2} + 4\mu\mu\varsigma' + 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{3-3}(-11) = -8 + 18\mu - 9\mu^2 + 6\varsigma - 6\mu\varsigma - \varsigma^2 - 6\mu\varsigma' - \overline{\mu\varsigma'^2} + 6\mu\mu\varsigma' + 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{4-4}(-11) = -15 + 32\mu - 16\mu^2 + 8\varsigma - 8\mu\varsigma - \varsigma^2 - 8\mu\varsigma' - \overline{\mu\varsigma'^2} + 8\mu\mu\varsigma' + 2\varsigma\mu\varsigma' - \beta$$
u. s. w.

$$\lambda_{00}(1-1) = 1 - \varsigma^2 - \overline{\mu\varsigma'^2} + 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{1-1}(1-1) = 2\mu - \mu^2 - 2\varsigma + 2\mu\varsigma - \varsigma^2 + 2\mu\varsigma' - \overline{\mu\varsigma'^2} - 2\mu\mu\varsigma' + 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{2-2}(1-1) = -3 + 8\mu - 4\mu^2 - 4\varsigma + 4\mu\varsigma - \varsigma^2 + 4\mu\varsigma' - \overline{\mu\varsigma'^2} - 4\mu\mu\varsigma' + 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{3-3}(1-1) = -8 + 18\mu - 9\mu^2 - 6\varsigma + 6\mu\varsigma - \varsigma^2 + 6\mu\varsigma' - \overline{\mu\varsigma'^2} - 6\mu\mu\varsigma' + 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{4-4}(1-1) = -15 + 32\mu - 16\mu^2 - 8\varsigma + 8\mu\varsigma - \varsigma^2 + 8\mu\varsigma' - \overline{\mu\varsigma'^2} - 8\mu\mu\varsigma' + 2\varsigma\mu\varsigma' - \beta$$
$$\lambda_{5-5}(1-1) = -24 + 50\mu - 25\mu^2 - 10\varsigma + 10\mu\varsigma - \varsigma^2 + 10\mu\varsigma' - \overline{\mu\varsigma'^2} - 10\mu\mu\varsigma' + 2\varsigma\mu\varsigma' - \beta$$
u. s. w.

Formeln für die Entwicklungscoefficienten $P_{\nu\nu'}(nn')_{ss'}$.

Argument	Exc.	Coefficient
—	—	$P_{00}(00)_{00} = B_{000}(n,-n) + \frac{1}{2} B_{110}(n,-n)\, G_{1-1}(00)_{00}$
		$+ \frac{1}{2} B_{210}(n,-n)\, G_{2-2}(00)_{00}$
		$+ \frac{1}{2} B_{310}(n,-n)\, G_{3-3}(00)_{00}$
		$+ \frac{1}{2} B_{410}(n,-n)\, G_{4-4}(00)_{00}$
		$+ \ . \ . \ . \ .$
$1-\mu$	—	$P_{1-1}(00)_{00} = B_{100}(n,-n)$

Argument	Exc.	Coefficient
$2-2\mu$	—	$P_{2-2}(00)_{00} = B_{200}(n,-n) + \frac{1}{2} B_{110}(n,-n)\,[G_{1-1}(00)_{00} \pm G_{3-3}(00)_{00}]$
		$+ \frac{1}{2} B_{210}(n,-n)\,[2\,G_{00}(00)_{00} \pm G_{4-4}(00)_{00}]$
		$+ \frac{1}{2} B_{310}(n,-n)\,[G_{1-1}(00)_{00} \pm G_{5-5}(00)_{00}]$
		$+ \frac{1}{2} B_{410}(n,-n)\,[G_{2-2}(00)_{00} \pm G_{6-6}(00)_{00}]$
		$+ \quad . \quad . \quad . \quad .$
$3-3\mu$	—	$P_{3-3}(00)_{00} = B_{300}(n,-n) + \frac{1}{2} B_{110}(n,-n)\,[G_{2-2}(00)_{00} \pm G_{4-4}(00)_{00}]$
		$+ \frac{1}{2} B_{210}(n,-n)\,[G_{1-1}(00)_{00} \pm G_{5-5}(00)_{00}]$
		$+ \frac{1}{2} B_{310}(n,-n)\,[2\,G_{00}(00)_{00} \pm G_{6-6}(00)_{00}]$
		$+ \frac{1}{2} B_{410}(n,-n)\,[G_{1-1}(00)_{00} \pm G_{7-7}(00)_{00}]$
		$+ \quad . \quad . \quad . \quad . \quad .$
$4-4\mu$	—	$P_{4-4}(00)_{00} = B_{400}(n,-n)$
$5-5\mu$	—	$P_{5-5}(00)_{00} = B_{500}(n,-n)$
		u. s. w.
$1-\varsigma$	η	$P_{10}(-10)_{10} = B_{010}(n+1,-n) + B_{010}(n-1,-n)$
		$+ \frac{1}{2} B_{110}(n,-n)\,[G_{01}(-10)_{10} \pm G_{2-1}(-10)_{10}] + G_{00}(00)_{00}\,[B_{020}(n+1,-n) + B_{020}(n-1,-n)]$
		$+ \frac{1}{2} B_{210}(n,-n)\,[G_{1-2}(10)_{10} \pm G_{3-2}(-10)_{10}] + \frac{1}{2} G_{1-1}(00)_{00}\,[B_{120}(n+1,-n) \pm B_{120}(n-1,-n)]$
		$+ \frac{1}{2} B_{310}(n,-n)\,[G_{2-3}(10)_{10} \pm G_{4-3}(-10)_{10}] + \frac{1}{2} G_{2-2}(00)_{00}\,[B_{220}(n+1,-n) \pm B_{220}(n-1,-n)]$
		$+ \frac{1}{2} B_{410}(n,-n)\,[G_{3-4}(10)_{10} \pm G_{5-4}(-10)_{10}] + \frac{1}{2} G_{3-3}(00)_{00}\,[B_{320}(n+1,-n) \pm B_{320}(n-1,-n)]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2-\mu-\varsigma$	η	$P_{2-1}(-10)_{10} = B_{110}(n+1,-n)$
$3-2\mu-\varsigma$	η	$P_{3-2}(-10)_{10} = B_{210}(n+1,-n)$
$4-3\mu-\varsigma$	η	$P_{4-3}(-10)_{10} = B_{310}(n+1,-n)$
$5-4\mu-\varsigma$	η	$P_{5-4}(-10)_{10} = B_{410}(n+1,-n)$
		u. s. w.
$\mu-\varsigma$	η	$P_{01}(-10)_{10} = \pm B_{110}(n-1,-n)$
$1-2\mu+\varsigma$	η	$P_{1-2}(10)_{10} = B_{210}(n-1,-n) + \frac{1}{2} B_{110}(n,-n)\,[G_{01}(-10)_{10} \pm G_{2-3}(10)_{10}]$
		$\pm \frac{1}{2} B_{210}(n,-n)\; G_{3-4}(10)_{10}$
		$+ \frac{1}{2} B_{310}(n,-n)\,[G_{2-1}(-10)_{10} \pm G_{4-5}(10)_{10}]$
		$+ \frac{1}{2} B_{410}(n,-n)\,[G_{3-2}(-10)_{10} \pm G_{5-6}(10)_{10}]$
		$+ \quad . \quad . \quad . \quad . \quad .$
		$+ \frac{1}{2} B_{020}(n+1,-n)\,G_{2-2}(00)_{00} + \frac{1}{2} B_{020}(n-1,-n)\,G_{2-2}(00)_{00}$
		$\pm \frac{1}{2} B_{120}(n+1,-n)\,G_{3-3}(00)_{00} + \frac{1}{2} B_{120}(n-1,-n)\,G_{1-1}(00)_{00}$
		$\pm \frac{1}{2} B_{220}(n+1,-n)\,G_{4-4}(00)_{00} + B_{220}(n-1,-n)\,G_{00}(00)_{00}$
		$\pm \frac{1}{2} B_{320}(n+1,-n)\,G_{5-5}(00)_{00} + \frac{1}{2} B_{320}(n-1,-n)\,G_{1-1}(00)_{00}$
		$\pm \quad . \quad . \quad . \quad . \quad + \frac{1}{2} B_{420}(n-1,-n)\,G_{2-2}(00)_{00}$
		$+ \quad . \quad . \quad . \quad .$
$2-3\mu+\varsigma$	η	$P_{2-3}(10)_{10} = B_{310}(n-1,-n) + \frac{1}{2} B_{110}(n,-n)\,[G_{1-2}(10)_{10} \pm G_{3-4}(10)_{10}]$
		$+ \frac{1}{2} B_{210}(n,-n)\,[G_{01}(-10)_{10} \pm G_{4-5}(10)_{10}]$
		$\pm \frac{1}{2} B_{310}(n,-n)\; G_{5-6}(10)_{10}$
		$+ \frac{1}{2} B_{410}(n,-n)\,[G_{2-1}(-10)_{10} \pm G_{6-7}(10)_{10}]$
		$+ \frac{1}{2} B_{510}(n,-n)\,[G_{3-2}(-10)_{10} \pm G_{7-8}(10)_{10}]$
		$+ \quad . \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}B_{020}(n+1,-n)\,G_{3-3}(00)_{00}$ $+\frac{1}{2}B_{020}(n-1,-n)\,G_{3-3}(00)_{00}$
		$\pm\frac{1}{2}B_{120}(n+1,-n)\,G_{4-4}(00)_{00}$ $+\frac{1}{2}B_{120}(n-1,-n)\,G_{2-2}(00)_{00}$
		$\pm\frac{1}{2}B_{220}(n+1,-n)\,G_{5-5}(00)_{00}$ $+\frac{1}{2}B_{220}(n-1,-n)\,G_{1-1}(00)_{00}$
		$\pm\frac{1}{2}B_{320}(n+1,-n)\,G_{6-6}(00)_{00}$ $+\ B_{320}(n-1,-n)\,G_{00}(00)_{00}$
		$\pm\ .\ .\ .\ .$ $+\frac{1}{2}B_{420}(n-1,-n)\,G_{1-1}(00)_{00}$
		$+\ .\ .\ .\ .$
$3-4\mu+\varsigma$	η	$P_{3-4}(10)_{10}=B_{410}(n-1,-n)$
$4-5\mu+\varsigma$	η	$P_{4-5}(10)_{10}=B_{510}(n-1,-n)$
$5-6\mu+\varsigma$	η	$P_{5-6}(10)_{10}=B_{610}(n-1,-n)$
		u. s. w.
$\mu-\mu\varsigma'$	η'	$P_{01}(0-1)_{01}=B_{001}(n,-n+1)+B_{001}(n,-n-1)$
$1-\mu\varsigma'$	η'	$P_{10}(0-1)_{01}=B_{101}(n,-n+1)$
		$+\frac{1}{2}B_{110}(n,-n)\,[G_{01}(0-1)_{01}\pm G_{2-1}(0-1)_{01}]$ $+\frac{1}{2}B_{011}(n,-n+1)\,G_{1-1}(00)_{00}$
		$+\frac{1}{2}B_{210}(n,-n)\,[G_{1-2}(01)_{01}\pm G_{3-2}(0-1)_{01}]$ $+\ B_{111}(n,-n+1)\,G_{00}(00)_{00}$
		$+\frac{1}{2}B_{310}(n,-n)\,[G_{2-3}(01)_{01}\pm G_{4-3}(0-1)_{01}]$ $+\frac{1}{2}B_{211}(n,-n+1)\,G_{1-1}(00)_{00}$
		$+\ .\ .\ .$ $+\frac{1}{2}B_{311}(n,-n+1)\,G_{2-2}(00)_{00}$
		$+\frac{1}{2}B_{011}(n,-n-1)\,G_{1-1}(00)_{00}$ $+\ .\ .\ .\ .$
		$\pm\frac{1}{2}B_{111}(n,-n-1)\,G_{2-2}(00)_{00}$
		$\pm\frac{1}{2}B_{211}(n,-n-1)\,G_{3-3}(00)_{00}$
		$\pm\ .\ .\ .\ .$
$2-\mu-\mu\varsigma'$	η'	$P_{2-1}(0-1)_{01}=B_{201}(n,-n+1)$
$3-2\mu-\mu\varsigma'$	η'	$P_{3-2}(0-1)_{01}=B_{301}(n,-n+1)$
$4-3\mu-\mu\varsigma'$	η'	$P_{4-3}(0-1)_{01}=B_{401}(n,-n+1)$
		u. s. w.
$1-2\mu+\mu\varsigma'$	η'	$P_{1-2}(01)_{01}=B_{101}(n,-n-1)$
		$+\frac{1}{2}B_{110}(n,-n)\,[G_{01}(0-1)_{01}\pm G_{2-3}(01)_{01}]$ $+\frac{1}{2}B_{011}(n,-n+1)\,G_{1-1}(00)_{00}$
		$\pm\frac{1}{2}B_{210}(n,-n)\ G_{3-4}(01)_{01}$ $\pm\frac{1}{2}B_{111}(n,-n+1)\,G_{2-2}(00)_{00}$
		$+\frac{1}{2}B_{310}(n,-n)\,[G_{2-1}(0-1)_{01}\pm G_{4-5}(01)_{01}]$ $\pm\frac{1}{2}B_{211}(n,-n+1)\,G_{3-3}(00)_{00}$
		$+\frac{1}{2}B_{410}(n,-n)\,[G_{3-2}(0-1)_{01}\pm G_{5-6}(01)_{01}]$ $\pm\frac{1}{2}B_{311}(n,-n+1)\,G_{4-4}(00)_{00}$
		$+\ .\ .\ .\ .$ $\pm\ .\ .\ .\ .$
		$+\frac{1}{2}B_{011}(n,-n-1)\,G_{1-1}(00)_{00}$
		$+\ B_{111}(n,-n-1)\,G_{00}(00)_{00}$
		$+\frac{1}{2}B_{211}(n,-n-1)\,G_{1-1}(00)_{00}$
		$+\frac{1}{2}B_{311}(n,-n-1)\,G_{2-2}(00)_{00}$
		$+\ .\ .\ .\ .$
$2-3\mu+\mu\varsigma'$	η'	$P_{2-3}(01)_{01}=B_{201}(n,-n-1)$
		$+\frac{1}{2}B_{110}(n,-n)\,[G_{1-2}(01)_{01}\pm G_{3-4}(01)_{01}]$ $+\frac{1}{2}B_{011}(n,-n+1)\,G_{2-2}(00)_{00}$
		$+\frac{1}{2}B_{210}(n,-n)\,[G_{01}(0-1)_{01}\pm G_{4-5}(01)_{01}]$ $\pm\frac{1}{2}B_{111}(n,-n+1)\,G_{3-3}(00)_{00}$
		$\pm\frac{1}{2}B_{310}(n,-n)\ G_{5-6}(01)_{01}$ $\pm\frac{1}{2}B_{211}(n,-n+1)\,G_{4-4}(00)_{00}$
		$+\frac{1}{2}B_{410}(n,-n)\,[G_{2-1}(0-1)_{01}\pm G_{6-7}(01)_{01}]$ $\pm\frac{1}{2}B_{311}(n,-n+1)\,G_{5-5}(00)_{00}$
		$+\ .\ .\ .\ .$ $+\ .\ .\ .\ .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}B_{011}(n,-n-1)\,G_{2-2}(00)_{00}$
		$+\frac{1}{2}B_{111}(n,-n-1)\,G_{1-1}(00)_{00}$
		$+\ B_{211}(n,-n-1)\,G_{00}(00)_{00}$
		$+\frac{1}{2}B_{311}(n,-n-1)\,G_{1-1}(00)_{00}$
		$+\ .\ .\ .\ .$
$3-4\mu+\mu\varsigma'$	η'	$P_{3-4}(01)_{01}=B_{301}(n,-n-1)$
$4-5\mu+\mu\varsigma'$	η'	$P_{4-5}(01)_{01}=B_{401}(n,-n-1)$
$5-6\mu+\mu\varsigma'$	η'	$P_{5-6}(01)_{01}=B_{501}(n,-n-1)$
		u. s. w.
—	η^2	$P_{00}(00)_{20}=B_{020}(n,-n)+B_{000}(n,-n)_{10}$
		$+\frac{1}{2}B_{110}(n,-n)\,G_{1-1}(00)_{20}\ +\ [B_{030}(n,-n)+B_{010}(n,-n)_{10}]\,G_{00}(00)_{00}$
		$+\frac{1}{2}B_{210}(n,-n)\,G_{2-2}(00)_{20}\ +\frac{1}{2}[B_{130}(n,-n)+B_{110}(n,-n)_{10}]\,G_{1-1}(00)_{00}$
		$+\frac{1}{2}B_{310}(n,-n)\,G_{3-3}(00)_{20}\ +\frac{1}{2}[B_{230}(n,-n)+B_{210}(n,-n)_{10}]\,G_{2-2}(00)_{00}$
		$+\frac{1}{2}B_{410}(n,-n)\,G_{4-4}(00)_{20}\ +\frac{1}{2}[B_{330}(n,-n)+B_{310}(n,-n)_{10}]\,G_{3-3}(00)_{00}$
		$+\ .\ .\ .\ .\ +\ .\ .\ .\ .$
		$+\frac{1}{2}B_{120}(n+1,-n)\,G_{2-1}(-10)_{10}\ +\frac{1}{2}B_{120}(n-1,-n)\,G_{01}(-10)_{10}$
		$+\frac{1}{2}B_{220}(n+1,-n)\,G_{3-2}(-10)_{10}\ +\frac{1}{2}B_{220}(n-1,-n)\,G_{1-2}(10)_{10}$
		$+\frac{1}{2}B_{320}(n+1,-n)\,G_{4-3}(-10)_{10}\ +\frac{1}{2}B_{320}(n-1,-n)\,G_{2-3}(10)_{10}$
		$+\frac{1}{2}B_{420}(n+1,-n)\,G_{5-4}(-10)_{10}\ +\frac{1}{2}B_{420}(n-1,-n)\,G_{3-4}(10)_{10}$
		$+\ .\ .\ .\ .\ +\ .\ .\ .\ .$
$1-\mu$	η^2	$P_{1-1}(00)_{20}=B_{120}(n,-n)+B_{100}(n,-n)_{10}$
$2-2\mu$	η^2	$P_{2-2}(00)_{20}=B_{220}(n,-n)+B_{200}(n,-n)_{10}$
		$+\frac{1}{2}B_{110}(n,-n)\,[G_{1-1}(00)_{20}\pm G_{3-3}(00)_{20}]\ +\ \{B_{030}(n,-n)+B_{010}(n,-n)_{10}\}\,G_{2-2}(00)_{00}$
		$+\frac{1}{2}B_{210}(n,-n)\,[2\,G_{00}(00)_{20}\pm G_{4-4}(00)_{20}]\ +\frac{1}{2}\{B_{130}(n,-n)+B_{110}(n,-n)_{10}\}\,[G_{1-1}(00)_{00}\pm G_{3-3}(00)_{00}]$
		$+\frac{1}{2}B_{310}(n,-n)\,[G_{1-1}(00)_{20}\pm G_{5-5}(00)_{20}]\ +\frac{1}{2}\{B_{230}(n,-n)+B_{210}(n,-n)_{10}\}\,[2\,G_{00}(00)_{00}\pm G_{4-4}(00)_{00}]$
		$+\frac{1}{2}B_{410}(n,-n)\,[G_{2-2}(00)_{20}\pm G_{6-6}(00)_{20}]\ +\frac{1}{2}\{B_{330}(n,-n)+B_{310}(n,-n)_{10}\}\,[G_{1-1}(00)_{00}\pm G_{5-5}(00)_{00}]$
		$+\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .$
		$+\frac{1}{2}B_{020}(n+1,-n)\,[G_{1-2}(10)_{10}+G_{3-2}(-10)_{10}]\ +\frac{1}{2}B_{020}(n-1,-n)\,[G_{3-2}(-10)_{10}+G_{1-2}(10)_{10}]$
		$+\frac{1}{2}B_{120}(n+1,-n)\,[G_{01}(-10)_{10}\pm G_{4-3}(-10)_{10}]\ +\frac{1}{2}B_{120}(n-1,-n)\,[G_{2-1}(-10)_{10}\pm G_{2-3}(10)_{10}]$
		$\pm\frac{1}{2}B_{220}(n+1,-n)\ G_{5-4}(-10)_{10}\qquad\pm\frac{1}{2}B_{220}(n-1,-n)\ G_{3-4}(10)_{10}$
		$+\frac{1}{2}B_{320}(n+1,-n)\,[G_{2-1}(-10)_{10}\pm G_{6-5}(-10)_{10}]\ +\frac{1}{2}B_{320}(n-1,-n)\,[G_{01}(-10)_{10}\pm G_{4-5}(10)_{10}]$
		$+\frac{1}{2}B_{420}(n+1,-n)\,[G_{3-2}(-10)_{10}\pm G_{7-6}(-10)_{10}]\ +\frac{1}{2}B_{420}(n-1,-n)\,[G_{1-2}(10)_{10}\pm G_{5-6}(10)_{10}]$
		$+\ .\ .\ .\ .\ +\ .\ .\ .\ .$
$3-3\mu$	η^2	$P_{3-3}(00)_{20}=B_{320}(n,-n)+B_{300}(n,-n)_{10}$
		$+\frac{1}{2}B_{110}(n,-n)\,[G_{2-2}(00)_{20}\pm G_{4-4}(00)_{20}]\ +\ \{B_{030}(n,-n)+B_{010}(n,-n)_{10}\}\ G_{3-3}(00)_{00}$
		$+\frac{1}{2}B_{210}(n,-n)\,[G_{1-1}(00)_{20}\pm G_{5-5}(00)_{20}]\ +\frac{1}{2}\{B_{130}(n,-n)+B_{110}(n,-n)_{10}\}\,[G_{2-2}(00)_{00}\pm G_{4-4}(00)_{00}]$
		$+\frac{1}{2}B_{310}(n,-n)\,[2\,G_{00}(00)_{20}\pm G_{6-6}(00)_{20}]\ +\frac{1}{2}\{B_{230}(n,-n)+B_{210}(n,-n)_{10}\}\,[G_{1-1}(00)_{00}\pm G_{5-5}(00)_{00}]$
		$+\frac{1}{2}B_{410}(n,-n)\,[G_{1-1}(00)_{20}\pm G_{7-7}(00)_{20}]\ +\frac{1}{2}\{B_{330}(n,-n)+B_{310}(n,-n)_{10}\}\,[2\,G_{00}(00)_{00}\pm G_{6-6}(00)_{00}]$
		$+\frac{1}{2}B_{510}(n,-n)\,[G_{2-2}(00)_{20}\pm G_{8-8}(00)_{20}]\ +\frac{1}{2}\{B_{430}(n,-n)+B_{410}(n,-n)_{10}\}\,[G_{1-1}(00)_{00}\pm G_{7-7}(00)_{00}]$
		$+\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}B_{020}(n+1,-n)[G_{2-3}(10)_{10} + G_{4-3}(-10)_{10}] + \frac{1}{2}B_{020}(n-1,-n)[G_{4-3}(-10)_{10} + G_{2-3}(10)_{10}]$
		$+\frac{1}{2}B_{120}(n+1,-n)[G_{1-2}(10)_{10} + G_{3-4}(-10)_{10}] + \frac{1}{2}B_{120}(n-1,-n)[G_{3-2}(-10)_{10} \pm G_{3-4}(10)_{10}]$
		$+\frac{1}{2}B_{220}(n+1,-n)[G_{01}(-10)_{10} \pm G_{6-5}(-10)_{10}] + \frac{1}{2}B_{220}(n-1,-n)[G_{2-1}(-10)_{10} \pm G_{4-5}(10)_{10}]$
		$\pm\frac{1}{2}B_{320}(n+1,-n)\ G_{7-6}(-10)_{10} \pm\frac{1}{2}B_{320}(n-1,-n)\ G_{5-6}(10)_{10}$
		$+\frac{1}{2}B_{420}(n+1,-n)[G_{2-1}(-10)_{10} \pm G_{8-7}(-10)_{10}] + \frac{1}{2}B_{420}(n-1,-n)[G_{01}(-10)_{10} \pm G_{6-7}(10)_{10}]$
		$+ \quad . \quad . \quad . \quad + \frac{1}{2}B_{520}(n-1,-n)[G_{1-2}(10)_{10} \pm G_{7-8}(10)_{10}]$
		$+ \quad . \quad . \quad . \quad .$
$4-4\mu$	η^2	$P_{4-4}(00)_{20} = B_{420}(n,-n) + B_{400}(n,-n)_{10}$
$5-5\mu$	η^2	$P_{5-5}(00)_{20} = B_{520}(n,-n) + B_{500}(n,-n)_{10}$
		u. s. w.
$2-2\varsigma$	η^2	$P_{20}(-20)_{20} = B_{020}(n+2,-n) + B_{020}(n-2,-n)$
$3-\mu-2\varsigma$	η^2	$P_{3-1}(-20)_{20} = B_{120}(n+2,-n)$
$4-2\mu-2\varsigma$	η^2	$P_{4-2}(-20)_{20} = B_{220}(n+2,-n)$
$5-3\mu-2\varsigma$	η^2	$P_{5-3}(-20)_{20} = B_{320}(n+2,-n)$
		u. s. w.
$1+\mu-2\varsigma$	η^2	$P_{11}(-20)_{20} = \pm B_{120}(n-2,-n)$
$2\mu-2\varsigma$	η^2	$P_{02}(-20)_{20} = \pm B_{220}(n-2,-n)$
		$+\frac{1}{2}B_{110}(n,-n)[G_{1-3}(20)_{20} \pm G_{11}\ (-20)_{20}] + \frac{1}{2}B_{020}(n+1,-n)\ G_{1-2}(10)_{10}$
		$+\frac{1}{2}B_{210}(n,-n)[G_{2-4}(20)_{20} \pm G_{20}\ (-20)_{20}] + \frac{1}{2}B_{120}(n+1,-n)\ G_{2-3}(10)_{10}$
		$+\frac{1}{2}B_{310}(n,-n)[G_{3-5}(20)_{20} \pm G_{3-1}(-20)_{20}] + \frac{1}{2}B_{220}(n+1,-n)\ G_{3-4}(10)_{10}$
		$+ \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}B_{020}(n-1,-n)\ G_{1-2}(10)_{10} + \frac{1}{2}B_{030}(n+2,-n)\ G_{2-2}(00)_{00} + \frac{1}{2}B_{030}(n-2,-n)\ G_{2-2}(00)_{00}$
		$\pm\frac{1}{2}B_{120}(n-1,-n)\ G_{01}(-10)_{10} + \frac{1}{2}B_{130}(n+2,-n)\ G_{3-3}(00)_{00} \pm\frac{1}{2}B_{130}(n-2,-n)\ G_{1-1}(00)_{00}$
		$\pm\frac{1}{2}B_{320}(n-1,-n)\ G_{2-1}(-10)_{10} + \frac{1}{2}B_{230}(n+2,-n)\ G_{4-4}(00)_{00} \pm B_{230}(n-2,-n)\ G_{00}(00)_{00}$
		$\pm\frac{1}{2}B_{420}(n-1,-n)\ G_{3-2}(-10)_{10} + \frac{1}{2}B_{330}(n+2,-n)\ G_{5-5}(00)_{00} \pm\frac{1}{2}B_{330}(n-2,-n)\ G_{1-1}(00)_{00}$
		$\pm \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad \pm \quad . \quad . \quad . \quad .$
$1-3\mu+2\varsigma$	η^2	$P_{1-3}(20)_{20} = B_{320}(n-2,-n)$
		$+\frac{1}{2}B_{110}(n,-n)[G_{02}(-20)_{20} \pm G_{2-4}(20)_{20}] + \frac{1}{2}B_{020}(n+1,-n)\ G_{2-3}(10)_{10}$
		$+\frac{1}{2}B_{210}(n,-n)[G_{11}(-20)_{20} \pm G_{3-5}(20)_{20}] \pm\frac{1}{2}B_{120}(n+1,-n)\ G_{3-4}(10)_{10}$
		$+\frac{1}{2}B_{310}(n,-n)[G_{20}(-20)_{20} \pm G_{4-6}(20)_{20}] \pm\frac{1}{2}B_{220}(n+1,-n)\ G_{4-5}(10)_{10}$
		$+\frac{1}{2}B_{410}(n,-n)[G_{3-1}(-20)_{20} \pm G_{5-7}(20)_{20}] \pm\frac{1}{2}B_{320}(n+1,-n)\ G_{5-6}(10)_{10}$
		$+ \quad . \quad . \quad . \quad . \quad \pm \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}B_{020}(n-1,-n)\ G_{2-3}(10)_{10} + \frac{1}{2}B_{030}(n+2,-n)\ G_{3-3}(00)_{00} + \frac{1}{2}B_{030}(n-2,-n)\ G_{3-3}(00)_{00}$
		$+\frac{1}{2}B_{120}(n-1,-n)\ G_{1-2}(10)_{10} \pm\frac{1}{2}B_{130}(n+2,-n)\ G_{4-4}(00)_{00} + \frac{1}{2}B_{130}(n-2,-n)\ G_{2-2}(00)_{00}$
		$+\frac{1}{2}B_{220}(n-1,-n)\ G_{01}(-10)_{10} \pm\frac{1}{2}B_{230}(n+2,-n)\ G_{5-5}(00)_{00} + \frac{1}{2}B_{230}(n-2,-n)\ G_{1-1}(00)_{00}$
		$+\frac{1}{2}B_{420}(n-1,-n)\ G_{2-1}(-10)_{10} + \frac{1}{2}B_{330}(n+2,-n)\ G_{6-6}(00)_{00} + B_{330}(n-2,-n)\ G_{00}(00)_{00}$
		$+ \quad . \quad . \quad . \quad . \quad \pm \quad . \quad . \quad . \quad . \quad + \frac{1}{2}B_{430}(n-2,-n)\ G_{1-1}(00)_{00}$
		$+ \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
$2-4\mu+2\varsigma$	η^2	$P_{2-4}(20)_{20} = B_{420}(n-2,-n)$ $+\frac{1}{2}B_{110}(n,-n)\,[G_{1-3}(20)_{20} \pm G_{3-5}(20)_{20}]$ $+\frac{1}{2}B_{210}(n,-n)\,[G_{02}(-20)_{20} \pm G_{4-6}(20)_{20}] + \frac{1}{2}B_{020}(n+1,-n)\,G_{3-4}(10)_{10}$ $+\frac{1}{2}B_{310}(n,-n)\,[G_{11}(-20)_{20} \pm G_{5-7}(20)_{20}] \pm \frac{1}{2}B_{120}(n+1,-n)\,G_{4-5}(10)_{10}$ $+\frac{1}{2}B_{410}(n,-n)\,[G_{20}(-20)_{20} \pm G_{6-8}(20)_{20}] \pm \frac{1}{2}B_{220}(n+1,-n)\,G_{5-6}(10)_{10}$ $+ \quad . \quad . \quad . \quad . \quad \pm \quad . \quad . \quad . \quad . \quad .$ $+\frac{1}{2}B_{020}(n-1,-n)\,G_{3-4}(10)_{10} + \frac{1}{2}B_{030}(n+2,-n)\,G_{4-4}(00)_{00} + \frac{1}{2}B_{030}(n-2,-n)\,G_{4-4}(00)_{00}$ $+\frac{1}{2}B_{120}(n-1,-n)\,G_{2-3}(10)_{10} \pm \frac{1}{2}B_{130}(n+2,-n)\,G_{5-5}(00)_{00} + \frac{1}{2}B_{130}(n-2,-n)\,G_{3-3}(00)_{00}$ $+\frac{1}{2}B_{220}(n-1,-n)\,G_{1-2}(10)_{10} \pm \frac{1}{2}B_{230}(n+2,-n)\,G_{6-6}(00)_{00} + \frac{1}{2}B_{230}(n-2,-n)\,G_{2-2}(00)_{00}$ $+\frac{1}{2}B_{320}(n-1,-n)\,G_{01}(-10)_{10} \pm \frac{1}{2}B_{330}(n+2,-n)\,G_{7-7}(00)_{00} + \frac{1}{2}B_{330}(n-2,-n)\,G_{1-1}(00)_{00}$ $+\frac{1}{2}B_{520}(n-1,-n)\,G_{2-1}(-10)_{10} \pm \quad . \quad . \quad . \quad . \quad + \quad B_{430}(n-2,-n)\,G_{00}(00)_{00}$ $+ \quad . \quad . \quad . \quad . \quad + \frac{1}{2}B_{530}(n-2,-n)\,G_{1-1}(00)_{00}$ $+ \quad . \quad . \quad . \quad .$
$3-5\mu+2\varsigma$	η^2	$P_{3-5}(20)_{20} = B_{520}(n-2,-n)$
$4-6\mu+2\varsigma$	η^2	$P_{4-6}(20)_{20} = B_{620}(n-2,-n)$ u. s. w.
$1+\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$P_{11}(-1-1)_{11} = B_{011}(n+1,-n+1) + B_{011}(n-1,-n-1)$
$2-\varsigma-\mu\varsigma'$	$\eta\eta'$	$P_{20}(-1-1)_{11} = B_{111}(n+1,-n+1)$
$3-\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$P_{3-1}(-1-1)_{11} = B_{211}(n+1,-n+1)$
$4-2\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$P_{4-2}(-1-1)_{11} = B_{311}(n+1,-n+1)$
$5-3\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$P_{5-3}(-1-1)_{11} = B_{411}(n+1,-n+1)$ u. s. w.
$2\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$P_{02}(-1-1)_{11} = \pm B_{111}(n-1,-n-1)$ $+\frac{1}{2}B_{110}(n,-n)\,[G_{1-3}(11)_{11} \pm G_{11}\,(-1-1)_{11}] + \frac{1}{2}B_{020}(n+1,-n)\,G_{1-2}(01)_{01}$ $+\frac{1}{2}B_{210}(n,-n)\,[G_{2-4}(11)_{11} \pm G_{20}\,(-1-1)_{11}] + \frac{1}{2}B_{120}(n+1,-n)\,G_{2-3}(01)_{01}$ $+\frac{1}{2}B_{310}(n,-n)\,[G_{3-5}(11)_{11} \pm G_{3-1}(-1-1)_{11}] + \frac{1}{2}B_{220}(n+1,-n)\,G_{3-4}(01)_{01}$ $+ \quad . \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $+\frac{1}{2}B_{020}(n-1,-n)\,G_{1-2}(01)_{01} + \frac{1}{2}B_{011}(n,-n+1)\,G_{01}(-10)_{10} + \frac{1}{2}B_{011}(n,-n-1)\,G_{01}(-10)_{10}$ $\pm\frac{1}{2}B_{120}(n-1,-n)\,G_{01}(0-1)_{01} + \frac{1}{2}B_{111}(n,-n+1)\,G_{1-2}(10)_{10} \pm \frac{1}{2}B_{211}(n,-n-1)\,G_{2-1}(-10)_{10}$ $\pm\frac{1}{2}B_{320}(n-1,-n)\,G_{2-1}(0-1)_{01} + \frac{1}{2}B_{211}(n,-n+1)\,G_{2-3}(10)_{10} \pm \frac{1}{2}B_{311}(n,-n-1)\,G_{3-2}(-10)_{10}$ $\pm \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad \pm \quad . \quad . \quad . \quad .$ $+\frac{1}{2}B_{021}(n+1,-n+1)\,G_{1-1}(00)_{00} + \frac{1}{2}B_{021}(n-1,-n-1)\,G_{1-1}(00)_{00}$ $+\frac{1}{2}B_{121}(n+1,-n+1)\,G_{2-2}(00)_{00} \pm B_{121}(n-1,-n-1)\,G_{00}(00)_{00}$ $+\frac{1}{2}B_{221}(n+1,-n+1)\,G_{3-3}(00)_{00} \pm \frac{1}{2}B_{221}(n-1,-n-1)\,G_{1-1}(00)_{00}$ $+\frac{1}{2}B_{321}(n+1,-n+1)\,G_{4-4}(00)_{00} \pm \frac{1}{2}B_{321}(n-1,-n-1)\,G_{2-2}(00)_{00}$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
$1-3\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$P_{1-3}(11)_{11} = B_{211}(n-1,-n-1)$
		$+\frac{1}{2}B_{110}(n,-n)\,[G_{02}(-1-1)_{11} \pm G_{2-4}(11)_{11}] + \frac{1}{2}B_{020}(n+1,-n)\,G_{2-3}(01)_{01}$
		$+\frac{1}{2}B_{210}(n,-n)\,[G_{11}(-1-1)_{11} \pm G_{3-5}(11)_{11}] \pm \frac{1}{2}B_{120}(n+1,-n)\,G_{3-4}(01)_{01}$
		$+\frac{1}{2}B_{310}(n,-n)\,[G_{20}(-1-1)_{11} \pm G_{4-6}(11)_{11}] \pm \frac{1}{2}B_{220}(n+1,-n)\,G_{4-5}(01)_{01}$
		$+\frac{1}{2}B_{410}(n,-n)\,[G_{3-1}(-1-1)_{11} \pm G_{5-7}(11)_{11}] \pm \frac{1}{2}B_{320}(n+1,-n)\,G_{5-6}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad . \quad \pm \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}B_{020}(n-1,-n)\,G_{2-3}(01)_{01} + \frac{1}{2}B_{011}(n,-n+1)\,G_{1-2}(10)_{10} + \frac{1}{2}B_{011}(n,-n-1)\,G_{1-2}(10)_{10}$
		$+\frac{1}{2}B_{120}(n-1,-n)\,G_{1-2}(01)_{01} \pm \frac{1}{2}B_{111}(n,-n+1)\,G_{2-3}(10)_{10} + \frac{1}{2}B_{111}(n,-n-1)\,G_{01}(-10)_{10}$
		$+\frac{1}{2}B_{220}(n-1,-n)\,G_{01}(0-1)_{01} + \frac{1}{2}B_{211}(n,-n+1)\,G_{3-4}(10)_{10} + \frac{1}{2}B_{311}(n,-n-1)\,G_{2-1}(-10)_{10}$
		$+\frac{1}{2}B_{420}(n-1,-n)\,G_{2-1}(0-1)_{01} \pm \frac{1}{2}B_{311}(n,-n+1)\,G_{4-5}(10)_{10} + \frac{1}{2}B_{411}(n,-n-1)\,G_{3-2}(-10)_{10}$
		$+ \quad . \quad . \quad . \quad . \quad \pm \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}B_{021}(n+1,-n+1)\,G_{2-2}(00)_{00} + \frac{1}{2}B_{021}(n-1,-n-1)\,G_{2-2}(00)_{00}$
		$\pm\frac{1}{2}B_{121}(n+1,-n+1)\,G_{3-3}(00)_{00} + \frac{1}{2}B_{121}(n-1,-n-1)\,G_{1-1}(00)_{00}$
		$\pm\frac{1}{2}B_{221}(n+1,-n+1)\,G_{4-4}(00)_{00} + B_{221}(n-1,-n-1)\,G_{00}(00)_{00}$
		$\pm\frac{1}{2}B_{321}(n+1,-n+1)\,G_{5-5}(00)_{00} + \frac{1}{2}B_{321}(n-1,-n-1)\,G_{1-1}(00)_{00}$
		$\pm \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2-4\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$P_{2-4}(11)_{11} = B_{311}(n-1,-n-1)$
		$+\frac{1}{2}B_{110}(n,-n)\,[G_{1-3}(11)_{11} \pm G_{3-5}(11)_{11}] + \frac{1}{2}B_{020}(n+1,-n)\,G_{3-4}(01)_{01}$
		$+\frac{1}{2}B_{210}(n,-n)\,[G_{02}(-1-1)_{11} \pm G_{4-6}(11)_{11}] \pm \frac{1}{2}B_{120}(n+1,-n)\,G_{4-5}(01)_{01}$
		$+\frac{1}{2}B_{310}(n,-n)\,[G_{11}(-1-1)_{11} \pm G_{5-7}(11)_{11}] \pm \frac{1}{2}B_{220}(n+1,-n)\,G_{5-6}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}B_{020}(n-1,-n)\,G_{3-4}(01)_{01} + \frac{1}{2}B_{011}(n,-n+1)\,G_{2-3}(10)_{10} + \frac{1}{2}B_{011}(n,-n-1)\,G_{2-3}(10)_{10}$
		$+\frac{1}{2}B_{120}(n-1,-n)\,G_{2-3}(01)_{01} \pm \frac{1}{2}B_{111}(n,-n+1)\,G_{3-4}(10)_{10} + \frac{1}{2}B_{111}(n,-n-1)\,G_{1-2}(10)_{10}$
		$+\frac{1}{2}B_{220}(n-1,-n)\,G_{1-2}(01)_{01} \pm \frac{1}{2}B_{211}(n,-n+1)\,G_{4-5}(10)_{10} + \frac{1}{2}B_{211}(n,-n-1)\,G_{01}(-10)_{10}$
		$+\frac{1}{2}B_{320}(n-1,-n)\,G_{01}(0-1)_{01} \pm \frac{1}{2}B_{311}(n,-n+1)\,G_{5-6}(10)_{10} + \frac{1}{2}B_{411}(n,-n-1)\,G_{2-1}(-10)_{10}$
		$+\frac{1}{2}B_{520}(n-1,-n)\,G_{2-1}(0-1)_{01} \pm \quad . \quad . \quad . \quad . \quad + \frac{1}{2}B_{511}(n,-n-1)\,G_{3-2}(-10)_{10}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}B_{021}(n+1,-n+1)\,G_{3-3}(00)_{00} + \frac{1}{2}B_{021}(n-1,-n-1)\,G_{3-3}(00)_{00}$
		$\pm\frac{1}{2}B_{121}(n+1,-n+1)\,G_{4-4}(00)_{00} + \frac{1}{2}B_{121}(n-1,-n-1)\,G_{2-2}(00)_{00}$
		$\pm\frac{1}{2}B_{221}(n+1,-n+1)\,G_{5-5}(00)_{00} + \frac{1}{2}B_{221}(n-1,-n-1)\,G_{1-1}(00)_{00}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$3-5\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$P_{3-5}(11)_{11} = B_{411}(n-1,-n-1)$
$4-6\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$P_{4-6}(11)_{11} = B_{511}(n-1,-n-1)$
		u. s. w.
$1-\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$P_{1-1}(-11)_{11} = B_{011}(n+1,-n-1) + B_{011}(n-1,-n+1)$
$2-2\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$P_{2-2}(-11)_{11} = B_{111}(n+1,-n-1)$
		$+\frac{1}{2}B_{110}(n,-n)\,[G_{1-1}(-11)_{11} \pm G_{3-3}(-11)_{11}] + \frac{1}{2}B_{020}(n+1,-n)\,G_{1-2}(01)_{01}$
		$+\frac{1}{2}B_{210}(n,-n)\,[G_{00}(1-1)_{11} \pm G_{4-4}(-11)_{11}] + \frac{1}{2}B_{120}(n+1,-n)\,G_{01}(0-1)_{01}$
		$+\frac{1}{2}B_{310}(n,-n)\,[G_{1-1}(1-1)_{11} \pm G_{5-5}(-11)_{11}] + \frac{1}{2}B_{320}(n+1,-n)\,G_{2-1}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}B_{020}(n-1,-n)\,G_{1-2}(01)_{01}\ +\frac{1}{2}B_{011}(n,-n+1)\,G_{2-1}(-10)_{10}\ +\frac{1}{2}B_{011}(n,-n-1)\,G_{2-1}(-10)_{10}$
		$\pm\frac{1}{2}B_{120}(n-1,-n)\,G_{2-3}(01)_{01}\ \pm\frac{1}{2}B_{111}(n,-n+1)\,G_{3-2}(-10)_{10}\ +\frac{1}{2}B_{211}(n,-n-1)\,G_{01}(-10)_{10}$
		$\pm\frac{1}{2}B_{220}(n-1,-n)\,G_{3-4}(01)_{01}\ \pm\frac{1}{2}B_{211}(n,-n+1)\,G_{4-3}(-10)_{10}\ +\frac{1}{2}B_{311}(n,-n-1)\,G_{1-2}(10)_{10}$
		$\pm\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .$
		$+\frac{1}{2}B_{021}(n+1,-n-1)\,G_{1-1}(00)_{00}\ +\frac{1}{2}B_{021}(n-1,-n+1)\,G_{1-1}(00)_{00}$
		$+\ B_{121}(n+1,-n-1)\,G_{00}(00)_{00}\ \pm\frac{1}{2}B_{121}(n-1,-n+1)\,G_{2-2}(00)_{00}$
		$+\frac{1}{2}B_{221}(n+1,-n-1)\,G_{1-1}(00)_{00}\ +\frac{1}{2}B_{221}(n-1,-n+1)\,G_{3-3}(00)_{00}$
		$+\frac{1}{2}B_{321}(n+1,-n-1)\,G_{2-2}(00)_{00}\ +\frac{1}{2}B_{321}(n-1,-n+1)\,G_{4-4}(00)_{00}$
		$+\ .\ .\ .\ .\ .\ \pm\ .\ .\ .\ .\ .$
$3-3\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$P_{3-3}(-11)_{11}=B_{211}(n+1,-n-1)$
$4-4\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$P_{4-4}(-11)_{11}=B_{311}(n+1,-n-1)$
$5-5\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$P_{5-5}(-11)_{11}=B_{411}(n+1,-n-1)$
		u. s. w.
$\varsigma-\mu\varsigma'$	$\eta\eta'$	$P_{00}(1-1)_{11}=[B_{111}(n-1,-n+1)]$
		$+\frac{1}{2}B_{110}(n,-n)\,[G_{1-1}(-11)_{11}\pm G_{1-1}(1-1)_{11}]\ \pm\frac{1}{2}B_{120}(n+1,-n)\,G_{2-1}(0-1)_{01}$
		$+\frac{1}{2}B_{210}(n,-n)\,[G_{2-2}(-11)_{11}\pm G_{2-2}(1-1)_{11}]\ \pm\frac{1}{2}B_{220}(n+1,-n)\,G_{3-2}(0-1)_{01}$
		$+\frac{1}{2}B_{310}(n,-n)\,[G_{3-3}(-11)_{11}\pm G_{3-3}(1-1)_{11}]\ \pm\frac{1}{2}B_{320}(n+1,-n)\,G_{4-3}(0-1)_{01}$
		$+\ .\ .\ .\ .\ .\ \pm\ .\ .\ .\ .\ .$
		$+\frac{1}{2}B_{120}(n-1,-n)\,G_{01}(0-1)_{01}\ +\frac{1}{2}B_{011}(n,-n+1)\,G_{01}(-10)_{10}\ +\frac{1}{2}B_{011}(n,-n-1)\,G_{01}(-10)_{10}$
		$+\frac{1}{2}B_{220}(n-1,-n)\,G_{1-2}(01)_{01}\ +\frac{1}{2}B_{211}(n,-n+1)\,G_{2-1}(-10)_{10}\ \pm\frac{1}{2}B_{111}(n,-n-1)\,G_{1-2}(10)_{10}$
		$+\frac{1}{2}B_{320}(n-1,-n)\,G_{2-3}(01)_{01}\ +\frac{1}{2}B_{311}(n,-n+1)\,G_{3-2}(-10)_{10}\ \pm\frac{1}{2}B_{211}(n,-n-1)\,G_{2-3}(10)_{10}$
		$+\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .$
		$+\frac{1}{2}B_{021}(n+1,-n-1)\,G_{1-1}(00)_{00}\ +\frac{1}{2}B_{021}(n-1,-n+1)\,G_{1-1}(00)_{00}$
		$\pm\frac{1}{2}B_{121}(n+1,-n-1)\,G_{2-2}(00)_{00}\ +\ B_{121}(n-1,-n+1)\,G_{00}(00)_{00}$
		$\pm\frac{1}{2}B_{221}(n+1,-n-1)\,G_{3-3}(00)_{00}\ +\frac{1}{2}B_{221}(n-1,-n+1)\,G_{1-1}(00)_{00}$
		$\pm\frac{1}{2}B_{321}(n+1,-n-1)\,G_{4-4}(00)_{00}\ +\frac{1}{2}B_{321}(n-1,-n+1)\,G_{2-2}(00)_{00}$
		$+\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .$
		$+B_{020}(n,-n)\,\{2\,G_{00}(00)_{00}\,G_{00}(1-1)_{11}$
		$+G_{1-1}(00)_{00}\,[G_{1-1}(1-1)_{11}+G_{1-1}(-11)_{11}]\ +G_{01}(-10)_{10}\,G_{01}(0-1)_{01}\ +G_{2-1}(-10)_{10}\,G_{2-1}(0-1)_{01}$
		$+G_{2-2}(00)_{00}\,[G_{2-2}(1-1)_{11}+G_{2-2}(-11)_{11}]\ +G_{1-2}(10)_{10}\,G_{1-2}(01)_{01}\ +G_{3-2}(-10)_{10}\,G_{3-2}(0-1)_{01}$
		$+G_{3-3}(00)_{00}\,[G_{3-3}(1-1)_{11}+G_{3-3}(-11)_{11}]\ +G_{2-3}(10)_{10}\,G_{2-3}(01)_{01}\ +G_{4-3}(-10)_{10}\,G_{4-3}(0-1)_{01}$
		$+\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .\ \}$
		$+\frac{1}{2}B_{120}(n,-n)\,\{2\,G_{00}(00)_{00}\,[G_{1-1}(-11)_{11}\pm G_{1-1}(1-1)_{11}]$
		$+G_{1-1}(00)_{00}\,[G_{2-2}(-11)_{11}\pm G_{2-2}(1-1)_{11}]$
		$+G_{2-2}(00)_{00}\,[G_{3-3}(-11)_{11}+G_{1-1}(1-1)_{11}\pm G_{1-1}(-11)_{11}\pm G_{3-3}(1-1)_{11}]$
		$+G_{3-3}(00)_{00}\,[G_{4-4}(-11)_{11}+G_{2-2}(1-1)_{11}+G_{2-2}(-11)_{11}\pm G_{4-4}(1-1)_{11}]$
		$+\ .\ .\ .\ .\ .$
		$+G_{01}(-10)_{10}\,G_{1-2}(01)_{01}\ \pm G_{2-1}(-10)_{10}\,G_{3-2}(0-1)_{01}$
		$+G_{1-2}(10)_{10}\,[G_{2-3}(01)_{01}\pm G_{01}(0-1)_{01}]\ +G_{3-2}(-10)_{10}\,[G_{2-1}(0-1)_{01}\pm G_{4-3}(0-1)_{01}]$
		$+G_{2-3}(10)_{10}\,[G_{3-4}(01)_{01}\pm G_{1-2}(01)_{01}]\ +G_{4-3}(-10)_{10}\,[G_{3-2}(0-1)_{01}+G_{5-4}(0-1)_{01}]$
		$+G_{3-4}(10)_{10}\,[G_{4-5}(01)_{01}\pm G_{2-3}(01)_{01}]\ +G_{5-4}(-10)_{10}\,[G_{4-3}(0-1)_{01}\pm G_{6-5}(0-1)_{01}]$
		$+\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .\ \}$

Argument	Exc.	Coefficient
		$+\frac{1}{2}B_{220}(n,-n)\{2\,G_{00}(00)_{00}\ [G_{2-2}(-11)_{11}\pm G_{2-2}(1-1)_{11}]$
		$+G_{1-1}(00)_{00}[G_{3-3}(-11)_{11}+G_{1-1}(-11)_{11}+G_{1-1}(1-1)_{11}+G_{3-3}(1-1)_{11}]$
		$+G_{2-2}(00)_{00}[G_{4-4}(-11)_{11}\pm G_{4-4}(1-1)_{11}]$
		$+G_{3-3}(00)_{00}[G_{5-5}(-11)_{11}+G_{1-1}(1-1)_{11}\pm G_{1-1}(-11)_{11}+G_{5-5}(1-1)_{11}]$
		$+G_{4-4}(00)_{00}[G_{6-6}(-11)_{11}+G_{2-2}(1-1)_{11}\pm G_{2-2}(-11)_{11}+G_{6-6}(1-1)_{11}]$
		$+$ . . . .
		$+G_{01}(-10)_{10}[G_{2-3}(01)_{01}\pm G_{2-1}(0-1)_{01}]$ $+G_{2-1}(-10)_{10}[G_{01}(0-1)_{01}+G_{4-3}(0-1)_{01}]$
		$+G_{1-2}(10)_{10}\ G_{3-4}(01)_{01}$ $\pm G_{3-2}(-10)_{10}\ G_{5-4}(0-1)_{01}$
		$+G_{2-3}(10)_{10}\ [G_{4-5}(01)_{01}\pm G_{01}(0-1)_{01}]$ $+G_{4-3}(-10)_{10}[G_{2-1}(0-1)_{01}\pm G_{6-5}(0-1)_{01}]$
		$+G_{3-4}(10)_{10}\ [G_{5-6}(01)_{01}\pm G_{1-2}(01)_{01}]$ $+G_{5-4}(-10)_{10}[G_{3-2}(0-1)_{01}\pm G_{7-6}(0-1)_{01}]$
		$+G_{4-5}(10)_{10}\ [G_{6-7}(01)_{01}\pm G_{2-3}(01)_{01}]$ $+$ . . . .
		$+$ . . . . . $\}$
		$+$ . . . . . .
$1-\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$P_{1-1}(1-1)_{11}=B_{211}(n-1,-n+1)$
$2-2\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$P_{2-2}(1-1)_{11}=B_{311}(n-1,-n+1)$
		$+\frac{1}{2}B_{110}(n,-n)[G_{1-1}(1-1)_{11}\pm G_{3-3}(1-1)_{11}]$ $+\frac{1}{2}B_{020}(n+1,-n)\,G_{3-2}(0-1)_{01}$
		$+\frac{1}{2}B_{210}(n,-n)[G_{00}(1-1)_{11}\pm G_{4-4}(1-1)_{11}]$ $\pm\frac{1}{2}B_{120}(n+1,-n)\,G_{4-3}(0-1)_{01}$
		$+\frac{1}{2}B_{310}(n,-n)[G_{1-1}(-11)_{11}\pm G_{5-5}(1-1)_{11}]$ $\pm\frac{1}{2}B_{220}(n+1,-n)\,G_{5-4}(0-1)_{01}$
		$+\frac{1}{2}B_{410}(n,-n)[G_{2-2}(-11)_{11}\pm G_{6-6}(1-1)_{11}]$ $\pm$ . . . .
		$+$ . . . .
		$+\frac{1}{2}B_{020}(n-1,-n)\,G_{3-2}(0-1)_{01}$ $+\frac{1}{2}B_{011}(n,-n+1)\,G_{2-3}(10)_{10}$ $+\frac{1}{2}B_{011}(n,-n-1)\,G_{2-3}(10)_{10}$
		$+\frac{1}{2}B_{120}(n-1,-n)\,G_{2-1}(0-1)_{01}$ $+\frac{1}{2}B_{111}(n,-n+1)\,G_{1-2}(10)_{10}$ $\pm\frac{1}{2}B_{111}(n,-n-1)\,G_{3-4}(10)_{10}$
		$+\frac{1}{2}B_{320}(n-1,-n)\,G_{01}(0-1)_{01}$ $+\frac{1}{2}B_{211}(n,-n+1)\,G_{01}(-10)_{10}$ $\pm\frac{1}{2}B_{211}(n,-n-1)\,G_{4-5}(10)_{10}$
		$+\frac{1}{2}B_{420}(n-1,-n)\,G_{1-2}(01)_{01}$ $+\frac{1}{2}B_{411}(n,-n+1)\,G_{2-1}(-10)_{10}$ $\pm\frac{1}{2}B_{311}(n,-n-1)\,G_{5-6}(10)_{10}$
		$+$ . . . . $+$ . . . . $\pm$ . . . . .
		$+\frac{1}{2}B_{021}(n+1,-n-1)\,G_{3-3}(00)_{00}$ $+\frac{1}{2}B_{021}(n-1,-n+1)\,G_{3-3}(00)_{00}$
		$\pm\frac{1}{2}B_{121}(n+1,-n-1)\,G_{4-4}(00)_{00}$ $+\frac{1}{2}B_{121}(n-1,-n+1)\,G_{2-2}(00)_{00}$
		$\pm\frac{1}{2}B_{221}(n+1,-n-1)\,G_{5-5}(00)_{00}$ $+\frac{1}{2}B_{221}(n-1,-n+1)\,G_{1-1}(00)_{00}$
		$\pm$ . . . . $+$ . . . .
$3-3\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$P_{3-3}(1-1)_{11}=B_{411}(n-1,-n+1)$
$4-4\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$P_{4-4}(1-1)_{11}=B_{511}(n-1,-n+1)$
		u. s. w.
—	η'^2	$P_{00}(00)_{02}=B_{002}(n,-n)+B_{000}(n,-n)_{01}$
		$+\frac{1}{2}B_{110}(n,-n)\,G_{1-1}(00)_{02}$ $+\ \{B_{012}(n,-n)+B_{010}(n,-n)_{01}\}\,G_{00}(00)_{00}$
		$+\frac{1}{2}B_{210}(n,-n)\,G_{2-2}(00)_{02}$ $+\frac{1}{2}\{B_{112}(n,-n)+B_{110}(n,-n)_{01}\}\,G_{1-1}(00)_{00}$
		$+\frac{1}{2}B_{310}(n,-n)\,G_{3-3}(00)_{02}$ $+\frac{1}{2}\{B_{212}(n,-n)+B_{210}(n,-n)_{01}\}\,G_{2-2}(00)_{00}$
		$+$ . . . . $+$ . . . .
		$+\frac{1}{2}B_{011}(n,-n+1)\,G_{01}(0-1)_{01}$ $+\frac{1}{2}B_{011}(n,-n-1)\,G_{01}(0-1)_{01}$
		$+\frac{1}{2}B_{211}(n,-n+1)\,G_{2-1}(0-1)_{01}$ $+\frac{1}{2}B_{111}(n,-n-1)\,G_{1-2}(01)_{01}$
		$+\frac{1}{2}B_{311}(n,-n+1)\,G_{3-2}(0-1)_{01}$ $+\frac{1}{2}B_{211}(n,-n-1)\,G_{2-3}(01)_{01}$
		$+$ . . . . $+$ . . . .

Argument	Exc.	Coefficient
$1—\mu$	η'^2	$P_{1-1}(00)_{02} = B_{102}(n,—n) + B_{100}(n,—n)_{01}$
$2—2\mu$	η'^2	$P_{2-2}(00)_{02} = B_{202}(n,—n) + B_{200}(n,—n)_{01}$
		$+ \frac{1}{2} B_{110}(n,—n)\,[G_{1-1}(00)_{02} \pm G_{3-3}(00)_{02}] + \{B_{012}(n,—n) + B_{010}(n,—n)_{01}\}\, G_{2-2}(00)_{00}$
		$+ \frac{1}{2} B_{210}(n,—n)\,[2\,G_{00}(00)_{02} \pm G_{4-4}(00)_{02}] + \frac{1}{2}\{B_{112}(n,—n) + B_{110}(n,—n)_{01}\}\,[G_{1-1}(00)_{00} \pm G_{3-3}(00)_{00}]$
		$+ \frac{1}{2} B_{310}(n,—n)\,[G_{1-1}(00)_{02} \pm G_{5-5}(00)_{02}] + \frac{1}{2}\{B_{212}(n,—n) + B_{210}(n,—n)_{01}\}\,[2\,G_{00}(00)_{00} \pm G_{4-4}(00)_{00}]$
		$+ \frac{1}{2} B_{410}(n,—n)\,[G_{2-2}(00)_{02} \pm G_{6-6}(00)_{02}] + \frac{1}{2}\{B_{312}(n,—n) + B_{310}(n,—n)_{01}\}\,[G_{1-1}(00)_{00} \pm G_{5-5}(00)_{00}]$
		$+ \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ \frac{1}{2} B_{011}(n,—n+1)\,[G_{2-3}(01)_{01} + G_{2-1}(0—1)_{01}] + \frac{1}{2} B_{011}(n,—n—1)\,[G_{2-1}(0—1)_{01} + G_{2-3}(01)_{01}]$
		$+ \frac{1}{2} B_{111}(n,—n+1)\,[G_{1-2}(01)_{01} \pm G_{3-2}(0—1)_{01}] \pm \frac{1}{2} B_{111}(n,—n—1)\; G_{3-4}(01)_{01}$
		$+ \frac{1}{2} B_{211}(n,—n+1)\,[G_{01}(0—1)_{01} \pm G_{4-3}(0—1)_{01}] + \frac{1}{2} B_{211}(n,—n—1)\,[G_{01}(0—1)_{01} \pm G_{4-5}(01)_{01}]$
		$\pm \frac{1}{2} B_{311}(n,—n+1)\; G_{5-4}(0—1)_{01} + \frac{1}{2} B_{311}(n,—n—1)\,[G_{1-2}(01)_{01} \pm G_{5-6}(01)_{01}]$
		$\pm \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$3—3\mu$	η'^2	$P_{3-3}(00)_{02} = B_{302}(n,—n) + B_{300}(n,—n)_{01}$
		$+ \frac{1}{2} B_{110}(n,—n)\,[G_{2-2}(00)_{02} \pm G_{4-4}(00)_{02}] + \frac{1}{2} B_{011}(n,—n+1)\,[G_{3-4}(01)_{01} + G_{3-2}(0—1)_{01}]$
		$+ \frac{1}{2} B_{210}(n,—n)\,[G_{1-1}(00)_{02} \pm G_{5-5}(00)_{02}] + \frac{1}{2} B_{111}(n,—n+1)\,[G_{2-3}(01)_{01} \pm G_{4-3}(0—1)_{01}]$
		$+ \frac{1}{2} B_{310}(n,—n)\,[2\,G_{00}(00)_{02} \pm G_{6-6}(00)_{02}] + \frac{1}{2} B_{211}(n,—n+1)\,[G_{1-2}(01)_{01} \pm G_{5-4}(0—1)_{01}]$
		$+ \frac{1}{2} B_{410}(n,—n)\,[G_{1-1}(00)_{02} \pm G_{7-7}(00)_{02}] + \frac{1}{2} B_{311}(n,—n+1)\,[G_{01}(0—1)_{01} \pm G_{6-5}(0—1)_{01}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ \frac{1}{2} B_{011}(n,—n—1)\,[G_{3-2}(0—1)_{01} + G_{3-4}(01)_{01}] + \{B_{012}(n,—n) + B_{010}(n,—n)_{01}\}\; G_{3-3}(00)_{00}$
		$+ \frac{1}{2} B_{111}(n,—n—1)\,[G_{2-1}(0—1)_{01} \pm G_{4-3}(01)_{01}] + \frac{1}{2}\{B_{112}(n,—n) + B_{110}(n,—n)_{01}\}\,[G_{2-2}(00)_{00} + G_{4-4}(00)_{00}]$
		$\pm \frac{1}{2} B_{211}(n,—n—1)\; G_{5-6}(01)_{01} + \frac{1}{2}\{B_{212}(n,—n) + B_{210}(n,—n)_{01}\}\,[G_{1-1}(00)_{00} + G_{5-5}(00)_{00}]$
		$+ \frac{1}{2} B_{311}(n,—n—1)\,[G_{01}(0—1)_{01} \pm G_{6-7}(01)_{01}] + \frac{1}{2}\{B_{312}(n,—n) + B_{310}(n,—n)_{01}\}\,[2\,G_{00}(00)_{00} \pm G_{6-6}(00)_{00}]$
		$+ \frac{1}{2} B_{411}(n,—n—1)\,[G_{1-2}(01)_{01} \pm G_{7-8}(01)_{01}] + \frac{1}{2}\{B_{412}(n,—n) + B_{410}(n,—n)_{01}\}\,[G_{1-1}(00)_{00} \pm G_{7-7}(00)_{00}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$4—4\mu$	η'^2	$P_{4-4}(00)_{02} = B_{402}(n,—n) + B_{400}(n,—n)_{01}$
$5—5\mu$	η'^2	$P_{5-5}(00)_{02} = B_{502}(n,—n) + B_{500}(n,—n)_{01}$
		u. s. w.
$2\mu—2\mu\varsigma'$	η'^2	$P_{02}(0—2)_{02} = B_{002}(n,—n+2) + B_{002}(n,—n—2)$
		$+ \frac{1}{2} B_{110}(n,—n)\,[G_{1-3}(02)_{02} \pm G_{11}\;(0—2)_{02}] + \frac{1}{2} B_{011}(n,—n+1)\; G_{01}(0—1)_{01}$
		$+ \frac{1}{2} B_{210}(n,—n)\,[G_{2-4}(02)_{02} \pm G_{20}\;(0—2)_{02}] + \frac{1}{2} B_{111}(n,—n+1)\; G_{1-2}(01)_{01}$
		$+ \frac{1}{2} B_{310}(n,—n)\,[G_{3-5}(02)_{02} \pm G_{3-1}(0—2)_{02}] + \frac{1}{2} B_{211}(n,—n+1)\; G_{2-3}(01)_{01}$
		$+ \quad . \quad . \quad . \quad + \quad . \quad . \quad .$
		$+ \frac{1}{2} B_{011}(n,—n—1)\; G_{01}(0—1)_{01} + B_{012}(n,—n+2)\; G_{00}(00)_{00} + B_{012}(n,—n—2)\; G_{00}(00)_{00}$
		$\pm \frac{1}{2} B_{211}(n,—n—1)\; G_{2-1}(0—1)_{01} + \frac{1}{2} B_{112}(n,—n+2)\; G_{1-1}(00)_{00} \pm \frac{1}{2} B_{112}(n,—n—2)\; G_{1-1}(00)_{00}$
		$\pm \frac{1}{2} B_{311}(n,—n—1)\; G_{3-2}(0—1)_{01} + \frac{1}{2} B_{212}(n,—n+2)\; G_{2-2}(00)_{00} \pm \frac{1}{2} B_{212}(n,—n—2)\; G_{2-2}(00)_{00}$
		$\pm \quad . \quad . \quad . \quad + \quad . \quad . \quad \pm \quad . \quad . \quad .$
$1+\mu—2\mu\varsigma'$	η'^2	$P_{11}(0—2)_{02} = B_{102}(n,—n+2)$
$2—2\mu\varsigma'$	η'^2	$P_{20}(0—2)_{02} = B_{202}(n,—n+2)$
$3—\mu—2\mu\varsigma'$	η'^2	$P_{3-1}(0—2)_{02} = B_{302}(n,—n+2)$

Argument	Exc.	Coefficient
$4-2\mu-2\mu\varsigma'$	η'^2	$P_{4-2}(0-2)_{02} = B_{402}(n,-n+2)$ u. s. w.
$1-3\mu+2\mu\varsigma'$	η'^2	$P_{1-3}(02)_{02} = B_{102}(n,-n-2)$ $+\frac{1}{2}B_{110}(n,-n)\,[G_{02}(0-2)_{02} \pm G_{2-4}(02)_{02}] + \frac{1}{2}B_{011}(n,-n+1)\,G_{1-2}(01)_{01}$ $+\frac{1}{2}B_{210}(n,-n)\,[G_{11}(0-2)_{02} \pm G_{3-5}(02)_{02}] \pm \frac{1}{2}B_{111}(n,-n+1)\,G_{2-3}(01)_{01}$ $+\frac{1}{2}B_{310}(n,-n)\,[G_{20}(0-2)_{02} \pm G_{4-6}(02)_{02}] \pm \frac{1}{2}B_{211}(n,-n+1)\,G_{3-4}(01)_{01}$ $+\frac{1}{2}B_{410}(n,-n)\,[G_{3-1}(0-2)_{02} \pm G_{5-7}(02)_{02}] \pm \frac{1}{2}B_{311}(n,-n+1)\,G_{4-5}(01)_{01}$ $+ \quad . \quad . \quad . \quad . \quad \pm \quad . \quad . \quad . \quad .$ $+\frac{1}{2}B_{011}(n,-n-1)\,G_{1-2}(01)_{01} + \frac{1}{2}B_{012}(n,-n+2)\,G_{1-1}(00)_{00} + \frac{1}{2}B_{012}(n,-n-2)\,G_{1-1}(00)_{00}$ $+\frac{1}{2}B_{111}(n,-n-1)\,G_{01}(0-1)_{01} \pm \frac{1}{2}B_{112}(n,-n+2)\,G_{2-2}(00)_{00} + B_{112}(n,-n-2)\,G_{00}(00)_{00}$ $+\frac{1}{2}B_{311}(n,-n-1)\,G_{2-1}(0-1)_{01} \pm \frac{1}{2}B_{212}(n,-n+2)\,G_{3-3}(00)_{00} + \frac{1}{2}B_{212}(n,-n-2)\,G_{1-1}(00)_{00}$ $+ \quad . \quad . \quad . \quad . \quad \pm \quad . \quad . \quad . \quad . + \frac{1}{2}B_{312}(n,-n-2)\,G_{2-2}(00)_{00}$ $+ \quad . \quad . \quad . \quad .$
$2-4\mu+2\mu\varsigma'$	η'^2	$P_{2-4}(02)_{02} = B_{202}(n,-n-2)$ $+\frac{1}{2}B_{110}(n,-n)\,[G_{1-3}(02)_{02} \pm G_{3-5}(02)_{02}] + \frac{1}{2}B_{011}(n,-n+1)\,G_{2-3}(01)_{01}$ $+\frac{1}{2}B_{210}(n,-n)\,[G_{02}(0-2)_{02} \pm G_{4-6}(02)_{02}] \pm \frac{1}{2}B_{111}(n,-n+1)\,G_{3-4}(01)_{01}$ $+\frac{1}{2}B_{310}(n,-n)\,[G_{11}(0-2)_{02} \pm G_{5-7}(02)_{02}] \pm \frac{1}{2}B_{211}(n,-n+1)\,G_{4-5}(01)_{01}$ $+ \quad . \quad . \quad . \quad . \quad \pm \quad . \quad . \quad . \quad .$ $+\frac{1}{2}B_{011}(n,-n-1)\,G_{2-3}(01)_{01} + \frac{1}{2}B_{012}(n,-n+2)\,G_{2-2}(00)_{00} + \frac{1}{2}B_{012}(n,-n-2)\,G_{2-2}(00)_{00}$ $+\frac{1}{2}B_{111}(n,-n-1)\,G_{1-2}(01)_{01} \pm \frac{1}{2}B_{112}(n,-n+2)\,G_{3-3}(00)_{00} + \frac{1}{2}B_{112}(n,-n-2)\,G_{1-1}(00)_{00}$ $+\frac{1}{2}B_{211}(n,-n-1)\,G_{01}(0-1)_{01} \pm \frac{1}{2}B_{212}(n,-n+2)\,G_{4-4}(00)_{00} + B_{212}(n,-n-2)\,G_{00}(00)_{00}$ $+\frac{1}{2}B_{411}(n,-n-1)\,G_{2-1}(0-1)_{01} \pm \frac{1}{2}B_{312}(n,-n+2)\,G_{5-5}(00)_{00} + \frac{1}{2}B_{312}(n,-n-2)\,G_{1-1}(00)_{00}$ $+ \quad . \quad . \quad . \quad . \quad \pm \quad . \quad . \quad . \quad . + \quad . \quad . \quad . \quad .$
$3-5\mu+2\mu\varsigma'$	η'^2	$P_{3-5}(02)_{02} = B_{302}(n,-n-2)$
$4-6\mu+2\mu\varsigma'$	η'^2	$P_{4-6}(02)_{02} = B_{402}(n,-n-2)$
$5-7\mu+2\mu\varsigma'$	η'^2	$P_{5-7}(02)_{02} = B_{502}(n,-n-2)$ u. s. w.
$1-\varsigma$	η^3	$P_{10}(-10)_{30} = B_{030}(n+1,-n) + B_{010}(n+1,-n)_{10} + B_{030}(n-1,-n) + B_{010}(n-1,-n)_{10}$
$1-2\varsigma+\mu\varsigma'$	$\eta^2\eta'$	$P_{10}(-21)_{21} = B_{121}(n-2,-n+1)$
$1-\mu\varsigma'$	$\eta^2\eta'$	$P_{10}(0-1)_{21} = B_{121}(n,-n+1) + B_{101}(n,-n+1)_{10}$
$1+\varsigma-2\mu\varsigma'$	$\eta\eta'^2$	$P_{10}(1-2)_{12} = B_{212}(n-1,-n+2)$
$1-\varsigma$	$\eta\eta'^2$	$P_{10}(-10)_{12} = B_{012}(n+1,-n) + B_{010}(n+1,-n)_{01} + B_{012}(n-1,-n) + B_{010}(n-1,-n)_{01}$
$1-\mu\varsigma'$	η'^3	$P_{10}(0-1)_{03} = B_{103}(n,-n+1) + B_{101}(n,-n+1)_{01}$

Formeln für die Entwicklungscoefficienten $C_{\nu\nu'}(nn')_{ss'}$.

Argument	Exc.	Coefficient
—	—	$C_{00}(00)_{00} = -P_{00}(00)_{00} + 2S_{00}(00)_{00}$ $+ S_{00}(00)_{00}\,[S_{00}(00)_{00} - 2P_{00}(00)_{00}]$ $+ S_{1-1}(00)_{00}\,[\frac{1}{2}S_{1-1}(00)_{00} - P_{1-1}(00)_{00}] + \frac{1}{2}Q_{1-1}(00)_{00}K_{1-1}(00)_{00}$ $+ S_{2-2}(00)_{00}\,[\frac{1}{2}S_{2-2}(00)_{00} - P_{2-2}(00)_{00}] + \frac{1}{2}Q_{2-2}(00)_{00}K_{2-2}(00)_{00}$ $+ S_{3-3}(00)_{00}\,[\frac{1}{2}S_{3-3}(00)_{00} - P_{3-3}(00)_{00}] + \frac{1}{2}Q_{3-3}(00)_{00}K_{3-3}(00)_{00}$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$1-\mu$	—	$C_{1-1}(00)_{00} = -P_{1-1}(00)_{00} + 2S_{1-1}(00)_{00}$
$2-2\mu$	—	$C_{2-2}(00)_{00} = -P_{2-2}(00)_{00} + 2S_{2-2}(00)_{00}$ $+ S_{1-1}(00)_{00}\,[S_{3-3}(00)_{00} + S_{1-1}(00)_{00} - P_{3-3}(00)_{00} - P_{1-1}(00)_{00}] + \frac{1}{2}Q_{1-1}(00)_{00}[K_{3-3}(00)_{00} - K_{1-1}(00)_{00}]$ $+ S_{2-2}(00)_{00}\,[S_{4-4}(00)_{00} + 2S_{00}(00)_{00} - P_{4-4}(00)_{00} - 2P_{00}(00)_{00}] + \frac{1}{2}Q_{2-2}(00)_{00}K_{4-4}(00)_{00}$ $+ S_{3-3}(00)_{00}\,[S_{5-5}(00)_{00} + S_{1-1}(00)_{00} - P_{5-5}(00)_{00} - P_{1-1}(00)_{00}] + \frac{1}{2}Q_{3-3}(00)_{00}[K_{5-5}(00)_{00} + K_{1-1}(00)_{00}]$ $+ S_{4-4}(00)_{00}\,[S_{6-6}(00)_{00} + S_{2-2}(00)_{00} - P_{6-6}(00)_{00} - P_{2-2}(00)_{00}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$3-3\mu$	—	$C_{3-3}(00)_{00} = -P_{3-3}(00)_{00} + 2S_{3-3}(00)_{00}$
$4-4\mu$	—	$C_{4-4}(00)_{00} = -P_{4-4}(00)_{00} + 2S_{4-4}(00)_{00}$ u. s. w.
$1-\varsigma$	η	$C_{10}(-10)_{10} = -P_{10}(-10)_{10} + 2S_{10}(-10)_{10}$ $+ 2S_{00}(00)_{00}\,[S_{10}(-10)_{10} - P_{10}(-10)_{10}] - 2P_{00}(00)_{00}S_{10}(-10)_{10}$ $+ S_{1-1}(00)_{00}[S_{2-1}(-10)_{10} + S_{01}(-10)_{10} - P_{2-1}(-10)_{10} - P_{01}(-10)_{10}] - P_{1-1}(00)_{00}[S_{2-1}(-10)_{10} + S_{01}(-10)_{10}]$ $+ S_{2-2}(00)_{00}[S_{3-2}(-10)_{10} + S_{1-2}(10)_{10} - P_{3-2}(-10)_{10} - P_{1-2}(10)_{10}] - P_{2-2}(00)_{00}[S_{3-2}(-10)_{10} + S_{1-2}(10)_{10}]$ $+ S_{3-3}(00)_{00}[S_{4-3}(-10)_{10} + S_{2-3}(10)_{10} - P_{4-3}(-10)_{10} - P_{2-3}(10)_{10}] - P_{3-3}(00)_{00}[S_{4-3}(-10)_{10} + S_{2-3}(10)_{10}]$ $+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$ $+ \frac{1}{2}Q_{1-1}(00)_{00}\,[K_{2-1}(-10)_{10} - K_{01}(-10)_{10}] + \frac{1}{2}K_{1-1}(00)_{00}\,[Q_{2-1}(-10)_{10} - Q_{01}(-10)_{10}]$ $+ \frac{1}{2}Q_{2-2}(00)_{00}\,[K_{3-2}(-10)_{10} + K_{1-2}(10)_{10}] + \frac{1}{2}K_{2-2}(00)_{00}\,[Q_{3-2}(-10)_{10} + Q_{1-2}(10)_{10}]$ $+ \frac{1}{2}Q_{3-3}(00)_{00}\,[K_{4-3}(-10)_{10} + K_{2-3}(10)_{10}] + \frac{1}{2}K_{3-3}(00)_{00}\,[Q_{4-3}(-10)_{10} + Q_{2-3}(10)_{10}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2-\mu-\varsigma$	η	$C_{2-1}(-10)_{10} = -P_{2-1}(-10)_{10} + 2S_{2-1}(-10)_{10} - \frac{1}{2}Q_{1-1}(00)_{00}$
$3-2\mu-\varsigma$	η	$C_{3-2}(-10)_{10} = -P_{3-2}(-10)_{10} + 2S_{3-2}(-10)_{10} - \frac{1}{2}Q_{2-2}(00)_{00}$
$4-3\mu-\varsigma$	η	$C_{4-3}(-10)_{10} = -P_{4-3}(-10)_{10} + 2S_{4-3}(-10)_{10} - \frac{1}{2}Q_{3-3}(00)_{00}$
$5-4\mu-\varsigma$	η	$C_{5-4}(-10)_{10} = -P_{5-4}(-10)_{10} + 2S_{5-4}(-10)_{10} - \frac{1}{2}Q_{4-4}(00)_{00}$
$6-5\mu-\varsigma$	η	$C_{6-5}(-10)_{10} = -P_{6-5}(-10)_{10} + 2S_{6-5}(-10)_{10} - \frac{1}{2}Q_{5-5}(00)_{00}$ u. s. w.
$\mu-\varsigma$	ι	$C_{01}(-10)_{10} = -P_{01}(-10)_{10} + 2S_{01}(-10)_{10} + \frac{1}{2}Q_{1-1}(00)_{00}$

Argument	Exc.	Coefficient
$1-2\mu+\varsigma$	η	$C_{1-2}(10)_{10} = -P_{1-2}(10)_{10} + 2S_{1-2}(10)_{10} + \frac{1}{2}Q_{2-2}(00)_{00}$
		$+ 2S_{00}(00)_{00}[S_{1-2}(10)_{10} - P_{1-2}(10)_{10} - \frac{1}{4}Q_{2-2}(00)_{00}] - 2P_{00}(00)_{00}S_{1-2}(10)_{10}$
		$+ S_{1-1}(00)_{00}[S_{2-3}(10)_{10} + S_{01}(-10)_{10} - P_{2-3}(10)_{10} - P_{01}(-10)_{10} - \frac{1}{4}Q_{3-3}(00)_{00} - \frac{1}{4}Q_{1-1}(00)_{00}]$
		$+ S_{2-2}(00)_{00}[S_{3-4}(10)_{10} + S_{10}(-10)_{10} - P_{3-4}(10)_{10} - P_{10}(-10)_{10} - \frac{1}{4}Q_{4-4}(00)_{00}]$
		$+ S_{3-3}(00)_{00}[S_{4-5}(10)_{10} + S_{2-1}(-10)_{10} - P_{4-5}(10)_{10} - P_{2-1}(-10)_{10} - \frac{1}{4}Q_{5-5}(00)_{00} + \frac{1}{4}Q_{1-1}(00)_{00}]$
		$+ \quad . \quad . \quad . \quad .$
		$- P_{1-1}(00)_{00}[S_{2-3}(10)_{10} + S_{01}(-10)_{10}] + \frac{1}{2}Q_{1-1}(00)_{00}[K_{2-3}(10)_{10} + K_{01}(-10)_{10}]$
		$- P_{2-2}(00)_{00}[S_{3-4}(10)_{10} + S_{10}(-10)_{10}] + \frac{1}{2}Q_{2-2}(00)_{00}K_{3-4}(10)_{10}$
		$- P_{3-3}(00)_{00}[S_{4-5}(10)_{10} + S_{2-1}(-10)_{10}] + \frac{1}{2}Q_{3-3}(00)_{00}[K_{4-5}(10)_{10} + K_{2-1}(-10)_{10}]$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ \frac{1}{2}K_{1-1}(00)_{00}[Q_{2-3}(10)_{10} + Q_{01}(-10)_{10}]$
		$+ \frac{1}{2}K_{2-2}(00)_{00}[Q_{3-4}(10)_{10} + Q_{10}(-10)_{10}]$
		$+ \frac{1}{2}K_{3-3}(00)_{00}[Q_{4-5}(10)_{10} + Q_{2-1}(-10)_{10}]$
		$+ \quad . \quad . \quad . \quad .$
$2-3\mu+\varsigma$	η	$C_{2-3}(10)_{10} = -P_{2-3}(10)_{10} + 2S_{2-3}(10)_{10} + \frac{1}{2}Q_{3-3}(00)_{00}$
		$+ 2S_{00}(00)_{00}[S_{2-3}(10)_{10} - P_{2-3}(10)_{10} - \frac{1}{4}Q_{3-3}(00)_{00}] - 2P_{00}(00)_{00}S_{2-3}(10)_{10}$
		$+ S_{1-1}(00)_{00}[S_{3-4}(10)_{10} + S_{1-2}(10)_{10} - P_{3-4}(10)_{10} - P_{1-2}(10)_{10} - \frac{1}{4}Q_{4-4}(00)_{00} - \frac{1}{4}Q_{2-2}(00)_{00}]$
		$+ S_{2-2}(00)_{00}[S_{4-5}(10)_{10} + S_{01}(-10)_{10} - P_{4-5}(10)_{10} - P_{01}(-10)_{10} - \frac{1}{4}Q_{5-5}(00)_{00} - \frac{1}{4}Q_{1-1}(00)_{00}]$
		$+ S_{3-3}(00)_{00}[S_{5-6}(10)_{10} + S_{10}(-10)_{10} - P_{5-6}(10)_{10} - P_{10}(-10)_{10} - \frac{1}{4}Q_{6-6}(00)_{00}]$
		$+ S_{4-4}(00)_{00}[S_{6-7}(10)_{10} + S_{2-1}(-10)_{10} - P_{6-7}(10)_{10} - P_{2-1}(-10)_{10} - \frac{1}{4}Q_{7-7}(00)_{00} + \frac{1}{4}Q_{1-1}(00)_{00}]$
		$+ \quad . \quad . \quad . \quad .$
		$- P_{1-1}(00)_{00}[S_{3-4}(10)_{10} + S_{1-2}(10)_{10}] + \frac{1}{2}Q_{1-1}(00)_{00}[K_{3-4}(10)_{10} - K_{1-2}(10)_{10}]$
		$- P_{2-2}(00)_{00}[S_{4-5}(10)_{10} + S_{01}(-10)_{10}] + \frac{1}{2}Q_{2-2}(00)_{00}[K_{4-5}(10)_{10} + K_{01}(-10)_{10}]$
		$- P_{3-3}(00)_{00}[S_{5-6}(10)_{10} + S_{10}(-10)_{10}] + \frac{1}{2}Q_{3-3}(00)_{00}K_{5-6}(10)_{10}$
		$- P_{4-4}(00)_{00}[S_{6-7}(10)_{10} + S_{2-1}(-10)_{10}] + \frac{1}{2}Q_{4-4}(00)_{00}[K_{6-7}(10)_{10} + K_{2-1}(-10)_{10}]$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ \frac{1}{2}K_{1-1}(00)_{00}[Q_{3-4}(10)_{10} - Q_{1-2}(10)_{10}]$
		$+ \frac{1}{2}K_{2-2}(00)_{00}[Q_{4-5}(10)_{10} + Q_{01}(-10)_{10}]$
		$+ \frac{1}{2}K_{3-3}(00)_{00}[Q_{5-6}(10)_{10} + Q_{10}(-10)_{10}]$
		$+ \frac{1}{2}K_{4-4}(00)_{00}[Q_{6-7}(10)_{10} + Q_{2-1}(-10)_{10}]$
		$+ \quad . \quad . \quad . \quad .$
$3-4\mu+\varsigma$	η	$C_{3-4}(10)_{10} = -P_{3-4}(10)_{10} + 2S_{3-4}(10)_{10} + \frac{1}{2}Q_{4-4}(00)_{00}$
$4-5\mu+\varsigma$	η	$C_{4-5}(10)_{10} = -P_{4-5}(10)_{10} + 2S_{4-5}(10)_{10} + \frac{1}{2}Q_{5-5}(00)_{00}$
$5-6\mu+\varsigma$	η	$C_{5-6}(10)_{10} = -P_{5-6}(10)_{10} + 2S_{5-6}(10)_{10} + \frac{1}{2}Q_{6-6}(00)_{00}$
		u. s. w.
$1-\mu\varsigma'$	η'	$C_{10}(0-1)_{01} = -P_{10}(0-1)_{01} + 2S_{10}(0-1)_{01}$
		$+ 2S_{00}(00)_{00}[S_{10}(0-1)_{01} - P_{10}(0-1)_{01}] - 2P_{00}(00)_{00}S_{10}(0-1)_{01}$
		$+S_{1-1}(00)_{00}[S_{2-1}(0-1)_{01}+S_{01}(0-1)_{01}-P_{2-1}(0-1)_{01}-P_{01}(0-1)_{01}] - P_{1-1}(00)_{00}[S_{2-1}(0-1)_{01}+S_{01}(0-1)_{01}]$
		$+S_{2-2}(00)_{00}[S_{3-2}(0-1)_{01}+S_{1-2}(01)_{01} - P_{3-2}(0-1)_{01}-P_{1-2}(01)_{01}] - P_{2-2}(00)_{00}[S_{3-2}(0-1)_{01}+S_{1-2}(01)_{01}]$
		$+S_{3-3}(00)_{00}[S_{4-3}(0-1)_{01}+S_{2-3}(01)_{01} - P_{4-3}(0-1)_{01}-P_{2-3}(01)_{01}] - P_{3-3}(00)_{00}[S_{4-3}(0-1)_{01}+S_{2-3}(01)_{01}]$
		$+S_{4-4}(00)_{00}[S_{5-4}(0-1)_{01}+S_{3-4}(01)_{01} - P_{5-4}(0-1)_{01}-P_{3-4}(01)_{01}] - P_{4-4}(00)_{00}[S_{5-4}(0-1)_{01}+S_{3-4}(01)_{01}]$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}Q_{1-1}(00)_{00}[K_{2-1}(0-1)_{01}-K_{01}(0-1)_{01}]$ $+\frac{1}{2}K_{1-1}(00)_{00}[Q_{2-1}(0-1)_{01}-Q_{01}(0-1)_{01}]$
		$+\frac{1}{2}Q_{2-2}(00)_{00}[K_{3-2}(0-1)_{01}+K_{1-2}(01)_{01}]$ $+\frac{1}{2}K_{2-2}(00)_{00}[Q_{3-2}(0-1)_{01}+Q_{1-2}(01)_{01}]$
		$+\frac{1}{2}Q_{3-3}(00)_{00}[K_{4-3}(0-1)_{01}+K_{2-3}(01)_{01}]$ $+\frac{1}{2}K_{3-3}(00)_{00}[Q_{4-3}(0-1)_{01}+Q_{2-3}(01)_{01}]$
		$+ \quad . \quad . \quad . \quad .$ $+ \quad . \quad . \quad . \quad .$
$2-\mu-\mu\varsigma'$	η'	$C_{2-1}(0-1)_{01}=-P_{2-1}(0-1)_{01}+2S_{2-1}(0-1)_{01}$
$3-2\mu-\mu\varsigma'$	η'	$C_{3-2}(0-1)_{01}=-P_{3-2}(0-1)_{01}+2S_{3-2}(0-1)_{01}$
$4-3\mu-\mu\varsigma'$	η'	$C_{4-3}(0-1)_{01}=-P_{4-3}(0-1)_{01}+2S_{4-3}(0-1)_{01}$
$5-4\mu-\mu\varsigma'$	η'	$C_{5-4}(0-1)_{01}=-P_{5-4}(0-1)_{01}+2S_{5-4}(0-1)_{01}$
		u. s. w.
$\mu-\mu\varsigma'$	η'	$C_{01}(0-1)_{01}=-P_{01}(0-1)_{01}+2S_{01}(0-1)_{01}$
$1-2\mu+\mu\varsigma'$	η'	$C_{1-2}(01)_{01}=-P_{1-2}(01)_{01}+2S_{1-2}(01)_{01}$
		$+2S_{00}(00)_{00}[S_{1-2}(01)_{01}-P_{1-2}(01)_{01}]$ $-2P_{00}(00)_{00}S_{1-2}(01)_{01}$
		$+S_{1-1}(00)_{00}[S_{2-3}(01)_{01}+S_{01}(0-1)_{01}-P_{2-3}(01)_{01}-P_{01}(0-1)_{01}]$ $-P_{1-1}(00)_{00}[S_{2-3}(01)_{01}+S_{01}(0-1)_{01}]$
		$+S_{2-2}(00)_{00}[S_{3-4}(01)_{01}+S_{10}(0-1)_{01}-P_{3-4}(01)_{01}-P_{10}(0-1)_{01}]$ $-P_{2-2}(00)_{00}[S_{3-4}(01)_{01}+S_{10}(0-1)_{01}]$
		$+S_{3-3}(00)_{00}[S_{4-5}(01)_{01}+S_{2-1}(0-1)_{01}-P_{4-5}(01)_{01}-P_{2-1}(0-1)_{01}]$ $-P_{3-3}(00)_{00}[S_{4-5}(01)_{01}+S_{2-1}(0-1)_{01}]$
		$+ \quad . \quad . \quad . \quad .$ $- \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}Q_{1-1}(00)_{00}[K_{2-3}(01)_{01}+K_{01}(0-1)_{01}]$ $+\frac{1}{2}K_{1-1}(00)_{00}[Q_{2-3}(01)_{01}+Q_{01}(0-1)_{01}]$
		$+\frac{1}{2}Q_{2-2}(00)_{00}\ K_{3-4}(01)_{01}$ $+\frac{1}{2}K_{2-2}(00)_{00}[Q_{3-4}(01)_{01}+Q_{10}(0-1)_{01}]$
		$+\frac{1}{2}Q_{3-3}(00)_{00}[K_{4-5}(01)_{01}+K_{2-1}(0-1)_{01}]$ $+\frac{1}{2}K_{3-3}(00)_{00}[Q_{4-5}(01)_{01}+Q_{2-1}(0-1)_{01}]$
		$+ \quad . \quad . \quad . \quad .$ $+ \quad . \quad . \quad . \quad .$
$2-3\mu+\mu\varsigma'$	η'	$C_{2-3}(01)_{01}=-P_{2-3}(01)_{01}+2S_{2-3}(01)_{01}$
		$+2S_{00}(00)_{00}[S_{2-3}(01)_{01}-P_{2-3}(01)_{01}]$ $-2P_{00}(00)_{00}S_{2-3}(01)_{01}$
		$+S_{1-1}(00)_{00}[S_{3-4}(01)_{01}+S_{1-2}(01)_{01}-P_{3-4}(01)_{01}-P_{1-2}(01)_{01}]$ $-P_{1-1}(00)_{00}[S_{3-4}(01)_{01}+S_{1-2}(01)_{01}]$
		$+S_{2-2}(00)_{00}[S_{4-5}(01)_{01}+S_{01}(0-1)_{01}-P_{4-5}(01)_{01}-P_{01}(0-1)_{01}]$ $-P_{2-2}(00)_{00}[S_{4-5}(01)_{01}+S_{01}(0-1)_{01}]$
		$+S_{3-3}(00)_{00}[S_{5-6}(01)_{01}+S_{10}(0-1)_{01}-P_{5-6}(01)_{01}-P_{10}(0-1)_{01}]$ $-P_{3-3}(00)_{00}[S_{5-6}(01)_{01}+S_{10}(0-1)_{01}]$
		$+ \quad . \quad . \quad . \quad .$ $- \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}Q_{1-1}(00)_{00}[K_{3-4}(01)_{01}-K_{1-2}(01)_{01}]$ $+\frac{1}{2}K_{1-1}(00)_{00}[Q_{3-4}(01)_{01}-Q_{1-2}(01)_{01}]$
		$+\frac{1}{2}Q_{2-2}(00)_{00}[K_{4-5}(01)_{01}+K_{01}(0-1)_{01}]$ $+\frac{1}{2}K_{2-2}(00)_{00}[Q_{4-5}(01)_{01}+Q_{01}(0-1)_{01}]$
		$+\frac{1}{2}Q_{3-3}(00)_{00}\ K_{5-6}(01)_{01}$ $+\frac{1}{2}K_{3-3}(00)_{00}[Q_{5-6}(01)_{01}+Q_{10}(0-1)_{01}]$
		$+\frac{1}{2}Q_{4-4}(00)_{00}[K_{6-7}(01)_{01}+K_{2-1}(0-1)_{01}]$ $+\frac{1}{2}K_{4-4}(00)_{00}[Q_{6-7}(01)_{01}+Q_{2-1}(0-1)_{01}]$
		$+ \quad . \quad . \quad . \quad .$ $+ \quad . \quad . \quad . \quad .$
$3-4\mu+\mu\varsigma'$	η'	$C_{3-4}(01)_{01}=-P_{3-4}(01)_{01}+2S_{3-4}(01)_{01}$
$4-5\mu+\mu\varsigma'$	η'	$C_{4-5}(01)_{01}=-P_{4-5}(01)_{01}+2S_{4-5}(01)_{01}$
$5-6\mu+\mu\varsigma'$	η'	$C_{5-6}(01)_{01}=-P_{5-6}(01)_{01}+2S_{5-6}(01)_{01}$
		u. s. w.

Argument	Exc.	Coefficient
—	η^2	$C_{00}(00)_{20} = -P_{00}(00)_{20} + \frac{1}{2}Q_{10}(-10)_{10}$
		$+ 2S_{00}(00)_{00}[-P_{00}(00)_{20} - \frac{1}{4}Q_{10}(-10)_{10}]$
		$+ S_{1-1}(00)_{00}[S_{1-1}(00)_{20} - P_{1-1}(00)_{20} - \frac{1}{4}Q_{2-1}(-10)_{10} - \frac{1}{4}Q_{01}(-10)_{10}]$
		$+ S_{2-2}(00)_{00}[S_{2-2}(00)_{20} - P_{2-2}(00)_{20} - \frac{1}{4}Q_{3-2}(-10)_{10} + \frac{1}{4}Q_{1-2}(10)_{10}]$
		$+ S_{3-3}(00)_{00}[S_{3-3}(00)_{20} - P_{3-3}(00)_{20} - \frac{1}{4}Q_{4-3}(-10)_{10} + \frac{1}{4}Q_{2-3}(10)_{10}]$
		$+ \quad . \quad . \quad . \quad . \quad .$
		$- S_{1-1}(00)_{20}P_{1-1}(00)_{00} + \frac{1}{4}Q_{1-1}(00)_{00}[S_{2-1}(-10)_{10} - S_{01}(-10)_{10}]$
		$- S_{2-2}(00)_{20}P_{2-2}(00)_{00} + \frac{1}{4}Q_{2-2}(00)_{00}[S_{3-2}(-10)_{10} - S_{1-2}(10)_{10}]$
		$- S_{3-3}(00)_{20}P_{3-3}(00)_{00} + \frac{1}{4}Q_{3-3}(00)_{00}[S_{4-3}(-10)_{10} - S_{2-3}(10)_{10}]$
		$- \quad . \quad . \quad . \quad + \quad . \quad . \quad .$
		$+ S_{10}(-10)_{10}[\frac{1}{2}S_{10}(-10)_{10} - P_{10}(-10)_{10}] + S_{01}(-10)_{10}[\frac{1}{2}S_{01}(-10)_{10} - P_{01}(-10)_{10}]$
		$+ S_{2-1}(-10)_{10}[\frac{1}{2}S_{2-1}(-10)_{10} - P_{2-1}(-10)_{10}] + S_{1-2}(10)_{10}[\frac{1}{2}S_{1-2}(10)_{10} - P_{1-2}(10)_{10}]$
		$+ S_{3-2}(-10)_{10}[\frac{1}{2}S_{3-2}(-10)_{10} - P_{3-2}(-10)_{10}] + S_{2-3}(10)_{10}[\frac{1}{2}S_{2-3}(10)_{10} - P_{2-3}(10)_{10}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ \frac{1}{2}Q_{01}(-10)_{10}K_{01}(-10)_{10} + \frac{1}{2}Q_{2-1}(-10)_{10}K_{2-1}(-10)_{10} + \frac{1}{2}Q_{1-1}(00)_{00}K_{1-1}(00)_{20} + \frac{1}{2}Q_{1-1}(00)_{20}K_{1-1}(00)_{00}$
		$+ \frac{1}{2}Q_{1-2}(10)_{10}K_{1-2}(10)_{10} + \frac{1}{2}Q_{3-2}(-10)_{10}K_{3-2}(-10)_{10} + \frac{1}{2}Q_{2-2}(00)_{00}K_{2-2}(00)_{20} + \frac{1}{2}Q_{2-2}(00)_{20}K_{2-2}(00)_{00}$
		$+ \frac{1}{2}Q_{2-3}(10)_{10}K_{2-3}(10)_{10} + \frac{1}{2}Q_{4-3}(-10)_{10}K_{4-3}(-10)_{10} + \frac{1}{2}Q_{3-3}(00)_{00}K_{3-3}(00)_{20} + \frac{1}{2}Q_{3-3}(00)_{20}K_{3-3}(00)_{00}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$1-\mu$	η^2	$C_{1-1}(00)_{20} = -P_{1-1}(00)_{20} + 2S_{1-1}(00)_{20} + \frac{1}{2}Q_{2-1}(-10)_{10} + \frac{1}{2}Q_{01}(-10)_{10}$
$2-2\mu$	η^2	$C_{2-2}(00)_{20} = -P_{2-2}(00)_{20} + 2S_{2-2}(00)_{20} + \frac{1}{2}Q_{3-2}(-10)_{10} - \frac{1}{2}Q_{1-2}(10)_{10}$
		$+ 2S_{00}(00)_{00}[S_{2-2}(00)_{20} - P_{2-2}(00)_{20} - \frac{1}{4}Q_{3-2}(-10)_{10} + \frac{1}{4}Q_{1-2}(10)_{10}]$
		$+ S_{1-1}(00)_{00}[S_{3-3}(00)_{20} + S_{1-1}(00)_{20} - P_{3-3}(00)_{20} - P_{1-1}(00)_{20} - \frac{1}{4}Q_{4-3}(-10)_{10} - \frac{1}{4}Q_{2-1}(-10)_{10}$
		$+ \frac{1}{4}Q_{2-3}(10)_{10} - \frac{1}{4}Q_{01}(-10)_{10}]$
		$+ S_{2-2}(00)_{00}[S_{4-4}(00)_{20} - P_{4-4}(00)_{20} - 2P_{00}(00)_{20} - \frac{1}{4}Q_{5-4}(-10)_{10} - \frac{1}{4}Q_{10}(-10)_{10}$
		$+ \frac{1}{4}Q_{3-4}(10)_{10} - \frac{1}{4}Q_{10}(-10)_{10}]$
		$+ S_{3-3}(00)_{00}[S_{5-5}(00)_{20} + S_{1-1}(00)_{20} - P_{5-5}(00)_{20} - P_{1-1}(00)_{20} - \frac{1}{4}Q_{6-5}(-10)_{10} - \frac{1}{4}Q_{01}(-10)_{10}$
		$+ \frac{1}{4}Q_{4-5}(10)_{10} - \frac{1}{4}Q_{2-1}(-10)_{10}]$
		$+ \quad . \quad . \quad . \quad . \quad . \quad . \quad . \quad .$
		$-S_{1-1}(00)_{20}[P_{3-3}(00)_{00} + P_{1-1}(00)_{00}] + \frac{1}{4}Q_{1-1}(00)_{00}[S_{4-3}(-10)_{10} - S_{2-1}(-10)_{10} - S_{2-3}(10)_{10} + S_{01}(-10)_{10}]$
		$-S_{2-2}(00)_{20}[P_{4-4}(00)_{00} + 2P_{00}(00)_{00}] + \frac{1}{4}Q_{2-2}(00)_{00}[S_{5-4}(-10)_{10} - S_{10}(-10)_{10} - S_{3-4}(10)_{10} + S_{10}(-10)_{10}]$
		$-S_{3-3}(00)_{20}[P_{5-5}(00)_{00} + P_{1-1}(00)_{00}] + \frac{1}{4}Q_{3-3}(00)_{00}[S_{6-5}(-10)_{10} - S_{01}(-10)_{10} - S_{4-5}(10)_{10} + S_{2-1}(-10)_{10}]$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad .$
		$+ S_{10}(-10)_{10}[S_{3-2}(-10)_{10} + S_{1-2}(10)_{10} - P_{3-2}(-10)_{10} - P_{1-2}(10)_{10}]$
		$+ S_{2-1}(-10)_{10}[S_{4-3}(-10)_{10} + S_{01}(-10)_{10} - P_{4-3}(-10)_{10} - P_{01}(-10)_{10}]$
		$+ S_{3-2}(-10)_{10}[S_{5-4}(-10)_{10} - P_{5-4}(-10)_{10} - P_{10}(-10)_{10}]$
		$+ S_{4-3}(-10)_{10}[S_{6-5}(-10)_{10} - P_{6-5}(-10)_{10} - P_{2-1}(-10)_{10}]$
		$+ \quad . \quad . \quad . \quad .$
		$+ S_{01}(-10)_{10}[S_{2-3}(10)_{10} - P_{2-1}(-10)_{10} - P_{2-3}(10)_{10}] + \frac{1}{2}Q_{1-1}(00)_{00}[K_{3-3}(00)_{20} - K_{1-1}(00)_{20}]$
		$+ S_{1-2}(10)_{10}[S_{3-4}(10)_{10} - P_{10}(-10)_{10} - P_{3-4}(10)_{10}] + \frac{1}{2}Q_{2-2}(00)_{00}K_{4-4}(00)_{20}$
		$+ S_{2-3}(10)_{10}[S_{4-5}(10)_{10} - P_{01}(-10)_{10} - P_{4-5}(10)_{10}] + \frac{1}{2}Q_{3-3}(00)_{00}[K_{5-5}(00)_{20} + K_{1-1}(00)_{20}]$
		$+ S_{3-4}(10)_{10}[S_{5-6}(10)_{10} - P_{1-2}(10)_{10} - P_{5-6}(10)_{10}] + \frac{1}{2}Q_{4-4}(00)_{00}[K_{6-6}(00)_{20} + K_{2-2}(00)_{20}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}Q_{1-1}(00)_{20}[K_{3-3}(00)_{00}-K_{1-1}(00)_{00}]+\frac{1}{2}Q_{10}(-10)_{10}[K_{3-2}(-10)_{10}-K_{1-2}(10)_{10}]$
		$+\frac{1}{2}Q_{2-2}(00)_{20}\ K_{4-4}(00)_{00}+\frac{1}{2}Q_{2-1}(-10)_{10}[K_{4-3}(-10)_{10}+K_{01}(-10)_{10}]$
		$+\frac{1}{2}Q_{3-3}(00)_{20}[K_{5-5}(00)_{00}+K_{1-1}(00)_{00}]+\frac{1}{2}Q_{3-2}(-10)_{10}\ K_{5-4}(-10)_{10}$
		$+\frac{1}{2}Q_{4-4}(00)_{20}[K_{6-6}(00)_{00}+K_{2-2}(00)_{00}]+\frac{1}{2}Q_{4-3}(-10)_{10}[K_{6-5}(-10)_{10}+K_{2-1}(-10)_{10}]$
		$+\ .\ .\ .\ .\ +\ .\ .\ .\ .$
		$+\frac{1}{2}Q_{01}(-10)_{10}[K_{2-1}(-10)_{10}-K_{2-3}(10)_{10}]$
		$+\frac{1}{2}Q_{1-2}(10)_{10}\ K_{3-4}(10)_{10}$
		$+\frac{1}{2}Q_{2-3}(10)_{10}\ [K_{4-5}(10)_{10}\ -K_{01}(-10)_{10}]$
		$+\frac{1}{2}Q_{3-4}(10)_{10}\ [K_{5-6}(10)_{10}\ +K_{1-2}(10)_{10}]$
		$+\ .\ .\ .\ .$
$3-3\mu$	η^2	$C_{3-3}(00)_{20}=-P_{3-3}(00)_{20}+2S_{3-3}(00)_{20}+\frac{1}{2}Q_{4-3}(-10)_{10}-\frac{1}{2}Q_{2-3}(10)_{10}$
$4-4\mu$	η^2	$C_{4-4}(00)_{20}=-P_{4-4}(00)_{20}+2S_{4-4}(00)_{20}+\frac{1}{2}Q_{5-4}(-10)_{10}-\frac{1}{2}Q_{3-4}(10)_{10}$
$5-5\mu$	η^2	$C_{5-5}(00)_{20}=-P_{5-5}(00)_{20}+2S_{5-5}(00)_{20}+\frac{1}{2}Q_{6-5}(-10)_{10}-\frac{1}{2}Q_{4-5}(10)_{10}$ u. s. w.
$2-2\varsigma$	η^2	$C_{20}(-20)_{20}=-P_{20}(-20)_{20}+2S_{20}(-20)_{20}-\frac{1}{2}Q_{10}(-10)_{10}$
$3-\mu-2\varsigma$	η^2	$C_{3-1}(-20)_{20}=-P_{3-1}(-20)_{20}+2S_{3-1}(-20)_{20}-\frac{1}{2}Q_{2-1}(-10)_{10}$
$4-2\mu-2\varsigma$	η^2	$C_{4-2}(-20)_{20}=-P_{4-2}(-20)_{20}+2S_{4-2}(-20)_{20}-\frac{1}{2}Q_{3-2}(-10)_{10}$
$5-3\mu-2\varsigma$	η^2	$C_{5-3}(-20)_{20}=-P_{5-3}(-20)_{20}+2S_{5-3}(-20)_{20}-\frac{1}{2}Q_{4-3}(-10)_{10}$ u. s. w.
$1+\mu-2\varsigma$	η^2	$C_{11}(-20)_{20}=-P_{11}(-20)_{20}+2S_{11}(-20)_{20}-\frac{1}{2}Q_{01}(-10)_{10}$
$2\mu-2\varsigma$	η^2	$C_{02}(-20)_{20}=-P_{02}(-20)_{20}+2S_{02}(-20)_{20}+\frac{1}{2}Q_{1-2}(10)_{10}$
		$+2S_{00}(00)_{00}[S_{02}(-20)_{20}-P_{02}(-20)_{20}-\frac{1}{4}Q_{1-2}(10)_{10}]$
		$+S_{1-1}(00)_{00}[S_{1-3}(20)_{20}+S_{11}(-20)_{20}-P_{1-3}(20)_{20}-P_{11}(-20)_{20}-\frac{1}{4}Q_{2-3}(10)_{10}+\frac{1}{4}Q_{01}(-10)_{10}]$
		$+S_{2-2}(00)_{00}[S_{2-4}(20)_{20}+S_{20}(-20)_{20}-P_{2-4}(20)_{20}-P_{20}(-20)_{20}-\frac{1}{4}Q_{3-4}(10)_{10}+\frac{1}{4}Q_{10}(-10)_{10}]$
		$+S_{3-3}(00)_{00}[S_{3-5}(20)_{20}+S_{3-1}(-20)_{20}-P_{3-5}(20)_{20}-P_{3-1}(-20)_{20}-\frac{1}{4}Q_{4-5}(10)_{10}+\frac{1}{4}Q_{2-1}(-10)_{10}]$
		$+\ .\ .\ .\ .$
		$-2P_{00}(00)_{00}S_{02}(-20)_{20}$
		$-P_{1-1}(00)_{00}[S_{1-3}(20)_{20}+S_{11}(-20)_{20}]+\frac{1}{4}Q_{1-1}(00)_{00}[S_{2-3}(10)_{10}-S_{01}(-10)_{10}]$
		$-P_{2-2}(00)_{00}[S_{2-4}(20)_{20}+S_{20}(-20)_{20}]+\frac{1}{4}Q_{2-2}(00)_{00}[S_{3-4}(10)_{10}-S_{10}(-10)_{10}]$
		$-P_{3-3}(00)_{00}[S_{3-5}(20)_{20}+S_{3-1}(-20)_{20}]+\frac{1}{4}Q_{3-3}(00)_{00}[S_{4-5}(10)_{10}-S_{2-1}(-10)_{10}]$
		$-\ .\ .\ .\ .\ +\ .\ .\ .\ .$
		$-S_{10}(-10)_{10}\ P_{1-2}(10)_{10}+S_{01}(-10)_{10}[\frac{1}{2}S_{01}(-10)_{10}-P_{01}(-10)_{10}]$
		$-S_{2-1}(-10)_{10}P_{2-3}(10)_{10}+S_{1-2}(10)_{10}\ [S_{10}(-10)_{10}\ -P_{10}(-10)_{10}]$
		$-S_{3-2}(-10)_{10}P_{3-4}(10)_{10}+S_{2-3}(10)_{10}\ [S_{2-1}(-10)_{10}\ -P_{2-1}(-10)_{10}]$
		$-S_{4-3}(-10)_{10}P_{4-5}(10)_{10}+S_{3-4}(10)_{10}\ [S_{3-2}(-10)_{10}\ -P_{3-2}(-10)_{10}]$
		$-\ .\ .\ .\ .\ +\ .\ .\ .\ .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}Q_{1-1}(00)_{00}[K_{1-3}(20)_{20}+K_{11}(-20)_{20}] \quad +\frac{1}{2}K_{1-1}(00)_{00}[Q_{1-3}(20)_{20}+Q_{11}(-20)_{20}]$
		$+\frac{1}{2}Q_{2-2}(00)_{00}[K_{2-4}(20)_{20}+K_{20}(-20)_{20}] \quad +\frac{1}{2}K_{2-2}(00)_{00}[Q_{2-4}(20)_{20}+Q_{20}(-20)_{20}]$
		$+\frac{1}{2}Q_{3-3}(00)_{00}[K_{3-5}(20)_{20}+K_{3-1}(-20)_{20}] \quad +\frac{1}{2}K_{3-3}(00)_{00}[Q_{3-5}(20)_{20}+Q_{3-1}(-20)_{20}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad .$
		$+\frac{1}{2}K_{2-1}(-10)_{10}Q_{2-3}(10)_{10} \quad -\frac{1}{2}K_{01}(-10)_{10}Q_{01}(-10)_{10}$
		$+\frac{1}{2}K_{3-2}(-10)_{10}Q_{3-4}(10)_{10} \quad +\frac{1}{2}K_{1-2}(10)_{10} \quad Q_{10}(-10)_{10}$
		$+\frac{1}{2}K_{4-3}(-10)_{10}Q_{4-5}(10)_{10} \quad +\frac{1}{2}K_{2-3}(10)_{10} \quad Q_{2-1}(-10)_{10}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$1-3\mu+2\varsigma$	η^2	$C_{1-3}(20)_{20} = -P_{1-3}(20)_{20}+2S_{1-3}(20)_{20}+\frac{1}{2}Q_{2-3}(10)_{10}$
		$+2S_{00}(00)_{00}[S_{1-3}(20)_{20}-P_{1-3}(20)_{20}-\frac{1}{4}Q_{2-3}(10)_{10}]$
		$+S_{1-1}(00)_{00}[S_{2-4}(20)_{20}+S_{02}(-20)_{20} \quad -P_{2-4}(20)_{20}-P_{02}(-20)_{20} \quad -\frac{1}{4}Q_{3-4}(10)_{10}-\frac{1}{4}Q_{1-2}(10)_{10}]$
		$+S_{2-2}(00)_{00}[S_{3-5}(20)_{20}+S_{11}(-20)_{20} \quad -P_{3-5}(20)_{20}-P_{11}(-20)_{20} \quad -\frac{1}{4}Q_{4-5}(10)_{10}+\frac{1}{4}Q_{01}(-10)_{10}]$
		$+S_{3-3}(00)_{00}[S_{4-6}(20)_{20}+S_{20}(-20)_{20} \quad -P_{4-6}(20)_{20}-P_{20}(-20)_{20} \quad -\frac{1}{4}Q_{5-6}(10)_{10}+\frac{1}{4}Q_{10}(-10)_{10}]$
		$+S_{4-4}(00)_{00}[S_{5-7}(20)_{20}+S_{3-1}(-20)_{20}-P_{5-7}(20)_{20}-P_{3-1}(-20)_{20}-\frac{1}{4}Q_{6-7}(10)_{10}+\frac{1}{4}Q_{2-1}(-10)_{10}]$
		$+ \quad . \quad . \quad . \quad .$
		$-2P_{00}(00)_{00}S_{1-3}(20)_{20}$
		$-P_{1-1}(00)_{00}[S_{2-4}(20)_{20}+S_{02}(-20)_{20}] \quad +\frac{1}{4}Q_{1-1}(00)_{00}[S_{3-4}(10)_{10}-S_{1-2}(10)_{10}]$
		$-P_{2-2}(00)_{00}[S_{3-5}(20)_{20}+S_{11}(-20)_{20}] \quad +\frac{1}{4}Q_{2-2}(00)_{00}[S_{4-5}(10)_{10}-S_{01}(-10)_{10}]$
		$-P_{3-3}(00)_{00}[S_{4-6}(20)_{20}+S_{20}(-20)_{20}] \quad +\frac{1}{4}Q_{3-3}(00)_{00}[S_{5-6}(10)_{10}-S_{10}(-10)_{10}]$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$-S_{01}(-10)_{10} \quad P_{1-2}(10)_{10} \quad +S_{1-2}(10)_{10}[S_{01}(-10)_{10} \quad -P_{01}(-10)_{10}]$
		$-S_{10}(-10)_{10} \quad P_{2-3}(10)_{10} \quad +S_{2-3}(10)_{10}[S_{10}(-10)_{10} \quad -P_{10}(-10)_{10}]$
		$-S_{2-1}(-10)_{10}P_{3-4}(10)_{10} \quad +S_{3-4}(10)_{10}[S_{2-1}(-10)_{10}-P_{2-1}(-10)_{10}]$
		$-S_{3-2}(-10)_{10}P_{4-5}(10)_{10} \quad +S_{4-5}(10)_{10}[S_{3-2}(-10)_{10}-P_{3-2}(-10)_{10}]$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}Q_{1-1}(00)_{00}[K_{2-4}(20)_{20}+K_{02}(-20)_{20}] \quad +\frac{1}{2}K_{1-1}(00)_{00}[Q_{2-4}(20)_{20}+Q_{02}(-20)_{20}]$
		$+\frac{1}{2}Q_{2-2}(00)_{00}[K_{3-5}(20)_{20}+K_{11}(-20)_{20}] \quad +\frac{1}{2}K_{2-2}(00)_{00}[Q_{3-5}(20)_{20}+Q_{11}(-20)_{20}]$
		$+\frac{1}{2}Q_{3-3}(00)_{00}[K_{4-6}(20)_{20}+K_{20}(-20)_{20}] \quad +\frac{1}{2}K_{3-3}(00)_{00}[Q_{4-6}(20)_{20}+Q_{20}(-20)_{20}]$
		$+ \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}K_{2-1}(-10)_{10}Q_{3-4}(10)_{10} \quad +\frac{1}{2}K_{01}(-10)_{10}Q_{1-2}(10)_{10}$
		$+\frac{1}{2}K_{3-2}(-10)_{10}Q_{4-5}(10)_{10} \quad +\frac{1}{2}K_{1-2}(10)_{10} \quad Q_{01}(-10)_{10}$
		$+\frac{1}{2}K_{4-3}(-10)_{10}Q_{5-6}(10)_{10} \quad +\frac{1}{2}K_{2-3}(10)_{10} \quad Q_{10}(-10)_{10}$
		$+\frac{1}{2}K_{5-4}(-10)_{10}Q_{6-7}(10)_{10} \quad +\frac{1}{2}K_{3-4}(10)_{10} \quad Q_{2-1}(-10)_{10}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2-4\mu+2\varsigma$	η^2	$C_{2-4}(20)_{20} = -P_{2-4}(20)_{20}+2S_{2-4}(20)_{20}+\frac{1}{2}Q_{3-4}(10)_{10}$
		$+2S_{00}(00)_{00}[S_{2-4}(20)_{20}-P_{2-4}(20)_{20}-\frac{1}{4}Q_{3-4}(10)_{10}]$
		$+S_{1-1}(00)_{00}[S_{3-5}(20)_{20}+S_{1-3}(20)_{20} \quad -P_{3-5}(20)_{20}-P_{1-3}(20)_{20} \quad -\frac{1}{4}Q_{4-5}(10)_{10}-\frac{1}{4}Q_{2-3}(10)_{10}]$
		$+S_{2-2}(00)_{00}[S_{4-6}(20)_{20}+S_{02}(-20)_{20}-P_{4-6}(20)_{20}-P_{02}(-20)_{20}-\frac{1}{4}Q_{5-6}(10)_{10}-\frac{1}{4}Q_{1-2}(10)_{10}]$
		$+S_{3-3}(00)_{00}[S_{5-7}(20)_{20}+S_{11}(-20)_{20}-P_{5-7}(20)_{20}-P_{11}(-20)_{20}-\frac{1}{4}Q_{6-7}(10)_{10}+\frac{1}{4}Q_{01}(-10)_{10}]$
		$+ \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$-2\,P_{00}(00)_{00}\,S_{2-4}(20)_{20}$
		$-P_{1-1}(00)_{00}\,[S_{3-5}(20)_{20}+S_{1-3}(20)_{20}] \quad +\frac{1}{4}\,Q_{1-1}(00)_{00}\,[S_{4-5}(10)_{10}-S_{2-3}(10)_{10}]$
		$-P_{2-2}(00)_{00}\,[S_{4-6}(20)_{20}+S_{02}(-20)_{20}] \quad +\frac{1}{4}\,Q_{2-2}(00)_{00}\,[S_{5-6}(10)_{10}-S_{1-2}(10)_{10}]$
		$-P_{3-3}(00)_{00}\,[S_{5-7}(20)_{20}+S_{11}(-20)_{20}] \quad +\frac{1}{4}\,Q_{3-3}(00)_{00}\,[S_{6-7}(10)_{10}-S_{01}(-10)_{10}]$
		$-\quad .\quad .\quad .\quad .\quad +\quad .\quad .\quad .\quad .$
		$-S_{01}(-10)_{10}\;P_{2-3}(10)_{10}\;+S_{1-2}(10)_{10}\,[\frac{1}{2}\,S_{1-2}(10)_{10}-P_{1-2}(10)_{10}]$
		$-S_{10}(-10)_{10}\;P_{3-4}(10)_{10}\;+S_{2-3}(10)_{10}\,[S_{01}(-10)_{10}-P_{01}(-10)_{10}]$
		$-S_{2-1}(-10)_{10}\,P_{4-5}(10)_{10}\;+S_{3-4}(10)_{10}\,[S_{10}(-10)_{10}-P_{10}(-10)_{10}]$
		$-S_{3-2}(-10)_{10}\,P_{5-6}(10)_{10}\;+S_{4-5}(10)_{10}\,[S_{2-1}(-10)_{10}-P_{2-1}(-10)_{10}]$
		$-\quad .\quad .\quad .\quad .\quad +\quad .\quad .\quad .\quad .$
		$+\frac{1}{2}\,Q_{1-1}(00)_{00}\,[K_{3-5}(20)_{20}-K_{1-3}(20)_{20}] \quad +\frac{1}{2}\,K_{1-1}(00)_{00}\,[Q_{3-5}(20)_{20}-Q_{1-3}(20)_{20}]$
		$+\frac{1}{2}\,Q_{2-2}(00)_{00}\,[K_{4-6}(20)_{20}+K_{02}(-20)_{20}] \quad +\frac{1}{2}\,K_{2-2}(00)_{00}\,[Q_{4-6}(20)_{20}+Q_{02}(-20)_{20}]$
		$+\frac{1}{2}\,Q_{3-3}(00)_{00}\,[K_{5-7}(20)_{20}+K_{11}(-20)_{20}] \quad +\frac{1}{2}\,K_{3-3}(00)_{00}\,[Q_{5-7}(20)_{20}+Q_{11}(-20)_{20}]$
		$+\quad .\quad .\quad .\quad .\quad +\quad .\quad .\quad .\quad .$
		$+\frac{1}{2}\,K_{2-1}(-10)_{10}\,Q_{4-5}(10)_{10} \quad +\frac{1}{2}\,K_{01}(-10)_{10}\,Q_{2-3}(10)_{10}$
		$+\frac{1}{2}\,K_{3-2}(-10)_{10}\,Q_{5-6}(10)_{10} \quad -\frac{1}{2}\,K_{1-2}(10)_{10}\;Q_{1-2}(10)_{10}$
		$+\frac{1}{2}\,K_{4-3}(-10)_{10}\,Q_{6-7}(10)_{10} \quad +\frac{1}{2}\,K_{2-3}(10)_{10}\;Q_{01}(-10)_{10}$
		$+\quad .\quad .\quad .\quad .\quad +\frac{1}{2}\,K_{3-4}(10)_{10}\;Q_{10}(-10)_{10}$
		$+\quad .\quad .\quad .\quad .$
$3-5\mu+2\varsigma$	η^2	$C_{3-5}(20)_{20} = -P_{3-5}(20)_{20}+2\,S_{3-5}(20)_{20}+\frac{1}{2}\,Q_{4-5}(10)_{10}$
$4-6\mu+2\varsigma$	η^2	$C_{4-6}(20)_{20} = -P_{4-6}(20)_{20}+2\,S_{4-6}(20)_{20}+\frac{1}{2}\,Q_{5-6}(10)_{10}$
		u. s. w.
$1+\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$C_{11}(-1-1)_{11} = -P_{11}(-1-1)_{11}+2\,S_{11}(-1-1)_{11}-\frac{1}{2}\,Q_{01}(0-1)_{01}$
$2-\varsigma-\mu\varsigma'$	$\eta\eta'$	$C_{20}(-1-1)_{11} = -P_{20}(-1-1)_{11}+2\,S_{20}(-1-1)_{11}-\frac{1}{2}\,Q_{10}(0-1)_{01}$
$3-\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$C_{3-1}(-1-1)_{11} = -P_{3-1}(-1-1)_{11}+2\,S_{3-1}(-1-1)_{11}-\frac{1}{2}\,Q_{2-1}(0-1)_{01}$
$4-2\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$C_{4-2}(-1-1)_{11} = -P_{4-2}(-1-1)_{11}+2\,S_{4-2}(-1-1)_{11}-\frac{1}{2}\,Q_{3-2}(0-1)_{01}$
$5-3\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$C_{5-3}(-1-1)_{11} = -P_{5-3}(-1-1)_{11}+2\,S_{5-3}(-1-1)_{11}-\frac{1}{2}\,Q_{4-3}(0-1)_{01}$
		u. s. w.
$2\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$C_{02}(-1-1)_{11} = -P_{02}(-1-1)_{11}+2\,S_{02}(-1-1)_{11}+\frac{1}{2}\,Q_{1-2}(01)_{01}$
		$+2\,S_{00}(00)_{00}\,[S_{02}(-1-1)_{11}-P_{02}(-1-1)_{11}-\frac{1}{4}\,Q_{1-2}(01)_{01}]$
		$+S_{1-1}(00)_{00}\,[S_{1-3}(11)_{11}+S_{11}(-1-1)_{11}-P_{1-3}(11)_{11}-P_{11}(-1-1)_{11}-\frac{1}{4}\,Q_{2-3}(01)_{01}+\frac{1}{4}\,Q_{01}(0-1)_{01}]$
		$+S_{2-2}(00)_{00}\,[S_{2-4}(11)_{11}+S_{20}(-1-1)_{11}-P_{2-4}(11)_{11}-P_{20}(-1-1)_{11}-\frac{1}{4}\,Q_{3-4}(01)_{01}+\frac{1}{4}\,Q_{10}(0-1)_{01}]$
		$+S_{3-3}(00)_{00}\,[S_{3-5}(11)_{11}+S_{3-1}(-1-1)_{11}-P_{3-5}(11)_{11}-P_{3-1}(-1-1)_{11}-\frac{1}{4}\,Q_{4-5}(01)_{01}+\frac{1}{4}\,Q_{2-1}(0-1)_{01}]$
		$+\quad .\quad .\quad .\quad .$
		$-2\,P_{00}(00)_{00}\,S_{02}(-1-1)_{11}$
		$-P_{1-1}(00)_{00}\,[S_{1-3}(11)_{11}+S_{11}(-1-1)_{11}] \quad +\frac{1}{4}\,Q_{1-1}(00)_{00}\,[S_{2-3}(01)_{01}-S_{01}(0-1)_{01}]$
		$-P_{2-2}(00)_{00}\,[S_{2-4}(11)_{11}+S_{20}(-1-1)_{11}] \quad +\frac{1}{4}\,Q_{2-2}(00)_{00}\,[S_{3-4}(01)_{01}-S_{10}(0-1)_{01}]$
		$-P_{3-3}(00)_{00}\,[S_{3-5}(11)_{11}+S_{3-1}(-1-1)_{11}] \quad +\frac{1}{4}\,Q_{3-3}(00)_{00}\,[S_{4-5}(01)_{01}-S_{2-1}(0-1)_{01}]$
		$-\quad .\quad .\quad .\quad .\quad +\quad .\quad .\quad .\quad .$

Argument	Exc.	Coefficient
		$+ S_{10}(-10)_{10}\ [S_{1-2}(01)_{01} - P_{1-2}(01)_{01}] \quad - P_{10}(-10)_{10}\ S_{1-2}(01)_{01}$
		$+ S_{2-1}(-10)_{10}\ [S_{2-3}(01)_{01} - P_{2-3}(01)_{01}] \quad - P_{2-1}(-10)_{10}\ S_{2-3}(01)_{01}$
		$+ S_{3-2}(-10)_{10}\ [S_{3-4}(01)_{01} - P_{3-4}(01)_{01}] \quad - P_{3-2}(-10)_{10}\ S_{3-4}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+ S_{01}(-10)_{10}\ [S_{01}(0-1)_{01} - P_{01}(0-1)_{01}] \quad - P_{01}(-10)_{10}\ S_{01}(0-1)_{01}$
		$+ S_{1-2}(10)_{10}\ [S_{10}(0-1)_{01} - P_{10}(0-1)_{01}] \quad - P_{1-2}(10)_{10}\ S_{10}(0-1)_{01}$
		$+ S_{2-3}(10)_{10}\ [S_{2-1}(0-1)_{01} - P_{2-1}(0-1)_{01}] \quad - P_{2-3}(10)_{10}\ S_{2-1}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+ \tfrac{1}{2} Q_{1-1}(00)_{00}\ [K_{1-3}(11)_{11} + K_{11}(-1-1)_{11}] \quad + \tfrac{1}{2} K_{1-1}(00)_{00}\ [Q_{1-3}(11)_{11} + Q_{11}(-1-1)_{11}]$
		$+ \tfrac{1}{2} Q_{2-2}(00)_{00}\ [K_{2-4}(11)_{11} + K_{20}(-1-1)_{11}] \quad + \tfrac{1}{2} K_{2-2}(00)_{00}\ [Q_{2-4}(11)_{11} + Q_{20}(-1-1)_{11}]$
		$+ \tfrac{1}{2} Q_{3-3}(00)_{00}\ [K_{3-5}(11)_{11} + K_{3-1}(-1-1)_{11}] \quad + \tfrac{1}{2} K_{3-3}(00)_{00}\ [Q_{3-5}(11)_{11} + Q_{3-1}(-1-1)_{11}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+\tfrac{1}{2}Q_{10}(-10)_{10}\ K_{1-2}(01)_{01} - \tfrac{1}{2}Q_{01}(-10)_{10}K_{01}(0-1)_{01} \quad +\tfrac{1}{2}Q_{10}(0-1)_{01}\ K_{1-2}(10)_{10} - \tfrac{1}{2}Q_{01}(0-1)_{01}K_{01}(-10)_{10}$
		$+\tfrac{1}{2}Q_{2-1}(-10)_{10}K_{2-3}(01)_{01} + \tfrac{1}{2}Q_{2-3}(10)_{10}\ K_{2-1}(0-1)_{01} + \tfrac{1}{2}Q_{2-1}(0-1)_{01}K_{2-3}(10)_{10} + \tfrac{1}{2}Q_{2-3}(01)_{01}\ K_{2-1}(-10)_{10}$
		$+\tfrac{1}{2}Q_{3-2}(-10)_{10}K_{3-4}(01)_{01} + \tfrac{1}{2}Q_{3-4}(10)_{10}\ K_{3-2}(0-1)_{01} + \tfrac{1}{2}Q_{3-2}(0-1)_{01}K_{3-4}(10)_{10} + \tfrac{1}{2}Q_{3-4}(01)_{01}\ K_{3-2}(-10)_{10}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$1-3\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$C_{1-3}(11)_{11} = -P_{1-3}(11)_{11} + 2\,S_{1-3}(11)_{11} + \tfrac{1}{2} Q_{2-3}(01)_{01}$
		$+ 2\,S_{00}(00)_{00}\ [S_{1-3}(11)_{11} - P_{1-3}(11)_{11} - \tfrac{1}{4} Q_{2-3}(01)_{01}]$
		$+ S_{1-1}(00)_{00}\ [S_{2-4}(11)_{11} + S_{02}(-1-1)_{11} - P_{2-4}(11)_{11} - P_{02}(-1-1)_{11} - \tfrac{1}{4} Q_{3-4}(01)_{01} - \tfrac{1}{4} Q_{1-2}(01)_{01}]$
		$+ S_{2-2}(00)_{00}\ [S_{3-5}(11)_{11} + S_{11}(-1-1)_{11} - P_{3-5}(11)_{11} - P_{11}(-1-1)_{11} - \tfrac{1}{4} Q_{4-5}(01)_{01} + \tfrac{1}{4} Q_{01}(0-1)_{01}]$
		$+ S_{3-3}(00)_{00}\ [S_{4-6}(11)_{11} + S_{20}(-1-1)_{11} - P_{4-6}(11)_{11} - P_{20}(-1-1)_{11} - \tfrac{1}{4} Q_{5-6}(01)_{01} + \tfrac{1}{4} Q_{10}(0-1)_{01}]$
		$+ S_{4-4}(00)_{00}\ [S_{5-7}(11)_{11} + S_{3-1}(-1-1)_{11} - P_{5-7}(11)_{11} - P_{3-1}(-1-1)_{11} - \tfrac{1}{4} Q_{6-7}(01)_{01} + \tfrac{1}{4} Q_{2-1}(0-1)_{01}]$
		$+ \quad . \quad . \quad . \quad .$
		$- 2\,P_{00}(00)_{00}\ S_{1-3}(11)_{11}$
		$- P_{1-1}(00)_{00}\ [S_{2-4}(11)_{11} + S_{02}(-1-1)_{11}] \quad + \tfrac{1}{4} Q_{1-1}(00)_{00}\ [S_{3-4}(01)_{01} - S_{1-2}(01)_{01}]$
		$- P_{2-2}(00)_{00}\ [S_{3-5}(11)_{11} + S_{11}(-1-1)_{11}] \quad + \tfrac{1}{4} Q_{2-2}(00)_{00}\ [S_{4-5}(01)_{01} - S_{01}(0-1)_{01}]$
		$- P_{3-3}(00)_{00}\ [S_{4-6}(11)_{11} + S_{20}(-1-1)_{11}] \quad + \tfrac{1}{4} Q_{3-3}(00)_{00}\ [S_{5-6}(01)_{01} - S_{10}(0-1)_{01}]$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ S_{10}(-10)_{10}\ [S_{2-3}(01)_{01} - P_{2-3}(01)_{01}] \quad - P_{10}(-10)_{10}\ S_{2-3}(01)_{01}$
		$+ S_{2-1}(-10)_{10}\ [S_{3-4}(01)_{01} - P_{3-4}(01)_{01}] \quad - P_{2-1}(-10)_{10}\ S_{3-4}(01)_{01}$
		$+ S_{3-2}(-10)_{10}\ [S_{4-5}(01)_{01} - P_{4-5}(01)_{01}] \quad - P_{3-2}(-10)_{10}\ S_{4-5}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+ S_{01}(-10)_{10}\ [S_{1-2}(01)_{01} - P_{1-2}(01)_{01}] \quad - P_{01}(-10)_{10}\ S_{1-2}(01)_{01}$
		$+ S_{1-2}(10)_{10}\ [S_{01}(0-1)_{01} - P_{01}(0-1)_{01}] \quad - P_{1-2}(10)_{10}\ S_{01}(0-1)_{01}$
		$+ S_{2-3}(10)_{10}\ [S_{10}(0-1)_{01} - P_{10}(0-1)_{01}] \quad - P_{2-3}(10)_{10}\ S_{10}(0-1)_{01}$
		$+ S_{3-4}(10)_{10}\ [S_{2-1}(0-1)_{01} - P_{2-1}(0-1)_{01}] \quad - P_{3-4}(10)_{11}\ S_{2-1}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+ \tfrac{1}{2} Q_{1-1}(00)_{00}\ [K_{2-4}(11)_{11} + K_{02}(-1-1)_{11}] \quad + \tfrac{1}{2} K_{1-1}(00)_{00}\ [Q_{2-4}(11)_{11} + Q_{02}(-1-1)_{11}]$
		$+ \tfrac{1}{2} Q_{2-2}(00)_{00}\ [K_{3-5}(11)_{11} + K_{11}(-1-1)_{11}] \quad + \tfrac{1}{2} K_{2-2}(00)_{00}\ [Q_{3-5}(11)_{11} + Q_{11}(-1-1)_{11}]$
		$+ \tfrac{1}{2} Q_{3-3}(00)_{00}\ [K_{4-6}(11)_{11} + K_{20}(-1-1)_{11}] \quad + \tfrac{1}{2} K_{3-3}(00)_{00}\ [Q_{4-6}(11)_{11} + Q_{20}(-1-1)_{11}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}Q_{10}(-10)_{10}\ K_{2-3}(01)_{01}+\frac{1}{2}Q_{01}(-10)_{10}K_{1-2}(01)_{01}\ +\frac{1}{2}Q_{10}(0-1)_{01}\ K_{2-3}(10)_{10}+\frac{1}{2}Q_{01}(0-1)_{01}K_{1-2}(10)_{10}$
		$+\frac{1}{2}Q_{2-1}(-10)_{10}K_{3-4}(01)_{01}+\frac{1}{2}Q_{1-2}(10)_{10}\ K_{01}(0-1)_{01}\ +\frac{1}{2}Q_{2-1}(0-1)_{01}K_{3-4}(10)_{10}+\frac{1}{2}Q_{1-2}(01)_{01}\ K_{01}(-10)_{10}$
		$+\frac{1}{2}Q_{3-2}(-10)_{10}K_{4-5}(01)_{01}+\frac{1}{2}Q_{3-4}(10)_{10}\ K_{2-1}(0-1)_{01}+\frac{1}{2}Q_{3-2}(0-1)_{01}K_{4-5}(10)_{10}+\frac{1}{2}Q_{3-4}(01)_{01}\ K_{2-1}(-10)_{10}$
		$+\ .\ .\ .\ .\ .\ +\frac{1}{2}Q_{4-5}(10)_{10}\ K_{3-2}(0-1)_{01}+\ .\ .\ .\ .\ .\ +\frac{1}{2}Q_{4-5}(01)_{01}\ K_{3-2}(-10)_{10}$
		$+\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .$
$2-4\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$C_{2-4}(11)_{11}=-P_{2-4}(11)_{11}+2\,S_{2-4}(11)_{11}+\frac{1}{2}\,Q_{3-4}(01)_{01}$
		$+2\,S_{00}(00)_{00}\,[S_{2-4}(11)_{11}-P_{2-4}(11)_{11}-\frac{1}{4}\,Q_{3-4}(01)_{01}]$
		$+S_{1-1}(00)_{00}\,[S_{3-5}(11)_{11}+S_{1-3}(11)_{11}\ -P_{3-5}(11)_{11}-P_{1-3}(11)_{11}\ -\frac{1}{4}\,Q_{4-5}(01)_{01}-\frac{1}{4}\,Q_{2-3}(01)_{01}]$
		$+S_{2-2}(00)_{00}\,[S_{4-6}(11)_{11}+S_{02}(-1-1)_{11}-P_{4-6}(11)_{11}-P_{02}(-1-1)_{11}-\frac{1}{4}\,Q_{5-6}(01)_{01}-\frac{1}{4}\,Q_{1-2}(01)_{01}]$
		$+S_{3-3}(00)_{00}\,[S_{5-7}(11)_{11}+S_{11}(-1-1)_{11}-P_{5-7}(11)_{11}-P_{11}(-1-1)_{11}-\frac{1}{4}\,Q_{6-7}(01)_{01}+\frac{1}{4}\,Q_{01}(0-1)_{01}]$
		$+\ .\ .\ .\ .$
		$-2\,P_{00}(00)_{00}\,S_{2-4}(11)_{11}$
		$-P_{1-1}(00)_{00}\,[S_{3-5}(11)_{11}+S_{1-3}(11)_{11}]\ +\frac{1}{4}\,Q_{1-1}(00)_{00}\,[S_{4-5}(01)_{01}-S_{2-3}(01)_{01}]$
		$-P_{2-2}(00)_{00}\,[S_{4-6}(11)_{11}+S_{02}(-1-1)_{11}]\ +\frac{1}{4}\,Q_{2-2}(00)_{00}\,[S_{5-6}(01)_{01}-S_{1-2}(01)_{01}]$
		$-P_{3-3}(00)_{00}\,[S_{5-7}(11)_{11}+S_{11}(-1-1)_{11}]\ +\frac{1}{4}\,Q_{3-3}(00)_{00}\,[S_{6-7}(01)_{01}-S_{01}(0-1)_{01}]$
		$-\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .$
		$+S_{10}(-10)_{10}\ [S_{3-4}(01)_{01}-P_{3-4}(01)_{01}]\ -P_{10}(-10)_{10}\ S_{3-4}(01)_{01}$
		$+S_{2-1}(-10)_{10}\,[S_{4-5}(01)_{01}-P_{4-5}(01)_{01}]\ -P_{2-1}(-10)_{10}\,S_{4-5}(01)_{01}$
		$+S_{3-2}(-10)_{10}\,[S_{5-6}(01)_{01}-P_{5-6}(01)_{01}]\ -P_{3-2}(-10)_{10}\,S_{5-6}(01)_{01}$
		$+\ .\ .\ .\ .\ .\ -\ .\ .\ .\ .\ .$
		$+S_{01}(-10)_{10}\,[S_{2-3}(01)_{01}\ -P_{2-3}(01)_{01}]\ -P_{01}(-10)_{10}\,S_{2-3}(01)_{01}$
		$+S_{1-2}(10)_{10}\ [S_{1-2}(01)_{01}\ -P_{1-2}(01)_{01}]\ -P_{1-2}(10)_{10}\ S_{1-2}(01)_{01}$
		$+S_{2-3}(10)_{10}\ [S_{01}(0-1)_{01}-P_{01}(0-1)_{01}]\ -P_{2-3}(10)_{10}\ S_{01}(0-1)_{01}$
		$+\ .\ .\ .\ .\ .\ -\ .\ .\ .\ .$
		$+\frac{1}{2}\,Q_{1-1}(00)_{00}\,[K_{3-5}(11)_{11}-K_{1-3}(11)_{11}]\ +\frac{1}{2}\,K_{1-1}(00)_{00}\,[Q_{3-5}(11)_{11}-Q_{1-3}(11)_{11}]$
		$+\frac{1}{2}\,Q_{2-2}(00)_{00}\,[K_{4-6}(11)_{11}+K_{02}(-1-1)_{11}]\ +\frac{1}{2}\,K_{2-2}(00)_{00}\,[Q_{4-6}(11)_{11}+Q_{02}(-1-1)_{11}]$
		$+\frac{1}{2}\,Q_{3-3}(00)_{00}\,[K_{5-7}(11)_{11}+K_{11}(-1-1)_{11}]\ +\frac{1}{2}\,K_{3-3}(00)_{00}\,[Q_{5-7}(11)_{11}+Q_{11}(-1-1)_{11}]$
		$+\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .$
		$+\frac{1}{2}Q_{10}(-10)_{10}\ K_{3-4}(01)_{01}+\frac{1}{2}Q_{01}(-10)_{10}K_{2-3}(01)_{01}\ +\frac{1}{2}Q_{10}(0-1)_{01}\ K_{3-4}(10)_{10}+\frac{1}{2}Q_{01}(0-1)_{01}K_{2-3}(10)_{10}$
		$+\frac{1}{2}Q_{2-1}(-10)_{10}K_{4-5}(01)_{01}-\frac{1}{2}Q_{1-2}(10)_{10}\ K_{1-2}(01)_{01}\ +\frac{1}{2}Q_{2-1}(0-1)_{01}K_{4-5}(10)_{10}-\frac{1}{2}Q_{1-2}(01)_{01}\ K_{1-2}(10)_{10}$
		$+\frac{1}{2}Q_{3-2}(-10)_{10}K_{5-6}(01)_{01}+\frac{1}{2}Q_{2-3}(10)_{10}\ K_{01}(0-1)_{01}\ +\frac{1}{2}Q_{3-2}(0-1)_{01}K_{5-6}(10)_{10}+\frac{1}{2}Q_{2-3}(01)_{01}\ K_{01}(-10)_{10}$
		$+\frac{1}{2}Q_{4-3}(-10)_{10}K_{6-7}(01)_{01}+\frac{1}{2}Q_{4-5}(10)_{10}\ K_{2-1}(0-1)_{01}+\frac{1}{2}Q_{4-3}(0-1)_{01}K_{6-7}(10)_{10}+\frac{1}{2}Q_{4-5}(01)_{01}\ K_{2-1}(-10)_{10}$
		$+\ .\ .\ .\ .\ +\ .\ .\ .\ .\ +\ .\ .\ .\ .\ +\ .\ .\ .\ .$
$3-5\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$C_{3-5}(11)_{11}\ =-P_{3-5}(11)_{11}+2\,S_{3-5}(11)_{11}+\frac{1}{2}\,Q_{4-5}(01)_{01}$
$4-6\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$C_{4-6}(11)_{11}\ =-P_{4-6}(11)_{11}+2\,S_{4-6}(11)_{11}+\frac{1}{2}\,Q_{5-6}(01)_{01}$
		u. s. w.
$1-\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$C_{1-1}(-11)_{11}=-P_{1-1}(-11)_{11}+2\,S_{1-1}(-11)_{11}+\frac{1}{2}\,Q_{01}(0-1)_{01}$

Argument	Exc.	Coefficient
$2-2\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$C_{2-2}(-11)_{11} = -P_{2-2}(-11)_{11} + 2\,S_{2-2}(-11)_{11} - \frac{1}{2}\,Q_{1-2}(01)_{01}$
		$+ 2\,S_{00}(00)_{00}\,[S_{2-2}(-11)_{11} - P_{2-2}(-11)_{11} + \frac{1}{4}\,Q_{1-2}(01)_{01}]$
		$+ S_{1-1}(00)_{00}\,[S_{3-3}(-11)_{11} + S_{1-1}(-11)_{11} - P_{3-3}(-11)_{11} - P_{1-1}(-11)_{11} + \frac{1}{4}Q_{2-3}(01)_{01} - \frac{1}{4}Q_{01}(0-1)_{01}]$
		$+ S_{2-2}(00)_{00}\,[S_{4-4}(-11)_{11} - P_{4-4}(-11)_{11} - P_{00}(1-1)_{11} + \frac{1}{4}Q_{3-4}(01)_{01} - \frac{1}{4}Q_{10}(0-1)_{01}]$
		$+ S_{3-3}(00)_{00}\,[S_{5-5}(-11)_{11} + S_{1-1}(1-1)_{11} - P_{5-5}(-11)_{11} - P_{1-1}(1-1)_{11} + \frac{1}{4}Q_{4-5}(01)_{01} - \frac{1}{4}Q_{2-1}(0-1)_{01}]$
		$+ \quad . \quad . \quad . \quad .$
		$- 2\,P_{00}(00)_{00}\,S_{2-2}(-11)_{11}$
		$- P_{1-1}(00)_{00}\,[S_{3-3}(-11)_{11} + S_{1-1}(-11)_{11}] + \frac{1}{4}\,Q_{1-1}(00)_{00}\,[S_{01}(0-1)_{01} - S_{2-3}(01)_{01}]$
		$- P_{2-2}(00)_{00}\;S_{4-4}(-11)_{11} + \frac{1}{4}\,Q_{2-2}(00)_{00}\,[S_{10}(0-1)_{01} - S_{3-4}(01)_{01}]$
		$- P_{3-3}(00)_{00}\,[S_{5-5}(-11)_{11} + S_{1-1}(1-1)_{11}] + \frac{1}{4}\,Q_{3-3}(00)_{00}\,[S_{2-1}(0-1)_{01} - S_{4-5}(01)_{01}]$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ S_{10}(-10)_{10}\;[S_{1-2}(01)_{01} - P_{1-2}(01)_{01}] - P_{10}(-10)_{10}\;S_{1-2}(01)_{01}$
		$+ S_{2-1}(-10)_{10}\,[S_{01}(0-1)_{01} - P_{01}(0-1)_{01}] - P_{2-1}(-10)_{10}\,S_{01}(0-1)_{01}$
		$+ S_{3-2}(-10)_{10}\,[S_{10}(0-1)_{01} - P_{10}(0-1)_{01}] - P_{3-2}(-10)_{10}\,S_{10}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+ S_{01}(-10)_{10}\,[S_{2-3}(01)_{01} - P_{2-3}(01)_{01}] - P_{01}(-10)_{10}\,S_{2-3}(01)_{01}$
		$+ S_{1-2}(10)_{10}\;[S_{3-4}(01)_{01} - P_{3-4}(01)_{01}] - P_{1-2}(10)_{10}\;S_{3-4}(01)_{01}$
		$+ S_{2-3}(10)_{10}\;[S_{4-5}(01)_{01} - P_{4-5}(01)_{01}] - P_{2-3}(10)_{10}\;S_{4-5}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+ \frac{1}{2}\,Q_{1-1}(00)_{00}\,[K_{3-3}(-11)_{11} - K_{1-1}(-11)_{11}] + \frac{1}{2}\,K_{1-1}(00)_{00}\,[Q_{3-3}(-11)_{11} - Q_{1-1}(-11)_{11}]$
		$+ \frac{1}{2}\,Q_{2-2}(00)_{00}\,[K_{4-4}(-11)_{11} + K_{00}(1-1)_{11}] + \frac{1}{2}\,K_{2-2}(00)_{00}\,[Q_{4-4}(-11)_{11} + Q_{00}(1-1)_{11}]$
		$+ \frac{1}{2}\,Q_{3-3}(00)_{00}\,[K_{5-5}(-11)_{11} + K_{1-1}(1-1)_{11}] + \frac{1}{2}\,K_{3-3}(00)_{00}\,[Q_{5-5}(-11)_{11} + Q_{1-1}(1-1)_{11}]$
		$+ \frac{1}{2}\,Q_{4-4}(00)_{00}\,[K_{6-6}(-11)_{11} + K_{2-2}(1-1)_{11}] + \frac{1}{2}\,K_{4-4}(00)_{00}\,[Q_{6-6}(-11)_{11} + Q_{2-2}(1-1)_{11}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$-\frac{1}{2}Q_{10}(-10)_{10}\;K_{1-2}(01)_{01} - \frac{1}{2}Q_{01}(-10)_{10}K_{2-3}(01)_{01} + \frac{1}{2}Q_{10}(0-1)_{01}\;K_{3-2}(-10)_{10} + \frac{1}{2}Q_{01}(0-1)_{01}K_{2-1}(-10)_{10}$
		$+\frac{1}{2}Q_{2-1}(-10)_{10}K_{01}(0-1)_{01} + \frac{1}{2}Q_{1-2}(10)_{10}\;K_{3-4}(01)_{01} + \frac{1}{2}Q_{2-1}(0-1)_{01}K_{4-3}(-10)_{10} - \frac{1}{2}Q_{2-3}(01)_{01}\;K_{01}(-10)_{10}$
		$+\frac{1}{2}Q_{4-3}(-10)_{10}K_{2-1}(0-1)_{01} + \frac{1}{2}Q_{2-3}(10)_{10}\;K_{4-5}(01)_{01} + \frac{1}{2}Q_{3-2}(0-1)_{01}K_{5-4}(-10)_{10} + \frac{1}{2}Q_{3-4}(01)_{01}\;K_{1-2}(10)_{10}$
		$+\frac{1}{2}Q_{5-4}(-10)_{10}K_{3-2}(0-1)_{01} + \frac{1}{2}Q_{3-4}(10)_{10}\;K_{5-6}(01)_{01} + \frac{1}{2}Q_{4-3}(0-1)_{01}K_{6-5}(-10)_{10} + \frac{1}{2}Q_{4-5}(01)_{01}\;K_{2-3}(10)_{10}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$3-3\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$C_{3-3}(-11)_{11} = -P_{3-3}(-11)_{11} + 2\,S_{3-3}(-11)_{11} - \frac{1}{2}\,Q_{2-3}(01)_{01}$
$4-4\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$C_{4-4}(-11)_{11} = -P_{4-4}(-11)_{11} + 2\,S_{4-4}(-11)_{11} - \frac{1}{2}\,Q_{3-4}(01)_{01}$
$5-5\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$C_{5-5}(-11)_{11} = -P_{5-5}(-11)_{11} + 2\,S_{5-5}(-11)_{11} - \frac{1}{2}\,Q_{4-5}(01)_{01}$
		u. s. w.
$\varsigma-\mu\varsigma'$	$\eta\eta'$	$C_{00}(1-1)_{11} = -P_{00}(1-1)_{11} + \frac{1}{2}\,Q_{10}(0-1)_{01}$
		$- 2\,S_{00}(00)_{00}\,[P_{00}(1-1)_{11} + \frac{1}{4}\,Q_{10}(0-1)_{01}]$
		$+ S_{1-1}(00)_{00}\,[S_{1-1}(1-1)_{11} + S_{1-1}(-11)_{11} - P_{1-1}(1-1)_{11} - P_{1-1}(-11)_{11} - \frac{1}{4}Q_{2-1}(0-1)_{01} - \frac{1}{4}Q_{01}(0-1)_{01}]$
		$+ S_{2-2}(00)_{00}\,[S_{2-2}(-1)_{11} + S_{2-2}(-11)_{11} - P_{2-2}(1-1)_{11} - P_{2-2}(-11)_{11} - \frac{1}{4}Q_{3-2}(0-1)_{01} + \frac{1}{4}Q_{1-2}(01)_{01}]$
		$+ S_{3-3}(00)_{00}\,[S_{3-3}(1-1)_{11} + S_{3-3}(-11)_{11} - P_{3-3}(1-1)_{11} - P_{3-3}(-11)_{11} - \frac{1}{4}Q_{4-3}(0-1)_{01} + \frac{1}{4}Q_{2-3}(01)_{01}]$
		$+ \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$-P_{1-1}(00)_{00}[S_{1-1}(1-1)_{11}+S_{1-1}(-11)_{11}] \quad +\frac{1}{4}Q_{1-1}(00)_{00}[S_{2-1}(0-1)_{01}-S_{01}(0-1)_{01}]$
		$-P_{2-2}(00)_{00}[S_{2-2}(1-1)_{11}+S_{2-2}(-11)_{11}] \quad +\frac{1}{4}Q_{2-2}(00)_{00}[S_{3-2}(0-1)_{01}-S_{1-2}(01)_{01}]$
		$-P_{3-3}(00)_{00}[S_{3-3}(1-1)_{11}+S_{3-3}(-11)_{11}] \quad +\frac{1}{4}Q_{3-3}(00)_{00}[S_{4-3}(0-1)_{01}-S_{2-3}(01)_{01}]$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+S_{10}(-10)_{10}\ [S_{10}(0-1)_{01}-P_{10}(0-1)_{01}] \quad -P_{10}(-10)_{10}\ S_{10}(0-1)_{01}$
		$+S_{2-1}(-10)_{10}[S_{2-1}(0-1)_{01}-P_{2-1}(0-1)_{01}] \quad -P_{2-1}(-10)_{10}S_{2-1}(0-1)_{01}$
		$+S_{3-2}(-10)_{10}[S_{3-2}(0-1)_{01}-P_{3-2}(0-1)_{01}] \quad -P_{3-2}(-10)_{10}S_{3-2}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+S_{01}(-10)_{10}[S_{01}(0-1)_{01}-P_{01}(0-1)_{01}] \quad -P_{01}(-10)_{10}S_{01}(0-1)_{01}$
		$+S_{1-2}(10)_{10}\ [S_{1-2}(01)_{01}-P_{1-2}(01)_{01}] \quad -P_{1-2}(10)_{10}\ S_{1-2}(01)_{01}$
		$+S_{2-3}(10)_{10}\ [S_{2-3}(01)_{01}-P_{2-3}(01)_{01}] \quad -P_{2-3}(10)_{10}\ S_{2-3}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}Q_{1-1}(00)_{00}[K_{1-1}(1-1)_{11}+K_{1-1}(-11)_{11}] \quad +\frac{1}{2}K_{1-1}(00)_{00}[Q_{1-1}(1-1)_{11}+Q_{1-1}(-11)_{11}]$
		$+\frac{1}{2}Q_{2-2}(00)_{00}[K_{2-2}(1-1)_{11}+K_{2-2}(-11)_{11}] \quad +\frac{1}{2}K_{2-2}(00)_{00}[Q_{2-2}(1-1)_{11}+Q_{2-2}(-11)_{11}]$
		$+\frac{1}{2}Q_{3-3}(00)_{00}[K_{3-3}(1-1)_{11}+K_{3-3}(-11)_{11}] \quad +\frac{1}{2}K_{3-3}(00)_{00}[Q_{3-3}(1-1)_{11}+Q_{3-3}(-11)_{11}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}Q_{2-1}(-10)_{10}K_{2-1}(0-1)_{01}+\frac{1}{2}Q_{01}(-10)_{10}K_{01}(0-1)_{01}+\frac{1}{2}Q_{2-1}(0-1)_{01}K_{2-1}(-10)_{10}+\frac{1}{2}Q_{01}(0-1)_{01}K_{01}(-10)_{10}$
		$+\frac{1}{2}Q_{3-2}(-10)_{10}K_{3-2}(0-1)_{01}+\frac{1}{2}Q_{1-2}(10)_{10}\ K_{1-2}(01)_{01}+\frac{1}{2}Q_{3-2}(0-1)_{01}K_{3-2}(-10)_{10}+\frac{1}{2}Q_{1-2}(01)_{01}\ K_{1-2}(10)_{10}$
		$+\frac{1}{2}Q_{4-3}(-10)_{10}K_{4-3}(0-1)_{01}+\frac{1}{2}Q_{2-3}(10)_{10}\ K_{2-3}(01)_{01}+\frac{1}{2}Q_{4-3}(0-1)_{01}K_{4-3}(-10)_{10}+\frac{1}{2}Q_{2-3}(01)_{01}\ K_{2-3}(10)_{10}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$1-\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$C_{1-1}(1-1)_{11}=-P_{1-1}(1-1)_{11}+2S_{1-1}(1-1)_{11}+\frac{1}{2}Q_{2-1}(0-1)_{01}$
$2-2\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$C_{2-2}(1-1)_{11}=-P_{2-2}(1-1)_{11}+2S_{2-2}(1-1)_{11}+\frac{1}{2}Q_{3-2}(0-1)_{01}$
		$+2S_{00}(00)_{00}[S_{2-2}(1-1)_{11}-P_{2-2}(1-1)_{11}-\frac{1}{4}Q_{3-2}(0-1)_{01}]$
		$+S_{1-1}(00)_{00}\ [S_{3-3}(1-1)_{11}+S_{1-1}(1-1)_{11}-P_{3-3}(1-1)_{11}-P_{1-1}(1-1)_{11}-\frac{1}{4}Q_{4-3}(0-1)_{01}-\frac{1}{4}Q_{2-1}(0-1)_{01}]$
		$+S_{2-2}(00)_{00}\ [S_{4-4}(1-1)_{11} \quad -P_{4-4}(1-1)_{11}-P_{00}(1-1)_{11}\ -\frac{1}{4}Q_{5-4}(0-1)_{01}-\frac{1}{4}Q_{10}(0-1)_{01}]$
		$+S_{3-3}(00)_{00}\ [S_{5-5}(1-1)_{11}+S_{1-1}(-11)_{11}-P_{5-5}(1-1)_{11}-P_{1-1}(-11)_{11}-\frac{1}{4}Q_{6-5}(0-1)_{01}-\frac{1}{4}Q_{01}(0-1)_{01}]$
		$+S_{4-4}(00)_{00}\ [S_{6-6}(1-1)_{11}+S_{2-2}(-11)_{11}-P_{6-6}(1-1)_{11}-P_{2-2}(-11)_{11}-\frac{1}{4}Q_{7-6}(0-1)_{01}+\frac{1}{4}Q_{1-2}(01)_{01}]$
		$+ \quad . \quad . \quad . \quad .$
		$-2P_{00}(00)_{00}S_{2-2}(1-1)_{11}$
		$-P_{1-1}(00)_{00}\ [S_{3-3}(1-1)_{11}+S_{1-1}(1-1)_{11}] \quad +\frac{1}{4}Q_{1-1}(00)_{00}[S_{4-3}(0-1)_{01}-S_{2-1}(0-1)_{01}]$
		$-P_{2-2}(00)_{00}\ \ S_{4-4}(1-1)_{11} \quad +\frac{1}{4}Q_{2-2}(00)_{00}[S_{5-4}(0-1)_{01}-S_{10}(0-1)_{01}]$
		$-P_{3-3}(00)_{00}\ [S_{5-5}(1-1)_{11}+S_{1-1}(-11)_{11}] \quad +\frac{1}{4}Q_{3-3}(00)_{00}[S_{6-5}(0-1)_{01}-S_{01}(0-1)_{01}]$
		$-P_{4-4}(00)_{00}\ [S_{6-6}(1-1)_{11}+S_{2-2}(-11)_{11}] \quad +\frac{1}{4}Q_{4-4}(00)_{00}[S_{7-6}(0-1)_{01}-S_{1-2}(01)_{01}]$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+S_{10}(-10)_{10}\ [S_{3-2}(0-1)_{01}-P_{3-2}(0-1)_{01}] \quad -P_{10}(-10)_{10}\ S_{3-2}(0-1)_{01}$
		$+S_{2-1}(-10)_{10}[S_{4-3}(0-1)_{01}-P_{4-3}(0-1)_{01}] \quad -P_{2-1}(-10)_{10}S_{4-3}(0-1)_{01}$
		$+S_{3-2}(-10)_{10}[S_{5-4}(0-1)_{01}-P_{5-4}(0-1)_{01}] \quad -P_{3-2}(-10)_{10}S_{5-4}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+S_{01}(-10)_{10}[S_{2-1}(0-1)_{01}-P_{2-1}(0-1)_{01}] \quad -P_{01}(-10)_{10}S_{2-1}(0-1)_{01}$
		$+S_{1-2}(10)_{10}\ [S_{10}(0-1)_{01}-P_{10}(0-1)_{01}] \quad -P_{1-2}(10)_{10}\ S_{10}(0-1)_{01}$
		$+S_{2-3}(10)_{10}\ [S_{01}(0-1)_{01}-P_{01}(0-1)_{01}] \quad -P_{2-3}(10)_{10}\ S_{01}(0-1)_{01}$
		$+S_{3-4}(10)_{10}\ [S_{1-2}(01)_{01}-P_{1-2}(01)_{01}] \quad -P_{3-4}(10)_{10}\ S_{1-2}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}Q_{1-1}(00)_{00}[K_{3-3}(1-1)_{11}-K_{1-1}(1-1)_{11}] \quad +\frac{1}{2}K_{1-1}(00)_{00}[Q_{3-3}(1-1)_{11}-Q_{1-1}(1-1)_{11}]$ $+\frac{1}{2}Q_{2-2}(00)_{00}[K_{4-4}(1-1)_{11}-K_{00}(1-1)_{11}] \quad +\frac{1}{2}K_{2-2}(00)_{00}[Q_{4-4}(1-1)_{11}-Q_{00}(1-1)_{11}]$ $+\frac{1}{2}Q_{3-3}(00)_{00}[K_{5-5}(1-1)_{11}+K_{1-1}(-11)_{11}] \quad +\frac{1}{2}K_{3-3}(00)_{00}[Q_{5-5}(1-1)_{11}+Q_{1-1}(-11)_{11}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $+\frac{1}{2}Q_{10}(-10)_{10}\ K_{3-2}(0-1)_{01}+\frac{1}{2}Q_{01}(-10)_{10}K_{2-1}(0-1)_{01}-\frac{1}{2}Q_{10}(0-1)_{01}\ K_{1-2}(10)_{10} \quad -\frac{1}{2}Q_{01}(0-1)_{01}K_{2-3}(10)_{10}$ $+\frac{1}{2}Q_{2-1}(-10)_{10}K_{4-3}(0-1)_{01}-\frac{1}{2}Q_{2-3}(10)_{10}K_{01}(0-1)_{01} \quad +\frac{1}{2}Q_{2-1}(0-1)_{01}K_{01}(-10)_{10} \quad +\frac{1}{2}Q_{1-2}(01)_{01}K_{3-4}(10)_{10}$ $+\frac{1}{2}Q_{3-2}(-10)_{10}K_{5-4}(0-1)_{01}+\frac{1}{2}Q_{3-4}(10)_{10}K_{1-2}(01)_{01} \quad +\frac{1}{2}Q_{4-3}(0-1)_{01}K_{2-1}(-10)_{10}+\frac{1}{2}Q_{2-3}(01)_{01}K_{4-5}(10)_{10}$ $+ \quad . \quad . \quad . \quad . \quad +\frac{1}{2}Q_{4-5}(10)_{10}K_{2-3}(01)_{01} \quad +\frac{1}{2}Q_{5-4}(0-1)_{01}K_{3-2}(-10)_{10}+ \quad . \quad . \quad . \quad .$ $+ \quad . \quad . \quad . \quad .$
$3-3\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$C_{3-3}(1-1)_{11} = -P_{3-3}(1-1)_{11}+2S_{3-3}(1-1)_{11}+\frac{1}{2}Q_{4-3}(0-1)_{01}$
$4-4\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$C_{4-4}(1-1)_{11} = -P_{4-4}(1-1)_{11}+2S_{4-4}(1-1)_{11}+\frac{1}{2}Q_{5-4}(0-1)_{01}$ u. s. w.
—	η'^2	$C_{00}(00)_{02} = -P_{00}(00)_{02}$ $-2S_{00}(00)_{00}P_{00}(00)_{02}$ $+S_{1-1}(00)_{00}[S_{1-1}(00)_{02}-P_{1-1}(00)_{02}] \quad -S_{1-1}(00)_{02}P_{1-1}(00)_{00}$ $+S_{2-2}(00)_{00}[S_{2-2}(00)_{02}-P_{2-2}(00)_{02}] \quad -S_{2-2}(00)_{02}P_{2-2}(00)_{00}$ $+S_{3-3}(00)_{00}[S_{3-3}(00)_{02}-P_{3-3}(00)_{02}] \quad -S_{3-3}(00)_{02}P_{3-3}(00)_{00}$ $+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$ $+S_{10}(0-1)_{01}\ [\frac{1}{2}S_{10}(0-1)_{01}\ -P_{10}(0-1)_{01}] \quad +S_{01}(0-1)_{01}[\frac{1}{2}S_{01}(0-1)_{01}-P_{01}(0-1)_{01}]$ $+S_{2-1}(0-1)_{01}[\frac{1}{2}S_{2-1}(0-1)_{01}-P_{2-1}(0-1)_{01}] \quad +S_{1-2}(01)_{01}\ [\frac{1}{2}S_{1-2}(01)_{01}\ -P_{1-2}(01)_{01}]$ $+S_{3-2}(0-1)_{01}[\frac{1}{2}S_{3-2}(0-1)_{01}-P_{3-2}(0-1)_{01}] \quad +S_{2-3}(01)_{01}\ [\frac{1}{2}S_{2-3}(01)_{01}\ -P_{2-3}(01)_{01}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $+\frac{1}{2}Q_{1-1}(00)_{00}K_{1-1}(00)_{02}+\frac{1}{2}Q_{1-1}(00)_{02}K_{1-1}(00)_{00}+\frac{1}{2}Q_{2-1}(0-1)_{01}K_{2-1}(0-1)_{01}+\frac{1}{2}Q_{01}(0-1)_{01}K_{01}(0-1)_{01}$ $+\frac{1}{2}Q_{2-2}(00)_{00}K_{2-2}(00)_{02}+\frac{1}{2}Q_{2-2}(00)_{02}K_{2-2}(00)_{00}+\frac{1}{2}Q_{3-2}(0-1)_{01}K_{3-2}(0-1)_{01}+\frac{1}{2}Q_{1-2}(01)_{01}\ K_{1-2}(01)_{01}$ $+\frac{1}{2}Q_{3-3}(00)_{00}K_{3-3}(00)_{02}+\frac{1}{2}Q_{3-3}(00)_{02}K_{3-3}(00)_{00}+\frac{1}{2}Q_{4-3}(0-1)_{01}K_{4-3}(0-1)_{01}+\frac{1}{2}Q_{2-3}(01)_{01}\ K_{2-3}(01)_{01}$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$1-\mu$	η'^2	$C_{1-1}(00)_{02} = -P_{1-1}(00)_{02}+2S_{1-1}(00)_{02}$
$2-2\mu$	η'^2	$C_{2-2}(00)_{02} = -P_{2-2}(00)_{02}+2S_{2-2}(00)_{02}$ $+2S_{00}(00)_{00}[S_{2-2}(00)_{02}-P_{2-2}(00)_{02}]$ $+S_{1-1}(00)_{00}[S_{3-3}(00)_{02}+S_{1-1}(00)_{02}-P_{3-3}(00)_{02}-P_{1-1}(00)_{02}]-S_{1-1}(00)_{02}[P_{3-3}(00)_{00}+P_{1-1}(00)_{00}]$ $+S_{2-2}(00)_{00}[S_{4-4}(00)_{02} \quad -P_{4-4}(00)_{02}-2P_{00}(00)_{02}]-S_{2-2}(00)_{02}[P_{4-4}(00)_{00}+2P_{00}(00)_{00}]$ $+S_{3-3}(00)_{00}[S_{5-5}(00)_{02}+S_{1-1}(00)_{02}-P_{5-5}(00)_{02}-P_{1-1}(00)_{02}]-S_{3-3}(00)_{02}[P_{5-5}(00)_{00}+P_{1-1}(00)_{00}]$ $+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$ $+S_{10}(0-1)_{01}\ [S_{3-2}(0-1)_{01}+S_{1-2}(01)_{01}\ -P_{3-2}(0-1)_{01}-P_{1-2}(01)_{01}]$ $+S_{2-1}(0-1)_{01}[S_{4-3}(0-1)_{01}+S_{01}(0-1)_{01}-P_{4-3}(0-1)_{01}-P_{01}(0-1)_{01}]$ $+S_{3-2}(0-1)_{01}[S_{5-4}(0-1)_{01} \quad -P_{5-4}(0-1)_{01}-P_{10}(0-1)_{01}]$ $+S_{4-3}(0-1)_{01}[S_{6-5}(0-1)_{01} \quad -P_{6-5}(0-1)_{01}-P_{2-1}(0-1)_{01}]$ $+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+ S_{01}(0-1)_{01}\,[S_{2-3}(01)_{01} - P_{2-1}(0-1)_{01} - P_{2-3}(01)_{01}]$
		$+ S_{1-2}(01)_{01}\,[S_{3-4}(01)_{01} - P_{10}(0-1)_{01} - P_{3-4}(01)_{01}]$
		$+ S_{2-3}(01)_{01}\,[S_{4-5}(01)_{01} - P_{01}(0-1)_{01} - P_{4-5}(01)_{01}]$
		$+ \quad . \quad . \quad . \quad .$
		$+ \frac{1}{2} Q_{1-1}(00)_{00}\,[K_{3-3}(00)_{02} - K_{1-1}(00)_{02}] + \frac{1}{2} Q_{1-1}(00)_{02}\,[K_{3-3}(00)_{00} - K_{1-1}(00)_{00}]$
		$+ \frac{1}{2} Q_{2-2}(00)_{00}\;K_{4-4}(00)_{02} + \frac{1}{2} Q_{2-2}(00)_{02}\;K_{4-4}(00)_{00}$
		$+ \frac{1}{2} Q_{3-3}(00)_{00}\,[K_{5-5}(00)_{02} + K_{1-1}(00)_{02}] + \frac{1}{2} Q_{3-3}(00)_{02}\,[K_{5-5}(00)_{00} + K_{1-1}(00)_{00}]$
		$+ \frac{1}{2} Q_{4-4}(00)_{00}\,[K_{6-6}(00)_{02} + K_{2-2}(00)_{02}] + \frac{1}{2} Q_{4-4}(00)_{02}\,[K_{6-6}(00)_{00} + K_{2-2}(00)_{00}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ \frac{1}{2} Q_{10}(0-1)_{01}\;[K_{3-2}(0-1)_{01} - K_{1-2}(01)_{01}] + \frac{1}{2} Q_{01}(0-1)_{01}\,[K_{2-1}(0-1)_{01} - K_{2-3}(01)_{01}]$
		$+ \frac{1}{2} Q_{2-1}(0-1)_{01}\,[K_{4-3}(0-1)_{01} + K_{01}(0-1)_{01}] + \frac{1}{2} Q_{1-2}(01)_{01}\;K_{3-4}(01)_{01}$
		$+ \frac{1}{2} Q_{3-2}(0-1)_{01}\;K_{5-4}(0-1)_{01} + \frac{1}{2} Q_{2-3}(01)_{01}\;[K_{4-5}(01)_{01} - K_{01}(0-1)_{01}]$
		$+ \frac{1}{2} Q_{4-3}(0-1)_{01}\,[K_{6-5}(0-1)_{01} + K_{2-1}(0-1)_{01}] + \frac{1}{2} Q_{3-4}(01)_{01}\;[K_{5-6}(01)_{01} + K_{1-2}(01)_{01}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$3-3\mu$	η'^2	$C_{3-3}(00)_{02} = - P_{3-3}(00)_{02} + 2\,S_{3-3}(00)_{02}$
$4-4\mu$	η'^2	$C_{4-4}(00)_{02} = - P_{4-4}(00)_{02} + 2\,S_{4-4}(00)_{02}$
		u. s. w.
$2\mu-2\mu\varsigma'$	η'^2	$C_{02}(0-2)_{02} = - P_{02}(0-2)_{02} + 2\,S_{02}(0-2)_{02}$
		$+ 2\,S_{00}(00)_{00}\,[S_{02}(0-2)_{02} - P_{02}(0-2)_{02}] - 2\,P_{00}(00)_{00}\,S_{02}(0-2)_{02}$
		$+S_{1-1}(00)_{00}[S_{1-3}(02)_{02}+S_{11}(0-2)_{02} - P_{1-3}(02)_{02}-P_{11}(0-2)_{02}] - P_{1-1}(00)_{00}[S_{1-3}(02)_{02}+S_{11}(0-2)_{02}]$
		$+S_{2-2}(00)_{00}[S_{2-4}(02)_{02}+S_{20}(0-2)_{02} - P_{2-4}(02)_{02}-P_{20}(0-2)_{02}] - P_{2-2}(00)_{00}[S_{2-4}(02)_{02}+S_{20}(0-2)_{02}]$
		$+S_{3-3}(00)_{00}[S_{3-5}(02)_{02}+S_{3-1}(0-2)_{02} - P_{3-5}(02)_{02}-P_{3-1}(0-2)_{02}] - P_{3-3}(00)_{00}[S_{3-5}(02)_{02}+S_{3-1}(0-2)_{02}]$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$- S_{10}(0-1)_{01}\;P_{1-2}(01)_{01} + S_{01}(0-1)_{01}\,[\tfrac{1}{2} S_{01}(0-1)_{01} - P_{01}(0-1)_{01}]$
		$- S_{2-1}(0-1)_{01}\,P_{2-3}(01)_{01} + S_{1-2}(01)_{01}\;[S_{10}(0-1)_{01} - P_{10}(0-1)_{01}]$
		$- S_{3-2}(0-1)_{01}\,P_{3-4}(01)_{01} + S_{2-3}(01)_{01}\;[S_{2-1}(0-1)_{01} - P_{2-1}(0-1)_{01}]$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ \frac{1}{2} Q_{1-1}(00)_{00}\,[K_{1-3}(02)_{02} + K_{11}(0-2)_{02}] + \frac{1}{2} K_{1-1}(00)_{00}\,[Q_{1-3}(02)_{02} + Q_{11}(0-2)_{02}]$
		$+ \frac{1}{2} Q_{2-2}(00)_{00}\,[K_{2-4}(02)_{02} + K_{20}(0-2)_{02}] + \frac{1}{2} K_{2-2}(00)_{00}\,[Q_{2-4}(02)_{02} + Q_{20}(0-2)_{02}]$
		$+ \frac{1}{2} Q_{3-3}(00)_{00}\,[K_{3-5}(02)_{02} + K_{3-1}(0-2)_{02}] + \frac{1}{2} K_{3-3}(00)_{00}\,[Q_{3-5}(02)_{02} + Q_{3-1}(0-2)_{02}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$- \frac{1}{2} Q_{01}(0-1)_{01}\,K_{01}(0-1)_{01} + \frac{1}{2} Q_{2-3}(01)_{01}\,K_{2-1}(0-1)_{01}$
		$+ \frac{1}{2} Q_{10}(0-1)_{01}\,K_{1-2}(01)_{01} + \frac{1}{2} Q_{3-4}(01)_{01}\,K_{3-2}(0-1)_{01}$
		$+ \frac{1}{2} Q_{2-1}(0-1)_{01}\,K_{2-3}(01)_{01} + \frac{1}{2} Q_{4-5}(01)_{01}\,K_{4-3}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$1+\mu-2\mu\varsigma'$	η'^2	$C_{11}(0-2)_{02} = - P_{11}(0-2)_{02} + 2\,S_{11}(0-2)_{02}$
$2-2\mu\varsigma'$	η'^2	$C_{20}(0-2)_{02} = - P_{20}(0-2)_{02} + 2\,S_{20}(0-2)_{02}$
$3-\mu-2\mu\varsigma'$	η'^2	$C_{3-1}(0-2)_{02} = - P_{3-1}(0-2)_{02} + 2\,S_{3-1}(0-2)_{02}$
$4-2\mu-2\mu\varsigma'$	η'^2	$C_{4-2}(0-2)_{02} = - P_{4-2}(0-2)_{02} + 2\,S_{4-2}(0-2)_{02}$
		u. s. w.

Argument	Exc.	Coefficient
$1-3\mu+2\mu\varsigma'$	η'^2	$C_{1-3}(02)_{02} = -P_{1-3}(02)_{02} + 2\,S_{1-3}(02)_{02}$
		$+ 2\,S_{00}(00)_{00}\,[S_{1-3}(02)_{02} - P_{1-3}(02)_{02}] \qquad - 2\,P_{00}(00)_{00}\,S_{1-3}(02)_{02}$
		$+ S_{1-1}(00)_{00}\,[S_{2-4}(02)_{02} + S_{02}(0-2)_{02} - P_{2-4}(02)_{02} - P_{02}(0-2)_{02}] \quad - P_{1-1}(00)_{00}[S_{2-4}(02)_{02} + S_{02}(0-2)_{02}]$
		$+ S_{2-2}(00)_{00}\,[S_{3-5}(02)_{02} + S_{11}(0-2)_{02} - P_{3-5}(02)_{02} - P_{11}(0-2)_{02}] \quad - P_{2-2}(00)_{00}[S_{3-5}(02)_{02} + S_{11}(0-2)_{02}]$
		$+ S_{3-3}(00)_{00}\,[S_{4-6}(02)_{02} + S_{20}(0-2)_{02} - P_{4-6}(02)_{02} - P_{20}(0-2)_{02}] \quad - P_{3-3}(00)_{00}[S_{4-6}(02)_{02} + S_{20}(0-2)_{02}]$
		$+ \quad . \quad . \quad . \quad . \qquad - \quad . \quad . \quad . \quad .$
		$- S_{10}(0-1)_{01}\;P_{2-3}(01)_{01} \quad - S_{01}(0-1)_{01}\,P_{1-2}(01)_{01}$
		$- S_{2-1}(0-1)_{01}\,P_{3-4}(01)_{01} \quad + S_{1-2}(01)_{01}\,[S_{01}(0-1)_{01} \quad - P_{01}(0-1)_{01}]$
		$- S_{3-2}(0-1)_{01}\,P_{4-5}(01)_{01} \quad + S_{2-3}(01)_{01}\,[S_{10}(0-1)_{01} \quad - P_{10}(0-1)_{01}]$
		$- \quad . \quad . \quad . \quad . \quad + S_{3-4}(01)_{01}\,[S_{2-1}(0-1)_{01} - P_{2-1}(0-1)_{01}]$
		$+ \quad . \quad . \quad . \quad .$
		$+ \tfrac{1}{2}\,Q_{1-1}(00)_{00}\,[K_{2-4}(02)_{02} + K_{02}(0-2)_{02}] \quad + \tfrac{1}{2}\,K_{1-1}(00)_{00}\,[Q_{2-4}(02)_{02} + Q_{02}(0-2)_{02}]$
		$+ \tfrac{1}{2}\,Q_{2-2}(00)_{00}\,[K_{3-5}(02)_{02} + K_{11}(0-2)_{02}] \quad + \tfrac{1}{2}\,K_{2-2}(00)_{00}\,[Q_{3-5}(02)_{02} + Q_{11}(0-2)_{02}]$
		$+ \tfrac{1}{2}\,Q_{3-3}(00)_{00}\,[K_{4-6}(02)_{02} + K_{20}(0-2)_{02}] \quad + \tfrac{1}{2}\,K_{3-3}(00)_{00}\,[Q_{4-6}(02)_{02} + Q_{20}(0-2)_{02}]$
		$+ \quad . \quad . \quad . \quad . \qquad + \quad . \quad . \quad . \quad .$
		$+ \tfrac{1}{2}\,Q_{10}(0-1)_{01}\;K_{2-3}(01)_{01} \quad + \tfrac{1}{2}\,Q_{01}(0-1)_{01}\,K_{1-2}(01)_{01}$
		$+ \tfrac{1}{2}\,Q_{2-1}(0-1)_{01}\,K_{3-4}(01)_{01} \quad + \tfrac{1}{2}\,Q_{1-2}(01)_{01}\,K_{01}(0-1)_{01}$
		$+ \tfrac{1}{2}\,Q_{3-2}(0-1)_{01}\,K_{4-5}(01)_{01} \quad + \tfrac{1}{2}\,Q_{3-4}(01)_{01}\,K_{2-1}(0-1)_{01}$
		$+ \tfrac{1}{2}\,Q_{4-3}(0-1)_{01}\,K_{5-6}(01)_{01} \quad + \tfrac{1}{2}\,Q_{4-5}(0-1)_{01}\,K_{3-2}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \qquad + \quad . \quad . \quad . \quad .$
$2-4\mu+2\mu\varsigma'$	η'^2	$C_{2-4}(02)_{02} = -P_{2-4}(02)_{02} + 2\,S_{2-4}(02)_{02}$
		$+ 2\,S_{00}(00)_{00}\,[S_{2-4}(02)_{02} - P_{2-4}(02)_{02}] \qquad - 2\,P_{00}(00)_{00}\,S_{2-4}(02)_{02}$
		$+ S_{1-1}(00)_{00}\,[S_{3-5}(02)_{02} + S_{1-3}(02)_{02} - P_{3-5}(02)_{02} - P_{1-3}(02)_{02}] \quad - P_{1-1}(00)_{00}[S_{3-5}(02)_{02} + S_{1-3}(02)_{02}]$
		$+ S_{2-2}(00)_{00}\,[S_{4-6}(02)_{02} + S_{02}(0-2)_{02} - P_{4-6}(02)_{02} - P_{02}(0-2)_{02}] \quad - P_{2-2}(00)_{00}[S_{4-6}(02)_{02} + S_{02}(0-2)_{02}]$
		$+ S_{3-3}(00)_{00}\,[S_{5-7}(02)_{02} + S_{11}(0-2)_{02} - P_{5-7}(02)_{02} - P_{11}(0-2)_{02}] \quad - P_{3-3}(00)_{00}[S_{5-7}(02)_{02} + S_{11}(0-2)_{02}]$
		$+ \quad . \quad . \quad . \quad . \qquad - \quad . \quad . \quad . \quad .$
		$- S_{10}(0-1)_{01}\;P_{3-4}(01)_{01} \quad - S_{01}(0-1)_{01}\,P_{2-3}(01)_{01}$
		$- S_{2-1}(0-1)_{01}\,P_{4-5}(01)_{01} \quad + S_{1-2}(01)_{01}\,[\tfrac{1}{2}\,S_{1-2}(01)_{01} - P_{1-2}(01)_{01}]$
		$- S_{3-2}(0-1)_{01}\,P_{5-6}(01)_{01} \quad + S_{2-3}(01)_{01}\,[S_{01}(0-1)_{01} \quad - P_{01}(0-1)_{01}]$
		$- S_{4-3}(0-1)_{01}\,P_{6-7}(01)_{01} \quad + S_{3-4}(01)_{01}\,[S_{10}(0-1)_{01} \quad - P_{10}(0-1)_{01}]$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ \tfrac{1}{2}\,Q_{1-1}(00)_{00}\,[K_{3-5}(02) - K_{1-3}(02)_{02}] \quad + \tfrac{1}{2}\,K_{1-1}(00)_{00}\,[Q_{3-5}(02)_{02} - Q_{1-3}(02)_{02}]$
		$+ \tfrac{1}{2}\,Q_{2-2}(00)_{00}\,[K_{4-6}(02) + K_{02}(0-2)_{02}] \quad + \tfrac{1}{2}\,K_{2-2}(00)_{00}\,[Q_{4-6}(02)_{02} + Q_{02}(0-2)_{02}]$
		$+ \tfrac{1}{2}\,Q_{3-3}(00)_{00}\,[K_{5-7}(02) + K_{11}(0-2)_{02}] \quad + \tfrac{1}{2}\,K_{3-3}(00)_{00}\,[Q_{5-7}(02)_{02} + Q_{11}(0-2)_{02}]$
		$+ \quad . \quad . \quad . \quad . \qquad + \quad . \quad . \quad . \quad .$
		$+ \tfrac{1}{2}\,Q_{10}(0-1)_{01}\;K_{3-4}(01)_{01} \quad + \tfrac{1}{2}\,Q_{01}(0-1)_{01}\,K_{2-3}(01)_{01}$
		$+ \tfrac{1}{2}\,Q_{2-1}(0-1)_{01}\,K_{4-5}(01)_{01} \quad - \tfrac{1}{2}\,Q_{1-2}(01)_{01}\;K_{1-2}(01)_{01}$
		$+ \tfrac{1}{2}\,Q_{3-2}(0-1)_{01}\,K_{5-6}(01)_{01} \quad + \tfrac{1}{2}\,Q_{2-3}(01)_{01}\;K_{01}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \qquad \div \quad . \quad . \quad .$
$3-5\mu+2\mu\varsigma'$	η'^2	$C_{3-5}(02)_{02} = -P_{3-5}(02)_{02} + 2\,S_{3-5}(02)_{02}$
$4-6\mu+2\mu\varsigma'$	η'^2	$C_{4-6}(02)_{02} = -P_{4-6}(02)_{02} + 2\,S_{4-6}(02)_{02}$
		u. s. w.

Argument	Exc.	Coefficient
$1-\varsigma$	η^3	$C_{10}(-10)_{30} = -P_{10}(-10)_{30} + 2S_{10}(-10)_{30} + \frac{1}{2}Q_{20}(-20)_{20}$
$1-2\varsigma+\mu\varsigma'$	$\eta^2\eta'$	$C_{10}(-21)_{21} = -P_{10}(-21)_{21} + 2S_{10}(-21)_{21} + \frac{1}{2}Q_{00}(1-1)_{11}$
$1-\mu\varsigma'$	$\eta^2\eta'$	$C_{10}(0-1)_{21} = -P_{10}(0-1)_{21} + 2S_{10}(0-1)_{21} - \frac{1}{2}Q_{00}(1-1)_{11} + \frac{1}{2}Q_{20}(-1-1)_{11}$
$1+\varsigma-2\mu\varsigma'$	$\eta\eta'^2$	$C_{10}(1-2)_{12} = -P_{10}(1-2)_{12} + 2S_{10}(1-2)_{12} + \frac{1}{2}Q_{20}(0-2)_{02}$
$1-\varsigma$	$\eta\eta'^2$	$C_{10}(-10)_{12} = -P_{10}(-10)_{12} + 2S_{10}(-10)_{12}$
$1-\mu\varsigma'$	η'^3	$C_{10}(0-1)_{03} = -P_{10}(0-1)_{03} + 2S_{10}(0-1)_{03}$

Formeln für die Entwicklungscoefficienten $T_{\nu\nu'}(nn')_{ss'}$.

Statt der strengen Werthe $R_{\nu\nu'}(nn')_{ss'}$ der Gleichung $R = \Sigma R_{\nu\nu'}(nn')_{ss'}\eta^s\eta'^{s'}\cos[(\nu+\nu'\mu+n\varsigma+n'\mu\varsigma')v+A]$ sind in erster Näherung die $D_{\nu\nu'}(nn')_{ss'}$ der Gleichung (VII') zu setzen.

Argument	Exc.	Coefficient
—	—	$T_{00}(00)_{00} = S_{00}(00)_{00} - 2R_{00}(00)_{00}$ $+ 3R_{00}(00)^2_{00} - 2R_{00}(00)_{00}S_{00}(00)_{00}$ $+ \frac{3}{2}R_{1-1}(00)^2_{00} - R_{1-1}(00)_{00}S_{1-1}(00)_{00}$ $+ \frac{3}{2}R_{2-2}(00)^2_{00} - R_{2-2}(00)_{00}S_{2-2}(00)_{00}$ $+ \frac{3}{2}R_{3-3}(00)^2_{00} - R_{3-3}(00)_{00}S_{3-3}(00)_{00}$ $+ \ldots - \ldots$
$1-\mu$	—	$T_{1-1}(00)_{00} = S_{1-1}(00)_{00} - 2R_{1-1}(00)_{00}$
$2-2\mu$	—	$T_{2-2}(00)_{00} = S_{2-2}(00)_{00} - 2R_{2-2}(00)_{00}$
$3-3\mu$	—	$T_{3-3}(00)_{00} = S_{3-3}(00)_{00} - 2R_{3-3}(00)_{00}$
$4-4\mu$	—	$T_{4-4}(00)_{00} = S_{4-4}(00)_{00} - 2R_{4-4}(00)_{00}$ u. s. w.
$1-\varsigma$	η	$T_{10}(-10)_{10} = S_{10}(-10)_{10} + 6R_{00}(00)_{00} - 2S_{00}(00)_{00}$
$2-\mu-\varsigma$	η	$T_{2-1}(-10)_{10} = S_{2-1}(-10)_{10} - 2R_{2-1}(-10)_{10} + 3R_{1-1}(00)_{00} - S_{1-1}(00)_{00}$
$3-2\mu-\varsigma$	η	$T_{3-2}(-10)_{10} = S_{3-2}(-10)_{10} - 2R_{3-2}(-10)_{10} + 3R_{2-2}(00)_{00} - S_{2-2}(00)_{00}$
$4-3\mu-\varsigma$	η	$T_{4-3}(-10)_{10} = S_{4-3}(-10)_{10} - 2R_{4-3}(-10)_{10} + 3R_{3-3}(00)_{00} - S_{3-3}(00)_{00}$
$5-4\mu-\varsigma$	η	$T_{5-4}(-10)_{10} = S_{5-4}(-10)_{10} - 2R_{5-4}(-10)_{10} + 3R_{4-4}(00)_{00} - S_{4-4}(00)_{00}$ u. s. w.
$\mu-\varsigma$	η	$T_{01}(-10)_{10} = S_{01}(-10)_{10} - 2R_{01}(-10)_{10} + 3R_{1-1}(00)_{00} - S_{1-1}(00)_{00}$
$1-2\mu+\varsigma$	η	$T_{1-2}(10)_{10} = S_{1-2}(10)_{10} - 2R_{1-2}(10)_{10} + 3R_{2-2}(00)_{00} - S_{2-2}(00)_{00}$ $+ R_{00}(00)_{00}[6R_{1-2}(10)_{10} - 2S_{1-2}(10)_{10}] - 2S_{00}(00)_{00}R_{1-2}(10)_{10}$ $+ \{3R_{1-1}(00)_{00} - S_{1-1}(00)_{00}\}[R_{2-3}(10)_{10} + R_{01}(-10)_{10}] - R_{1-1}(00)_{00}[S_{2-3}(10)_{10} + S_{01}(-10)_{10}]$ $+ \{3R_{2-2}(00)_{00} - S_{2-2}(00)_{00}\}R_{3-4}(10)_{10} - R_{2-2}(00)_{00}[S_{3-4}(10)_{10} + S_{10}(-10)_{10}]$ $+ \{3R_{3-3}(00)_{00} - S_{3-3}(00)_{00}\}[R_{4-5}(10)_{10} + R_{2-1}(-10)_{10}] - R_{3-3}(00)_{00}[S_{4-5}(10)_{10} + S_{2-1}(-10)_{10}]$ $+ \{3R_{4-4}(00)_{00} - S_{4-4}(00)_{00}\}[R_{5-6}(10)_{10} + R_{3-2}(-10)_{10}] - R_{4-4}(00)_{00}[S_{5-6}(10)_{10} + S_{3-2}(-10)_{10}]$ $+ \ldots - \ldots$

Argument	Exc.	Coefficient
		$+\frac{3}{2}S_{1-1}(00)_{00}\,[R_{1-1}(00)_{00}+R_{3-3}(00)_{00}]$
		$-3\,R_{1-1}(00)_{00}\,[R_{1-1}(00)_{00}+2\,R_{3-3}(00)_{00}] \quad +\frac{3}{2}R_{1-1}(00)_{00}\,[S_{1-1}(00)_{00}+S_{3-3}(00)_{00}]$
		$+\{\frac{3}{2}S_{2-2}(00)_{00}-6\,R_{2-2}(00)_{00}\}\,[2\,R_{00}(00)_{00}+R_{4-4}(00)_{00}] \quad +\frac{3}{2}R_{2-2}(00)_{00}\,[2\,S_{00}(00)_{00}+S_{4-4}(00)_{00}]$
		$+\{\frac{3}{2}S_{3-3}(00)_{00}-6\,R_{3-3}(00)_{00}\}\,[R_{1-1}(00)_{00}+R_{5-5}(00)_{00}] \quad +\frac{3}{2}R_{3-3}(00)_{00}\,[S_{1-1}(00)_{00}+S_{5-5}(00)_{00}]$
		$+\{\frac{3}{2}S_{4-4}(00)_{00}-6\,R_{4-4}(00)_{00}\}\,[R_{2-2}(00)_{00}+R_{6-6}(00)_{00}] \quad +\frac{3}{2}R_{4-4}(00)_{00}\,[S_{2-2}(00)_{00}+S_{6-6}(00)_{00}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2-3\mu+\varsigma$	η	$T_{2-3}(10)_{10} = S_{2-3}(10)_{10}-2\,R_{2-3}(10)_{10}+3\,R_{3-3}(00)_{00}-S_{3-3}(00)_{00}$
$3-4\mu+\varsigma$	η	$T_{3-4}(10)_{10} = S_{3-4}(10)_{10}-2\,R_{3-4}(10)_{10}+3\,R_{4-4}(00)_{00}-S_{4-4}(00)_{00}$
$4-5\mu+\varsigma$	η	$T_{4-5}(10)_{10} = S_{4-5}(10)_{10}-2\,R_{4-5}(10)_{10}+3\,R_{5-5}(00)_{00}-S_{5-5}(00)_{00}$
		u. s. w.
$1-\mu\varsigma'$	η'	$T_{10}(0-1)_{01} = S_{10}(0-1)_{01}$
$2-\mu-\mu\varsigma'$	η'	$T_{2-1}(0-1)_{01} = S_{2-1}(0-1)_{01}-2\,R_{2-1}(0-1)_{01}$
$3-2\mu-\mu\varsigma'$	η'	$T_{3-2}(0-1)_{01} = S_{3-2}(0-1)_{01}-2\,R_{3-2}(0-1)_{01}$
$4-3\mu-\mu\varsigma'$	η'	$T_{4-3}(0-1)_{01} = S_{4-3}(0-1)_{01}-2\,R_{4-3}(0-1)_{01}$
$5-4\mu-\mu\varsigma'$	η'	$T_{5-4}(0-1)_{01} = S_{5-4}(0-1)_{01}-2\,R_{5-4}(0-1)_{01}$
		u. s w.
$\mu-\mu\varsigma'$	η'	$T_{01}(0-1)_{01} = S_{01}(0-1)_{01}-2\,R_{01}(0-1)_{01}$
$1-2\mu+\mu\varsigma'$	η'	$T_{1-2}(01)_{01} = S_{1-2}(01)_{01}-2\,R_{1-2}(01)_{01}$
		$+R_{00}(00)_{00}\,[6\,R_{1-2}(01)_{01}-2\,S_{1-2}(01)_{01}]-2\,S_{00}(00)_{00}\,R_{1-2}(01)_{01}$
		$+\{3\,R_{1-1}(00)_{00}-S_{1-1}(00)_{00}\}\,[R_{2-3}(01)_{01}+R_{01}(0-1)_{01}] \quad -R_{1-1}(00)_{00}\,[S_{2-3}(01)_{01}+S_{01}(0-1)_{01}]$
		$+\{3\,R_{2-2}(00)_{00}-S_{2-2}(00)_{00}\}\;R_{3-4}(01)_{01} \quad -R_{2-2}(00)_{00}\,[S_{3-4}(01)_{01}+S_{10}(0-1)_{01}]$
		$+\{3\,R_{3-3}(00)_{00}-S_{3-3}(00)_{00}\}\,[R_{4-5}(01)_{01}+R_{2-1}(0-1)_{01}] \quad -R_{3-3}(00)_{00}\,[S_{4-5}(01)_{01}+S_{2-1}(0-1)_{01}]$
		$+\{3\,R_{4-4}(00)_{00}-S_{4-4}(00)_{00}\}\,[R_{5-6}(01)_{01}+R_{3-2}(0-1)_{01}] \quad -R_{4-4}(00)_{00}\,[S_{5-6}(01)_{01}+S_{3-2}(0-1)_{01}]$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
$2-3\mu+\mu\varsigma'$	η'	$T_{2-3}(01)_{01} = S_{2-3}(01)_{01}-2\,R_{2-3}(01)_{01}$
$3-4\mu+\mu\varsigma'$	η'	$T_{3-4}(01)_{01} = S_{3-4}(01)_{01}-2\,R_{3-4}(01)_{01}$
$4-5\mu+\mu\varsigma'$	η'	$T_{4-5}(01)_{01} = S_{4-5}(01)_{01}-2\,R_{4-5}(01)_{01}$
		u. s. w.
—	η^2	$T_{00}(00)_{20} = -2\,R_{00}(00)_{20}-3\,R_{00}(00)_{00}-S_{10}(-10)_{10}$
		$+6\,R_{00}(00)_{00} \quad R_{00}(00)_{20} \quad -2\,R_{00}(00)_{20}\,S_{00}(00)_{00}$
		$+R_{1-1}(00)_{00}\,[3\,R_{1-1}(00)_{20}-S_{1-1}(00)_{20}] \quad -R_{1-1}(00)_{20}\;S_{1-1}(00)_{00}$
		$+R_{2-2}(00)_{00}\,[3\,R_{2-2}(00)_{20}-S_{2-2}(00)_{20}] \quad -R_{2-2}(00)_{20}\;S_{2-2}(00)_{00}$
		$+R_{3-3}(00)_{00}\,[3\,R_{3-3}(00)_{20}-S_{3-3}(00)_{20}] \quad -R_{3-3}(00)_{20}\;S_{3-3}(00)_{00}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+R_{2-1}(-10)_{10}\,[\frac{3}{2}R_{2-1}(-10)_{10}-S_{2-1}(-10)_{10}] \quad +R_{01}(-10)_{10}\,[\frac{3}{2}R_{01}(-10)_{10}-S_{01}(-10)_{10}]$
		$+R_{3-2}(-10)_{10}\,[\frac{3}{2}R_{3-2}(-10)_{10}-S_{3-2}(-10)_{10}] \quad +R_{1-2}(10)_{10}\;[\frac{3}{2}R_{1-2}(10)_{10}\;-S_{1-2}(10)_{10}]$
		$+R_{4-3}(-10)_{10}\,[\frac{3}{2}R_{4-3}(-10)_{10}-S_{4-3}(-10)_{10}] \quad +R_{2-3}(10)_{10}\;[\frac{3}{2}R_{2-3}(10)_{10}\;-S_{2-3}(10)_{10}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+ 3\,R_{00}(00)_{00}\,S_{10}(-10)_{10}$
		$+\{\frac{3}{2}\,S_{1-1}(00)_{00} - 6\,R_{1-1}(00)_{00}\}\,[R_{2-1}(-10)_{10} + R_{01}(-10)_{10}] + \frac{3}{2}R_{1-1}(00)_{00}\,[S_{2-1}(-10)_{10} + S_{01}(-10)_{10}]$
		$+\{\frac{3}{2}\,S_{2-2}(00)_{00} - 6\,R_{2-2}(00)_{00}\}\,[R_{3-2}(-10)_{10} + R_{1-2}(10)_{10}] + \frac{3}{2}R_{2-2}(00)_{00}\,[S_{3-2}(-10)_{10} + S_{1-2}(10)_{10}]$
		$+\{\frac{3}{2}\,S_{3-3}(00)_{00} - 6\,R_{3-3}(00)_{00}\}\,[R_{4-3}(-10)_{10} + R_{2-3}(10)_{10}] + \frac{3}{2}R_{3-3}(00)_{00}\,[S_{4-3}(-10)_{10} + S_{2-3}(10)_{10}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$1-\mu$	η^2	$T_{1-1}(00)_{20} = S_{1-1}(00)_{20} - 2\,R_{1-1}(00)_{20} - 3\,R_{1-1}(00)_{00} + 3\,R_{2-1}(-10)_{10} + 3\,R_{01}(-10)_{10} - S_{2-1}(-10)_{10} - S_{01}(-10)_{10}$
$2-2\mu$	η^2	$T_{2-2}(00)_{20} = S_{2-2}(00)_{20} - 2\,R_{2-2}(00)_{20} - 3\,R_{2-2}(00)_{00} + 3\,R_{3-2}(-10)_{10} + 3\,R_{1-2}(10)_{10} - S_{3-2}(-10)_{10} - S_{1-2}(10)_{10}$
$3-3\mu$	η^2	$T_{3-3}(00)_{20} = S_{3-3}(00)_{20} - 2\,R_{3-3}(00)_{20} - 3\,R_{3-3}(00)_{00} + 3\,R_{4-3}(-10)_{10} + 3\,R_{2-3}(10)_{10} - S_{4-3}(-10)_{10} - S_{2-3}(10)_{10}$
$4-4\mu$	η^2	$T_{4-4}(00)_{20} = S_{4-4}(00)_{20} - 2\,R_{4-4}(00)_{20} - 3\,R_{4-4}(00)_{00} + 3\,R_{5-4}(-10)_{10} + 3\,R_{3-4}(10)_{10} - S_{5-4}(-10)_{10} - S_{3-4}(10)_{10}$
$5-5\mu$	η^2	$T_{5-5}(00)_{20} = S_{5-5}(00)_{20} - 2\,R_{5-5}(00)_{20} - 3\,R_{5-5}(00)_{00} + 3\,R_{6-5}(-10)_{10} + 3\,R_{4-5}(10)_{10} - S_{6-5}(-10)_{10} - S_{4-5}(10)_{10}$
		u. s. w.
$2-2\varsigma$	η^2	$T_{20}(-20)_{20} = S_{20}(-20)_{20} - 2\,R_{20}(-20)_{20} - S_{10}(-10)_{10} + \frac{3}{2}S_{00}(00)_{00} - 6\,R_{00}(00)_{00}$
$3-\mu-2\varsigma$	η^2	$T_{3-1}(-20)_{20} = S_{3-1}(-20)_{20} - 2\,R_{3-1}(-20)_{20} + 3\,R_{2-1}(-10)_{10} - S_{2-1}(-10)_{10} + \frac{3}{4}S_{1-1}(00)_{00} - 3\,R_{1-1}(00)_{00}$
$4-2\mu-2\varsigma$	η^2	$T_{4-2}(-20)_{20} = S_{4-2}(-20)_{20} - 2\,R_{4-2}(-20)_{20} + 3\,R_{3-2}(-10)_{10} - S_{3-2}(-10)_{10} + \frac{3}{4}S_{2-2}(00)_{00} - 3\,R_{2-2}(00)_{00}$
$5-3\mu-2\varsigma$	η^2	$T_{5-3}(-20)_{20} = S_{5-3}(-20)_{20} - 2\,R_{5-3}(-20)_{20} + 3\,R_{4-3}(-10)_{10} - S_{4-3}(-10)_{10} + \frac{3}{4}S_{3-3}(00)_{00} - 3\,R_{3-3}(00)_{00}$
		u. s. w.
$1+\mu-2\varsigma$	η^2	$T_{11}(-20)_{20} = S_{11}(-20)_{20} - 2\,R_{11}(-20)_{20} + 3\,R_{01}(-10)_{10} - S_{01}(-10)_{10} + \frac{3}{4}S_{1-1}(00)_{00} - 3\,R_{1-1}(00)_{00}$
$2\mu-2\varsigma$	η^2	$T_{02}(-20)_{20} = S_{02}(-20)_{20} - 2\,R_{02}(-20)_{20} + 3\,R_{1-2}(10)_{10} - S_{1-2}(10)_{10} + \frac{3}{4}S_{2-2}(00)_{00} - 3\,R_{2-2}(00)_{00}$
$1-3\mu+2\varsigma$	η^2	$T_{1-3}(20)_{20} = S_{1-3}(20)_{20} - 2\,R_{1-3}(20)_{20} + 3\,R_{2-3}(10)_{10} - S_{2-3}(10)_{10} + \frac{3}{4}S_{3-3}(00)_{00} - 3\,R_{3-3}(00)_{00}$
		$+\{6\,R_{00}(00)_{00} - 2\,S_{00}(00)_{00}\}\,R_{1-3}(20)_{20} - 2\,R_{00}(00)_{00}\,S_{1-3}(20)_{20}$
		$+\{3\,R_{1-1}(00)_{00} - S_{1-1}(00)_{00}\}\,[R_{2-4}(20)_{20} + R_{02}(-20)_{20}] - R_{1-1}(00)_{00}\,[S_{2-4}(20)_{20} + S_{02}(-20)_{20}]$
		$+\{3\,R_{2-2}(00)_{00} - S_{2-2}(00)_{00}\}\,[R_{3-5}(20)_{20} + R_{11}(-20)_{20}] - R_{2-2}(00)_{00}\,[S_{3-5}(20)_{20} + S_{11}(-20)_{20}]$
		$+\{3\,R_{3-3}(00)_{00} - S_{3-3}(00)_{00}\}\,[R_{4-6}(20)_{20} + R_{20}(-20)_{20}] - R_{3-3}(00)_{00}\,[S_{4-6}(20)_{20} + S_{20}(-20)_{20}]$
		$+\{3\,R_{4-4}(00)_{00} - S_{4-4}(00)_{00}\}\,[R_{5-7}(20)_{20} + R_{3-1}(-20)_{20}] - R_{4-4}(00)_{00}\,[S_{5-7}(20)_{20} + S_{3-1}(-20)_{20}]$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+ R_{01}(-10)_{10}\,[-S_{1-2}(10)_{10}] - R_{2-1}(-10)_{10}\,S_{3-4}(10)_{10}$
		$+ R_{1-2}(10)_{10}\,[3\,R_{01}(-10)_{10} - S_{01}(-10)_{10}] - R_{3-2}(-10)_{10}\,S_{4-5}(10)_{10}$
		$+ R_{2-3}(10)_{10}\,[-S_{10}(-10)_{10}] - R_{4-3}(-10)_{10}\,S_{5-6}(10)_{10}$
		$+ R_{3-4}(10)_{10}\,[3\,R_{2-1}(-10)_{10} - S_{2-1}(-10)_{10}] - \quad . \quad . \quad . \quad .$
		$+ R_{4-5}(10)_{10}\,[3\,R_{3-2}(-10)_{10} - S_{3-2}(-10)_{10}]$
		$+ \quad . \quad . \quad . \quad .$
		$+\{3\,S_{00}(00)_{00} - 12\,R_{00}(00)_{00}\}\,R_{2-3}(10)_{10} + 3\,R_{00}(00)_{00}\,S_{2-3}(10)_{10}$
		$+\{\frac{3}{2}\,S_{1-1}(00)_{00} - 6\,R_{1-1}(00)_{00}\}\,[R_{3-4}(10)_{10} + R_{1-2}(10)_{10}] + \frac{3}{2}R_{1-1}(00)_{00}\,[S_{3-4}(10)_{10} + S_{1-2}(10)_{10}]$
		$+\{\frac{3}{2}\,S_{2-2}(00)_{00} - 6\,R_{2-2}(00)_{00}\}\,[R_{4-5}(10)_{10} + R_{01}(-10)_{10}] + \frac{3}{2}R_{2-2}(00)_{00}\,[S_{4-5}(10)_{10} + S_{01}(-10)_{10}]$
		$+\{\frac{3}{2}\,S_{3-3}(00)_{00} - 6\,R_{3-3}(00)_{00}\}\,R_{5-6}(10)_{10} + \frac{3}{2}R_{3-3}(00)_{00}\,[S_{5-6}(10)_{10} + S_{10}(-10)_{10}]$
		$+\{\frac{3}{2}\,S_{4-4}(00)_{00} - 6\,R_{4-4}(00)_{00}\}\,[R_{6-7}(10)_{10} + R_{2-1}(-10)_{10}] + \frac{3}{2}R_{4-4}(00)_{00}\,[S_{6-7}(10)_{10} + S_{2-1}(-10)_{10}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
$2-4\mu+2\varsigma$	η^2	$T_{2-4}(20)_{20} = S_{2-4}(20)_{20} - 2\,R_{2-4}(20)_{20} + 3\,R_{3-4}(10)_{10} - S_{3-4}(10)_{10} + \frac{3}{4}\,S_{4-4}(00)_{00} - 3\,R_{4-4}(00)_{00}$
		$+ \{6\,R_{00}(00)_{00} - 2\,S_{00}(00)_{00}\}\,R_{2-4}(20)_{20} \quad - 2\,R_{00}(00)_{00}\,S_{2-4}(20)_{20}$
		$+ \{3\,R_{1-1}(00)_{00} - S_{1-1}(00)_{00}\}\,[R_{3-5}(20)_{20} + R_{1-3}(20)_{20}] \quad - R_{1-1}(00)_{00}\,[S_{3-5}(20)_{20} + S_{1-3}(20)_{20}]$
		$+ \{3\,R_{2-2}(00)_{00} - S_{2-2}(00)_{00}\}\,[R_{4-6}(20)_{20} + R_{02}(-20)_{20}] \quad - R_{2-2}(00)_{00}\,[S_{4-6}(20)_{20} + S_{02}(-20)_{20}]$
		$+ \{3\,R_{3-3}(00)_{00} - S_{3-3}(00)_{00}\}\,[R_{5-7}(20)_{20} + R_{11}(-20)_{20}] \quad - R_{3-3}(00)_{00}\,[S_{5-7}(20)_{20} + S_{11}(-20)_{20}]$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad . \quad .$
		$+ R_{01}(-10)_{10}\,[-S_{2-3}(10)_{10}] \quad - R_{2-1}(-10)_{10}\,S_{4-5}(10)_{10}$
		$+ R_{1-2}(10)_{10}\,[\frac{3}{2}\,R_{1-2}(10)_{10} - S_{1-2}(10)_{10}] \quad - R_{3-2}(-10)_{10}\,S_{5-6}(10)_{10}$
		$+ R_{2-3}(10)_{10}\,[3\,R_{01}(-10)_{10} - S_{01}(-10)_{10}] \quad - R_{4-3}(-10)_{10}\,S_{6-7}(10)_{10}$
		$+ R_{3-4}(10)_{10}\,[-S_{10}(-10)_{10}]$
		$+ R_{4-5}(10)_{10}\,[3\,R_{2-1}(-10)_{10} - S_{2-1}(-10)_{10}]$
		$+ \quad . \quad . \quad . \quad .$
		$+ \{3\,S_{00}(00)_{00} - 12\,R_{00}(00)_{00}\}\,R_{3-4}(10)_{10} \quad + 3\,R_{00}(00)_{00}\,S_{3-4}(10)_{10}$
		$+ \{\frac{3}{2}\,S_{1-1}(00)_{00} - 6\,R_{1-1}(00)_{00}\}\,[R_{4-5}(10)_{10} + R_{2-3}(10)_{10}] \quad + \frac{3}{2}\,R_{1-1}(00)_{00}\,[S_{4-5}(10)_{10} + S_{2-3}(10)_{10}]$
		$+ \{\frac{3}{2}\,S_{2-2}(00)_{00} - 6\,R_{2-2}(00)_{00}\}\,[R_{5-6}(10)_{10} + R_{1-2}(10)_{10}] \quad + \frac{3}{2}\,R_{2-2}(00)_{00}\,[S_{5-6}(10)_{10} + S_{1-2}(10)_{10}]$
		$+ \{\frac{3}{2}\,S_{3-3}(00)_{00} - 6\,R_{3-3}(00)_{00}\}\,[R_{6-7}(10)_{10} + R_{01}(-10)_{10}] \quad + \frac{3}{2}\,R_{3-3}(00)_{00}\,[S_{6-7}(10)_{10} + S_{01}(-10)_{10}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$3-5\mu+2\varsigma$	η^2	$T_{3-5}(20)_{20} = S_{3-5}(20)_{20} - 2\,R_{3-5}(20)_{20} + 3\,R_{4-5}(10)_{10} - S_{4-5}(10)_{10} + \frac{3}{4}\,S_{5-5}(00)_{00} - 3\,R_{5-5}(00)_{00}$
		u. s. w.
$1+\mu-\varsigma-\mu\varsigma'$	η_1'	$T_{11}(-1-1)_{11} = S_{11}(-1-1)_{11} - 2\,R_{11}(-1-1)_{11} + 3\,R_{01}(0-1)_{01} - S_{01}(0-1)_{01}$
$2-\varsigma-\mu\varsigma'$	$\eta\eta'$	$T_{20}(-1-1)_{11} = S_{20}(-1-1)_{11} - 2\,R_{20}(-1-1)_{11} - S_{10}(0-1)_{01}$
$3-\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$T_{3-1}(-1-1)_{11} = S_{3-1}(-1-1)_{11} - 2\,R_{3-1}(-1-1)_{11} + 3\,R_{2-1}(0-1)_{01} - S_{2-1}(0-1)_{01}$
$4-2\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$T_{4-2}(-1-1)_{11} = S_{4-2}(-1-1)_{11} - 2\,R_{4-2}(-1-1)_{11} + 3\,R_{3-2}(0-1)_{01} - S_{3-2}(0-1)_{01}$
$5-3\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$T_{5-3}(-1-1)_{11} = S_{5-3}(-1-1)_{11} - 2\,R_{5-3}(-1-1)_{11} + 3\,R_{4-3}(0-1)_{01} - S_{4-3}(0-1)_{01}$
		u. s. w.
$2\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$T_{02}(-1-1)_{11} = S_{02}(-1-1)_{11} - 2\,R_{02}(-1-1)_{11} + 3\,R_{1-2}(01)_{01} - S_{1-2}(01)_{01}$
$1-3\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$T_{1-3}(11)_{11} = S_{1-3}(11)_{11} - 2\,R_{1-3}(11)_{11} + 3\,R_{2-3}(01)_{01} - S_{2-3}(01)_{01}$
		$+ \{6\,R_{00}(00)_{00} - 2\,S_{00}(00)_{00}\}\,R_{1-3}(11)_{11} \quad - 2\,R_{00}(00)_{00}\,S_{1-3}(11)_{11}$
		$+ \{3\,R_{1-1}(00)_{00} - S_{1-1}(00)_{00}\}\,[R_{2-4}(11)_{11} + R_{02}(-1-1)_{11}] \quad - R_{1-1}(00)_{00}\,[S_{2-4}(11)_{11} + S_{02}(-1-1)_{11}]$
		$+ \{3\,R_{2-2}(00)_{00} - S_{2-2}(00)_{00}\}\,[R_{3-5}(11)_{11} + R_{11}(-1-1)_{11}] \quad - R_{2-2}(00)_{00}\,[S_{3-5}(11)_{11} + S_{11}(-1-1)_{11}]$
		$+ \{3\,R_{3-3}(00)_{00} - S_{3-3}(00)_{00}\}\,[R_{4-6}(11)_{11} + R_{20}(-1-1)_{11}] \quad - R_{3-3}(00)_{00}\,[S_{4-6}(11)_{11} + S_{20}(-1-1)_{11}]$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$- R_{01}(-10)_{10}\,S_{1-2}(01)_{01}$
		$+ R_{1-2}(10)_{10}\,[3\,R_{01}(0-1)_{01} - S_{01}(0-1)_{01}] \quad - R_{2-1}(-10)_{10}\,S_{3-4}(01)_{01}$
		$- R_{2-3}(10)_{10}\,S_{10}(0-1)_{01} \quad - R_{3-2}(-10)_{10}\,S_{4-5}(01)_{01}$
		$+ R_{3-4}(10)_{10}\,[3\,R_{2-1}(0-1)_{01} - S_{2-1}(0-1)_{01}] \quad - R_{4-3}(-10)_{10}\,S_{5-6}(01)_{01}$
		$+ R_{4-5}(10)_{10}\,[3\,R_{3-2}(0-1)_{01} - S_{3-2}(0-1)_{01}] \quad - R_{5-4}(-10)_{10}\,S_{6-7}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$-R_{01}(0-1)_{01}\ S_{1-2}(10)_{10} \qquad -R_{2-1}(0-1)_{01}\ S_{3-4}(10)_{10}$
		$+R_{1-2}(01)_{01}\ [3\,R_{01}(-10)_{10} - S_{01}(-10)_{10}] \qquad -R_{3-2}(0-1)_{01}\ S_{4-5}(10)_{10}$
		$-R_{2-3}(01)_{01}\ \ S_{10}(-10)_{10} \qquad -R_{4-3}(0-1)_{01}\ S_{5-6}(10)_{10}$
		$+R_{3-4}(01)_{01}\ [3\,R_{2-1}(-10)_{10} - S_{2-1}(-10)_{10}] \quad - \ .\ .\ .\ .$
		$+ \qquad .\qquad .\qquad .\qquad .$
		$+\{3\,S_{00}(00)_{00} - 12\,R_{00}(00)_{00}\}\ \ R_{2-3}(01)_{01} \qquad +3\,R_{00}(00)_{00}\ \ S_{2-3}(01)_{01}$
		$+\{\tfrac{3}{2}\,S_{1-1}(00)_{00} - 6\,R_{1-1}(00)_{00}\}\,[R_{3-4}(01)_{01} + R_{1-2}(01)_{01}] \quad +\tfrac{3}{2}\,R_{1-1}(00)_{00}\,[S_{3-4}(01)_{01} + S_{1-2}(01)_{01}]$
		$+\{\tfrac{3}{2}\,S_{2-2}(00)_{00} - 6\,R_{2-2}(00)_{00}\}\,[R_{4-5}(01)_{01} + R_{01}(0-1)_{01}] \quad +\tfrac{3}{2}\,R_{2-2}(00)_{00}\,[S_{4-5}(01)_{01} + S_{01}(0-1)_{01}]$
		$+\{\tfrac{3}{2}\,S_{3-3}(00)_{00} - 6\,R_{3-3}(00)_{00}\}\ R_{5-6}(01)_{01} \qquad +\tfrac{3}{2}\,R_{3-3}(00)_{00}\,[S_{5-6}(01)_{01} + S_{10}(0-1)_{01}]$
		$+\{\tfrac{3}{2}\,S_{4-4}(00)_{00} - 6\,R_{4-4}(00)_{00}\}\,[R_{6-7}(01)_{01} + R_{2-1}(0-1)_{01}] \quad +\tfrac{3}{2}\,R_{4-4}(00)_{00}\,[S_{6-7}(01)_{01} + S_{2-1}(0-1)_{01}]$
		$+ \qquad .\qquad .\qquad .\qquad . \qquad + \qquad .\qquad .\qquad .\qquad .$
$2-4\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$T_{2-4}(11)_{11} = S_{2-4}(11)_{11} - 2\,R_{2-4}(11)_{11} + 3\,R_{3-4}(01)_{01} - S_{3-4}(01)_{01}$
		$+\{6\,R_{00}(00)_{00} - 2\,S_{00}(00)_{00}\}\ R_{2-4}(11)_{11} \qquad -2\,R_{00}(00)_{00}\ \ S_{2-4}(11)_{11}$
		$+\{3\,R_{1-1}(00)_{00} - S_{1-1}(00)_{00}\}\ [R_{3-5}(11)_{11} + R_{1-3}(11)_{11}] \qquad -R_{1-1}(00)_{00}\ [S_{3-5}(11)_{11} + S_{1-3}(11)_{11}]$
		$+\{3\,R_{2-2}(00)_{00} - S_{2-2}(00)_{00}\}\ [R_{4-6}(11)_{11} + R_{02}(-1-1)_{11}] \quad -R_{2-2}(00)_{00}\ [S_{4-6}(11)_{11} + S_{02}(-1-1)_{11}]$
		$+ \qquad .\qquad .\qquad .\qquad . \qquad - \qquad .\qquad .\qquad .\qquad .$
		$-R_{01}(-10)_{10}\,S_{2-3}(01)_{01}$
		$+R_{1-2}(10)_{10}\,[\tfrac{3}{2}\,R_{1-2}(01)_{01} - S_{1-2}(01)_{01}] \qquad -R_{2-1}(-10)_{10}\,S_{4-5}(01)_{01}$
		$+R_{2-3}(10)_{10}\,[3\,R_{01}(0-1)_{01} - S_{01}(0-1)_{01}] \qquad -R_{3-2}(-10)_{10}\,S_{5-6}(01)_{01}$
		$-R_{3-4}(10)_{10}\ \ S_{10}(0-1)_{01} \qquad -R_{4-3}(-10)_{10}\,S_{6-7}(01)_{01}$
		$+R_{4-5}(10)_{10}\,[3\,R_{2-1}(0-1)_{01} - S_{2-1}(0-1)_{01}] \quad - \ .\ .\ .\ .$
		$+ \qquad .\qquad .\qquad .\qquad .$
		$-R_{01}(0-1)_{01}\ \ S_{2-3}(10)_{10} \qquad -R_{2-1}(0-1)_{01}\,S_{4-5}(10)_{10}$
		$+R_{1-2}(01)_{01}\ [\tfrac{3}{2}\,R_{1-2}(10)_{10} - S_{1-2}(10)_{10}] \qquad -R_{3-2}(0-1)_{01}\,S_{5-6}(10)_{10}$
		$+R_{2-3}(01)_{01}\ [3\,R_{01}(-10)_{10} - S_{01}(-10)_{10}] \qquad -R_{4-3}(0-1)_{01}\,S_{6-7}(10)_{10}$
		$+ \qquad .\qquad .\qquad .\qquad . \qquad - \qquad .\qquad .\qquad .\qquad .$
		$+\{3\,S_{00}(00)_{00} - 12\,R_{00}(00)_{00}\}\ \ R_{3-4}(01)_{01} \qquad +3\,R_{00}(00)_{00}\ \ S_{3-4}(01)_{01}$
		$+\{\tfrac{3}{2}\,S_{1-1}(00)_{00} - 6\,R_{1-1}(00)_{00}\}\,[R_{4-5}(01)_{01} + R_{2-3}(01)_{01}] \quad +\tfrac{3}{2}\,R_{1-1}(00)_{00}\,[S_{4-5}(01)_{01} + S_{2-3}(01)_{01}]$
		$+\{\tfrac{3}{2}\,S_{2-2}(00)_{00} - 6\,R_{2-2}(00)_{00}\}\,[R_{5-6}(01)_{01} + R_{1-2}(01)_{01}] \quad +\tfrac{3}{2}\,R_{2-2}(00)_{00}\,[S_{5-6}(01)_{01} + S_{1-2}(01)_{01}]$
		$+\{\tfrac{3}{2}\,S_{3-3}(00)_{00} - 6\,R_{3-3}(00)_{00}\}\,[R_{6-7}(01)_{01} + R_{01}(0-1)_{01}] \quad +\tfrac{3}{2}\,R_{3-3}(00)_{00}\,[S_{6-7}(01)_{01} + S_{01}(0-1)_{01}]$
		$+ \qquad .\qquad .\qquad .\qquad . \qquad + \qquad .\qquad .\qquad .\qquad .$
$3-5\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$T_{3-5}(11)_{11} = S_{3-5}(11)_{11} - 2\,R_{3-5}(11)_{11} + 3\,R_{4-5}(01)_{01} - S_{4-5}(01)_{01}$
$4-6\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$T_{4-6}(11)_{11} = S_{4-6}(11)_{11} - 2\,R_{4-6}(11)_{11} + 3\,R_{5-6}(01)_{01} - S_{5-6}(01)_{01}$
		u. s. w.
$1-\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$T_{1-1}(-11)_{11} = S_{1-1}(-11)_{11} - 2\,R_{1-1}(-11)_{11} + 3\,R_{01}(0-1)_{01} - S_{01}(0-1)_{01}$
$2-2\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$T_{2-2}(-11)_{11} = S_{2-2}(-11)_{11} - 2\,R_{2-2}(-11)_{11} + 3\,R_{1-2}(01)_{01} - S_{1-2}(01)_{01}$
$3-3\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$T_{3-3}(-11)_{11} = S_{3-3}(-11)_{11} - 2\,R_{3-3}(-11)_{11} + 3\,R_{2-3}(01)_{01} - S_{2-3}(01)_{01}$
$4-4\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$T_{4-4}(-11)_{11} = S_{4-4}(-11)_{11} - 2\,R_{4-4}(-11)_{11} + 3\,R_{3-4}(01)_{01} - S_{3-4}(01)_{01}$
		u. s. w.

Argument	Exc.	Coefficient
$\varsigma-\mu\varsigma'$	$\eta\eta'$	$T_{00}(1-1)_{11} = -2\,R_{00}(1-1)_{11} - S_{10}(0-1)_{01}$
		$+\{6\,R_{00}(00)_{00} - 2\,S_{00}(00)_{00}\}\;R_{00}(1-1)_{11}$
		$+\{3\,R_{1-1}(00)_{00} - S_{1-1}(00)_{00}\}\;[R_{1-1}(1-1)_{11} + R_{1-1}(-11)_{11}] - R_{1-1}(00)_{00}[S_{1-1}(1-1)_{11} + S_{1-1}(-11)_{11}]$
		$+\{3\,R_{2-2}(00)_{00} - S_{2-2}(00)_{00}\}\;[R_{2-2}(1-1)_{11} + R_{2-2}(-11)_{11}] - R_{2-2}(00)_{00}[S_{2-2}(1-1)_{11} + S_{2-2}(-11)_{11}]$
		$+\{3\,R_{3-3}(00)_{00} - S_{3-3}(00)_{00}\}\;[R_{3-3}(1-1)_{11} + R_{3-3}(-11)_{11}] - R_{3-3}(00)_{00}[S_{3-3}(1-1)_{11} + S_{3-3}(-11)_{11}]$
		$+ \quad . \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+\{3\,R_{2-1}(-10)_{10} - S_{2-1}(-10)_{10}\}\;R_{2-1}(0-1)_{01} - R_{2-1}(-10)_{10}\,S_{2-1}(0-1)_{01}$
		$+\{3\,R_{3-2}(-10)_{10} - S_{3-2}(-10)_{10}\}\;R_{3-2}(0-1)_{01} - R_{3-2}(-10)_{10}\,S_{3-2}(0-1)_{01}$
		$+\{3\,R_{4-3}(-10)_{10} - S_{4-3}(-10)_{10}\}\;R_{4-3}(0-1)_{01} - R_{4-3}(-10)_{10}\,S_{4-3}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+\{3\,R_{01}(-10)_{10} - S_{01}(-10)_{10}\}\;R_{01}(0-1)_{01} - R_{01}(-10)_{10}\,S_{01}(0-1)_{01}$
		$+\{3\,R_{1-2}(10)_{10} - S_{1-2}(10)_{10}\}\;R_{1-2}(01)_{01} - R_{1-2}(10)_{10}\;S_{1-2}(01)_{01}$
		$+\{3\,R_{2-3}(10)_{10} - S_{2-3}(10)_{10}\}\;R_{2-3}(01)_{01} - R_{2-3}(10)_{10}\;S_{2-3}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+\{\tfrac{3}{2}\,S_{1-1}(00)_{00} - 6\,R_{1-1}(00)_{00}\}\;[R_{01}(0-1)_{01} + R_{2-1}(0-1)_{01}] + 3\,R_{00}(00)_{00}\;\;S_{10}(0-1)_{01}$
		$+\{\tfrac{3}{2}\,S_{2-2}(00)_{00} - 6\,R_{2-2}(00)_{00}\}\;[R_{1-2}(01)_{01} + R_{3-2}(0-1)_{01}] + \tfrac{3}{2}\,R_{1-1}(00)_{00}\;[S_{01}(0-1)_{01} + S_{2-1}(0-1)_{01}]$
		$+\{\tfrac{3}{2}\,S_{3-3}(00)_{00} - 6\,R_{3-3}(00)_{00}\}\;[R_{2-3}(01)_{01} + R_{4-3}(0-1)_{01}] + \tfrac{3}{2}\,R_{2-2}(00)_{00}\;[S_{1-2}(01)_{01} + S_{3-2}(0-1)_{01}]$
		$+\{\tfrac{3}{2}\,S_{4-4}(00)_{00} - 6\,R_{4-4}(00)_{00}\}\;[R_{3-4}(01)_{01} + R_{5-4}(0-1)_{01}] + \tfrac{3}{2}\,R_{3-3}(00)_{00}\;[S_{2-3}(01)_{01} + S_{4-3}(0-1)_{01}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$1-\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$T_{1-1}(1-1)_{11} = S_{1-1}(1-1)_{11} - 2\,R_{1-1}(1-1)_{11} + 3\,R_{2-1}(0-1)_{01} - S_{2-1}(0-1)_{01}$
$2-2\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$T_{2-2}(1-1)_{11} = S_{2-2}(1-1)_{11} - 2\,R_{2-2}(1-1)_{11} + 3\,R_{3-2}(0-1)_{01} - S_{3-2}(0-1)_{01}$
$3-3\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$T_{3-3}(1-1)_{11} = S_{3-3}(1-1)_{11} - 2\,R_{3-3}(1-1)_{11} + 3\,R_{4-3}(0-1)_{01} - S_{4-3}(0-1)_{01}$
$4-4\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$T_{4-4}(1-1)_{11} = S_{4-4}(1-1)_{11} - 2\,R_{4-4}(1-1)_{11} + 3\,R_{5-4}(0-1)_{01} - S_{5-4}(0-1)_{01}$
		u. s. w.
—	η'^2	$T_{00}(00)_{02} = -2\,R_{00}(00)_{02}$
		$+6\,R_{00}(00)_{00}\,R_{00}(00)_{02} - 2\,R_{00}(00)_{02}\,S_{00}(00)_{00}$
		$+R_{1-1}(00)_{00}\,[3\,R_{1-1}(00)_{02} - S_{1-1}(00)_{02}] - R_{1-1}(00)_{02}\,S_{1-1}(00)_{00}$
		$+R_{2-2}(00)_{00}\,[3\,R_{2-2}(00)_{02} - S_{2-2}(00)_{02}] - R_{2-2}(00)_{02}\,S_{2-2}(00)_{00}$
		$+R_{3-3}(00)_{00}\,[3\,R_{3-3}(00)_{02} - S_{3-3}(00)_{02}] - R_{3-3}(00)_{02}\,S_{3-3}(00)_{00}$
		$+ \quad . \quad . \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad .$
		$+\tfrac{3}{2}\,R_{2-1}(0-1)^2_{01} + \tfrac{3}{2}\,R_{01}(0-1)^2_{01} - R_{2-1}(0-1)_{01}\,S_{2-1}(0-1)_{01} - R_{01}(0-1)_{01}\,S_{01}(0-1)_{01}$
		$+\tfrac{3}{2}\,R_{3-2}(0-1)^2_{01} + \tfrac{3}{2}\,R_{1-2}(01)^2_{01} - R_{3-2}(0-1)_{01}\,S_{3-2}(0-1)_{01} - R_{1-2}(01)_{01}\;S_{1-2}(01)_{01}$
		$+\tfrac{3}{2}\,R_{4-3}(0-1)^2_{01} + \tfrac{3}{2}\,R_{2-3}(01)^2_{01} - R_{4-3}(0-1)_{01}\,S_{4-3}(0-1)_{01} - R_{2-3}(01)_{01}\;S_{2-3}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
$1-\mu$	η'^2	$T_{1-1}(00)_{02} = S_{1-1}(00)_{02} - 2\,R_{1-1}(00)_{02}$
$2-2\mu$	η'^2	$T_{2-2}(00)_{02} = S_{2-2}(00)_{02} - 2\,R_{2-2}(00)_{02}$
$3-3\mu$	η'^2	$T_{3-3}(00)_{02} = S_{3-3}(00)_{02} - 2\,R_{3-3}(00)_{02}$
		u. s. w.

Argument	Exc.	Coefficient
$2\mu-2\mu\varsigma'$	η'^2	$T_{02}(0-2)_{02} = S_{02}(0-2)_{02} - 2\,R_{02}(0-2)_{02}$
$1+\mu-2\mu\varsigma'$	η'^2	$T_{11}(0-2)_{02} = S_{11}(0-2)_{02} - 2\,R_{11}(0-2)_{02}$
$2-2\mu\varsigma'$	η'^2	$T_{20}(0-2)_{02} = S_{20}(0-2)_{02} - 2\,R_{20}(0-2)_{02}$
$3-\mu-2\mu\varsigma'$	η'^2	$T_{3-1}(0-2)_{02} = S_{3-1}(0-2)_{02} - 2\,R_{3-1}(0-2)_{02}$
$4-2\mu-2\mu\varsigma'$	η'^2	$T_{4-2}(0-2)_{02} = S_{4-2}(0-2)_{02} - 2\,R_{4-2}(0-2)_{02}$
		u. s. w.
$1-3\mu+2\mu\varsigma'$	η'^2	$T_{1-3}(02)_{02} = S_{1-3}(02)_{02} - 2\,R_{1-3}(02)_{02}$
		$+\{6\,R_{00}(00)_{00} - 2\,S_{00}(00)_{00}\}\,R_{1-3}(02)_{02} - 2\,R_{00}(00)_{00}\,S_{1-3}(02)_{02}$
		$+\{3\,R_{1-1}(00)_{00} - S_{1-1}(00)_{00}\}\,[R_{2-4}(02)_{02} + R_{02}(0-2)_{02}] - R_{1-1}(00)_{00}\,[S_{2-4}(02)_{02} + S_{02}(0-2)_{02}]$
		$+\{3\,R_{2-2}(00)_{00} - S_{2-2}(00)_{00}\}\,[R_{3-5}(02)_{02} + R_{11}(0-2)_{02}] - R_{2-2}(00)_{00}\,[S_{3-5}(02)_{02} + S_{11}(0-2)_{02}]$
		$+\{3\,R_{3-3}(00)_{00} - S_{3-3}(00)_{00}\}\,[R_{4-6}(02)_{02} + R_{20}(0-2)_{02}] - R_{3-3}(00)_{00}\,[S_{4-6}(02)_{02} + S_{20}(0-2)_{02}]$
		$+ \quad . \quad . \quad . \quad - \quad . \quad . \quad .$
		$-R_{01}(0-1)_{01}\;S_{1-2}(01)_{01}$
		$+R_{1-2}(01)_{01}\;[3\,R_{01}(0-1)_{01} - S_{01}(0-1)_{01}] - R_{2-1}(0-1)_{01}\,S_{3-4}(01)_{01}$
		$-R_{2-3}(01)_{01}\;S_{10}(0-1)_{01} - R_{3-2}(0-1)_{01}\,S_{4-5}(01)_{01}$
		$+R_{3-4}(01)_{01}\;[3\,R_{2-1}(0-1)_{01} - S_{2-1}(0-1)_{01}] - R_{4-3}(0-1)_{01}\,S_{5-6}(01)_{01}$
		$+R_{4-5}(01)_{01}\;[3\,R_{3-2}(0-1)_{01} - S_{3-2}(0-1)_{01}] - \quad . \quad . \quad . \quad .$
		$+ \quad . \quad . \quad . \quad .$
$2-4\mu+2\mu\varsigma'$	η'^2	$T_{2-4}(02)_{02} = S_{2-4}(02)_{02} - 2\,R_{2-4}(02)_{02}$
		$+\{6\,R_{00}(00)_{00} - 2\,S_{00}(00)_{00}\}\,R_{2-4}(02)_{02} - 2\,R_{00}(00)_{00}\,S_{2-4}(02)_{02}$
		$+\{3\,R_{1-1}(00)_{00} - S_{1-1}(00)_{00}\}\,[R_{3-5}(02)_{02} + R_{1-3}(02)_{02}] - R_{1-1}(00)_{00}\,[S_{3-5}(02)_{02} + S_{1-3}(02)_{02}]$
		$+\{3\,R_{2-2}(00)_{00} - S_{2-2}(00)_{00}\}\,[R_{4-6}(02)_{02} + R_{02}(0-2)_{02}] - R_{2-2}(00)_{00}\,[S_{4-6}(02)_{02} + S_{02}(0-2)_{02}]$
		$+ \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$-R_{01}(0-1)\,S_{2-3}(01)_{01}$
		$+R_{1-2}(01)_{01}\,[\tfrac{3}{2}\,R_{1-2}(01)_{01} - S_{1-2}(01)_{01}]$
		$+R_{2-3}(01)_{01}\,[3\,R_{01}(0-1)_{01} - S_{01}(0-1)_{01}] - R_{2-1}(0-1)_{01}\,S_{4-5}(01)_{01}$
		$-R_{3-4}(01)_{01}\;S_{10}(0-1)_{01} - R_{3-2}(0-1)_{01}\,S_{5-6}(01)_{01}$
		$+R_{4-5}(01)_{01}\,[3\,R_{2-1}(0-1)_{01} - S_{2-1}(0-1)_{01}] - R_{4-3}(0-1)_{01}\,S_{6-7}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
$3-5\mu+2\mu\varsigma'$	η'^2	$T_{3-5}(02)_{02} = S_{3-5}(02)_{02} - 2\,R_{3-5}(02)_{02}$
$4-6\mu+2\mu\varsigma'$	η'^2	$T_{4-6}(02)_{02} = S_{4-6}(02)_{02} - 2\,R_{4-6}(02)_{02}$
		u. s. w.
$1-\varsigma$	η^3	$T_{10}(-10)_{30} = S_{10}(-10)_{30} + 3\,R_{20}(-20)_{20} - S_{20}(-20)_{20} + 6\,R_{00}(00)_{20} + \tfrac{3}{4}\,S_{10}(-10)_{10}$
$1-2\varsigma+\mu\varsigma'$	$\eta^2\eta'$	$T_{10}(-21)_{21} = S_{10}(-21)_{21} + 3\,R_{00}(1-1)_{11} + \tfrac{3}{4}\,S_{10}(0-1)_{01}$
$1-\mu\varsigma'$	$\eta^2\eta'$	$T_{10}(0-1)_{21} = S_{10}(0-1)_{21} + 3\,R_{20}(-1-1)_{11} - S_{20}(-1-1)_{11} + 3\,R_{00}(1-1)_{11}$
$1+\varsigma-2\mu\varsigma'$	$\eta\eta'^2$	$T_{10}(1-2)_{12} = S_{10}(1-2)_{12} + 3\,R_{20}(0-2)_{02} - S_{20}(0-2)_{02}$
$1-\varsigma$	$\eta\eta'^2$	$T_{10}(-10)_{12} = S_{10}(-10)_{12} + 6\,R_{00}(00)_{02}$
$1-\mu\varsigma'$	η'^3	$T_{10}(0-1)_{03} = S_{10}(0-1)_{03}$

Formeln für die Entwicklungscoefficienten $\delta Q_{rr'}(nn')_{ss'}$.

Argument	Exc.	Coefficient
$2-2\mu$	—	$\delta Q_{2-2}(00)_{00} = +\frac{1}{2} S_{1-1}(00)_{00}\ \mu [T_{1-1}(00)_{00} - T_{3-3}(00)_{00}]$ $+\frac{1}{2} S_{2-2}(00)_{00}\ 2\mu [2 T_{00}(00)_{00} - T_{4-4}(00)_{00}]$ $+\frac{1}{2} S_{3-3}(00)_{00}\ 3\mu [T_{1-1}(00)_{00} - T_{5-5}(00)_{00}]$ $+\frac{1}{2} S_{4-4}(00)_{00}\ 4\mu [T_{2-2}(00)_{00} - T_{6-6}(00)_{00}]$ $+ \quad . \quad . \quad . \quad .$
$1-\varsigma$	η	$\delta Q_{10}(-10)_{10} = +\frac{1}{2} S_{1-1}(00)_{00}\ \mu [T_{01}(-10)_{10} - T_{2-1}(-10)_{10}] \quad +\frac{1}{2} T_{1-1}(00)_{00}\ \mu [S_{2-1}(-10)_{10} - S_{01}(-10)_{10}]$ $+\frac{1}{2} S_{2-2}(00)_{00} 2\mu [T_{1-2}(10)_{10} - T_{3-2}(-10)_{10}] \quad +\frac{1}{2} T_{2-2}(00)_{00} 2\mu [S_{3-2}(-10)_{10} - S_{1-2}(10)_{10}]$ $+\frac{1}{2} S_{3-3}(00)_{00} 3\mu [T_{2-3}(10)_{10} - T_{4-3}(-10)_{10}] \quad +\frac{1}{2} T_{3-3}(00)_{00} 3\mu [S_{4-3}(-10)_{10} - S_{2-3}(10)_{10}]$ $+\frac{1}{2} S_{4-4}(00)_{00} 4\mu [T_{3-4}(10)_{10} - T_{5-4}(-10)_{10}] \quad +\frac{1}{2} T_{4-4}(00)_{00} 4\mu [S_{5-4}(-10)_{10} - S_{3-4}(10)_{10}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$1-2\mu+\varsigma$	η	$\delta Q_{1-2}(10)_{10} = +\frac{1}{2} S_{1-1}(00)_{00}\ \mu [T_{01}(-10)_{10} - T_{2-3}(10)_{10}] \quad +\frac{1}{2} T_{1-1}(00)_{00} [S_{2-3}(10)_{10} 3\mu + S_{01}(-10)_{10}\ \mu]$ $+\frac{1}{2} S_{2-2}(00)_{00} 2\mu [T_{10}(-10)_{10} - T_{3-4}(10)_{10}] \quad +\frac{1}{2} T_{2-2}(00)_{00} S_{3-4}(10)_{10} 4\mu$ $+\frac{1}{2} S_{3-3}(00)_{00} 3\mu [T_{2-1}(-10)_{10} - T_{4-5}(10)_{10}] \quad +\frac{1}{2} T_{3-3}(00)_{00} [S_{4-5}(10)_{10} 5\mu - S_{2-1}(-10)_{10}\ \mu]$ $+\frac{1}{2} S_{4-4}(00)_{00} 4\mu [T_{3-2}(-10)_{10} - T_{5-6}(10)_{10}] \quad +\frac{1}{2} T_{4-4}(00)_{00} [S_{5-6}(10)_{10} 6\mu - S_{3-2}(-10)_{10} 2\mu]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2-3\mu+\varsigma$	η	$\delta Q_{2-3}(10)_{10} = +\frac{1}{2} S_{1-1}(00)_{00}\ \mu [T_{1-2}(10)_{10} - T_{3-4}(10)_{10}] \quad +\frac{1}{2} T_{1-1}(00)_{00} [S_{3-4}(10)_{10} 4\mu + S_{1-2}(10)_{10}\ 2\mu]$ $+\frac{1}{2} S_{2-2}(00)_{00} 2\mu [T_{01}(-10)_{10} - T_{4-5}(10)_{10}] \quad +\frac{1}{2} T_{2-2}(00)_{00} [S_{4-5}(10)_{10} 5\mu + S_{01}(-10)_{10}\ \mu]$ $+\frac{1}{2} S_{3-3}(00)_{00} 3\mu [T_{10}(-10)_{10} - T_{5-6}(10)_{10}] \quad +\frac{1}{2} T_{3-3}(00)_{00} S_{5-6}(10)_{10} 6\mu$ $+\frac{1}{2} S_{4-4}(00)_{00} 4\mu [T_{2-1}(-10)_{10} - T_{6-7}(10)_{10}] \quad +\frac{1}{2} T_{4-4}(00)_{00} [S_{6-7}(10)_{10} 7\mu - S_{2-1}(-10)_{10}\ \mu]$ $+ \quad . \quad . \quad . \quad . \quad +\frac{1}{2} T_{5-5}(00)_{00} [S_{7-8}(10)_{10} 8\mu - S_{3-2}(-10)_{10} 2\mu]$ $+ \quad . \quad . \quad . \quad .$
$1-\mu\varsigma'$	η'	$\delta Q_{10}(0-1)_{01} = +\frac{1}{2} S_{1-1}(00)_{00}\ \mu [T_{01}(0-1)_{01} - T_{2-1}(0-1)_{01}] \quad +\frac{1}{2} T_{1-1}(00)_{00}\ \mu [S_{2-1}(0-1)_{01} - S_{01}(0-1)_{01}]$ $+\frac{1}{2} S_{2-2}(00)_{00} 2\mu [T_{1-2}(01)_{01} - T_{3-2}(0-1)_{01}] \quad +\frac{1}{2} T_{2-2}(00)_{00} 2\mu [S_{3-2}(0-1)_{01} - S_{1-2}(01)_{01}]$ $+\frac{1}{2} S_{3-3}(00)_{00} 3\mu [T_{2-3}(01)_{01} - T_{4-3}(0-1)_{01}] \quad +\frac{1}{2} T_{3-3}(00)_{00} 3\mu [S_{4-3}(0-1)_{01} - S_{2-3}(01)_{01}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$1-2\mu+\mu\varsigma'$	η'	$\delta Q_{1-2}(01)_{01} = +\frac{1}{2} S_{1-1}(00)_{00}\ \mu [T_{01}(0-1)_{01} - T_{2-3}(01)_{01}] \quad +\frac{1}{2} T_{1-1}(00)_{00} [S_{2-3}(01)_{01} 3\mu + S_{01}(0-1)_{01}\ \mu]$ $+\frac{1}{2} S_{2-2}(00)_{00} 2\mu [T_{10}(0-1)_{01} - T_{3-4}(01)_{01}] \quad +\frac{1}{2} T_{2-2}(00)_{00} S_{3-4}(01)_{01} 4\mu$ $+\frac{1}{2} S_{3-3}(00)_{00} 3\mu [T_{2-1}(0-1)_{01} - T_{4-5}(01)_{01}] \quad +\frac{1}{2} T_{3-3}(00)_{00} [S_{4-5}(01)_{01} 5\mu - S_{2-1}(0-1)_{01}\ \mu]$ $+\frac{1}{2} S_{4-4}(00)_{00} 4\mu [T_{3-2}(0-1)_{01} - T_{5-6}(01)_{01}] \quad +\frac{1}{2} T_{4-4}(00)_{00} [S_{5-6}(01)_{01} 6\mu - S_{3-2}(0-1)_{01} 2\mu]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2-3\mu+\mu\varsigma'$	η'	$\delta Q_{2-3}(01)_{01} = +\frac{1}{2} S_{1-1}(00)_{00}\ \mu [T_{1-2}(01)_{01} - T_{3-4}(01)_{01}] \quad +\frac{1}{2} T_{1-1}(00)_{00} [S_{3-4}(01)_{01} 4\mu + S_{1-2}(01)_{01}\ 2\mu]$ $+\frac{1}{2} S_{2-2}(00)_{00} 2\mu [T_{01}(0-1)_{01} - T_{4-5}(01)_{01}] \quad +\frac{1}{2} T_{2-2}(00)_{00} [S_{4-5}(01)_{01} 5\mu + S_{01}(0-1)_{01}\ \mu]$ $+\frac{1}{2} S_{3-3}(00)_{00} 3\mu [T_{10}(0-1)_{01} - T_{5-6}(01)_{01}] \quad +\frac{1}{2} T_{3-3}(00)_{00} S_{5-6}(01)_{01} 6\mu$ $+\frac{1}{2} S_{4-4}(00)_{00} 4\mu [T_{2-1}(0-1)_{01} - T_{6-7}(01)_{01}] \quad +\frac{1}{2} T_{4-4}(00)_{00} [S_{6-7}(01)_{01} 7\mu - S_{2-1}(0-1)_{01} \mu]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
$2-2\mu$	η^2	$\delta Q_{2-2}(00)_{20} = +\frac{1}{2}S_{1-1}(00)_{20}\ \mu[T_{1-1}(00)_{00}-T_{3-3}(00)_{00}] + \frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{1-1}(00)_{20}-T_{3-3}(00)_{20}]$ $+\frac{1}{2}S_{2-2}(00)_{20}\,2\mu[2T_{00}(00)_{00}-T_{4-4}(00)_{00}] + \frac{1}{2}S_{2-2}(00)_{00}\,2\mu[2T_{00}(00)_{20}-T_{4-4}(00)_{20}]$ $+\frac{1}{2}S_{3-3}(00)_{20}\,3\mu[T_{1-1}(00)_{00}-T_{5-5}(00)_{00}] + \frac{1}{2}S_{3-3}(00)_{00}\,3\mu[T_{1-1}(00)_{20}-T_{5-5}(00)_{20}]$ $+\frac{1}{2}S_{4-4}(00)_{20}\,4\mu[T_{2-2}(00)_{00}-T_{6-6}(00)_{00}] + \frac{1}{2}S_{4-4}(00)_{00}\,4\mu[T_{2-2}(00)_{20}-T_{6-6}(00)_{20}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $+\frac{1}{2}S_{2-1}(-10)_{10}\ \mu[T_{01}(-10)_{10}-T_{4-3}(-10)_{10}] + \frac{1}{2}S_{01}(-10)_{10}\ \mu[T_{2-1}(-10)_{10}-T_{2-3}(10)_{10}]$ $+\frac{1}{2}S_{3-2}(-10)_{10}\,2\mu[T_{10}(-10)_{10}-T_{5-4}(-10)_{10}] + \frac{1}{2}S_{1-2}(10)_{10}\ 2\mu[T_{10}(-10)_{10}-T_{3-4}(10)_{10}]$ $+\frac{1}{2}S_{4-3}(-10)_{10}\,3\mu[T_{2-1}(-10)_{10}-T_{6-5}(-10)_{10}] + \frac{1}{2}S_{2-3}(10)_{10}\ 3\mu[T_{01}(-10)_{10}-T_{4-5}(10)_{10}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2\mu-2\varsigma$	η^2	$\delta Q_{02}(-20)_{20} = +\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{1-3}(20)_{20}-T_{11}(-20)_{20}] - \frac{1}{2}T_{1-1}(00)_{00}[S_{11}(-20)_{20}\ \mu+S_{1-3}(20)_{20}3\mu]$ $+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{2-4}(20)_{20}-T_{20}(-20)_{20}] - \frac{1}{2}T_{2-2}(00)_{00}\ S_{2-4}(20)_{20}4\mu$ $+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{3-5}(20)_{20}-T_{3-1}(-20)_{20}] + \frac{1}{2}T_{3-3}(00)_{00}[S_{3-1}(-20)_{20}\ \mu-S_{3-5}(20)_{20}5\mu]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $+\frac{1}{2}S_{2-1}(-10)_{10}\ \mu\,T_{2-3}(10)_{10} - \frac{1}{2}S_{01}(-10)_{10}\ \mu\,T_{01}(-10)_{10}$ $+\frac{1}{2}S_{3-2}(-10)_{10}\,2\mu\,T_{3-4}(10)_{10} - \frac{1}{2}S_{1-2}(10)_{10}\ 2\mu\,T_{10}(-10)_{10}$ $+\frac{1}{2}S_{4-3}(-10)_{10}\,3\mu\,T_{4-5}(10)_{10} - \frac{1}{2}S_{2-3}(10)_{10}\ 3\mu\,T_{2-1}(-10)_{10}$ $+\frac{1}{2}S_{5-4}(-10)_{10}\,4\mu\,T_{5-6}(10)_{10} - \frac{1}{2}S_{3-4}(10)_{10}\ 4\mu\,T_{3-2}(-10)_{10}$ $+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
$1-3\mu+2\varsigma$	η^2	$\delta Q_{1-3}(20)_{20} = +\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{02}(-20)_{20}-T_{2-4}(20)_{20}] + \frac{1}{2}T_{1-1}(00)_{00}[S_{2-4}(20)_{20}4\mu+S_{02}(-20)_{20}\ 2\mu]$ $+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{11}(-20)_{20}-T_{3-5}(20)_{20}] + \frac{1}{2}T_{2-2}(00)_{00}[S_{3-5}(20)_{20}5\mu+S_{11}(-20)_{20}\ \mu]$ $+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{20}(-20)_{20}-T_{4-6}(20)_{20}] + \frac{1}{2}T_{3-3}(00)_{00}\,S_{4-6}(20)_{20}6\mu$ $+\frac{1}{2}S_{4-4}(00)_{00}4\mu[T_{3-1}(-20)_{20}-T_{5-7}(20)_{20}] + \frac{1}{2}T_{4-4}(00)_{00}[S_{5-7}(20)_{20}7\mu-S_{3-1}(-20)_{20}\ \mu]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $-\frac{1}{2}S_{2-1}(-10)_{10}\ \mu\,T_{3-4}(10)_{10} + \frac{1}{2}S_{01}(-10)_{10}\ \mu\,T_{1-2}(10)_{10}$ $-\frac{1}{2}S_{3-2}(-10)_{10}\,2\mu\,T_{4-5}(10)_{10} + \frac{1}{2}S_{1-2}(10)_{10}\ 2\mu\,T_{01}(-10)_{10}$ $-\frac{1}{2}S_{4-3}(-10)_{10}\,3\mu\,T_{5-6}(10)_{10} + \frac{1}{2}S_{2-3}(10)_{10}\ 3\mu\,T_{10}(-10)_{10}$ $-\frac{1}{2}S_{5-4}(-10)_{10}\,4\mu\,T_{6-7}(10)_{10} + \frac{1}{2}S_{3-4}(10)_{10}\ 4\mu\,T_{2-1}(-10)_{10}$ $- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2-4\mu+2\varsigma$	η^2	$\delta Q_{2-4}(20)_{20} = +\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{1-3}(20)_{20}-T_{3-5}(20)_{20}] + \frac{1}{2}T_{1-1}(00)_{00}[S_{3-5}(20)_{20}5\mu+S_{1-3}(20)_{20}\ 3\mu]$ $+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{02}(-20)_{20}-T_{4-6}(20)_{20}] + \frac{1}{2}T_{2-2}(00)_{00}[S_{4-6}(20)_{20}6\mu+S_{02}(-20)_{20}2\mu]$ $+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{11}(-20)_{20}-T_{5-7}(20)_{20}] + \frac{1}{2}T_{3-3}(00)_{00}[S_{5-7}(20)_{20}7\mu+S_{11}(-20)_{20}\ \mu]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $-\frac{1}{2}S_{2-1}(-10)_{10}\ \mu\,T_{4-5}(10)_{10} + \frac{1}{2}S_{01}(-10)_{10}\ \mu\,T_{2-3}(10)_{10}$ $-\frac{1}{2}S_{3-2}(-10)_{10}\,2\mu\,T_{5-6}(10)_{10} + \frac{1}{2}S_{1-2}(10)_{10}\ 2\mu\,T_{1-2}(10)_{10}$ $-\frac{1}{2}S_{4-3}(-10)_{10}\,3\mu\,T_{6-7}(10)_{10} + \frac{1}{2}S_{2-3}(10)_{10}\ 3\mu\,T_{01}(-10)_{10}$ $- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2\mu-\varsigma-\varsigma'$	$\eta\eta'$	$\delta Q_{02}(-1-1)_{11} = +\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{1-3}(11)_{11}-T_{11}(-1-1)_{11}] - \frac{1}{2}T_{1-1}(00)_{00}[S_{11}(-1-1)_{11}\ \mu+S_{1-3}(11)_{11}3\mu]$ $+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{2-4}(11)_{11}-T_{20}(-1-1)_{11}] - \frac{1}{2}T_{2-2}(00)_{00}\,S_{2-4}(11)_{11}4\mu$ $+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{3-5}(11)_{11}-T_{3-1}(-1-1)_{11}] + \frac{1}{2}T_{3-3}(00)_{00}[S_{3-1}(-1-1)_{11}\ \mu-S_{3-5}(11)_{11}5\mu]$ $+\frac{1}{2}S_{4-4}(00)_{00}4\mu[T_{4-6}(11)_{11}-T_{4-2}(-1-1)_{11}] + \frac{1}{2}T_{4-4}(00)_{00}[S_{4-2}(-1-1)_{11}2\mu-S_{4-6}(11)_{11}6\mu]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}S_{2-1}(-10)_{10}\ \mu T_{2-3}(01)_{01} - \frac{1}{2}S_{01}(-10)_{10}\ \mu T_{01}(0-1)_{01}$
		$+\frac{1}{2}S_{3-2}(-10)_{10}\ 2\mu T_{3-4}(01)_{01} - \frac{1}{2}S_{1-2}(10)_{10}\ 2\mu T_{10}(0-1)_{01}$
		$+\frac{1}{2}S_{4-3}(-10)_{10}\ 3\mu T_{4-5}(01)_{01} - \frac{1}{2}S_{2-3}(10)_{10}\ 3\mu T_{2-1}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}S_{2-1}(0-1)_{01}\ \mu T_{2-3}(10)_{10} - \frac{1}{2}S_{01}(0-1)_{01}\ \mu T_{01}(-10)_{10}$
		$+\frac{1}{2}S_{3-2}(0-1)_{01}\ 2\mu T_{3-4}(10)_{10} - \frac{1}{2}S_{1-2}(01)_{01}\ 2\mu T_{10}(-10)_{10}$
		$+\frac{1}{2}S_{4-3}(0-1)_{01}\ 3\mu T_{4-5}(10)_{10} - \frac{1}{2}S_{2-3}(01)_{01}\ 3\mu T_{2-1}(-10)_{10}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
$1-3\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$\delta Q_{1-3}(11)_{11} = +\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{02}(-1-1)_{11} - T_{2-4}(11)_{11}] + \frac{1}{2}T_{1-1}(00)_{00}[S_{2-4}(11)_{11}4\mu + S_{02}(-1-1)_{11}2\mu]$
		$+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{11}(-1-1)_{11} - T_{3-5}(11)_{11}] + \frac{1}{2}T_{2-2}(00)_{00}[S_{3-5}(11)_{11}5\mu + S_{11}(-1-1)_{11}\ \mu]$
		$+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{20}(-1-1)_{11} - T_{4-6}(11)_{11}] + \frac{1}{2}T_{3-3}(00)_{00}\ S_{4-6}(11)_{11}6\mu$
		$+\frac{1}{2}S_{4-4}(00)_{00}4\mu[T_{3-1}(-1-1)_{11} - T_{5-7}(11)_{11}] + \frac{1}{2}T_{4-4}(00)_{00}[S_{5-7}(11)_{11}7\mu - S_{3-1}(-1-1)_{11}\mu]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$-\frac{1}{2}S_{2-1}(-10)_{10}\ \mu T_{3-4}(01)_{01} + \frac{1}{2}S_{01}(-10)_{10}\ \mu T_{1-2}(01)_{01}$
		$-\frac{1}{2}S_{3-2}(-10)_{10}\ 2\mu T_{4-5}(01)_{01} + \frac{1}{2}S_{1-2}(10)_{10}\ 2\mu T_{01}(0-1)_{01}$
		$-\frac{1}{2}S_{4-3}(-10)_{10}\ 3\mu T_{5-6}(01)_{01} + \frac{1}{2}S_{2-3}(10)_{10}\ 3\mu T_{10}(0-1)_{01}$
		$-\frac{1}{2}S_{5-4}(-10)_{10}\ 4\mu T_{6-7}(01)_{01} + \frac{1}{2}S_{3-4}(10)_{10}\ 4\mu T_{2-1}(0-1)_{01}$
		$- \quad . \quad . \quad . \quad + \quad . \quad . \quad .$
		$-\frac{1}{2}S_{2-1}(0-1)_{01}\ \mu T_{3-4}(10)_{10} + \frac{1}{2}S_{01}(0-1)_{01}\ \mu T_{1-2}(10)_{10}$
		$-\frac{1}{2}S_{3-2}(0-1)_{01}\ 2\mu T_{4-5}(10)_{10} + \frac{1}{2}S_{1-2}(01)_{01}\ 2\mu T_{01}(-10)_{10}$
		$-\frac{1}{2}S_{4-3}(0-1)_{01}\ 3\mu T_{5-6}(10)_{10} + \frac{1}{2}S_{2-3}(01)_{01}\ 3\mu T_{10}(-10)_{10}$
		$- \quad . \quad . \quad . \quad . \quad + \frac{1}{2}S_{3-4}(01)_{01}\ 4\mu T_{2-1}(-10)_{10}$
		$+ \quad . \quad . \quad . \quad .$
$2-4\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$\delta Q_{2-4}(11)_{11} = +\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{1-3}(11)_{11} - T_{3-5}(11)_{11}] + \frac{1}{2}T_{1-1}(00)_{00}[S_{3-5}(11)_{11}5\mu + S_{1-3}(11)_{11}\ 3\mu]$
		$+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{02}(-1-1)_{11} - T_{4-6}(11)_{11}] + \frac{1}{2}T_{2-2}(00)_{00}[S_{4-6}(11)_{11}6\mu + S_{02}(-1-1)_{11}2\mu]$
		$+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{11}(-1-1)_{11} - T_{5-7}(11)_{11}] + \frac{1}{2}T_{3-3}(00)_{00}[S_{5-7}(11)_{11}7\mu + S_{11}(-1-1)_{11}\ \mu]$
		$+ \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$-\frac{1}{2}S_{2-1}(-10)_{10}\ \mu T_{4-5}(01)_{01} + \frac{1}{2}S_{01}(-10)_{10}\ \mu T_{2-3}(01)_{01}$
		$-\frac{1}{2}S_{3-2}(-10)_{10}\ 2\mu T_{5-6}(01)_{01} + \frac{1}{2}S_{1-2}(10)_{10}\ 2\mu T_{1-2}(01)_{01}$
		$-\frac{1}{2}S_{4-3}(-10)_{10}\ 3\mu T_{6-7}(01)_{01} + \frac{1}{2}S_{2-3}(10)_{10}\ 3\mu T_{01}(0-1)_{01}$
		$- \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$-\frac{1}{2}S_{2-1}(0-1)_{01}\ \mu T_{4-5}(10)_{10} + \frac{1}{2}S_{01}(0-1)_{01}\ \mu T_{2-3}(10)_{10}$
		$-\frac{1}{2}S_{3-2}(0-1)_{01}\ 2\mu T_{5-6}(10)_{10} + \frac{1}{2}S_{1-2}(01)_{01}\ 2\mu T_{1-2}(10)_{10}$
		$-\frac{1}{2}S_{4-3}(0-1)_{01}\ 3\mu T_{6-7}(10)_{10} + \frac{1}{2}S_{2-3}(01)_{01}\ 3\mu T_{01}(-10)_{10}$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2-2\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$\delta Q_{2-2}(-11)_{11} = +\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{1-1}(-11)_{11} - T_{3-3}(-11)_{11}] + \frac{1}{2}T_{1-1}(00)_{00}[S_{3-3}(-11)_{11}3\mu + S_{1-1}(-11)_{11}\ \mu]$
		$+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{00}(1-1)_{11} - T_{4-4}(-11)_{11}] + \frac{1}{2}T_{2-2}(00)_{00}\ S_{4-4}(-11)_{11}4\mu$
		$+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{1-1}(1-1)_{11} - T_{5-5}(-11)_{11}] + \frac{1}{2}T_{3-3}(00)_{00}[S_{5-5}(-11)_{11}5\mu - S_{1-1}(1-1)_{11}\ \mu]$
		$+\frac{1}{2}S_{4-4}(00)_{00}4\mu[T_{2-2}(1-1)_{11} - T_{6-6}(-11)_{11}] + \frac{1}{2}T_{4-4}(00)_{00}[S_{6-6}(-11)_{11}6\mu - S_{2-2}(1-1)_{11}2\mu]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}S_{2-1}(-10)_{10}\ \mu T_{01}(0-1)_{01} - \frac{1}{2}S_{01}(-10)_{10}\ \mu T_{2-3}(01)_{01}$
		$+\frac{1}{2}S_{3-2}(-10)_{10}\ 2\mu T_{10}(0-1)_{01} - \frac{1}{2}S_{1-2}(10)_{10}\ 2\mu T_{3-4}(01)_{01}$
		$+\frac{1}{2}S_{4-3}(-10)_{10}\ 3\mu T_{2-1}(0-1)_{01} - \frac{1}{2}S_{2-3}(10)_{10}\ 3\mu T_{4-5}(01)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
		$-\frac{1}{2}S_{2-1}(0-1)_{01}\ \mu T_{4-3}(-10)_{10} + \frac{1}{2}S_{01}(0-1)_{01}\ \mu T_{2-1}(-10)_{10}$
		$-\frac{1}{2}S_{3-2}(0-1)_{01}\ 2\mu T_{5-4}(-10)_{10} + \frac{1}{2}S_{1-2}(01)_{01}\ 2\mu T_{10}(-10)_{10}$
		$-\frac{1}{2}S_{4-3}(0-1)_{01}\ 3\mu T_{6-5}(-10)_{10} + \frac{1}{2}S_{2-3}(01)_{01}\ 3\mu T_{01}(-10)_{10}$
		$- \quad . \quad . \quad . \quad . \quad + \frac{1}{2}S_{3-4}(01)_{01}\ 4\mu T_{1-2}(10)_{10}$
		$+ \quad . \quad . \quad . \quad .$
$2-2\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$\delta Q_{2-2}(1-1)_{11} = +\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{1-1}(1-1)_{11} - T_{3-3}(1-1)_{11}] + \frac{1}{2}T_{1-1}(00)_{00}[S_{3-3}(1-1)_{11}3\mu + S_{1-1}(1-1)_{11}\ \mu]$
		$+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{00}(1-1)_{11} - T_{4-4}(1-1)_{11}] + \frac{1}{2}T_{2-2}(00)_{00}\ S_{4-4}(1-1)_{11}4\mu$
		$+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{1-1}(-11)_{11} - T_{5-5}(1-1)_{11}] + \frac{1}{2}T_{3-3}(00)_{00}[S_{5-5}(1-1)_{11}5\mu - S_{1-1}(-11)_{11}\ \mu]$
		$+\frac{1}{2}S_{4-4}(00)_{00}4\mu[T_{2-2}(-11)_{11} - T_{6-6}(1-1)_{11}] + \frac{1}{2}T_{4-4}(00)_{00}[S_{6-6}(1-1)_{11}6\mu - S_{2-2}(-11)_{11}2\mu]$
		$+ \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$-\frac{1}{2}S_{2-1}(-10)_{10}\ \mu T_{4-3}(0-1)_{01} + \frac{1}{2}S_{01}(-10)_{10}\ \mu T_{2-1}(0-1)_{01}$
		$-\frac{1}{2}S_{3-2}(-10)_{10}\ 2\mu T_{5-4}(0-1)_{01} + \frac{1}{2}S_{1-2}(10)_{10}\ 2\mu T_{10}(0-1)_{01}$
		$-\frac{1}{2}S_{4-3}(-10)_{10}\ 3\mu T_{6-5}(0-1)_{01} + \frac{1}{2}S_{2-3}(10)_{10}\ 3\mu T_{01}(0-1)_{01}$
		$-\frac{1}{2}S_{5-4}(-10)_{10}\ 4\mu T_{7-6}(0-1)_{01} + \frac{1}{2}S_{3-4}(10)_{10}\ 4\mu T_{1-2}(01)_{01}$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}S_{2-1}(0-1)_{01}\ \mu T_{01}(-10)_{10} - \frac{1}{2}S_{01}(0-1)_{01}\ \mu T_{2-3}(10)_{10}$
		$+\frac{1}{2}S_{3-2}(0-1)_{01}\ 2\mu T_{10}(-10)_{10} - \frac{1}{2}S_{1-2}(01)_{01}\ 2\mu T_{3-4}(10)_{10}$
		$+\frac{1}{2}S_{4-3}(0-1)_{01}\ 3\mu T_{2-1}(-10)_{10} - \frac{1}{2}S_{2-3}(01)_{01}\ 3\mu T_{4-5}(10)_{10}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
$\varsigma-\mu\varsigma'$	$\eta\eta'$	$\delta Q_{00}(1-1)_{11} = +\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{1-1}(-11)_{11} - T_{1-1}(1-1)_{11}] + \frac{1}{2}T_{1-1}(00)_{00}\ \mu[S_{1-1}(1-1)_{11} - S_{1-1}(-11)_{11}]$
		$+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{2-2}(-11)_{11} - T_{2-2}(1-1)_{11}] + \frac{1}{2}T_{2-2}(00)_{00}2\mu[S_{2-2}(1-1)_{11} - S_{2-2}(-11)_{11}]$
		$+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{3-3}(-11)_{11} - T_{3-3}(1-1)_{11}] + \frac{1}{2}T_{3-3}(00)_{00}3\mu[S_{3-3}(1-1)_{11} - S_{3-3}(-11)_{11}]$
		$+\frac{1}{2}S_{4-4}(00)_{00}4\mu[T_{4-4}(-11)_{11} - T_{4-4}(1-1)_{11}] + \frac{1}{2}T_{4-4}(00)_{00}4\mu[S_{4-4}(1-1)_{11} - S_{4-4}(-11)_{11}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$-\frac{1}{2}S_{2-1}(-10)_{10}\ \mu T_{2-1}(0-1)_{01} + \frac{1}{2}S_{01}(-10)_{10}\ \mu T_{01}(0-1)_{01}$
		$-\frac{1}{2}S_{3-2}(-10)_{10}\ 2\mu T_{3-2}(0-1)_{01} + \frac{1}{2}S_{1-2}(10)_{10}\ 2\mu T_{1-2}(01)_{01}$
		$-\frac{1}{2}S_{4-3}(-10)_{10}\ 3\mu T_{4-3}(0-1)_{01} + \frac{1}{2}S_{2-3}(10)_{10}\ 3\mu T_{2-3}(01)_{01}$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+\frac{1}{2}S_{2-1}(0-1)_{01}\ \mu T_{2-1}(-10)_{10} - \frac{1}{2}S_{01}(0-1)_{01}\ \mu T_{01}(-10)_{10}$
		$+\frac{1}{2}S_{3-2}(0-1)_{01}\ 2\mu T_{3-2}(-10)_{10} - \frac{1}{2}S_{1-2}(01)_{01}\ 2\mu T_{1-2}(10)_{10}$
		$+\frac{1}{2}S_{4-3}(0-1)_{01}\ 3\mu T_{4-3}(-10)_{10} - \frac{1}{2}S_{2-3}(01)_{01}\ 3\mu T_{2-3}(10)_{10}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
$2-2\mu$	η'^2	$\delta Q_{2-2}(00)_{02} = +\frac{1}{2}S_{1-1}(00)_{02}\ \mu[T_{1-1}(00)_{00} - T_{3-3}(00)_{00}] + \frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{1-1}(00)_{02} - T_{3-3}(00)_{02}]$
		$+\frac{1}{2}S_{2-2}(00)_{02}\ 2\mu[2T_{00}(00)_{00} - T_{4-4}(00)_{00}] + \frac{1}{2}S_{2-2}(00)_{00}\ 2\mu[2T_{00}(00)_{02} - T_{4-4}(00)_{02}]$
		$+\frac{1}{2}S_{3-3}(00)_{02}\ 3\mu[T_{1-1}(00)_{00} - T_{5-5}(00)_{00}] + \frac{1}{2}S_{3-3}(00)_{00}\ 3\mu[T_{1-1}(00)_{02} - T_{5-5}(00)_{02}]$
		$+ \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+\frac{1}{2}S_{2-1}(0-1)_{01}\ \mu[T_{01}(0-1)_{01}\ -T_{4-3}(0-1)_{01}]\ +\frac{1}{2}S_{01}(0-1)_{01}\ \mu[T_{2-1}(0-1)_{01}-T_{2-3}(01)_{01}]$ $+\frac{1}{2}S_{3-2}(0-1)_{01}\,2\,\mu[T_{10}(0-1)_{01}\ -T_{5-4}(0-1)_{01}]\ +\frac{1}{2}S_{1-2}(01)_{01}\ 2\,\mu[T_{10}(0-1)_{01}\ -T_{3-4}(01)_{01}]$ $+\frac{1}{2}S_{4-3}(0-1)_{01}\,3\,\mu[T_{2-1}(0-1)_{01}-T_{6-5}(0-1)_{01}]\ +\frac{1}{2}S_{2-3}(01)_{01}\ 3\,\mu[T_{01}(0-1)_{01}\ -T_{4-5}(01)_{01}]$ $+\ .\ .\ .\ .\ .\ +\ .\ .\ .\ .\ .$
$2\mu-2\mu\varsigma'$	η'^2	$\delta Q_{02}(0-2)_{02}=+\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{1-3}(02)_{02}-T_{11}(0-2)_{02}]\ -\frac{1}{2}T_{1-1}(00)_{00}[S_{11}(0-2)_{02}\ \mu+S_{1-3}(02)_{02}3\mu]$ $+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{2-4}(02)_{02}-T_{20}(0-2)_{02}]\ -\frac{1}{2}T_{2-2}(00)_{00}\,S_{2-4}(02)_{02}\ 4\mu$ $+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{3-5}(02)_{02}-T_{3-1}(0-2)_{02}]\ +\frac{1}{2}T_{3-3}(00)_{00}[S_{3-1}(0-2)_{02}\ \mu-S_{3-5}(02)_{02}5\mu]$ $+\frac{1}{2}S_{4-4}(00)_{00}4\mu[T_{4-6}(02)_{02}-T_{4-2}(0-2)_{02}]\ +\frac{1}{2}T_{4-4}(00)_{00}[S_{4-2}(0-2)_{02}2\mu-S_{4-6}(02)_{02}6\mu]$ $+\ .\ .\ .\ .\ +\ .\ .\ .\ .$ $+\frac{1}{2}S_{2-1}(0-1)_{01}\ \mu\,T_{2-3}(01)_{01}\ -\frac{1}{2}S_{01}(0-1)_{01}\ \mu\,T_{01}(0-1)_{01}$ $+\frac{1}{2}S_{3-2}(0-1)_{01}\,2\,\mu\,T_{3-4}(01)_{01}\ -\frac{1}{2}S_{1-2}(01)_{01}\ 2\,\mu\,T_{10}(0-1)_{01}$ $+\frac{1}{2}S_{4-3}(0-1)_{01}\,3\,\mu\,T_{4-5}(01)_{01}\ -\frac{1}{2}S_{2-3}(01)_{01}\ 3\,\mu\,T_{2-1}(0-1)_{01}$ $+\ .\ .\ .\ .\ -\ .\ .\ .\ .$
$1-3\mu+2\mu\varsigma'$	η'^2	$\delta Q_{1-3}(02)_{02}=+\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{02}(0-2)_{02}\ -T_{2-4}(02)_{02}]\ +\frac{1}{2}T_{1-1}(00)_{00}[S_{2-4}(02)_{02}4\mu+S_{02}(0-2)_{02}\ 2\mu]$ $+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{11}(0-2)_{02}\ -T_{3-5}(02)_{02}]\ +\frac{1}{2}T_{2-2}(00)_{00}[S_{3-5}(02)_{02}5\mu+S_{11}(0-2)_{02}\ \mu]$ $+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{20}(0-2)_{02}\ -T_{4-6}(02)_{02}]\ +\frac{1}{2}T_{3-3}(00)_{00}\,S_{4-6}(02)_{02}6\mu$ $+\frac{1}{2}S_{4-4}(00)_{00}4\mu[T_{3-1}(0-2)_{02}-T_{5-7}(02)_{02}]\ +\frac{1}{2}T_{4-4}(00)_{00}[S_{5-7}(02)_{02}7\mu-S_{3-1}(0-2)_{02}\ \mu]$ $+\ .\ .\ .\ .\ +\ .\ .\ .\ .$ $-\frac{1}{2}S_{2-1}(0-1)_{01}\ \mu\,T_{3-4}(01)_{01}\ +\frac{1}{2}S_{01}(0-1)_{01}\ \mu\,T_{1-2}(01)_{01}$ $-\frac{1}{2}S_{3-2}(0-1)_{01}\,2\,\mu\,T_{4-5}(01)_{01}\ +\frac{1}{2}S_{1-2}(01)_{01}\ 2\,\mu\,T_{01}(0-1)_{01}$ $-\frac{1}{2}S_{4-3}(0-1)_{01}\,3\,\mu\,T_{5-6}(01)_{01}\ +\frac{1}{2}S_{2-3}(01)_{01}\ 3\,\mu\,T_{10}(0-1)_{01}$ $-\ .\ .\ .\ .\ +\ .\ .\ .\ .$
$2-4\mu+2\mu\varsigma'$	η'^2	$\delta Q_{2-4}(02)_{02}=+\frac{1}{2}S_{1-1}(00)_{00}\ \mu[T_{1-3}(02)_{02}\ -T_{3-5}(02)_{02}]\ +\frac{1}{2}T_{1-1}(00)_{00}[S_{3-5}(02)_{02}5\mu+S_{1-3}(02)_{02}\ 3\mu]$ $+\frac{1}{2}S_{2-2}(00)_{00}2\mu[T_{02}(0-2)_{02}-T_{4-6}(02)_{02}]\ +\frac{1}{2}T_{2-2}(00)_{00}[S_{4-6}(02)_{02}6\mu+S_{02}(0-2)_{02}2\mu]$ $+\frac{1}{2}S_{3-3}(00)_{00}3\mu[T_{11}(0-2)_{02}-T_{5-7}(02)_{02}]\ +\frac{1}{2}T_{3-3}(00)_{00}[S_{5-7}(02)_{02}7\mu+S_{11}(0-2)_{02}\ \mu]$ $+\ .\ .\ .\ .\ +\ .\ .\ .\ .$ $-\frac{1}{2}S_{2-1}(0-1)_{01}\ \mu\,T_{4-5}(01)_{01}\ +\frac{1}{2}S_{01}(0-1)_{01}\ \mu\,T_{2-3}(01)_{01}$ $-\frac{1}{2}S_{3-2}(0-1)_{01}\,2\,\mu\,T_{5-6}(01)_{01}\ +\frac{1}{2}S_{1-2}(01)_{01}\ 2\,\mu\,T_{1-2}(01)_{01}$ $-\frac{1}{2}S_{4-3}(0-1)_{01}\,3\,\mu\,T_{6-7}(01)_{01}\ +\frac{1}{2}S_{2-3}(01)_{01}\ 3\,\mu\,T_{01}(0-1)_{01}$ $-\ .\ .\ .\ .\ +\ .\ .\ .\ .$

Formeln für die Entwicklungscoefficienten $\delta C_{\nu\nu'}(nn')_{ss'}$.

Argument	Exc.	Coefficient
—	—	$\delta C_{00}(00)_{00} = -\frac{1}{2} R_{1-1}(00)_{00} \mu T_{1-1}(00)_{00} l_{1-1}(00)$
		$-\frac{1}{2} R_{2-2}(00)_{00} 2\mu T_{2-2}(00)_{00} l_{2-2}(00)$
		$-\frac{1}{2} R_{3-3}(00)_{00} 3\mu T_{3-3}(00)_{00} l_{3-3}(00)$
		$-\frac{1}{2} R_{4-4}(00)_{00} 4\mu T_{4-4}(00)_{00} l_{4-4}(00)$
		— . . . .
$2-2\mu$	—	$\delta C_{2-2}(00)_{00} = +\frac{1}{2} R_{1-1}(00)_{00} \mu [T_{3-3}(00)_{00} l_{1-1}(00) - T_{1-1}(00)_{00} l_{3-3}(00)]$
		$-\frac{1}{2} R_{3-3}(00)_{00} 3\mu [T_{5-5}(00)_{00} l_{1-1}(00) + T_{1-1}(00)_{00} l_{5-5}(00)]$
		$-\frac{1}{2} R_{4-4}(00)_{00} 4\mu [T_{6-6}(00)_{00} l_{2-2}(00) + T_{2-2}(00)_{00} l_{6-6}(00)]$
		$-\frac{1}{2} R_{5-5}(00)_{00} 5\mu [T_{7-7}(00)_{00} l_{3-3}(00) + T_{3-3}(00)_{00} l_{7-7}(00)]$
		— . . . . .
$1-\varsigma$	η	$\delta C_{10}(-10)_{10} = -\frac{1}{2} R_{1-1}(00)_{00} \mu [T_{01}(-10)_{10} l_{2-1}(-10) - T_{2-1}(-10)_{10} l_{01}(-10)]$
		$-\frac{1}{2} R_{2-2}(00)_{00} 2\mu [T_{1-2}(10)_{10} l_{3-2}(-10) + T_{3-2}(-10)_{10} l_{1-2}(10)]$
		$-\frac{1}{2} R_{3-3}(00)_{00} 3\mu [T_{2-3}(10)_{10} l_{4-3}(-10) + T_{4-3}(-10)_{10} l_{2-3}(10)]$
		$-\frac{1}{2} R_{4-4}(00)_{00} 4\mu [T_{3-4}(10)_{10} l_{5-4}(-10) + T_{5-4}(-10)_{10} l_{3-4}(10)]$
		— . . . .
		$+\frac{1}{2} T_{1-1}(00)_{00} \mu [R_{01}(-10)_{10} l_{11}(-20) - R_{2-1}(-10)_{10} l_{3-1}(-20)]$
		$+\frac{1}{2} T_{2-2}(00)_{00} 2\mu [R_{1-2}(10)_{10} l_{02}(-20) - R_{3-2}(-10)_{10} l_{4-2}(-20)]$
		$-\frac{1}{2} T_{3-3}(00)_{00} 3\mu [R_{2-3}(10)_{10} l_{1-3}(20) + R_{4-3}(-10)_{10} l_{5-3}(-20)]$
		$-\frac{1}{2} T_{4-4}(00)_{00} 4\mu [R_{3-4}(10)_{10} l_{2-4}(20) + R_{5-4}(-10)_{10} l_{6-4}(-20)]$
		— . . . .
$1-2\mu+\varsigma$	η	$\delta C_{1-2}(10)_{10} = -\frac{1}{2} R_{1-1}(00)_{00} \mu [T_{2-3}(10)_{10} l_{01}(-10) + T_{01}(-10)_{10} l_{2-3}(10)]$
		$-\frac{1}{2} R_{2-2}(00)_{00} 2\mu [T_{3-4}(10)_{10} l_{10}(-10) + T_{10}(-10)_{10} l_{3-4}(10)]$
		$-\frac{1}{2} R_{3-3}(00)_{00} 3\mu [T_{4-5}(10)_{10} l_{2-1}(-10) + T_{2-1}(-10)_{10} l_{4-5}(10)]$
		$-\frac{1}{2} R_{4-4}(00)_{00} 4\mu [T_{5-6}(10)_{10} l_{3-2}(-10) + T_{3-2}(-10)_{10} l_{5-6}(10)]$
		— . . . .
		$-\frac{1}{2} T_{1-1}(00)_{00} [R_{2-3}(10)_{10} 3\mu l_{3-5}(20) + R_{01}(-10)_{10} \mu l_{1-3}(20)]$
		$-\frac{1}{2} T_{2-2}(00)_{00} R_{3-4}(10)_{10} 4\mu l_{4-6}(20)$
		$-\frac{1}{2} T_{3-3}(00)_{00} [R_{4-5}(10)_{10} 5\mu l_{5-7}(20) + R_{2-1}(-10)_{10} \mu l_{11}(-20)]$
		$-\frac{1}{2} T_{4-4}(00)_{00} [R_{5-6}(10)_{10} 6\mu l_{6-8}(20) + R_{3-2}(-10)_{10} 2\mu l_{20}(-20)]$
		— . . . .
$2-3\mu+\varsigma$	η	$\delta C_{2-3}(10)_{10} = +\frac{1}{2} R_{1-1}(00)_{00} \mu [T_{3-4}(10)_{10} l_{1-2}(10) - T_{1-2}(10)_{10} l_{3-4}(10)]$
		$-\frac{1}{2} R_{2-2}(00)_{00} 2\mu [T_{4-5}(10)_{10} l_{01}(-10) + T_{01}(-10)_{10} l_{4-5}(10)]$
		$-\frac{1}{2} R_{3-3}(00)_{00} 3\mu [T_{5-6}(10)_{10} l_{10}(-10) + T_{10}(-10)_{10} l_{5-6}(10)]$
		$-\frac{1}{2} R_{4-4}(00)_{00} 4\mu [T_{6-7}(10)_{10} l_{2-1}(-10) + T_{2-1}(-10)_{10} l_{6-7}(10)]$
		— . . . .

Argument	Exc.	Coefficient
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{3-4}(10)_{10}\,4\,\mu\,l_{5-7}(20) + R_{1-2}(10)_{10}\,2\,\mu\,l_{3-5}(20)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\,[R_{4-5}(10)_{10}\,5\,\mu\,l_{6-8}(20) + R_{01}(-10)_{10}\,\mu\,l_{2-4}(20)]$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,R_{5-6}(10)_{10}\,6\,\mu\,l_{7-9}(20)$
		$-\frac{1}{2}\,T_{4-4}(00)_{00}\,[R_{6-7}(10)_{10}\,7\,\mu\,l_{8-10}(20) + R_{2-1}(-10)_{10}\,\mu\,l_{02}(-20)]$
		$-\frac{1}{2}\,T_{5-5}(00)_{00}\,[R_{7-8}(10)_{10}\,8\,\mu\,l_{9-11}(20) + R_{3-2}(-10)_{10}\,2\,\mu\,l_{11}(-20)]$
		— . . . .
$1-\mu\varsigma'$	η'	$\delta\,C_{10}(0-1)_{01} = -\frac{1}{2}\,R_{1-1}(00)_{00}\,\mu\,[T_{01}(0-1)_{01}\,l_{2-1}(0-1) - T_{2-1}(0-1)_{01}\,l_{01}(0-1)]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{1-2}(01)_{01}\,l_{3-2}(0-1) + T_{3-2}(0-1)_{01}\,l_{1-2}(01)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{2-3}(01)_{01}\,l_{4-3}(0-1) + T_{4-3}(0-1)_{01}\,l_{2-3}(01)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{00}\,4\,\mu\,[T_{3-4}(01)_{01}\,l_{5-4}(0-1) + T_{5-4}(0-1)_{01}\,l_{3-4}(01)]$
		— . . . .
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,\mu\,[R_{01}(0-1)_{01}\,l_{11}(0-2) - R_{2-1}(0-1)_{01}\,l_{3-1}(0-2)]$
		$+\frac{1}{2}\,T_{2-2}(00)_{00}\,2\,\mu\,[R_{1-2}(01)_{01}\,l_{02}(0-2) - R_{3-2}(0-1)_{01}\,l_{4-2}(0-2)]$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,3\,\mu\,[R_{2-3}(01)_{01}\,l_{1-3}(02) + R_{4-3}(0-1)_{01}\,l_{5-3}(0-2)]$
		$\frac{1}{2}\,T_{4-4}(00)_{00}\,4\,\mu\,[R_{3-4}(01)_{01}\,l_{2-4}(02) + R_{5-4}(0-1)_{01}\,l_{6-4}(0-2)]$
		— . . . .
$1-2\mu+\mu\varsigma'$	η'	$\delta\,C_{1-2}(01)_{01} = -\frac{1}{2}\,R_{1-1}(00)_{00}\,\mu\,[T_{2-3}(01)_{01}\,l_{01}(0-1) + T_{01}(0-1)_{01}\,l_{2-3}(01)]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{3-4}(01)_{01}\,l_{10}(0-1) + T_{10}(0-1)_{01}\,l_{3-4}(01)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{4-5}(01)_{01}\,l_{2-1}(0-1) + T_{2-1}(0-1)_{01}\,l_{4-5}(01)]$
		— . . . .
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{2-3}(01)_{01}\,3\,\mu\,l_{3-5}(02) + R_{01}(0-1)_{01}\,\mu\,l_{1-3}(02)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\,R_{3-4}(01)_{01}\,4\,\mu\,l_{4-6}(02)$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,[R_{4-5}(01)_{01}\,5\,\mu\,l_{5-7}(02) + R_{2-1}(0-1)_{01}\,\mu\,l_{11}(0-2)]$
		$-\frac{1}{2}\,T_{4-4}(00)_{00}\,[R_{5-6}(01)_{01}\,6\,\mu\,l_{6-8}(02) + R_{3-2}(0-1)_{01}\,2\,\mu\,l_{20}(0-2)]$
		— . . . .
$2-3\mu+\mu\varsigma'$	η'	$\delta\,C_{2-3}(01)_{01} = +\frac{1}{2}\,R_{1-1}(00)_{00}\,\mu\,[T_{3-4}(01)_{01}\,l_{1-2}(01) - T_{1-2}(01)_{01}\,l_{3-4}(01)]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{4-5}(01)_{01}\,l_{01}(0-1) + T_{01}(0-1)_{01}\,l_{4-5}(01)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{5-6}(01)_{01}\,l_{10}(0-1) + T_{10}(0-1)_{01}\,l_{5-6}(01)]$
		— . . . .
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{3-4}(01)_{01}\,4\,\mu\,l_{5-7}(02) + R_{1-2}(01)_{01}\,2\,\mu\,l_{3-5}(02)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\,[R_{4-5}(01)_{01}\,5\,\mu\,l_{6-8}(02) + R_{01}(0-1)_{01}\,\mu\,l_{2-4}(02)]$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,R_{5-6}(01)_{01}\,6\,\mu\,l_{7-9}(02)$
		$-\frac{1}{2}\,T_{4-4}(00)_{00}\,[R_{6-7}(01)_{01}\,7\,\mu\,l_{8-10}(02) + R_{2-1}(0-1)_{01}\,\mu\,l_{02}(0-2)]$
		$-\frac{1}{2}\,T_{5-5}(00)_{00}\,[R_{7-8}(01)_{01}\,8\,\mu\,l_{9-11}(02) + R_{3-2}(0-1)_{01}\,2\,\mu\,l_{11}(0-2)]$
		— . . . .
—	η^2	$\delta\,C_{00}(00)_{20} = -\frac{1}{2}\,R_{1-1}(00)_{20}\,\mu\,T_{1-1}(00)_{00}\,l_{1-1}(00) - \frac{1}{2}\,R_{1-1}(00)_{00}\,\mu\,T_{1-1}(00)_{20}\,l_{1-1}(00)$
		$-\frac{1}{2}\,R_{2-2}(00)_{20}\,2\,\mu\,T_{2-2}(00)_{00}\,l_{2-2}(00) - \frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,T_{2-2}(00)_{20}\,l_{2-2}(00)$
		$-\frac{1}{2}\,R_{3-3}(00)_{20}\,3\,\mu\,T_{3-3}(00)_{00}\,l_{3-3}(00) - \frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,T_{3-3}(00)_{20}\,l_{3-3}(00)$
		$-\frac{1}{2}\,R_{4-4}(00)_{20}\,4\,\mu\,T_{4-4}(00)_{00}\,l_{4-4}(00) - \frac{1}{2}\,R_{4-4}(00)_{00}\,4\,\mu\,T_{4-4}(00)_{20}\,l_{4-4}(00)$
		— . . . . — . . . .

Argument	Exc.	Coefficient
		$-\frac{1}{2}\,R_{2-1}(-10)_{10}\quad \mu\,T_{2-1}(-10)_{10}\,l_{2-1}(-10)\quad +\frac{1}{2}\,R_{01}(-10)_{10}\quad \mu\,T_{01}(-10)_{10}\,l_{01}(-10)$
		$-\frac{1}{2}\,R_{3-2}(-10)_{10}\,2\,\mu\,T_{3-2}(-10)_{10}\,l_{3-2}(-10)\quad -\frac{1}{2}\,R_{1-2}(10)_{10}\quad 2\,\mu\,T_{1-2}(10)_{10}\quad l_{1-2}(10)$
		$-\frac{1}{2}\,R_{4-3}(-10)_{10}\,3\,\mu\,T_{4-3}(-10)_{10}\,l_{4-3}(-10)\quad -\frac{1}{2}\,R_{2-3}(10)_{10}\quad 3\,\mu\,T_{2-3}(10)_{10}\quad l_{2-3}(10)$
		— . . . . — . . . .
$2-2\mu$	η^2	$\delta\,C_{2-2}(00)_{20} = +\frac{1}{2}\,R_{1-1}(00)_{20}\quad \mu\,[T_{3-3}(00)_{00}\,l_{1-1}(00) - T_{1-1}(00)_{00}\,l_{3-3}(00)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{20}\,3\,\mu\,[T_{5-5}(00)_{00}\,l_{1-1}(00) + T_{1-1}(00)_{00}\,l_{5-5}(00)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{20}\,4\,\mu\,[T_{6-6}(00)_{00}\,l_{2-2}(00) + T_{2-2}(00)_{00}\,l_{6-6}(00)]$
		$-\frac{1}{2}\,R_{5-5}(00)_{20}\,5\,\mu\,[T_{7-7}(00)_{00}\,l_{3-3}(00) + T_{3-3}(00)_{00}\,l_{7-7}(00)]$
		— . . . .
		$+\frac{1}{2}\,R_{1-1}(00)_{00}\quad \mu\,[T_{3-3}(00)_{20}\,l_{1-1}(00) - T_{1-1}(00)_{20}\,l_{3-3}(00)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{5-5}(00)_{20}\,l_{1-1}(00) + T_{1-1}(00)_{20}\,l_{5-5}(00)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{00}\,4\,\mu\,[T_{6-6}(00)_{20}\,l_{2-2}(00) + T_{2-2}(00)_{20}\,l_{6-6}(00)]$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(-10)_{10}\quad \mu\,[T_{01}(-10)_{10}\quad l_{4-3}(-10) + T_{4-3}(-10)_{10}\,l_{01}(-10)]$
		$-\frac{1}{2}\,R_{3-2}(-10)_{10}\,2\,\mu\,[T_{10}(-10)_{10}\quad l_{5-4}(-10) + T_{5-4}(-10)_{10}\,l_{10}(-10)]$
		$-\frac{1}{2}\,R_{4-3}(-10)_{10}\,3\,\mu\,[T_{2-1}(-10)_{10}\,l_{6-5}(-10) + T_{6-5}(-10)_{10}\,l_{2-1}(-10)]$
		— . . . .
		$+\frac{1}{2}\,R_{01}(-10)_{10}\quad \mu\,[T_{2-3}(10)_{10}\,l_{2-1}(-10) - T_{2-1}(-10)_{10}\,l_{2-3}(10)]$
		$+\frac{1}{2}\,R_{1-2}(10)_{10}\quad 2\,\mu\,[T_{3-4}(10)_{10}\,l_{10}(-10)\quad - T_{10}(-10)_{10}\quad l_{3-4}(10)]$
		$+\frac{1}{2}\,R_{2-3}(10)_{10}\quad 3\,\mu\,[T_{4-5}(10)_{10}\,l_{01}(-10)\quad - T_{01}(-10)_{10}\quad l_{4-5}(10)]$
		$-\frac{1}{2}\,R_{3-4}(10)_{10}\quad 4\,\mu\,[T_{5-6}(10)_{10}\,l_{1-2}(10)\quad + T_{1-2}(10)_{10}\quad l_{5-6}(10)]$
		$-\frac{1}{2}\,R_{4-5}(10)_{10}\quad 5\,\mu\,[T_{6-7}(10)_{10}\,l_{2-3}(10)\quad + T_{2-3}(10)_{10}\quad l_{6-7}(10)]$
		— . . . .
$2\mu-2\varsigma$	η^2	$\delta\,C_{02}(-20)_{20} = -\frac{1}{2}\,R_{1-1}(00)_{00}\quad \mu\,[T_{11}(-20)_{20}\quad l_{1-3}(20) + T_{1-3}(20)_{20}\,l_{11}(-20)]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{20}(-20)_{20}\quad l_{2-4}(20) + T_{2-4}(20)_{20}\,l_{20}(-20)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{3-1}(-20)_{20}\,l_{3-5}(20) + T_{3-5}(20)_{20}\,l_{3-1}(-20)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{00}\,4\,\mu\,[T_{4-2}(-20)_{20}\,l_{4-6}(20) + T_{4-6}(20)_{20}\,l_{4-2}(-20)]$
		— . . . .
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{1-3}(20)_{20}\,3\,\mu\,l_{1-5}(40) - R_{11}(-20)_{20}\quad \mu\,l_{13}(-40)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\quad R_{2-4}(20)_{20}\,4\,\mu\,l_{2-6}(40)$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,[R_{3-5}(20)_{20}\,5\,\mu\,l_{3-7}(40) + R_{3-1}(-20)_{20}\quad \mu\,l_{31}(-40)]$
		$-\frac{1}{2}\,T_{4-4}(00)_{00}\,[R_{4-6}(20)_{20}\,6\,\mu\,l_{4-8}(40) + R_{4-2}(-20)_{20}\,2\,\mu\,l_{40}(-40)]$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(-10)_{10}\quad \mu\,T_{2-3}(10)_{10}\,l_{21}(-30)\quad +\frac{1}{2}\,R_{01}(-10)_{10}\quad \mu\,T_{01}(-10)_{10}\quad l_{03}(-30)$
		$-\frac{1}{2}\,R_{3-2}(-10)_{10}\,2\,\mu\,T_{3-4}(10)_{10}\,l_{30}(-30)\quad -\frac{1}{2}\,R_{1-2}(10)_{10}\quad 2\,\mu\,T_{10}(-10)_{10}\quad l_{1-4}(30)$
		$-\frac{1}{2}\,R_{4-3}(-10)_{10}\,3\,\mu\,T_{4-5}(10)_{10}\,l_{4-1}(-30)\quad -\frac{1}{2}\,R_{2-3}(10)_{10}\quad 3\,\mu\,T_{2-1}(-10)_{10}\,l_{2-5}(30)$
		— . . . .
$1-3\mu+2\varsigma$	η^2	$\delta\,C_{1-3}(20)_{20} = -\frac{1}{2}\,R_{1-1}(00)_{00}\quad \mu\,[T_{02}(-20)_{20}\quad l_{2-4}(20) + T_{2-4}(20)_{20}\,l_{02}(-20)]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{11}(-20)_{20}\quad l_{3-5}(20) + T_{3-5}(20)_{20}\,l_{11}(-20)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{20}(-20)_{20}\quad l_{4-6}(20) + T_{4-6}(20)_{20}\,l_{20}(-20)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{00}\,4\,\mu\,[T_{3-1}(-20)_{20}\,l_{5-7}(20) + T_{5-7}(20)_{20}\,l_{3-1}(-20)]$
		— . . . .

Argument	Exc.	Coefficient
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{2-4}(20)_{20}\,4\,\mu\,l_{3-7}\,(40) + R_{02}(-20)_{20}\;\; 2\,\mu\,l_{1-5}(40)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\,[R_{3-5}(20)_{20}\,5\,\mu\,l_{4-8}\,(40) - R_{11}(-20)_{20}\;\;\mu\,l_{04}(-40)]$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\;\; R_{4-6}(20)_{20}\,6\,\mu\,l_{5-9}\,(40)$
		$-\frac{1}{2}\,T_{4-4}(00)_{00}\,[R_{5-7}(20)_{20}\,7\,\mu\,l_{6-10}(40) + R_{3-1}(-20)_{20}\;\;\mu\,l_{22}(-40)]$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(-10)_{10}\;\;\mu\,T_{3-4}(10)_{10}\,l_{12}(-30)\;\;-\frac{1}{2}\,R_{01}(-10)_{10}\;\;\mu\,T_{1-2}(10)_{10}\;\;l_{1-4}(30)$
		$-\frac{1}{2}\,R_{3-2}(-10)_{10}\,2\,\mu\,T_{4-5}(10)_{10}\,l_{21}(-30)\;\;-\frac{1}{2}\,R_{1-2}(10)_{10}\;\;2\,\mu\,T_{01}(-10)_{10}\,l_{2-5}(30)$
		$-\frac{1}{2}\,R_{4-3}(-10)_{10}\,3\,\mu\,T_{5-6}(10)_{10}\,l_{30}(-30)\;\;-\frac{1}{2}\,R_{2-3}(10)_{10}\;\;3\,\mu\,T_{10}(-10)_{10}\,l_{3-6}(30)$
		— . . . . — . . . .
$2-4\mu+2\varsigma$	η^2	$\delta\,C_{2-4}(20)_{20} = -\frac{1}{2}\,R_{1-1}(00)_{00}\;\;\mu\,[T_{1-3}(20)_{20}\;\;l_{3-5}(20) - T_{3-5}(20)_{20}\,l_{1-3}(20)]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{02}(-20)_{20}\,l_{4-6}(20) + T_{4-6}(20)_{20}\,l_{02}(-20)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{11}(-20)_{20}\,l_{5-7}(20) + T_{5-7}(20)_{20}\,l_{11}(-20)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{00}\,4\,\mu\,[T_{20}(-20)_{20}\,l_{6-8}(20) + T_{6-8}(20)_{20}\,l_{20}(-20)]$
		— . . . .
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{3-5}(20)_{20}\,5\,\mu\,l_{5-9}\,(40) + R_{1-3}(20)_{20}\;\;3\,\mu\,l_{3-7}(40)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\,[R_{4-6}(20)_{20}\,6\,\mu\,l_{6-10}(40) + R_{02}(-20)_{20}\,2\,\mu\,l_{2-6}(40)]$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,[R_{5-7}(20)_{20}\,7\,\mu\,l_{7-11}(40) + R_{11}(-20)_{20}\;\;\mu\,l_{1-5}(40)]$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(-10)_{10}\;\;\mu\,T_{4-5}(10)_{10}\,l_{03}(-30)\;\;-\frac{1}{2}\,R_{01}(-10)_{10}\;\;\mu\,T_{2-3}(10)_{10}\;\;l_{2-5}(30)$
		$-\frac{1}{2}\,R_{3-2}(-10)_{10}\,2\,\mu\,T_{5-6}(10)_{10}\,l_{12}(-30)\;\;-\frac{1}{2}\,R_{1-2}(10)_{10}\;\;2\,\mu\,T_{1-2}(10)_{10}\;\;l_{3-6}(30)$
		$-\frac{1}{2}\,R_{4-3}(-10)_{10}\,3\,\mu\,T_{6-7}(10)_{10}\,l_{21}(-30)\;\;-\frac{1}{2}\,R_{2-3}(10)_{10}\;\;3\,\mu\,T_{01}(-10)_{10}\,l_{4-7}(30)$
		— . . . . — . . . .
$2\mu-\varsigma-\mu\varsigma'$	$\eta\eta'$	$\delta\,C_{02}(-1-1)_{11} = -\frac{1}{2}\,R_{1-1}(00)_{00}\;\;\mu\,[T_{11}(-1-1)_{11}\;\;l_{1-3}(11) + T_{1-3}(11)_{11}\,l_{11}(-1-1)]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{20}(-1-1)_{11}\;\;l_{2-4}(11) + T_{2-4}(11)_{11}\,l_{20}(-1-1)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{3-1}(-1-1)_{11}\,l_{3-5}(11) + T_{3-5}(11)_{11}\,l_{3-1}(-1-1)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{00}\,4\,\mu\,[T_{4-2}(-1-1)_{11}\,l_{4-6}(11) + T_{4-6}(11)_{11}\,l_{4-2}(-1-1)]$
		— . . . .
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{1-3}(11)_{11}\,3\,\mu\,l_{1-5}(22) - R_{11}(-1-1)_{11}\;\;\mu\,l_{13}(-2-2)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\;\; R_{2-4}(11)_{11}\,4\,\mu\,l_{2-6}(22)$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,[R_{3-5}(11)_{11}\,5\,\mu\,l_{3-7}(22) + R_{3-1}(-1-1)_{11}\;\;\mu\,l_{31}(-2-2)]$
		$-\frac{1}{2}\,T_{4-4}(00)_{00}\,[R_{4-6}(11)_{11}\,6\,\mu\,l_{4-8}(22) + R_{4-2}(-1-1)_{11}\,2\,\mu\,l_{40}(-2-2)]$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(-10)_{10}\;\;\mu\,T_{2-3}(01)_{01}\,l_{21}(-2-1)\;\;+\frac{1}{2}\,R_{01}(-10)_{10}\;\;\mu\,T_{01}(0-1)_{01}\;\;l_{03}(-2-1)$
		$-\frac{1}{2}\,R_{3-2}(-10)_{10}\,2\,\mu\,T_{3-4}(01)_{01}\,l_{30}(-2-1)\;\;-\frac{1}{2}\,R_{1-2}(10)_{10}\;\;2\,\mu\,T_{10}(0-1)_{01}\;\;l_{1-4}(21)$
		$-\frac{1}{2}\,R_{4-3}(-10)_{10}\,3\,\mu\,T_{4-5}(01)_{01}\,l_{4-1}(-2-1)\;\;-\frac{1}{2}\,R_{2-3}(10)_{10}\;\;3\,\mu\,T_{2-1}(0-1)_{01}\,l_{2-5}(21)$
		— . . . . — . . . .
		$-\frac{1}{2}\,R_{2-1}(0-1)_{01}\;\;\mu\,T_{2-3}(10)_{10}\,l_{21}(-1-2)\;\;+\frac{1}{2}\,R_{01}(0-1)_{01}\;\;\mu\,T_{01}(-10)_{10}\;\;l_{03}(-1-2)$
		$-\frac{1}{2}\,R_{3-2}(0-1)_{01}\,2\,\mu\,T_{3-4}(10)_{10}\,l_{30}(-1-2)\;\;-\frac{1}{2}\,R_{1-2}(01)_{01}\;\;2\,\mu\,T_{10}(-10)_{10}\;\;l_{1-4}(12)$
		$-\frac{1}{2}\,R_{4-3}(0-1)_{01}\,3\,\mu\,T_{4-5}(10)_{10}\,l_{4-1}(-1-2)\;\;-\frac{1}{2}\,R_{2-3}(01)_{01}\;\;3\,\mu\,T_{2-1}(-10)_{10}\,l_{2-5}(12)$
		— . . . . — . . . .

Argument	Exc.	Coefficient
$1-3\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$\delta C_{1-3}(11)_{11} = -\frac{1}{2} R_{1-1}(00)_{00} \mu [T_{02}(-1-1)_{11} l_{2-4}(11) + T_{2-4}(11)_{11} l_{02}(-1-1)]$
		$-\frac{1}{2} R_{2-2}(00)_{00} 2\mu [T_{11}(-1-1)_{11} l_{3-5}(11) + T_{3-5}(11)_{11} l_{11}(-1-1)]$
		$-\frac{1}{2} R_{3-3}(00)_{00} 3\mu [T_{20}(-1-1)_{11} l_{4-6}(11) + T_{4-6}(11)_{11} l_{20}(-1--1)]$
		$-\frac{1}{2} R_{4-4}(00)_{00} 4\mu [T_{3-1}(-1-1)_{11} l_{5-7}(11) + T_{5-7}(11)_{11} l_{3-1}(-1-1)]$
		— . . . .
		$-\frac{1}{2} T_{1-1}(00)_{00} [R_{2-4}(11)_{11} 4\mu l_{3-7}(22) + R_{02}(-1-1)_{11} 2\mu l_{1-5}(22)]$
		$-\frac{1}{2} T_{2-2}(00)_{00} [R_{3-5}(11)_{11} 5\mu l_{4-8}(22) - R_{11}(-1-1)_{11} \mu l_{04}(-2-2)]$
		$-\frac{1}{2} T_{3-3}(00)_{00} R_{4-6}(11)_{11} 6\mu l_{5-9}(22)$
		$-\frac{1}{2} T_{4-4}(00)_{00} [R_{5-7}(11)_{11} 7\mu l_{6-10}(22) + R_{3-1}(-1-1)_{11} \mu l_{22}(-2-2)]$
		— . . . .
		$-\frac{1}{2} R_{2-1}(-10)_{10} \mu T_{3-4}(01)_{01} l_{12}(-2-1) \quad -\frac{1}{2} R_{01}(-10)_{10} \mu T_{1-2}(01)_{01} l_{1-4}(21)$
		$-\frac{1}{2} R_{3-2}(-10)_{10} 2\mu T_{4-5}(01)_{01} l_{21}(-2-1) \quad -\frac{1}{2} R_{1-2}(10)_{10} 2\mu T_{01}(0-1)_{01} l_{2-5}(21)$
		$-\frac{1}{2} R_{4-3}(-10)_{10} 3\mu T_{5-6}(01)_{01} l_{30}(-2-1) \quad -\frac{1}{2} R_{2-3}(10)_{10} 3\mu T_{10}(0-1)_{01} l_{3-6}(21)$
		— . . . . — . . . .
		$-\frac{1}{2} R_{2-1}(0-1)_{01} \mu T_{3-4}(10)_{10} l_{12}(-1-2) \quad -\frac{1}{2} R_{01}(0-1)_{01} \mu T_{1-2}(10)_{10} l_{1-4}(12)$
		$-\frac{1}{2} R_{3-2}(0-1)_{01} 2\mu T_{4-5}(10)_{10} l_{21}(-1-2) \quad -\frac{1}{2} R_{1-2}(01)_{01} 2\mu T_{01}(-10)_{10} l_{2-5}(12)$
		$-\frac{1}{2} R_{4-3}(0-1)_{01} 3\mu T_{5-6}(10)_{10} l_{30}(-1-2) \quad -\frac{1}{2} R_{2-3}(01)_{01} 3\mu T_{10}(-10)_{10} l_{3-6}(12)$
		— . . . . — . . . .
$2-4\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$\delta C_{2-4}(11)_{11} = -\frac{1}{2} R_{1-1}(00)_{00} \mu [T_{1-3}(11)_{11} l_{3-5}(11) - T_{3-5}(11)_{11} l_{1-3}(11)]$
		$-\frac{1}{2} R_{2-2}(00)_{00} 2\mu [T_{02}(-1-1)_{11} l_{4-6}(11) + T_{4-6}(11)_{11} l_{02}(-1-1)]$
		$-\frac{1}{2} R_{3-3}(00)_{00} 3\mu [T_{11}(-1-1)_{11} l_{5-7}(11) + T_{5-7}(11)_{11} l_{11}(-1-1)]$
		$-\frac{1}{2} R_{4-4}(00)_{00} 4\mu [T_{20}(-1-1)_{11} l_{6-8}(11) + T_{6-8}(11)_{11} l_{20}(-1-1)]$
		— . . . .
		$-\frac{1}{2} T_{1-1}(00)_{00} [R_{3-5}(11)_{11} 5\mu l_{5-9}(22) + R_{1-3}(11)_{11} 3\mu l_{3-7}(22)]$
		$-\frac{1}{2} T_{2-2}(00)_{00} [R_{4-6}(11)_{11} 6\mu l_{6-10}(22) + R_{02}(-1-1)_{11} 2\mu l_{2-6}(22)]$
		$-\frac{1}{2} T_{3-3}(00)_{00} [R_{5-7}(11)_{11} 7\mu l_{7-11}(22) + R_{11}(-1-1)_{11} \mu l_{1-5}(22)]$
		— . . . .
		$-\frac{1}{2} R_{2-1}(-10)_{10} \mu T_{4-5}(01)_{01} l_{03}(-2-1) \quad -\frac{1}{2} R_{01}(-10)_{10} \mu T_{2-3}(01)_{01} l_{2-5}(21)$
		$-\frac{1}{2} R_{3-2}(-10)_{10} 2\mu T_{5-6}(01)_{01} l_{12}(-2-1) \quad -\frac{1}{2} R_{1-2}(10)_{10} 2\mu T_{1-2}(01)_{01} l_{3-6}(21)$
		$-\frac{1}{2} R_{4-3}(-10)_{10} 3\mu T_{6-7}(01)_{01} l_{21}(-2-1) \quad -\frac{1}{2} R_{2-3}(10)_{10} 3\mu T_{01}(0-1)_{01} l_{4-7}(21)$
		— . . . . — . . . .
		$-\frac{1}{2} R_{2-1}(0-1)_{01} \mu T_{4-5}(10)_{10} l_{03}(-1-2) \quad -\frac{1}{2} R_{01}(0-1)_{01} \mu T_{2-3}(10)_{10} l_{2-5}(12)$
		$-\frac{1}{2} R_{3-2}(0-1)_{01} 2\mu T_{5-6}(10)_{10} l_{12}(-1-2) \quad -\frac{1}{2} R_{1-2}(01)_{01} 2\mu T_{1-2}(10)_{10} l_{3-6}(12)$
		$-\frac{1}{2} R_{4-3}(0-1)_{01} 3\mu T_{6-7}(10)_{10} l_{21}(-1-2) \quad -\frac{1}{2} R_{2-3}(01)_{01} 3\mu T_{01}(-10)_{10} l_{4-7}(12)$
		— . . . . — . . . .
$2-2\mu-\varsigma\mp\mu\varsigma'$	$\eta\eta'$	$\delta C_{2-2}(-11)_{11} = -\frac{1}{2} R_{1-1}(00)_{00} \mu [T_{1-1}(-11)_{11} l_{3-3}(-11) - T_{3-3}(-11)_{11} l_{1-1}(-11)]$
		$-\frac{1}{2} R_{2-2}(00)_{00} 2\mu [T_{00}(1-1)_{11} l_{4-4}(-11) + T_{4-4}(-11)_{11} l_{00}(1-1)]$
		$-\frac{1}{2} R_{3-3}(00)_{00} 3\mu [T_{1-1}(1-1)_{11} l_{5-5}(-11) + T_{5-5}(-11)_{11} l_{1-1}(1-1)]$
		$-\frac{1}{2} R_{4-4}(00)_{00} 4\mu [T_{2-2}(1-1)_{11} l_{6-6}(-11) + T_{6-6}(-11)_{11} l_{2-2}(1-1)]$
		— . . . .

Argument	Exc.	Coefficient
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{3-3}(--11)_{11}\,3\,\mu\,l_{5-5}(-22) + R_{1-1}(-11)_{11}\;\mu\,l_{3-3}(-22)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\;R_{4-4}(-11)_{11}\,4\,\mu\,l_{6-6}(-22)$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,[R_{5-5}(-11)_{11}\,5\,\mu\,l_{7-7}(-22) - R_{1-1}(1-1)_{11}\;\mu\,l_{1-1}(-22)]$
		$-\frac{1}{2}\,T_{4-4}(00)_{00}\,[R_{6-6}(-11)_{11}\,6\,\mu\,l_{8-8}(-22) + R_{2-2}(1-1)_{11}\,2\,\mu\,l_{00}(2-2)]$
		— . . .
		$-\frac{1}{2}\,R_{2-1}(-10)_{10}\;\mu\,T_{01}(0-1)_{01}\;l_{4-3}(-21) + \frac{1}{2}\,R_{01}(-10)_{10}\;\mu\,T_{2-3}(01)_{01}\,l_{2-1}(-21)$
		$-\frac{1}{2}\,R_{3-2}(-10)_{10}\,2\,\mu\,T_{10}(0-1)_{01}\;l_{5-4}(-21) + \frac{1}{2}\,R_{1-2}(10)_{10}\;2\,\mu\,T_{3-4}(01)_{01}\,l_{10}(-21)$
		$-\frac{1}{2}\,R_{4-3}(-10)_{10}\,3\,\mu\,T_{2-1}(0-1)_{01}\,l_{6-5}(-21) + \frac{1}{2}\,R_{2-3}(10)_{10}\;3\,\mu\,T_{4-5}(01)_{01}\,l_{01}(-21)$
		$-\frac{1}{2}\,R_{5-4}(-10)_{10}\,4\,\mu\,T_{3-2}(0-1)_{01}\,l_{7-6}(-21) - \frac{1}{2}\,R_{3-4}(10)_{10}\;4\,\mu\,T_{5-6}(01)_{01}\,l_{1-2}(2-1)$
		— . . . . — . . . .
		$-\frac{1}{2}\,R_{2-1}(0-1)_{01}\;\mu\,T_{4-3}(-10)_{10}\,l_{01}(1-2) - \frac{1}{2}\,R_{01}(0-1)_{01}\;\mu\,T_{2-1}(-10)_{10}\,l_{2-3}(-12)$
		$-\frac{1}{2}\,R_{3-2}(0-1)_{01}\,2\,\mu\,T_{5-4}(-10)_{10}\,l_{10}(1-2) - \frac{1}{2}\,R_{1-2}(01)_{01}\;2\,\mu\,T_{10}(-10)_{10}\;l_{3-4}(-12)$
		$-\frac{1}{2}\,R_{4-3}(0-1)_{01}\,3\,\mu\,T_{6-5}(-10)_{10}\,l_{2-1}(1-2) - \frac{1}{2}\,R_{2-3}(01)_{01}\;3\,\mu\,T_{01}(-10)_{10}\;l_{4-5}(-12)$
		$-\frac{1}{2}\,R_{5-4}(0-1)_{01}\,4\,\mu\,T_{7-6}(-10)_{10}\,l_{3-2}(1-2) - \frac{1}{2}\,R_{3-4}(01)_{01}\;4\,\mu\,T_{1-2}(10)_{10}\;l_{5-6}(-12)$
		— . . . . — . . . .
$2-2\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$\delta\,C_{2-2}(1-1)_{11} = -\frac{1}{2}\,R_{1-1}(00)_{00}\;\mu\,[T_{1-1}(1-1)_{11}\,l_{3-3}(1-1) - T_{3-3}(1-1)_{11}\,l_{1-1}(1-1)]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{00}(1-1)_{11}\;l_{4-4}(1-1) - T_{4-4}(1-1)_{11}\,l_{00}(1-1)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{1-1}(-11)_{11}\,l_{5-5}(1-1) + T_{5-5}(1-1)_{11}\,l_{1-1}(-11)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{00}\,4\,\mu\,[T_{2-2}(-11)_{11}\,l_{6-6}(1-1) + T_{6-6}(1-1)_{11}\,l_{2-2}(-11)]$
		— . . . .
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{3-3}(1-1)_{11}\,3\,\mu\,l_{5-5}(2-2) + R_{1-1}(1-1)_{11}\;\mu\,l_{3-3}(2-2)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\;R_{4-4}(1-1)_{11}\,4\,\mu\,l_{6-6}(2-2)$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,[R_{5-5}(1-1)_{11}\,5\,\mu\,l_{7-7}(2-2) - R_{1-1}(-11)_{11}\;\mu\,l_{1-1}(2-2)]$
		$-\frac{1}{2}\,T_{4-4}(00)_{00}\,[R_{6-6}(1-1)_{11}\,6\,\mu\,l_{8-8}(2-2) - R_{2-2}(-11)_{11}\,2\,\mu\,l_{00}(2-2)]$
		$-\frac{1}{2}\,T_{5-5}(00)_{00}\,[R_{7-7}(1-1)_{11}\,7\,\mu\,l_{9-9}(2-2) + R_{3-3}(-11)_{11}\,3\,\mu\,l_{1-1}(-22)]$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(-10)_{10}\;\mu\,T_{4-3}(0-1)_{01}\,l_{01}(-21) - \frac{1}{2}\,R_{01}(-10)_{10}\;\mu\,T_{2-1}(0-1)_{01}\,l_{2-3}(2-1)$
		$-\frac{1}{2}\,R_{3-2}(-10)_{10}\,2\,\mu\,T_{5-4}(0-1)_{01}\,l_{10}(-21) - \frac{1}{2}\,R_{1-2}(10)_{10}\;2\,\mu\,T_{10}(0-1)_{01}\;l_{3-4}(2-1)$
		$-\frac{1}{2}\,R_{4-3}(-10)_{10}\,3\,\mu\,T_{6-5}(0-1)_{01}\,l_{2-1}(-21) - \frac{1}{2}\,R_{2-3}(10)_{10}\;3\,\mu\,T_{01}(0-1)_{01}\;l_{4-5}(2-1)$
		— . . . . $-\frac{1}{2}\,R_{3-4}(10)_{10}\;4\,\mu\,T_{1-2}(01)_{01}\;l_{5-6}(2-1)$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(0-1)_{01}\;\mu\,T_{01}(-10)_{10}\;l_{4-3}(1-2) + \frac{1}{2}\,R_{01}(0-1)_{01}\;\mu\,T_{2-3}(10)_{10}\,l_{2-1}(1-2)$
		$-\frac{1}{2}\,R_{3-2}(0-1)_{01}\,2\,\mu\,T_{10}(-10)_{10}\;l_{5-4}(1-2) + \frac{1}{2}\,R_{1-2}(01)_{01}\;2\,\mu\,T_{3-4}(10)_{10}\,l_{10}(1-2)$
		$-\frac{1}{2}\,R_{4-3}(0-1)_{01}\,3\,\mu\,T_{2-1}(-10)_{10}\,l_{6-5}(1-2) + \frac{1}{2}\,R_{2-3}(01)_{01}\;3\,\mu\,T_{4-5}(10)_{10}\,l_{01}(1-2)$
		$-\frac{1}{2}\,R_{5-4}(0-1)_{01}\,4\,\mu\,T_{3-2}(-10)_{10}\,l_{7-6}(1-2) - \frac{1}{2}\,R_{3-4}(01)_{01}\;4\,\mu\,T_{5-6}(10)_{10}\,l_{1-2}(-12)$
		— . . . . — . . . .
$\varsigma-\mu\varsigma'$	$\eta\eta'$	$\delta\,C_{00}(1-1)_{11} = -\frac{1}{2}\,R_{1-1}(00)_{00}\;\mu\,[T_{1-1}(-11)_{11}\,l_{1-1}(1-1) + T_{1-1}(1-1)_{11}\,l_{1-1}(-11)_{11}]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{2-2}(-11)_{11}\,l_{2-2}(1-1) + T_{2-2}(1-1)_{11}\,l_{2-2}(-11)_{11}]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{3-3}(-11)_{11}\,l_{3-3}(1-1) + T_{3-3}(1-1)_{11}\,l_{3-3}(-11)_{11}]$
		— . . . .

Argument	Exc.	Coefficient
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\;\;\mu\,[R_{1-1}(-11)_{11}\,l_{1-1}(-22)+R_{1-1}(1-1)_{11}\,l_{1-1}(2-2)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\,2\,\mu\,[R_{2-2}(-11)_{11}\,l_{2-2}(-22)+R_{2-2}(1-1)_{11}\,l_{2-2}(2-2)]$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,3\,\mu\,[R_{3-3}(-11)_{11}\,l_{3-3}(-22)+R_{3-3}(1-1)_{11}\,l_{3-3}(2-2)]$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(-10)_{10}\;\mu\,T_{2-1}(0-1)_{01}\,l_{2-1}(-21)\;+\frac{1}{2}\,R_{01}(-10)_{10}\;\mu\,T_{01}(0-1)_{01}\,l_{01}(-21)$
		$-\frac{1}{2}\,R_{3-2}(-10)_{10}\,2\,\mu\,T_{3-2}(0-1)_{01}\,l_{3-2}(-21)\;-\frac{1}{2}\,R_{1-2}(10)_{10}\;2\,\mu\,T_{1-2}(01)_{01}\;l_{1-2}(2-1)$
		$-\frac{1}{2}\,R_{4-3}(-10)_{10}\,3\,\mu\,T_{4-3}(0-1)_{01}\,l_{4-3}(-21)\;-\frac{1}{2}\,R_{2-3}(10)_{10}\;3\,\mu\,T_{2-3}(01)_{01}\;l_{2-3}(2-1)$
		— . . . . — . . . .
		$-\frac{1}{2}\,R_{2-1}(0-1)_{01}\;\mu\,T_{2-1}(-10)_{10}\,l_{2-1}(1-2)\;+\frac{1}{2}\,R_{01}(0-1)_{01}\;\mu\,T_{01}(-10)_{10}\,l_{01}(1-2)$
		$-\frac{1}{2}\,R_{3-2}(0-1)_{01}\,2\,\mu\,T_{3-2}(-10)_{10}\,l_{3-2}(1-2)\;-\frac{1}{2}\,R_{1-2}(01)_{01}\;2\,\mu\,T_{1-2}(10)_{10}\;l_{1-2}(-12)$
		$-\frac{1}{2}\,R_{4-3}(0-1)_{01}\,3\,\mu\,T_{4-3}(-10)_{10}\,l_{4-3}(1-2)\;-\frac{1}{2}\,R_{2-3}(01)_{01}\;3\,\mu\,T_{2-3}(10)_{10}\;l_{2-3}(-12)$
		— . . . . — . . . .
—	η'^2	$\delta\,C_{00}(00)_{02}\;=-\frac{1}{2}\,R_{1-1}(00)_{02}\;\mu\,T_{1-1}(00)_{00}\,l_{1-1}(00)\;-\frac{1}{2}\,R_{1-1}(00)_{00}\;\mu\,T_{1-1}(00)_{02}\,l_{1-1}(00)$
		$-\frac{1}{2}\,R_{2-2}(00)_{02}\,2\,\mu\,T_{2-2}(00)_{00}\,l_{2-2}(00)\;-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,T_{2-2}(00)_{02}\,l_{2-2}(00)$
		$-\frac{1}{2}\,R_{3-3}(00)_{02}\,3\,\mu\,T_{3-3}(00)_{00}\,l_{3-3}(00)\;-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,T_{3-3}(00)_{02}\,l_{3-3}(00)$
		— . . . . — . . . .
		$-\frac{1}{2}\,R_{2-1}(0-1)_{01}\;\mu\,T_{2-1}(0-1)_{01}\,l_{2-1}(0-1)\;+\frac{1}{2}\,R_{01}(0-1)_{01}\;\mu\,T_{01}(0-1)_{01}\,l_{01}(0-1)$
		$-\frac{1}{2}\,R_{3-2}(0-1)_{01}\,2\,\mu\,T_{3-2}(0-1)_{01}\,l_{3-2}(0-1)\;-\frac{1}{2}\,R_{1-2}(01)_{01}\;2\,\mu\,T_{1-2}(01)_{01}\;l_{1-2}(01)$
		$-\frac{1}{2}\,R_{4-3}(0-1)_{01}\,3\,\mu\,T_{4-3}(0-1)_{01}\,l_{4-3}(0-1)\;-\frac{1}{2}\,R_{2-3}(01)_{01}\;3\,\mu\,T_{2-3}(01)_{01}\;l_{2-3}(01)$
		— . . . . — . . . .
$2-2\mu$	η'^2	$\delta\,C_{2-2}(00)_{02}\;=+\frac{1}{2}\,R_{1-1}(00)_{02}\;\mu\,[T_{3-3}(00)_{00}\,l_{1-1}(00)-T_{1-1}(00)_{00}\,l_{3-3}(00)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{02}\,3\,\mu\,[T_{5-5}(00)_{00}\,l_{1-1}(00)+T_{1-1}(00)_{00}\,l_{5-5}(00)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{02}\,4\,\mu\,[T_{6-6}(00)_{00}\,l_{2-2}(00)+T_{2-2}(00)_{00}\,l_{6-6}(00)]$
		— . . . .
		$+\frac{1}{2}\,R_{1-1}(00)_{00}\;\mu\,[T_{3-3}(00)_{02}\,l_{1-1}(00)-T_{1-1}(00)_{02}\,l_{3-3}(00)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{5-5}(00)_{02}\,l_{1-1}(00)+T_{1-1}(00)_{02}\,l_{5-5}(00)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{00}\,4\,\mu\,[T_{6-6}(00)_{02}\,l_{2-2}(00)+T_{2-2}(00)_{02}\,l_{6-6}(00)]$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(0-1)_{01}\;\mu\,[T_{01}(0-1)_{01}\;l_{4-3}(0-1)+T_{4-3}(0-1)_{01}\,l_{01}(0-1)]$
		$-\frac{1}{2}\,R_{3-2}(0-1)_{01}\,2\,\mu\,[T_{10}(0-1)_{01}\;l_{5-4}(0-1)+T_{5-4}(0-1)_{01}\,l_{10}(0-1)]$
		$-\frac{1}{2}\,R_{4-3}(0-1)_{01}\,3\,\mu\,[T_{2-1}(0-1)_{01}\,l_{6-5}(0-1)+T_{6-5}(0-1)_{01}\,l_{2-1}(0-1)]$
		— . . . .
		$+\frac{1}{2}\,R_{01}(0-1)_{01}\;\mu\,[T_{2-3}(01)_{01}\,l_{2-1}(0-1)\;-T_{2-1}(0-1)_{01}\,l_{2-3}(01)]$
		$+\frac{1}{2}\,R_{1-2}(01)_{01}\;2\,\mu\,[T_{3-4}(01)_{01}\,l_{10}(0-1)\;-T_{10}(0-1)_{01}\;l_{3-4}(01)]$
		$+\frac{1}{2}\,R_{2-3}(01)_{01}\;3\,\mu\,[T_{4-5}(01)_{01}\,l_{01}(0-1)\;-T_{01}(0-1)_{01}\;l_{4-5}(01)]$
		$-\frac{1}{2}\,R_{3-4}(01)_{01}\;4\,\mu\,[T_{5-6}(01)_{01}\,l_{1-2}(01)\;+T_{1-2}(01)_{01}\;l_{5-6}(01)]$
		$-\frac{1}{2}\,R_{4-5}(01)_{01}\;5\,\mu\,[T_{6-7}(01)_{01}\,l_{2-3}(01)\;+T_{2-3}(01)_{01}\;l_{6-7}(01)]$
		— . . . .
$2\mu-2\mu\varsigma'$	η'^2	$\delta\,C_{02}(0-2)_{02}=-\frac{1}{2}\,R_{1-1}(00)_{00}\;\mu\,[T_{11}(0-2)_{02}\;l_{1-3}(02)+T_{1-3}(02)_{02}\,l_{11}(0-2)]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{20}(0-2)_{02}\;l_{2-4}(02)+T_{2-4}(02)_{02}\,l_{20}(0-2)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{3-1}(0-2)_{02}\,l_{3-5}(02)+T_{3-5}(02)_{02}\,l_{3-1}(0-2)]$
		— . . . .

Argument	Exc.	Coefficient
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{1-3}(02)_{02}\,3\,\mu\,l_{1-5}(04) - R_{11}(0-2)_{02}\;\;\mu\,l_{13}(0-4)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\;\;R_{2-4}(02)_{02}\,4\,\mu\,l_{2-6}(04)$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,[R_{3-5}(02)_{02}\,5\,\mu\,l_{3-7}(04) + R_{3-1}(0-2)_{02}\;\;\mu\,l_{31}(0-4)]$
		$-\frac{1}{2}\,T_{4-4}(00)_{00}\,[R_{4-6}(02)_{02}\,6\,\mu\,l_{4-8}(04) + R_{4-2}(0-2)_{02}\,2\,\mu\,l_{40}(0-4)]$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(0-1)_{01}\;\;\mu\,T_{2-3}(01)_{01}\,l_{21}(0-3)\;\;+\frac{1}{2}\,R_{01}(0-1)_{01}\;\;\mu\,T_{01}(0-1)_{01}\;\;l_{03}(0-3)$
		$-\frac{1}{2}\,R_{3-2}(0-1)_{01}\,2\,\mu\,T_{3-4}(01)_{01}\,l_{30}(0-3)\;\;-\frac{1}{2}\,R_{1-2}(01)_{01}\;\;2\,\mu\,T_{10}(0-1)_{01}\;\;l_{1-4}(03)$
		$-\frac{1}{2}\,R_{4-3}(0-1)_{01}\,3\,\mu\,T_{4-5}(01)_{01}\,l_{4-1}(0-3)\;\;-\frac{1}{2}\,R_{2-3}(01)_{01}\;\;3\,\mu\,T_{2-1}(0-1)_{01}\,l_{2-5}(03)$
		— . . . . . — . . . . .
$1-3\mu+2\mu\varsigma'$	η'^2	$\delta\,C_{1-3}(02)_{02} = -\frac{1}{2}\,R_{1-1}(00)_{00}\;\;\mu\,[T_{02}(0-2)_{02}\;\;l_{2-4}(02) + T_{2-4}(02)_{02}\,l_{02}(0-2)]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{11}(0-2)_{02}\;\;l_{3-5}(02) + T_{3-5}(02)_{02}\,l_{11}(0-2)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{20}(0-2)_{02}\;\;l_{4-6}(02) + T_{4-6}(02)_{02}\,l_{20}(0-2)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{00}\,4\,\mu\,[T_{3-1}(0-2)_{02}\,l_{5-7}(02) + T_{5-7}(02)_{02}\,l_{3-1}(0-2)]$
		— . . . .
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{2-4}(02)_{02}\,4\,\mu\,l_{3-7}\,(04) + R_{02}(0-2)_{02}\;\;2\,\mu\,l_{1-5}(04)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\,[R_{3-5}(02)_{02}\,5\,\mu\,l_{4-8}\,(04) - R_{11}(0-2)_{02}\;\;\mu\,l_{04}(0-4)]$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\;\;R_{4-6}(02)_{02}\,6\,\mu\,l_{5-9}\,(04)$
		$-\frac{1}{2}\,T_{4-4}(00)_{00}\,[R_{5-7}(02)_{02}\,7\,\mu\,l_{6-10}(04) + R_{3-1}(0-2)_{02}\;\;\mu\,l_{22}(0-4)]$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(0-1)_{01}\;\;\mu\,T_{3-4}(01)_{01}\,l_{12}(0-3)\;\;-\frac{1}{2}\,R_{01}(0-1)_{01}\;\;\mu\,T_{1-2}(01)_{01}\;\;l_{1-4}(03)$
		$-\frac{1}{2}\,R_{3-2}(0-1)_{01}\,2\,\mu\,T_{4-5}(01)_{01}\,l_{21}(0-3)\;\;-\frac{1}{2}\,R_{1-2}(01)_{01}\;\;2\,\mu\,T_{01}(0-1)_{01}\,l_{2-5}(03)$
		$-\frac{1}{2}\,R_{4-3}(0-1)_{01}\,3\,\mu\,T_{5-6}(01)_{01}\,l_{30}(0-3)\;\;-\frac{1}{2}\,R_{2-3}(01)_{01}\;\;3\,\mu\,T_{10}(0-1)_{01}\,l_{3-6}(03)$
		— . . . . — . . . . .
$2-4\mu+2\mu\varsigma'$	η'^2	$\delta\,C_{2-4}(02)_{02} = -\frac{1}{2}\,R_{1-1}(00)_{00}\;\;\mu\,[T_{1-3}(02)_{02}\;\;l_{3-5}(02) - T_{3-5}(02)_{02}\,l_{1-3}(02)]$
		$-\frac{1}{2}\,R_{2-2}(00)_{00}\,2\,\mu\,[T_{02}(0-2)_{02}\,l_{4-6}(02) + T_{4-6}(02)_{02}\,l_{02}(0-2)]$
		$-\frac{1}{2}\,R_{3-3}(00)_{00}\,3\,\mu\,[T_{11}(0-2)_{02}\,l_{5-7}(02) + T_{5-7}(02)_{02}\,l_{11}(0-2)]$
		$-\frac{1}{2}\,R_{4-4}(00)_{00}\,4\,\mu\,[T_{20}(0-2)_{02}\,l_{6-8}(02) + T_{6-8}(02)_{02}\,l_{20}(0-2)]$
		— . . . .
		$-\frac{1}{2}\,T_{1-1}(00)_{00}\,[R_{3-5}(02)_{02}\,5\,\mu\,l_{5-9}\,(04) + R_{1-3}(02)_{02}\;\;3\,\mu\,l_{3-7}(04)]$
		$-\frac{1}{2}\,T_{2-2}(00)_{00}\,[R_{4-6}(02)_{02}\,6\,\mu\,l_{6-10}(04) + R_{02}(0-2)_{02}\,2\,\mu\,l_{2-6}(04)]$
		$-\frac{1}{2}\,T_{3-3}(00)_{00}\,[R_{5-7}(02)_{02}\,7\,\mu\,l_{7-11}(04) + R_{11}(0-2)_{02}\;\;\mu\,l_{1-5}(04)]$
		— . . . .
		$-\frac{1}{2}\,R_{2-1}(0-1)_{01}\;\;\mu\,T_{4-5}(01)_{01}\,l_{03}(0-3)\;\;-\frac{1}{2}\,R_{01}(0-1)_{01}\;\;\mu\,T_{2-3}(01)_{01}\;\;l_{2-5}(03)$
		$-\frac{1}{2}\,R_{3-2}(0-1)_{01}\,2\,\mu\,T_{5-6}(01)_{01}\,l_{12}(0-3)\;\;-\frac{1}{2}\,R_{1-2}(01)_{01}\;\;2\,\mu\,T_{1-2}(01)_{01}\;\;l_{3-6}(03)$
		$-\frac{1}{2}\,R_{4-3}(0-1)_{01}\,3\,\mu\,T_{6-7}(01)_{01}\,l_{21}(0-3)\;\;-\frac{1}{2}\,R_{2-3}(01)_{01}\;\;3\,\mu\,T_{01}(0-1)_{01}\;\;l_{4-7}(03)$
		— . . . . — . . . . .

Formeln für die Entwicklungscoefficienten $\Delta Q_{\nu\nu'}(nn')_{ss'}$.

Argument	Exc.	Coefficient
$2-2\mu$	—	$\Delta Q_{2-2}(00)_{00} = + \frac{3}{2} Q_{1-1}(00)_{00} [S_{1-1}(00)_{00} - S_{3-3}(00)_{00}]$ $+ \frac{3}{2} Q_{2-2}(00)_{00} [2 S_{00}(00)_{00} - S_{4-4}(00)_{00}]$ $+ \frac{3}{2} Q_{3-3}(00)_{00} [S_{1-1}(00)_{00} - S_{5-5}(00)_{00}]$ $+ \frac{3}{2} Q_{4-4}(00)_{00} [S_{2-2}(00)_{00} - S_{6-6}(00)_{00}]$ $+ \quad . \quad . \quad . \quad .$
$1-\varsigma$	η	$\Delta Q_{10}(-10)_{10} = + \frac{3}{2} Q_{1-1}(00)_{00} [S_{01}(-10)_{10} - S_{2-1}(-10)_{10}] + 3 S_{00}(00)_{00} Q_{10}(-10)_{10}$ $+ \frac{3}{2} Q_{2-2}(00)_{00} [S_{1-2}(10)_{10} - S_{3-2}(-10)_{10}] + \frac{3}{2} S_{1-1}(00)_{00} [Q_{2-1}(-10)_{10} + Q_{01}(-10)_{10}]$ $+ \frac{3}{2} Q_{3-3}(00)_{00} [S_{2-3}(10)_{10} - S_{4-3}(-10)_{10}] + \frac{3}{2} S_{2-2}(00)_{00} [Q_{3-2}(-10)_{10} - Q_{1-2}(10)_{10}]$ $+ \quad . \quad . \quad . \quad . + \frac{3}{2} S_{3-3}(00)_{00} [Q_{4-3}(-10)_{10} - Q_{2-3}(10)_{10}]$ $+ \quad . \quad . \quad . \quad .$
$1-2\mu+\varsigma$	η	$\Delta Q_{1-2}(10)_{10} = + \frac{3}{2} Q_{1-1}(00)_{00} [S_{01}(-10)_{10} - S_{2-3}(10)_{10}] + 3 S_{00}(00)_{00} Q_{1-2}(10)_{10}$ $+ \frac{3}{2} Q_{2-2}(00)_{00} [S_{10}(-10)_{10} - S_{3-4}(10)_{10}] + \frac{3}{2} S_{1-1}(00)_{00} [Q_{2-3}(10)_{10} - Q_{01}(-10)_{10}]$ $+ \frac{3}{2} Q_{3-3}(00)_{00} [S_{2-1}(-10)_{10} - S_{4-5}(10)_{10}] + \frac{3}{2} S_{2-2}(00)_{00} [Q_{3-4}(10)_{10} - Q_{10}(-10)_{10}]$ $+ \quad . \quad . \quad . \quad . + \frac{3}{2} S_{3-3}(00)_{00} [Q_{4-5}(10)_{10} - Q_{2-1}(-10)_{10}]$ $+ \quad . \quad . \quad . \quad .$
$2-3\mu+\varsigma$	η	$\Delta Q_{2-3}(10)_{10} = + \frac{3}{2} Q_{1-1}(00)_{00} [S_{1-2}(10)_{10} - S_{3-4}(10)_{10}] + 3 S_{00}(00)_{00} Q_{2-3}(10)_{10}$ $+ \frac{3}{2} Q_{2-2}(00)_{00} [S_{01}(-10)_{10} - S_{4-5}(10)_{10}] + \frac{3}{2} S_{1-1}(00)_{00} [Q_{3-4}(10)_{10} + Q_{1-2}(10)_{10}]$ $+ \frac{3}{2} Q_{3-3}(00)_{00} [S_{10}(-10)_{10} - S_{5-6}(10)_{10}] + \frac{3}{2} S_{2-2}(00)_{00} [Q_{4-5}(10)_{10} - Q_{01}(-10)_{10}]$ $+ \quad . \quad . \quad . \quad . + \frac{3}{2} S_{3-3}(00)_{00} [Q_{5-6}(10)_{10} - Q_{10}(-10)_{10}]$ $+ \quad . \quad . \quad . \quad .$
$1-\mu\varsigma'$	η'	$\Delta Q_{10}(0-1)_{01} = + \frac{3}{2} Q_{1-1}(00)_{00} [S_{01}(0-1)_{01} - S_{2-1}(0-1)_{01}] + 3 S_{00}(00)_{00} Q_{10}(0-1)_{01}$ $+ \frac{3}{2} Q_{2-2}(00)_{00} [S_{1-2}(01)_{01} - S_{3-2}(0-1)_{01}] + \frac{3}{2} S_{1-1}(00)_{00} [Q_{2-1}(0-1)_{01} + Q_{01}(0-1)_{01}]$ $+ \frac{3}{2} Q_{3-3}(00)_{00} [S_{2-3}(01)_{01} - S_{4-3}(0-1)_{01}] + \frac{3}{2} S_{2-2}(00)_{00} [Q_{3-2}(0-1)_{01} - Q_{1-2}(01)_{01}]$ $+ \quad . \quad . \quad . \quad . + \frac{3}{2} S_{3-3}(00)_{00} [Q_{4-3}(0-1)_{01} - Q_{2-3}(01)_{01}]$ $+ \quad . \quad . \quad . \quad .$
$1-2\mu+\mu\varsigma'$	η'	$\Delta Q_{1-2}(01)_{01} = + \frac{3}{2} Q_{1-1}(00)_{00} [S_{01}(0-1)_{01} - S_{2-3}(01)_{01}] + 3 S_{00}(00)_{00} Q_{1-2}(01)_{01}$ $+ \frac{3}{2} Q_{2-2}(00)_{00} [S_{10}(0-1)_{01} - S_{3-4}(01)_{01}] + \frac{3}{2} S_{1-1}(00)_{00} [Q_{2-3}(01)_{01} - Q_{01}(0-1)_{01}]$ $+ \frac{3}{2} Q_{3-3}(00)_{00} [S_{2-1}(0-1)_{01} - S_{4-5}(01)_{01}] + \frac{3}{2} S_{2-2}(00)_{00} [Q_{3-4}(01)_{01} - Q_{10}(0-1)_{01}]$ $+ \quad . \quad . \quad . \quad . + \frac{3}{2} S_{3-3}(00)_{00} [Q_{4-5}(01)_{01} - Q_{2-1}(0-1)_{01}]$ $+ \quad . \quad . \quad . \quad .$
$2-3\mu+\mu\varsigma'$	η'	$\Delta Q_{2-3}(01)_{01} = + \frac{3}{2} Q_{1-1}(00)_{00} [S_{1-2}(01)_{01} - S_{3-4}(01)_{01}] + 3 S_{00}(00)_{00} Q_{2-3}(01)_{01}$ $+ \frac{3}{2} Q_{2-2}(00)_{00} [S_{01}(0-1)_{01} - S_{4-5}(01)_{01}] + \frac{3}{2} S_{1-1}(00)_{00} [Q_{3-4}(01)_{01} + Q_{1-2}(01)_{01}]$ $+ \frac{3}{2} Q_{3-3}(00)_{00} [S_{10}(0-1)_{01} - S_{5-6}(01)_{01}] + \frac{3}{2} S_{2-2}(00)_{00} [Q_{4-5}(01)_{01} - Q_{01}(0-1)_{01}]$ $+ \frac{3}{2} Q_{4-4}(00)_{00} [S_{2-1}(0-1)_{01} - S_{6-7}(01)_{01}] + \frac{3}{2} S_{3-3}(00)_{00} [Q_{5-6}(01)_{01} - Q_{10}(0-1)_{01}]$ $+ \quad . \quad . \quad . \quad . + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
$2-2\mu$	η^2	$\Delta Q_{2-2}(00)_{20} = +\frac{3}{2} Q_{1-1}(00)_{20}[S_{1-1}(00)_{00} - S_{3-3}(00)_{00}] + \frac{3}{2} Q_{1-1}(00)_{00}[S_{1-1}(00)_{20} - S_{3-3}(00)_{20}]$ $+\frac{3}{2} Q_{2-2}(00)_{20}[2\,S_{00}(00)_{00} - S_{4-4}(00)_{00}] - \frac{3}{2} Q_{2-2}(00)_{00}\,S_{4-4}(00)_{20}$ $+\frac{3}{2} Q_{3-3}(00)_{20}[S_{1-1}(00)_{00} - S_{5-5}(00)_{00}] + \frac{3}{2} Q_{3-3}(00)_{00}[S_{1-1}(00)_{20} - S_{5-5}(00)_{20}]$ $+\frac{3}{2} Q_{4-4}(00)_{20}[S_{2-2}(00)_{00} - S_{6-6}(00)_{00}] + \frac{3}{2} Q_{4-4}(00)_{00}[S_{2-2}(00)_{20} - S_{6-6}(00)_{20}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $+\frac{3}{2} Q_{2-1}(-10)_{10}[S_{01}(-10)_{10} - S_{4-3}(-10)_{10}] + \frac{3}{2} Q_{10}(-10)_{10}[S_{1-2}(10)_{10} - S_{3-2}(-10)_{10}]$ $+\frac{3}{2} Q_{3-2}(-10)_{10}[S_{10}(-10)_{10} - S_{5-4}(-10)_{10}] + \frac{3}{2} Q_{01}(-10)_{10}[S_{2-3}(10)_{10} - S_{2-1}(-10)_{10}]$ $+\frac{3}{2} Q_{4-3}(-10)_{10}[S_{2-1}(-10)_{10} - S_{6-5}(-10)_{10}] + \frac{3}{2} Q_{1-2}(10)_{10}\,[S_{10}(-10)_{10} - S_{3-4}(10)_{10}]$ $+\frac{3}{2} Q_{5-4}(-10)_{10}[S_{3-2}(-10)_{10} - S_{7-6}(-10)_{10}] + \frac{3}{2} Q_{2-3}(10)_{10}\,[S_{01}(-10)_{10} - S_{4-5}(10)_{10}]$ $+ \quad . \quad . \quad . \quad . \quad + \frac{3}{2} Q_{3-4}(10)_{10}\,[S_{1-2}(10)_{10} - S_{5-6}(10)_{10}]$ $+ \quad . \quad . \quad . \quad .$
$2\mu-2\varsigma$	η^2	$\Delta Q_{02}(-20)_{20} = +\frac{3}{2} Q_{1-1}(00)_{00}[S_{1-3}(20)_{20} - S_{11}(-20)_{20}] + 3\,S_{00}(00)_{00}\;\; Q_{02}(-20)_{20}$ $+\frac{3}{2} Q_{2-2}(00)_{00}[S_{2-4}(20)_{20} - S_{20}(-20)_{20}] + \frac{3}{2} S_{1-1}(00)_{00}[Q_{11}(-20)_{20} - Q_{1-3}(20)_{20}]$ $+\frac{3}{2} Q_{3-3}(00)_{00}[S_{3-5}(20)_{20} - S_{3-1}(-20)_{20}] + \frac{3}{2} S_{2-2}(00)_{00}[Q_{20}(-20)_{20} - Q_{2-4}(20)_{20}]$ $+\frac{3}{2} Q_{4-4}(00)_{00}[S_{4-6}(20)_{20} - S_{4-2}(-20)_{20}] + \frac{3}{2} S_{3-3}(00)_{00}[Q_{3-1}(-20)_{20} - Q_{3-5}(20)_{20}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $+\frac{3}{2} Q_{10}(-10)_{10}\;\; S_{1-2}(10)_{10} + \frac{3}{2} Q_{01}(-10)_{10}\,S_{01}(-10)_{10}$ $+\frac{3}{2} Q_{2-1}(-10)_{10}\,S_{2-3}(10)_{10} - \frac{3}{2} Q_{1-2}(10)_{10}\;\; S_{10}(-10)_{10}$ $+\frac{3}{2} Q_{3-2}(-10)_{10}\,S_{3-4}(10)_{10} - \frac{3}{2} Q_{2-3}(10)_{10}\;\; S_{2-1}(-10)_{10}$ $+\frac{3}{2} Q_{4-3}(-10)_{10}\,S_{4-5}(10)_{10} - \frac{3}{2} Q_{3-4}(10)_{10}\;\; S_{3-2}(-10)_{10}$ $+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
$1-3\mu+2\varsigma$	η^2	$\Delta Q_{1-3}(20)_{20} = +\frac{3}{2} Q_{1-1}(00)_{00}[S_{02}(-20)_{20} - S_{2-4}(20)_{20}] + 3\,S_{00}(00)_{00}\;\; Q_{1-3}(20)_{20}$ $+\frac{3}{2} Q_{2-2}(00)_{00}[S_{11}(-20)_{20} - S_{3-5}(20)_{20}] + \frac{3}{2} S_{1-1}(00)_{00}[Q_{2-4}(20)_{20} - Q_{02}(-20)_{20}]$ $+\frac{3}{2} Q_{3-3}(00)_{00}[S_{20}(-20)_{20} - S_{4-6}(20)_{20}] + \frac{3}{2} S_{2-2}(00)_{00}[Q_{3-5}(20)_{20} - Q_{11}(-20)_{20}]$ $+\frac{3}{2} Q_{4-4}(00)_{00}[S_{3-1}(-20)_{20} - S_{5-7}(20)_{20}] + \frac{3}{2} S_{3-3}(00)_{00}[Q_{4-6}(20)_{20} - Q_{20}(-20)_{20}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $-\frac{3}{2} Q_{10}(-10)_{10}\;\; S_{2-3}(10)_{10} - \frac{3}{2} Q_{01}(-10)_{10}\,S_{1-2}(10)_{10}$ $-\frac{3}{2} Q_{2-1}(-10)_{10}\,S_{3-4}(10)_{10} + \frac{3}{2} Q_{1-2}(10)_{10}\;\; S_{01}(-10)_{10}$ $-\frac{3}{2} Q_{3-2}(-10)_{10}\,S_{4-5}(10)_{10} + \frac{3}{2} Q_{2-3}(10)_{10}\;\; S_{10}(-10)_{10}$ $-\frac{3}{2} Q_{4-3}(-10)_{10}\,S_{5-6}(10)_{10} + \frac{3}{2} Q_{3-4}(10)_{10}\;\; S_{2-1}(-10)_{10}$ $- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2-4\mu+2\varsigma$	η^2	$\Delta Q_{2-4}(20)_{20} = +\frac{3}{2} Q_{1-1}(00)_{00}[S_{1-3}(20)_{20} - S_{3-5}(20)_{20}] + 3\,S_{00}(00)_{00}\;\; Q_{2-4}(20)_{20}$ $+\frac{3}{2} Q_{2-2}(00)_{00}[S_{02}(-20)_{20} - S_{4-6}(20)_{20}] + \frac{3}{2} S_{1-1}(00)_{00}[Q_{3-5}(20)_{20} + Q_{1-3}(20)_{20}]$ $+\frac{3}{2} Q_{3-3}(00)_{00}[S_{11}(-20)_{20} - S_{5-7}(20)_{20}] + \frac{3}{2} S_{2-2}(00)_{00}[Q_{4-6}(20)_{20} - Q_{02}(-20)_{20}]$ $+\frac{3}{2} Q_{4-4}(00)_{00}[S_{20}(-20)_{20} - S_{6-8}(20)_{20}] + \frac{3}{2} S_{3-3}(00)_{00}[Q_{5-7}(20)_{20} - Q_{11}(-20)_{20}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $-\frac{3}{2} Q_{10}(-10)_{10}\;\; S_{3-4}(10)_{10} - \frac{3}{2} Q_{01}(-10)_{10}\,S_{2-3}(10)_{10}$ $-\frac{3}{2} Q_{2-1}(-10)_{10}\,S_{4-5}(10)_{10} + \frac{3}{2} Q_{1-2}(10)_{10}\;\; S_{1-2}(10)_{10}$ $-\frac{3}{2} Q_{3-2}(-10)_{10}\,S_{5-6}(10)_{10} + \frac{3}{2} Q_{2-3}(10)_{10}\;\; S_{01}(-10)_{10}$ $-\frac{3}{2} Q_{4-3}(-10)_{10}\,S_{6-7}(10)_{10} + \frac{3}{2} Q_{3-4}(10)_{10}\;\; S_{10}(-10)_{10}$ $- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
$2\alpha-\varsigma-\mu\varsigma'$	$\eta\eta'$	$\Delta Q_{02}(-1-1)_{11} = +\frac{3}{2}Q_{1-2}(00)_{00}[S_{1-3}(11)_{11}-S_{11}(-1-1)_{11}] \quad +3S_{00}(00)_{00}\ Q_{02}(-1-1)_{11}$ $+\frac{3}{2}Q_{2-2}(00)_{00}[S_{2-4}(11)_{11}-S_{20}(-1-1)_{11}] \quad +\frac{3}{2}S_{1-1}(00)_{00}[Q_{11}(-1-1)_{11}\ -Q_{1-3}(11)_{11}]$ $+\frac{3}{2}Q_{3-2}(00)_{00}[S_{3-5}(11)_{11}-S_{3-1}(-1-1)_{11}] \quad +\frac{3}{2}S_{2-2}(00)_{00}[Q_{20}(-1-1)_{11}\ -Q_{2-4}(11)_{11}]$ $+\frac{3}{2}Q_{4-4}(00)_{00}[S_{4-6}(11)_{11}-S_{4-2}(-1-1)_{11}] \quad +\frac{3}{2}S_{3-3}(00)_{00}[Q_{3-1}(-1-1)_{11}-Q_{3-5}(11)_{11}]$ $+ \quad . \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad .$ $+\frac{3}{2}Q_{1-2}(-10)_{10}S_{1-2}(01)_{01}+\frac{3}{2}Q_{01}(-10)_{10}S_{01}(0-1)_{01} \quad +\frac{3}{2}Q_{10}(0-1)_{01}\ S_{1-2}(10)_{10}+\frac{3}{2}Q_{01}(0-1)_{01}S_{01}(-10)_{10}$ $+\frac{3}{2}Q_{2-1}(-10)_{10}S_{2-3}(01)_{01}-\frac{3}{2}Q_{1-2}(10)_{10}\ S_{10}(0-1)_{01} \quad +\frac{3}{2}Q_{2-1}(0-1)_{01}S_{2-3}(10)_{10}-\frac{3}{2}Q_{1-2}(01)_{01}\ S_{10}(-10)_{10}$ $-\frac{3}{2}Q_{3-2}(-10)_{10}S_{3-4}(01)_{01}-\frac{3}{2}Q_{2-2}(10)_{10}\ S_{2-1}(0-1)_{01} \quad +\frac{3}{2}Q_{3-2}(0-1)_{01}S_{3-4}(10)_{10}-\frac{3}{2}Q_{2-3}(01)_{01}\ S_{2-1}(-10)_{10}$ $+ \quad . \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad . \quad .$
$1-3\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$\Delta Q_{1-3}(11)_{11} = +\frac{3}{2}Q_{1-1}(00)_{00}[S_{02}(-1-1)_{11}\ -S_{2-4}(11)_{11}] \quad +3S_{00}(00)_{00}\ \ Q_{1-3}(11)_{11}$ $+\frac{3}{2}Q_{2-2}(00)_{00}[S_{11}(-1-1)_{11}\ -S_{3-5}(11)_{11}] \quad +\frac{3}{2}S_{1-1}(00)_{00}[Q_{2-4}(11)_{11}-Q_{02}(-1-1)_{11}]$ $+\frac{3}{2}Q_{3-3}(00)_{00}[S_{20}(-1-1)_{11}\ -S_{4-6}(11)_{11}] \quad +\frac{3}{2}S_{2-2}(00)_{00}[Q_{3-5}(11)_{11}-Q_{11}(-1-1)_{11}]$ $+\frac{3}{2}Q_{4-4}(00)_{00}[S_{3-1}(-1-1)_{11}-S_{5-7}(11)_{11}] \quad +\frac{3}{2}S_{3-3}(00)_{00}[Q_{4-6}(11)_{11}-Q_{20}(-1-1)_{11}]$ $+ \quad . \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad .$ $-\frac{3}{2}Q_{2-1}(-10)_{10}S_{2-3}(01)_{01}-\frac{3}{2}Q_{1-2}(-10)_{10}S_{1-2}(01)_{01} \quad -\frac{3}{2}Q_{10}(0-1)_{01}\ S_{2-3}(10)_{10}-\frac{3}{2}Q_{01}(0-1)_{01}S_{1-2}(10)_{10}$ $-\frac{3}{2}Q_{2-1}(-10)_{10}S_{3-4}(01)_{01}+\frac{3}{2}Q_{1-2}(10)_{10}\ S_{01}(0-1)_{01} \quad -\frac{3}{2}Q_{2-1}(0-1)_{01}S_{3-4}(10)_{10}+\frac{3}{2}Q_{1-2}(01)_{01}\ S_{01}(-10)_{10}$ $-\frac{3}{2}Q_{3-2}(-10)_{10}S_{4-5}(01)_{01}+\frac{3}{2}Q_{2-3}(10)_{10}\ S_{10}(0-1)_{01} \quad -\frac{3}{2}Q_{3-2}(0-1)_{01}S_{4-5}(10)_{10}+\frac{3}{2}Q_{2-3}(01)_{01}\ S_{10}(-10)_{10}$ $-\frac{3}{2}Q_{4-3}(-10)_{10}S_{5-6}(01)_{01}+\frac{3}{2}Q_{3-4}(10)_{10}\ S_{2-1}(0-1)_{01}-\frac{3}{2}Q_{4-3}(0-1)_{01}S_{5-6}(10)_{10}+\frac{3}{2}Q_{3-4}(01)_{01}\ S_{2-1}(-10)_{10}$ $- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad .$
$2-4\mu+\varsigma+\mu\varsigma'$	$\eta\eta'$	$\Delta Q_{2-4}(11)_{11} = +\frac{3}{2}Q_{1-1}(00)_{00}[S_{1-3}(11)_{11}\ -S_{3-5}(11)_{11}] + 3S_{00}(00)_{00}\ \ Q_{2-4}(11)_{11}$ $+\frac{3}{2}Q_{2-2}(00)_{00}[S_{2-4}(-1-1)_{11}-S_{4-6}(11)_{11}] + \frac{3}{2}S_{1-1}(00)_{00}[Q_{3-5}(11)_{11}+Q_{1-3}(11)_{11}]$ $+\frac{3}{2}Q_{3-3}(00)_{00}[S_{11}(-1-1)_{11}-S_{5-7}(11)_{11}] + \frac{3}{2}S_{2-2}(00)_{00}[Q_{4-6}(11)_{11}-Q_{02}(-1-1)_{11}]$ $+\frac{3}{2}Q_{4-4}(00)_{00}[S_{20}(-1-1)_{11}-S_{6-8}(11)_{11}] + \frac{3}{2}S_{3-3}(00)_{00}[Q_{5-7}(11)_{11}-Q_{11}(-1-1)_{11}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad .$ $-\frac{3}{2}Q_{10}(-10)_{10}\ S_{3-4}(01)_{01}\ -\frac{3}{2}Q_{01}(-10)_{10}S_{2-3}(01)_{01} \quad -\frac{3}{2}Q_{10}(0-1)_{01}\ S_{3-4}(10)_{10}\ -\frac{3}{2}Q_{01}(0-1)_{01}S_{2-3}(10)_{10}$ $-\frac{3}{2}Q_{2-1}(-10)_{10}S_{4-5}(01)_{01}+\frac{3}{2}Q_{1-2}(10)_{10}\ S_{1-2}(01)_{01} \quad -\frac{3}{2}Q_{2-1}(0-1)_{01}S_{4-5}(10)_{10}+\frac{3}{2}Q_{1-2}(01)_{01}\ S_{1-2}(10)_{10}$ $-\frac{3}{2}Q_{3-2}(-10)_{10}S_{5-6}(01)_{01}+\frac{3}{2}Q_{2-3}(10)_{10}\ S_{01}(0-1)_{01} \quad -\frac{3}{2}Q_{3-2}(0-1)_{01}S_{5-6}(10)_{10}+\frac{3}{2}Q_{2-3}(01)_{01}\ S_{01}(-10)_{10}$ $-\frac{3}{2}Q_{4-3}(-10)_{10}S_{6-7}(01)_{01}+\frac{3}{2}Q_{3-4}(10)_{10}\ S_{10}(0-1)_{01} \quad -\frac{3}{2}Q_{4-3}(0-1)_{01}S_{6-7}(10)_{10}+\frac{3}{2}Q_{3-4}(01)_{01}S_{10}(-10)_{10}$ $- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad .$
$2-2\mu-\varsigma+\mu\varsigma'$	$\eta\eta'$	$\Delta Q_{2-2}(-11)_{11} = +\frac{3}{2}Q_{1-2}(00)_{00}[S_{1-1}(-11)_{11}-S_{3-3}(-11)_{11}] + 3S_{00}(00)_{00}\ \ Q_{2-2}(-11)_{11}$ $-\frac{3}{2}Q_{2-2}(00)_{00}\ S_{4-4}(-11)_{11} \quad +\frac{3}{2}S_{1-2}(00)_{00}[Q_{3-3}(-11)_{11}+Q_{1-1}(-11)_{11}]$ $-\frac{3}{2}Q_{3-2}(00)_{00}[S_{2-4}(1-1)_{11}-S_{5-5}(-11)_{11}] + \frac{3}{2}S_{2-2}(00)_{00}[Q_{4-4}(-11)_{11}-Q_{00}(1-1)_{11}]$ $+\frac{3}{2}Q_{4-4}(00)_{00}[S_{3-2}(1-1)_{11}-S_{6-6}(-11)_{11}] + \frac{3}{2}S_{3-3}(00)_{00}[Q_{5-5}(-11)_{11}-Q_{1-1}(1-1)_{11}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad .$ $-\frac{3}{2}Q_{1-2}(-10)_{10}\ S_{1-2}(01)_{01} \quad +\frac{3}{2}Q_{01}(-10)_{10}S_{2-3}(01)_{01}-\frac{3}{2}Q_{10}(0-1)_{01}\ S_{3-2}(-10)_{10}-\frac{3}{2}Q_{01}(0-1)_{01}S_{2-1}(-10)_{10}$ $+\frac{3}{2}Q_{2-1}(-10)_{10}S_{01}(0-1)_{01} \quad -\frac{3}{2}Q_{2-2}(10)_{10}\ S_{3-4}(01)_{01}-\frac{3}{2}Q_{2-1}(0-1)_{01}S_{4-3}(-10)_{10}+\frac{3}{2}Q_{1-2}(01)_{01}\ S_{10}(-10)_{10}$ $+\frac{3}{2}Q_{3-2}(-10)_{10}S_{10}(0-1)_{01} \quad -\frac{3}{2}Q_{2-3}(10)_{10}\ S_{4-3}(01)_{01}-\frac{3}{2}Q_{3-2}(0-1)_{01}S_{3-4}(-10)_{10}+\frac{3}{2}Q_{2-3}(01)_{01}\ S_{01}(-10)_{10}$ $+\frac{3}{2}Q_{4-3}(-10)_{10}S_{2-1}(0-1)_{01} \quad -\frac{3}{2}Q_{3-4}(10)_{10}\ S_{3-2}(01)_{01}-\frac{3}{2}Q_{4-3}(0-1)_{01}S_{3-2}(-10)_{10}+\frac{3}{2}Q_{3-4}(01)_{01}\ S_{1-2}(10)_{10}$ $+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
$2-2\mu+\varsigma-\mu\varsigma'$	$\eta\eta'$	$\Delta Q_{2-2}(1-1)_{11} = +\frac{3}{2}Q_{1-1}(00)_{00}[S_{1-1}(1-1)_{11} - S_{3-3}(1-1)_{11}] + 3S_{00}(00)_{00}\ Q_{2-2}(1-1)_{11}$ $-\frac{3}{2}Q_{2-2}(00)_{00}\ S_{4-4}(1-1)_{11} + \frac{3}{2}S_{1-1}(00)_{00}[Q_{3-3}(1-1)_{11} + Q_{1-1}(1-1)_{11}]$ $+\frac{3}{2}Q_{3-3}(00)_{00}[S_{1-1}(-11)_{11} - S_{5-5}(1-1)_{11}] + \frac{3}{2}S_{2-2}(00)_{00}[Q_{4-4}(1-1)_{11} + Q_{00}(1-1)_{11}]$ $+\frac{3}{2}Q_{4-4}(00)_{00}[S_{2-2}(-11)_{11} - S_{6-6}(1-1)_{11}] + \frac{3}{2}S_{3-3}(00)_{00}[Q_{5-5}(1-1)_{11} - Q_{1-1}(-11)_{11}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $-\frac{3}{2}Q_{10}(-10)_{10}\ S_{3-2}(0-1)_{01} - \frac{3}{2}Q_{01}(-10)_{10}S_{2-1}(0-1)_{01} + \frac{3}{2}Q_{10}(0-1)_{01}\ S_{1-2}(10)_{10} + \frac{3}{2}Q_{01}(0-1)_{01}S_{2-3}(10)_{10}$ $-\frac{3}{2}Q_{2-1}(-10)_{10}S_{4-3}(0-1)_{01} + \frac{3}{2}Q_{1-2}(10)_{10}\ S_{10}(0-1)_{01} + \frac{3}{2}Q_{2-1}(0-1)_{01}S_{01}(-10)_{10} - \frac{3}{2}Q_{1-2}(01)_{01}\ S_{3-4}(10)_{10}$ $-\frac{3}{2}Q_{3-2}(-10)_{10}S_{5-4}(0-1)_{01} + \frac{3}{2}Q_{2-3}(10)_{10}\ S_{01}(0-1)_{01} + \frac{3}{2}Q_{3-2}(0-1)_{01}S_{10}(-10)_{10} - \frac{3}{2}Q_{2-3}(01)_{01}\ S_{4-5}(10)_{10}$ $-\frac{3}{2}Q_{4-3}(-10)_{10}S_{6-5}(0-1)_{01} + \frac{3}{2}Q_{3-4}(10)_{10}\ S_{1-2}(01)_{01} + \frac{3}{2}Q_{4-3}(0-1)_{01}S_{2-1}(-10)_{10} - \frac{3}{2}Q_{3-4}(01)_{01}\ S_{5-6}(10)_{10}$ $- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
$\varsigma-\mu\varsigma'$	$\eta\eta'$	$\Delta Q_{00}(1-1)_{11} = -\frac{1}{2}\varsigma\{C_{10}(0-1)_{01} + \delta\, C_{10}(0-1)_{01} + 2\,\delta\, S_{10}(0-1)_{01} + 2\,\Delta\, S_{10}(0-1)_{01}\}$ $+\frac{1}{2}\,\delta\, C_{10}(0-1)_{01} + \delta\, S_{10}(0-1)_{01} + \Delta\, S_{10}(0-1)_{01}$ $+\frac{3}{2}Q_{1-1}(00)_{00}[S_{1-1}(-11)_{11} - S_{1-1}(1-1)_{11}] + 3\,S_{00}(00)_{00}\ Q_{00}(1-1)_{11}$ $+\frac{3}{2}Q_{2-2}(00)_{00}[S_{2-2}(-11)_{11} - S_{2-2}(1-1)_{11}] + \frac{3}{2}S_{1-1}(00)_{00}[Q_{1-1}(1-1)_{11} - Q_{1-1}(-11)_{11}]$ $+\frac{3}{2}Q_{3-3}(00)_{00}[S_{3-3}(-11)_{11} - S_{3-3}(1-1)_{11}] + \frac{3}{2}S_{2-2}(00)_{00}[Q_{2-2}(1-1)_{11} - Q_{2-2}(-11)_{11}]$ $+\frac{3}{2}Q_{4-4}(00)_{00}[S_{4-4}(-11)_{11} - S_{4-4}(1-1)_{11}] + \frac{3}{2}S_{3-3}(00)_{00}[Q_{3-3}(1-1)_{11} - Q_{3-3}(-11)_{11}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $-\frac{3}{2}Q_{10}(-10)_{10}\ S_{10}(0-1)_{01} - \frac{3}{2}Q_{01}(-10)_{10}S_{01}(0-1)_{01} + \frac{3}{2}Q_{10}(0-1)_{01}\ S_{10}(-10)_{10} + \frac{3}{2}Q_{01}(0-1)_{01}S_{01}(-10)_{10}$ $-\frac{3}{2}Q_{2-1}(-10)_{10}S_{2-1}(0-1)_{01} + \frac{3}{2}Q_{1-2}(10)_{10}\ S_{1-2}(01)_{01} + \frac{3}{2}Q_{2-1}(0-1)_{01}S_{2-1}(-10)_{10} - \frac{3}{2}Q_{1-2}(01)_{01}\ S_{1-2}(10)_{10}$ $-\frac{3}{2}Q_{3-2}(-10)_{10}S_{3-2}(0-1)_{01} + \frac{3}{2}Q_{2-3}(10)_{10}\ S_{2-3}(01)_{01} + \frac{3}{2}Q_{3-2}(0-1)_{01}S_{3-2}(-10)_{10} - \frac{3}{2}Q_{2-3}(01)_{01}\ S_{2-3}(10)_{10}$ $-\frac{3}{2}Q_{4-3}(-10)_{10}S_{4-3}(0-1)_{01} + \frac{3}{2}Q_{3-4}(10)_{10}\ S_{3-4}(01)_{01} + \frac{3}{2}Q_{4-3}(0-1)_{01}S_{4-3}(-10)_{10} - \frac{3}{2}Q_{3-4}(01)_{01}\ S_{3-4}(10)_{10}$ $- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$ $+ S_{00}(00)_{00}\ [S_{10}(0-1)_{01} - P_{10}(0-1)_{01}] - P_{00}(00)_{00}\ S_{10}(0-1)_{01}$ $+\frac{1}{2}S_{1-1}(00)_{00}[S_{2-1}(0-1)_{01} + S_{01}(0-1)_{01} - P_{2-1}(0-1)_{01} - P_{01}(0-1)_{01}] - \frac{1}{2}P_{1-1}(00)_{00}[S_{2-1}(0-1)_{01} + S_{01}(0-1)_{01}]$ $+\frac{1}{2}S_{2-2}(00)_{00}[S_{3-2}(0-1)_{01} + S_{1-2}(01)_{01} - P_{3-2}(0-1)_{01} - P_{1-2}(01)_{01}] - \frac{1}{2}P_{2-2}(00)_{00}[S_{3-2}(0-1)_{01} + S_{1-2}(01)_{01}]$ $+\frac{1}{2}S_{3-3}(00)_{00}[S_{4-3}(0-1)_{01} + S_{2-3}(01)_{01} - P_{4-3}(0-1)_{01} - P_{2-3}(01)_{01}] - \frac{1}{2}P_{3-3}(00)_{00}[S_{4-3}(0-1)_{01} + S_{2-3}(01)_{01}]$ $+\frac{1}{2}S_{4-4}(00)_{00}[S_{5-4}(0-1)_{01} + S_{3-4}(01)_{01} - P_{5-4}(0-1)_{01} - P_{3-4}(01)_{01}] - \frac{1}{2}P_{4-4}(00)_{00}[S_{5-4}(0-1)_{01} + S_{3-4}(01)_{01}]$ $+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$ $+\frac{1}{4}Q_{1-1}(00)_{00}[K_{2-1}(0-1)_{01} - K_{01}(0-1)_{01}] + \frac{1}{4}K_{1-1}(00)_{00}[Q_{2-1}(0-1)_{01} - Q_{01}(0-1)_{01}]$ $+\frac{1}{4}Q_{2-2}(00)_{00}[K_{3-2}(0-1)_{01} + K_{1-2}(01)_{01}] + \frac{1}{4}K_{2-2}(00)_{00}[Q_{3-2}(0-1)_{01} + Q_{1-2}(01)_{01}]$ $+\frac{1}{4}Q_{3-3}(00)_{00}[K_{4-3}(0-1)_{01} + K_{2-3}(01)_{01}] + \frac{1}{4}K_{3-3}(00)_{00}[Q_{4-3}(0-1)_{01} + Q_{2-3}(01)_{01}]$ $+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$ $-\frac{1}{4}B_{110}(n,-n)[R_{01}(0-1)_{01} + R_{2-1}(0-1)_{01}] - \frac{1}{4}B_{011}(n,-n+1)\ R_{1-1}(00)_{00}$ $-\frac{1}{4}B_{210}(n,-n)[R_{1-2}(01)_{01} + R_{3-2}(0-1)_{01}] - \frac{1}{2}B_{111}(n,-n+1)\ R_{00}(00)_{00}$ $-\frac{1}{4}B_{310}(n,-n)[R_{2-3}(01)_{01} + R_{4-3}(0-1)_{01}] - \frac{1}{4}B_{211}(n,-n+1)\ R_{1-1}(00)_{00}$ $-\frac{1}{4}B_{410}(n,-n)[R_{3-4}(01)_{01} + R_{5-4}(0-1)_{01}] - \frac{1}{4}B_{311}(n,-n+1)\ R_{2-2}(00)_{00}$ $- \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$ $-\frac{1}{4}B_{011}(n,-n-1)\ R_{1-1}(00)_{00} + \frac{1}{2}A_{110}(n,-n)[R_{01}(0-1)_{01} - R_{2-1}(0-1)_{01}]$ $-\frac{1}{4}B_{111}(n,-n-1)\ R_{2-2}(00)_{00} + \frac{1}{2}A_{210}(n,-n)[R_{1-2}(01)_{01} - R_{3-2}(0-1)_{01}]$ $-\frac{1}{4}B_{211}(n,-n-1)\ R_{3-3}(00)_{00} + \frac{1}{2}A_{310}(n,-n)[R_{2-3}(01)_{01} - R_{4-3}(0-1)_{01}]$ $- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$

Argument	Exc.	Coefficient
		$+ \quad A_{111}(n,-n+1)\,R_{00}(00)_{00} \quad - \frac{1}{2} A_{111}(n,-n-1)\,R_{2-2}(00)_{00}$
		$+ \frac{1}{2} A_{211}(n,-n+1)\,R_{1-1}(00)_{00} \quad - \frac{1}{2} A_{211}(n,-n-1)\,R_{3-3}(00)_{00}$
		$+ \frac{1}{2} A_{311}(n,-n+1)\,R_{2-2}(00)_{00} \quad - \frac{1}{2} A_{311}(n,-n-1)\,R_{4-4}(00)_{00}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
$2-2\mu$	η'^2	$\Delta\, Q_{2-2}(00)_{02} = + \frac{3}{2} Q_{1-1}(00)_{02}\,[S_{1-1}(00)_{00} - S_{3-3}(00)_{00}] + \frac{3}{2} Q_{1-1}(00)_{00}\,[S_{1-1}(00)_{02} - S_{3-3}(00)_{02}]$
		$+ \frac{3}{2} Q_{2-2}(00)_{02}\,[2\,S_{00}(00)_{00} - S_{4-4}(00)_{00}] - \frac{3}{2} Q_{2-2}(00)_{00}\;S_{4-4}(00)_{02}$
		$+ \frac{3}{2} Q_{3-3}(00)_{02}\,[S_{1-1}(00)_{00} - S_{5-5}(00)_{00}] + \frac{3}{2} Q_{3-3}(00)_{00}\,[S_{1-1}(00)_{02} - S_{5-5}(00)_{02}]$
		$+ \frac{3}{2} Q_{4-4}(00)_{02}\,[S_{2-2}(00)_{00} - S_{6-6}(00)_{00}] + \frac{3}{2} Q_{4-4}(00)_{00}\,[S_{2-2}(00)_{02} - S_{6-6}(00)_{02}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ \frac{3}{2} Q_{10}(0-1)_{01}\;[S_{1-2}(01)_{01} - S_{3-2}(0-1)_{01}] + \frac{3}{2} Q_{01}(0-1)_{01}\,[S_{2-3}(01)_{01} - S_{2-1}(0-1)_{01}]$
		$+ \frac{3}{2} Q_{2-1}(0-1)_{01}\,[S_{01}(0-1)_{01} - S_{4-3}(0-1)_{01}] + \frac{3}{2} Q_{1-2}(01)_{01}\;[S_{10}(0-1)_{01} - S_{3-4}(01)_{01}]$
		$+ \frac{3}{2} Q_{3-2}(0-1)_{01}\,[S_{10}(0-1)_{01} - S_{5-4}(0-1)_{01}] + \frac{3}{2} Q_{2-3}(01)_{01}\;[S_{01}(0-1)_{01} - S_{4-5}(01)_{01}]$
		$+ \frac{3}{2} Q_{4-3}(0-1)_{01}\,[S_{2-1}(0-1)_{01} - S_{6-5}(0-1)_{01}] + \frac{3}{2} Q_{3-4}(01)_{01}\;[S_{1-2}(01)_{01} - S_{5-6}(01)_{01}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2\mu-2\mu\varsigma'$	η'^2	$\Delta\, Q_{02}(0-2)_{02} = + \frac{3}{2} Q_{1-1}(00)_{00}\,[S_{1-3}(02)_{02} - S_{11}(0-2)_{02}] + 3\,S_{00}(00)_{00}\;Q_{02}(0-2)_{02}$
		$+ \frac{3}{2} Q_{2-2}(00)_{00}\,[S_{2-4}(02)_{02} - S_{20}(0-2)_{02}] + \frac{3}{2} S_{1-1}(00)_{00}\,[Q_{11}(0-2)_{02} - Q_{1-3}(02)_{02}]$
		$+ \frac{3}{2} Q_{3-3}(00)_{00}\,[S_{3-5}(02)_{02} - S_{3-1}(0-2)_{02}] + \frac{3}{2} S_{2-2}(00)_{00}\,[Q_{20}(0-2)_{02} - Q_{2-4}(02)_{02}]$
		$+ \frac{3}{2} Q_{4-4}(00)_{00}\,[S_{4-6}(02)_{02} - S_{4-2}(0-2)_{02}] + \frac{3}{2} S_{3-3}(00)_{00}\,[Q_{3-1}(0-2)_{02} - Q_{3-5}(02)_{02}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$+ \frac{3}{2} Q_{10}(0-1)_{01}\;S_{1-2}(01)_{01} + \frac{3}{2} Q_{01}(0-1)_{01}\,S_{01}(0-1)_{01}$
		$+ \frac{3}{2} Q_{2-1}(0-1)_{01}\,S_{2-3}(01)_{01} - \frac{3}{2} Q_{1-2}(01)_{01}\;S_{10}(0-1)_{01}$
		$+ \frac{3}{2} Q_{3-2}(0-1)_{01}\,S_{3-4}(01)_{01} - \frac{3}{2} Q_{2-3}(01)_{01}\;S_{2-1}(0-1)_{01}$
		$+ \quad . \quad . \quad . \quad . \quad - \quad . \quad . \quad . \quad .$
$1-3\mu+2\mu\varsigma'$	η'^2	$\Delta\, Q_{1-3}(02)_{02} = + \frac{3}{2} Q_{1-1}(00)_{00}\,[S_{02}(0-2)_{02} - S_{2-4}(02)_{02}] + 3\,S_{00}(00)_{00}\;Q_{1-3}(02)_{02}$
		$+ \frac{3}{2} Q_{2-2}(00)_{00}\,[S_{11}(0-2)_{02} - S_{3-5}(02)_{02}] + \frac{3}{2} S_{1-1}(00)_{00}\,[Q_{2-4}(02)_{02} - Q_{02}(0-2)_{02}]$
		$+ \frac{3}{2} Q_{3-3}(00)_{00}\,[S_{20}(0-2)_{02} - S_{4-6}(02)_{02}] + \frac{3}{2} S_{2-2}(00)_{00}\,[Q_{3-5}(02)_{02} - Q_{11}(0-2)_{02}]$
		$+ \frac{3}{2} Q_{4-4}(00)_{00}\,[S_{3-1}(0-2)_{02} - S_{5-7}(02)_{02}] + \frac{3}{2} S_{3-3}(00)_{00}\,[Q_{4-6}(02)_{02} - Q_{20}(0-2)_{02}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$- \frac{3}{2} Q_{10}(0-1)_{01}\;S_{2-3}(01)_{01} - \frac{3}{2} Q_{01}(0-1)_{01}\,S_{1-2}(01)_{01}$
		$- \frac{3}{2} Q_{2-1}(0-1)_{01}\,S_{3-4}(01)_{01} + \frac{3}{2} Q_{1-2}(01)_{01}\;S_{01}(0-1)_{01}$
		$- \frac{3}{2} Q_{3-2}(0-1)_{01}\,S_{4-5}(01)_{01} + \frac{3}{2} Q_{2-3}(01)_{01}\;S_{10}(0-1)_{01}$
		$- \frac{3}{2} Q_{4-3}(0-1)_{01}\,S_{5-6}(01)_{01} + \frac{3}{2} Q_{3-4}(01)_{01}\;S_{2-1}(0-1)_{01}$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
$2-4\mu+2\mu\varsigma'$	η'^2	$\Delta\, Q_{2-4}(02)_{02} = + \frac{3}{2} Q_{1-1}(00)_{00}\,[S_{1-3}(02)_{02} - S_{3-5}(02)_{02}] + 3\,S_{00}(00)_{00}\;Q_{2-4}(02)_{02}$
		$+ \frac{3}{2} Q_{2-2}(00)_{00}\,[S_{02}(0-2)_{02} - S_{4-6}(02)_{02}] + \frac{3}{2} S_{1-1}(00)_{00}\,[Q_{3-5}(02)_{02} + Q_{1-3}(02)_{02}]$
		$+ \frac{3}{2} Q_{3-3}(00)_{00}\,[S_{11}(0-2)_{02} - S_{5-7}(02)_{02}] + \frac{3}{2} S_{2-2}(00)_{00}\,[Q_{4-6}(02)_{02} - Q_{02}(0-2)_{02}]$
		$+ \frac{3}{2} Q_{4-4}(00)_{00}\,[S_{20}(0-2)_{02} - S_{6-8}(02)_{02}] + \frac{3}{2} S_{3-3}(00)_{00}\,[Q_{5-7}(02)_{02} - Q_{11}(0-2)_{02}]$
		$+ \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$
		$- \frac{3}{2} Q_{10}(0-1)_{01}\;S_{3-4}(01)_{01} - \frac{3}{2} Q_{01}(0-1)_{01}\,S_{2-3}(01)_{01}$
		$- \frac{3}{2} Q_{2-1}(0-1)_{01}\,S_{4-5}(01)_{01} + \frac{3}{2} Q_{1-2}(01)_{01}\;S_{1-2}(01)_{01}$
		$- \frac{3}{2} Q_{3-2}(0-1)_{01}\,S_{5-6}(01)_{01} + \frac{3}{2} Q_{2-3}(01)_{01}\;S_{01}(0-1)_{01}$
		$- \frac{3}{2} Q_{4-3}(0-1)_{01}\,S_{6-7}(01)_{01} + \frac{3}{2} Q_{3-4}(01)_{01}\;S_{10}(0-1)_{01}$
		$- \quad . \quad . \quad . \quad . \quad + \quad . \quad . \quad . \quad .$